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# Dynamic effects on ligand field from rapid hydride motion in an iron(II) dimer with an $S = 3$ ground state†‡

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Hydride complexes are important in catalysis and in iron–sulfur enzymes like nitrogenase, but the impact of hydride mobility on local iron spin states has been underexplored. We describe studies of a dimeric diiron(II) hydride complex using X-ray and neutron crystallography, Mössbauer spectroscopy, magnetism, DFT, and *ab initio* calculations, which give insight into the dynamics and the electronic structure brought about by the hydrides. The two iron sites in the dimer have differing square-planar (intermediate-spin) and tetrahedral (high-spin) iron geometries, which are distinguished only by the hydride positions. These are strongly coupled to give an  $S_{\text{total}} = 3$  ground state with substantial magnetic anisotropy, and the merits of both localized and delocalized spin models are discussed. The dynamic nature of the sites is dependent on crystal packing, as shown by changes during a phase transformation that occurs near 160 K. The change in dynamics of the hydride motion leads to insight into its influence on the electronic structure. The accumulated data indicate that the two sites can trade geometries by rotating the hydrides, at a rate that is rapid above the phase transition temperature but slow below it. This small movement of the hydrides causes large changes in the ligand field because they are strong-field ligands. This suggests that hydrides could be useful in catalysis not only due to their reactivity, but also due to their ability to rapidly modulate the local electronic structure and spin states at metal sites.

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## Introduction

The capabilities of transition-metal hydride complexes in catalysis have made them a favorite target of organometallic chemists. These hydride species are an indelible part of fundamental reactions such as  $\beta$ -hydride elimination, migratory insertion into substrate multiple bonds, C–H activation and  $H_2$  consumption/production.<sup>1–5</sup> In addition to these two-electron reactions, hydrides can undergo one-electron

reactions; for example, hydrogen atom transfer (HAT) to alkenes generates an alkyl radical that can be trapped to give cross-coupling products with novel selectivities.<sup>6</sup> Electron transfer reactions of hydride species are also important in natural metalloenzymes such as hydrogenases and nitrogenases,<sup>7,8</sup> and in electrocatalysts and photocatalysts for  $H_2$  production,<sup>9</sup> further emphasizing the importance of one-electron changes of hydride complexes.

Given this broad range of one- and two-electron reactions in diverse coordination environments, the spin states of hydride complexes have been much less studied.<sup>10</sup> Open-shell hydride complexes are strongly implicated in unobserved catalytic intermediates, for example nitrogenase cofactors (which have iron–sulfur clusters in weak-field environments)<sup>11–14</sup> and HAT catalysts for alkene hydrofunctionalization (which often have only weak-field acac or salen ligands).<sup>15</sup> Thus there is strong motivation for understanding the electronic structure of hydride ligands in open-shell systems. However, very few isolated hydride complexes are known that are paramagnetic.<sup>10,16</sup>

In the work described here, we focus on iron(II), which is found in many of the above catalysts. The conventionally found ground spin states of iron(II) are low-spin ( $S = 0$ , often the ground state in octahedral geometry) or high-spin ( $S = 2$ , often the ground state in tetrahedral or octahedral geometries). An

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† This article is dedicated to the remarkable Eckhard Bill (1953–2022), who will be sorely missed.

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intermediate-spin electronic configuration ( $S = 1$ ) is less commonly the ground state, but this can occur in a square-planar ligand field that raises the energy of the  $d_{x^2-y^2}$  orbital enough that it remains unoccupied. A  $d^6$  system with an intermediate-spin ground state was first observed and explained in (tetraphenylporphyrin)iron(II).<sup>17,18</sup> More recently, Chirik *et al.* used a pincer ligand and varying steric demands to explore the balance between square-planar and tetrahedral geometries, and similarly observed  $S = 1$  ground states for square-planar iron(II) and  $S = 2$  ground states for tetrahedral iron(II).<sup>19</sup> However, a square-planar geometry does not necessarily give an intermediate-spin ground state.<sup>20–25</sup>

Different spin states engender different metal–ligand bond lengths, with bonds being shortest in low-spin iron complexes and longer in open-shell iron complexes because the population of metal–ligand antibonding orbitals in the higher spin states weakens the bonding interactions. However, M–H distances are not known for the few open-shell hydrides, because locating hydrides accurately requires a neutron crystal structure. Correlating these differences with reactivity is also challenging because the spin state can change during a reaction.<sup>26–31</sup>

In the quest to understand open-shell hydride species,  $\beta$ -diketiminato ligands have been beneficial, because they are modular and tunable weak-field ligands.<sup>32</sup> We have isolated iron(II) hydride complexes with three related  $N,N'$ -diaryldiketiminato ligands, and each was crystallographically characterized as a dimer with two bridging hydrides.<sup>33–35</sup> In related work, Murray used a macrocyclic  $\beta$ -diketiminato to create complexes with a triiron core bridged by three hydrides.<sup>36</sup> In

each  $\beta$ -diketiminato-supported iron hydride complex, Mössbauer and magnetism studies have led the authors to conclude that the ground state has high-spin electronic configurations at the iron sites. This is reasonable since a wide variety of related mononuclear  $\beta$ -diketiminato-supported iron(II) complexes have  $S = 2$  ground states with related  $\sigma$ -donor ligands such as alkyl, aryl, alkoxide, amide, and halide.<sup>37</sup> However, in this manuscript we reveal that the motion of hydrides in the hydride dimer **1** (Fig. 1) can surprisingly cause the iron(II) sites to flip between high-spin and intermediate-spin electronic configurations rapidly. The intermolecular interactions, ligand-field changes, and hydride motions that bring about this spin-state change are elucidated using X-ray and neutron crystallography, magnetism, spectroscopy, and computations. These data illustrate that hydride ligands are unique because of their rapid motions and strong ligand field, a combination that has implications for the roles of hydrides in catalysis.

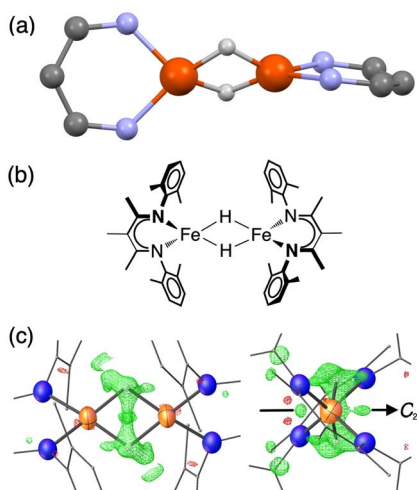
## Results

### Desymmetrization with temperature

Compound **1** (Fig. 1) and its deuterated analogue **1-D** were reported previously.<sup>35,38</sup> In the reported X-ray crystal structure of **1** collected at 223 K (space group  $C2/c$ , unique  $b$  axis, with  $Z = 4$ )<sup>35</sup> there is a 2-fold rotation axis parallel to the crystallographic  $b$  axis, which passes through each molecule perpendicular to the  $Fe_2H_2$  rhomb, and which renders the two halves of the molecule equivalent (Fig. 1c, right). A small peak in the electron density map consistent with the hydride position was observed at a location 1.59(4) Å from the iron position, and has a symmetry-related peak that lies 1.88(4) Å away from this iron atom. However, the positions of hydrides are unreliable from X-ray crystallography, and the  $F_{obs} - F_{calc}$  map displays residual electron density near the hydrides (green wireframe in Fig. 1c).

Our previous analysis using the refined hydride positions had been that each iron(II) site has a geometry that lies between square planar and tetrahedral.<sup>35,38</sup>  $^1H$  NMR spectra of **1** show the expected number of peaks for equivalent diketiminato environments, and cooling a sample in toluene- $d_8$  to 188 K showed no evidence of dynamic behavior. The solution effective magnetic moment at room temperature in  $C_6D_6$  is 7.0(4) Bohr magnetons ( $\mu_B$ ) per dimer, which was consistent with the previous assessment that **1** had two equivalent  $S = 2$  subsites with little to no exchange coupling (two uncoupled  $S = 2$  ions predict a spin-only value of 6.9  $\mu_B$ ).<sup>39</sup> This model was supported by the Mössbauer spectrum of a solid at 170 K (Fig. 2, top), which showed a doublet with an isomer shift ( $\delta$ ) of 0.48  $mm\ s^{-1}$  and a quadrupole splitting ( $\Delta E_Q$ ) of 1.25  $mm\ s^{-1}$ , which are similar to those in low-coordinate iron(II) alkyl complexes that have high-spin ground states.<sup>40</sup>

However, the measurements at lower temperature are inconsistent with equivalent iron sites. Namely, cooling single crystals of **1** below 170 K leads to splitting in the X-ray diffraction data and in the Mössbauer spectrum (Fig. 2). The crystallographic data indicate a change in the unit cell, causing the peaks in the diffraction pattern to gradually split as the temperature is lowered (orange insets in Fig. 2). At 130 K, the



**Fig. 1** (a) Ball-and-stick model showing the core of the X-ray crystal structure of **1** at 223 K,<sup>35</sup> emphasizing that the  $\beta$ -diketiminato supporting ligands are perpendicular to one another. The pairs of Fe centers and the pairs of hydrides are rendered crystallographically equivalent by the operator  $-x, y, \frac{3}{2} - z$ . (b) Chemical structure of **1**, showing the composition of the diketiminato ligands. (c) Two views of the previously reported X-ray crystal structure of **1** at 223 K (left: along the 2-fold axis; right: along the Fe–Fe axis), with the Fe and N atoms as thermal ellipsoids. The residual electron density ( $F_{obs} - F_{calc}$ ) is shown as a green wireframe.





Fig. 2 Mössbauer data of crystalline **1** (toluene-free crystal). Each orange inset shows an equivalent section of the diffraction pattern, corresponding to the  $(-8\ -4\ 6)$  reflection in the high-temperature indexing in  $C2/c$ , and the splitting of the reflection at low temperature is a result of conversion to the twinned structure. Each main panel shows the Mössbauer data (black circles) with the associated fits (red) that are the sum of components for the tetrahedral site (green) and the square-planar site (blue). The residuals are shown in grey.

splitting is complete, and the data from a sample measured at 93 K (**1-LT**) fit best to a twinned structure in space group  $P\bar{1}$  ( $Z = 2$ ). The unit cell parameters of this smaller unit cell are similar to the primitive setting of the  $C2/c$  space group of the higher-temperature model (crystallographic details in Fig. S1–S5<sup>†</sup>).

Importantly, in **1-LT**, the molecule has lost the crystallographic 2-fold axis that related the two halves of the molecule (Fig. 3). Accordingly, there is a change in the positions of the small Fourier peaks corresponding to the two bridging hydrides. However, since hydride locations are unreliable in X-ray crystallography, we sought to corroborate this structural shift using other techniques. Unfortunately, we were unable to



Fig. 3 (Left) Overlay of X-ray crystal structure models of **1** at 223 K (red)<sup>35</sup> and **1-LT** at 93 K (blue). (Right) Overlay of X-ray crystal structure models of **1-LT** at 93 K (blue) and **1-toluene** at 100 K (grey). In **1**, the hydrides are in (incorrect) averaged positions, whereas in **1-LT** and in the structure with co-crystallized toluene (**1-toluene**), the hydrides are in the plane of the left Fe-diketimate plane. Mercury files containing the overlays are available in the ESI<sup>†</sup>.

grow a crystal of this packing form that had sufficient size for neutron crystallography.

### Decoalescence of Mössbauer spectra in the low-temperature twinned crystals

The phase change from **1** to **1-LT** was accompanied by a marked change in the Mössbauer spectrum of these crystals. Cooling the crystals below 170 K results in decoalescence of the quadrupole doublet into two doublets of equal intensity (Fig. 2). The relative intensity of the two doublets is 1 : 1 at all temperatures from 150 to 5 K, and the coalescence temperature is 163(3) K. Decoalescence is characteristic of a dynamic process, and is different from spin crossover, which for mononuclear iron(II) compounds gives the growth/disappearance of Mössbauer doublets rather than shifting and decoalescence.<sup>41</sup>

The 1 : 1 ratio of signals at low temperature suggests that the two iron atoms in **1** are inequivalent, and the difference in isomer shifts ( $\delta = 0.43\text{ mm s}^{-1}$  vs.  $0.60\text{ mm s}^{-1}$ ) suggests that the iron environments have different electronic structures. Further, the change in the Mössbauer spectrum at the same temperature as the change in the crystal structure indicates that this electronic structure change is linked to the crystallographic packing. We tested this idea by measuring Mössbauer spectra of flash-frozen benzene solutions. A frozen benzene solution of **1** displays only one doublet, even at 80 K. When the benzene is evaporated from this solution, the spectrum of the resulting solid at 80 K again shows two equal doublets (Fig. 4). The lack of dynamic behavior in the absence of the crystal lattice indicates that somehow the twinning of the crystals leads to the splitting of the doublets in the Mössbauer spectrum.

We further fit the dynamic behavior by considering the quadrupole splitting values, which arise from the electric field gradients (EFGs) at the two iron sites. At temperatures well below the phase transition ( $<100\text{ K}$ ) they are different, and above the phase transition ( $>180\text{ K}$ ) they are the same on the Mössbauer time scale (*ca.*  $10^{-7}\text{ s}$ ). The coalescence behavior did not fit to a physically meaningful Boltzmann model (incoherent interconversion of sites), but they did fit to a cooperative transition (see ESI<sup>†</sup> for discussion). We used the Sorai–Seki domain



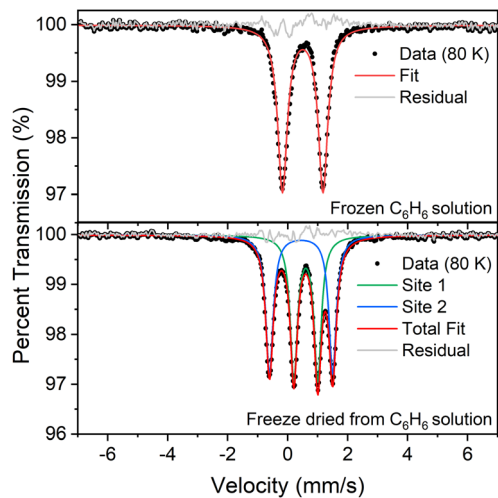


Fig. 4 (Top) Mössbauer spectrum of a flash-frozen benzene solution of **1**. Fit parameters:  $\delta = 0.50 \text{ mm s}^{-1}$ ,  $\Delta E_Q = 1.35 \text{ mm s}^{-1}$ . (Bottom) Mössbauer spectrum of the same sample, after subliming away the benzene. Fit parameters:  $\delta = 0.60 \text{ mm s}^{-1}$ ,  $\Delta E_Q = 0.80 \text{ mm s}^{-1}$  (site 1, green);  $\delta = 0.45 \text{ mm s}^{-1}$ ,  $\Delta E_Q = 2.11 \text{ mm s}^{-1}$  (site 2, blue). Both spectra were recorded at 80 K.

model<sup>42</sup> for a change from a static low-temperature phase to a dynamic high-temperature phase, the latter of which has fast interconversion of different possible electronic environments of the iron sites. This model has been used for entropy-driven phase transitions of mononuclear spin crossover complexes.<sup>43</sup> When we adapted it for “hopping” between the environments of two iron sites, the observed temperature-dependent quadrupole splittings fit well to this model with an enthalpy factor  $n\Delta H \sim 1500 \text{ cm}^{-1}$  ( $n$  represents the size of the domain; see ESI<sup>†</sup>). In this model, the barrier for “hopping” arises from the elastic coupling of molecules in the solid, which requires a phonon coupled to the molecular motion in order to overcome the barrier. If there is no coupling between molecules ( $n = 1$ ), the Sorai-Seki model predicts a very low barrier of  $\sim 4 \text{ kcal mol}^{-1}$ .

### Co-crystallization with toluene and neutron crystallography

When crystals of **1** are grown from toluene rather than diethyl ether, the crystals pack differently, in a solvate form that we distinguish as **1-toluene**. The Mössbauer spectrum of **1-toluene** displays two doublets that have parameters similar to those observed in the low-temperature crystalline samples described above (Fig. S9<sup>†</sup>). In the toluene crystals, the positions of the two major doublets vary only slightly with temperature, and no decoalescence is observed. X-ray diffraction studies of **1-toluene** show that the overall molecular structure is like **1-LT**, but with a toluene molecule stacked above one iron site. These crystals pack in the monoclinic space group  $P2_1$  with  $Z = 2$ , and there are no crystallographic symmetry elements within the dimeric molecules.

The crystals of **1-toluene** are substantially larger, enabling the use of neutron diffraction to verify the positions of the hydrogen atoms unambiguously. The neutron crystal structure of **1-toluene** (Fig. 5) shows the marked difference between the



Fig. 5 Thermal-ellipsoid plots from the neutron crystal structure of **1-toluene**, using 50% probability ellipsoids. (a) View along the  $C_2$  axis. (b) View along the plane of Fe1, showing the different geometries of the sites. Diketiminato substituents are omitted for clarity.

coordination geometries of the two inequivalent iron atoms. Fe1 has a square-planar geometry ( $5.6(1)^\circ$  between the NFeN and HFeH planes), and the Fe1–H distances of 1.62(1) and 1.64(1) Å are significantly shorter than the Fe2–H distances to pseudotetrahedral ( $89.7(1)^\circ$  between planes) Fe2 at 1.71(1) and 1.73(1) Å. The parameter  $\tau_4$ , which quantifies the geometry of a metal center on a scale from 0 (square planar) to 1 (tetrahedral) is 0.06 for Fe1 and is 0.80 for Fe2. The Fe–N distances at Fe1 are also shorter (1.924(4) and 1.925(3) Å) than to Fe2 (1.936(3) and 1.967(3) Å), suggesting that Fe1 has a lower spin state than Fe2.

The crystal structures of **1-toluene** show that the toluene of crystallization is stacked above the  $\beta$ -diketiminato of the square-planar Fe1, with its methyl group wedged between the xylyl groups of the supporting ligand (methyl carbon 3.7 Å from plane, and H 2.7 Å from plane). This toluene molecule in the crystal does not change the electronic structure, as shown by the similarity of the Mössbauer parameters between crystals of **1-LT** and **1-toluene** (Fig. S9<sup>†</sup>). Instead, the toluene molecule in the crystal influences the relative energies of the two geometries, as shown in the bottom of Fig. 6. In this model, the presence of a flat toluene molecule near only one of the two iron sites “freezes out” one of the two conformational possibilities. This differs from toluene-free crystals of **1**, where the two conformations (Fe1<sub>SP</sub>/Fe2<sub>Td</sub> and Fe1<sub>Td</sub>/Fe2<sub>SP</sub>) can interconvert with very little motion of the supporting ligands (Fig. 3).

This logic leads to the following overall explanation for both the Mössbauer and crystallographic observations in **1** (Fig. 6). At higher temperatures in the higher-symmetry space group  $C2/c$ , the iron and hydride positions are crystallographically required



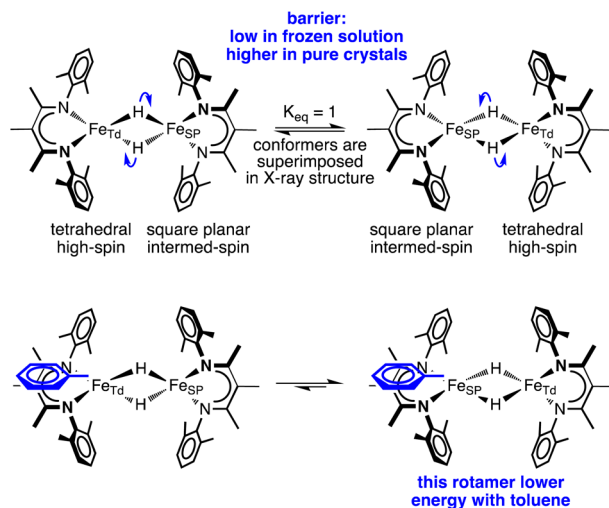


Fig. 6 A model of hydride motions in **1** that explains the accumulated spectroscopic, crystallographic, and magnetic data.

to be equivalent due to the 2-fold rotation axis, but the “observed” positions are an artifact arising from multiple geometries of the molecular cores in these crystals. Near 150 K, there is a phase change to a lower-symmetry space group, which removes the crystallographic 2-fold axis. Half of the domains rotate the hydrides in each direction, which leads to twinning in **1-LT** (Fig. S4 and S5†). The observation of 50 : 50 twinning suggests that this desymmetrization follows the same rotation within domains, rather than alternating molecules in the crystal. This domain-wide motion requires coherent reorganizations (phonons), which enable the molecules to overcome the barrier.

In **1-toluene**, the two Fe sites are crystallographically inequivalent because of the packing of the toluene molecule above one of the two iron-diketiminate units. There is no symmetry breaking of the molecule with temperature in crystals of **1-toluene**, since the iron sites are already distinct at all temperatures in the crystal due to the location of the toluene. This explains why **1-toluene** crystals show two quadrupole doublets in Mössbauer spectra at all temperatures.

In contrast, in the flash-frozen benzene solution the molecules have disorganized molecular surroundings. Because there is no cooperativity in the interconversion of the conformers in the crystal, the barrier is low for fast interchange of the local electronic environment between Td and SP geometries ( $\tau \ll 10^{-8}$  s) and therefore averaged Mössbauer spectra are seen at all temperatures. This model is consistent with DFT computations below, which show that the barrier to rotation of the  $\text{Fe}_2\text{H}_2$  plane within the ligand scaffold is only 3 kcal mol $^{-1}$  in the absence of intermolecular interactions.

Finally, to evaluate the dependence of the dynamics on the isotope of hydrogen, we compared the temperature dependence of the Mössbauer spectrum for crystals of **1** and its deuterated analogue **1-D** (Fig. S12 and S13†). The observed coalescence temperatures were the same for the hydride and deuteride within 3 K. The lack of an observable kinetic isotope effect

supports the idea that the phase change is the driver of the temperature-dependent changes, whereas motion of the hydrides is rapid in the absence of the twinned **1-LT** crystal packing. We also collected a neutron structure of the toluene crystals from **1-D**, and the metrical parameters match the proiated structure within standard uncertainty limits, despite the potential for differences between the size of H and D.<sup>44</sup>

### Spin states of the iron sites

The solid-state magnetic moment of a powder freeze-dried from benzene was measured as a function of temperature, and the magnetization data are shown in Fig. 7. There is no discontinuity at the temperature of the crystallographic phase change (163 K). There is a peak in the plot of  $\chi_{\text{M}}T$  versus  $T$ , and the high-temperature asymptote is near 6.2 cm $^3$  mol $^{-1}$  K (near the spin-only value of 6.0 expected for  $S = 3$ ). Isofield magnetization measurements at 1, 4 and 7 T and recorded on an inverse temperature axis show almost no nesting (inset of Fig. 7). This reveals the ground state to be a small set of energetically well isolated magnetic sublevels with a large negative zero-field splitting (zfs) that renders the highest  $m_s$  levels lowest in energy.

We could fit these data to three models: (a) two  $S = 2$  sites with ferromagnetic coupling and a diamagnetic impurity, (b) one  $S = 2$  subsite and one  $S = 1$  subsite, or (c) one delocalized  $S = 3$  system. The first model did not fit our magnetic Mössbauer data; see ESI† for details and description of the alternative model. The second model yielded  $S_{\text{Td}} = 2$ ,  $g_{\text{Td}} = 2.47, 2.47, 2.61$ , and  $D_{\text{Td}} = -26$  cm $^{-1}$ , and  $S_{\text{SP}} = 1$ ,  $g_{\text{SP}} = 3.65, 3.65, 1.0$ , and  $D_{\text{SP}} = +40$  cm $^{-1}$ , with exchange coupling constant  $J = +63$  cm $^{-1}$  (using  $-2J S_{\text{Td}} \cdot S_{\text{SP}}$ ). The model required different orientations of the two local  $\mathbf{D}$  and  $\mathbf{g}$  matrices, as shown in Fig. 8. Spin

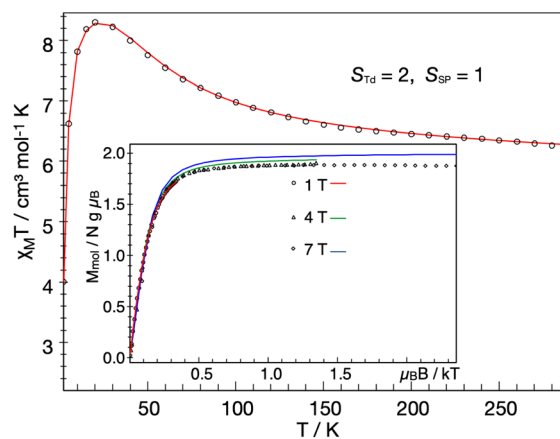


Fig. 7 Temperature dependence of the molar magnetic susceptibility times temperature,  $\chi_{\text{M}}T$ , of **1** recorded under an applied field of 1 T, and inverse temperature dependence of the magnetization recorded with 1, 4 and 7 T (inset). The experimental data were corrected for a TIP-like contribution to  $\chi$  of  $600 \times 10^{-6}$  cm $^3$  mol $^{-1}$ . The colored lines represent a global SH simulation using  $S_{\text{Td}} = 2$ ,  $S_{\text{SP}} = 1$ ,  $J = +63$  cm $^{-1}$ ,  $g_{\text{Td}} = (2.47, 2.47, 2.61)$ ,  $g_{\text{SP}} = (3.65, 3.65, 1.0)$ ,  $D_{\text{Td}} = -26.1$  cm $^{-1}$ , and  $D_{\text{SP}} = +40$  cm $^{-1}$ . The rhombicity parameters were constrained to  $\frac{D_x}{D_y} = 0$  and the  $\mathbf{D}$  and  $\mathbf{g}$  matrices of the  $\text{Fe}_{\text{SP}}$  site were rotated with respect to the principal axes for the  $\text{Fe}_{\text{Td}}$  site by an Euler angle  $\beta = 98^\circ$  in this model. See ESI† for details of the model.



Fig. 8 (Top) Schematic view of the rotated magnetic axes for the square planar (SP) relative to the tetrahedral (Td) sites of **1** as obtained from the simulation of the magnetic data. (Bottom) Relative orientation of the  $D$ -tensors for Td and SP sites. The double arrows pointing outward and inward indicate the positive and negative tensor components, respectively. Note that the  $D$ -tensors are traceless in the SH formalism, *i.e.* the total length of positive and negative double arrows is zero. Analogous plots would hold for  $g$ -matrices, electric field gradient tensors ( $V_{ij}$ ), as well as magnetic hyperfine coupling tensors  $A$  for  $^{57}\text{Fe}$ .

projection arguments show that the zero-field splitting of the tetrahedral site  $D_{\text{Td}}$  is the main source of magnetic anisotropy (see ESI $^\ddagger$  for details).

Aligning the  $g_{\text{Td}}$  and  $g_{\text{SP}}$  matrices and the local  $D$ -tensors as shown in Fig. 8 reproduced the experimental overshooting of  $\chi_{\text{M}}T(T)$  around 20 K (red fit in Fig. 7). The large  $g$  components along  $z_{\text{Td}}$  strengthen the magnetization of the ( $z$ -polarizable) high  $m_s$  levels, which are exclusively populated at low temperatures. In contrast, lower  $g_{\text{Td}}$  values in the  $x/y$  direction reduce the magnetization of the other levels with lower  $m_s$  that become considerably populated above 20 K. This difference in magnetization of the  $m_s$  levels causes the observed overshooting of  $\chi_{\text{M}}T(T)$  with temperature, rather than the more typical assignment of overshooting to ferromagnetic coupling.

We also modeled the magnetization in the context of an isolated  $S_{\text{total}} = 3$  system. This model also provides a reasonable global fit of magnetic susceptibility and magnetic Mössbauer data (Fig. S17 $^\ddagger$ ). The zfs parameter of the  $S = 3$  model,  $D = -11 \text{ cm}^{-1}$ , is consistent with  $D_{\text{Td}} = -26 \text{ cm}^{-1}$  in the localized model (due to the projection coefficient 2/5). In the delocalized model, the over-shooting of  $\chi_{\text{M}}T(T)$  around 20 K is caused entirely by strong  $g$  anisotropy,  $g = (1.4, 1.4, 2.6)$ . The same behavior was previously observed for an  $S = 1 \{ \text{FeNO} \}^8$  species $^{45}$  and a two-coordinate  $S = 2$  imidoiron(II) species, $^{46}$  both of which feature large negative  $D$  and  $g_z$  larger than 2. Large and anisotropic shifts in  $g$  values have been observed previously in mononuclear  $S = 1$  square-planar iron(II) compounds, such as  $[\text{Fe}^{\text{II}}(\text{TPP})]$ . $^{47}$  Further details of the various models may be found in the ESI $^\ddagger$ .

### Electronic structure from computations

To gain further insight into the electronic structure of **1**, we undertook quantum chemical studies. The geometry-optimized computational models at the BP86/def2-TZVP, B3LYP/def2-TZVP and TPSSh/def2-TZVP levels of theory unanimously

demonstrated the  $S = 3$  state to be lower in energy than the  $S = 4$  state that would come from two ferromagnetically coupled high-spin iron(II) sites. $^{48}$  The  $S = 3$  model at the neutron crystallographic geometry predicted Mössbauer parameters accurately ( $\delta_{\text{calc}} = 0.57$  (Td), 0.45 (SP) vs.  $\delta_{\text{exp}} = 0.60, 0.43$ ;  $\Delta E_{\text{Qcalc}} = 1.29$  (Td), 1.55 (SP) vs.  $\Delta E_{\text{Qexp}} = 0.74, 2.16$ ; Table S4 $^\ddagger$ ), and was used for the more detailed information on the electronic structure.

To elucidate the physical origin of the strong magnetic anisotropy of **1**, it is necessary to explicitly consider spin-orbit coupling (SOC) of its low-lying electronic states. To this end, we carried out wavefunction-based CASSCF/NEVPT2 calculations (Fig. 9). The reference frame was chosen with the  $z$  axis along the Fe-Fe vector, and the  $xz$  and  $yz$  planes as the  $N_{\text{Td}}\text{Fe}_{\text{Td}}N_{\text{Td}}$  and  $N_{\text{SP}}\text{Fe}_{\text{SP}}N_{\text{SP}}$  planes, respectively. The active space spanned both Fe sites, and included all Fe 3d orbitals of the  $\text{Fe}_{\text{Td}}$  and  $\text{Fe}_{\text{SP}}$  sites as well as the  $\sigma$ -bonding counterpart of the high-lying  $\text{Fe}_{\text{SP}}$   $d_{yz}$  based orbital (not shown in Fig. 9b). These CASSCF(14,11) calculations predicted that **1** has three  $S = 3$  states within  $700 \text{ cm}^{-1}$ , which indicates that the system possesses an orbitally near-degenerate ground state. (As a consequence, we did not succeed in converging single-root ground-state CASSCF calculations as CASSCF computations suffered from severe convergence problems, but had to average the three low-lying septet states.) The septet ground state of **1** has substantial multireference character, because each of the

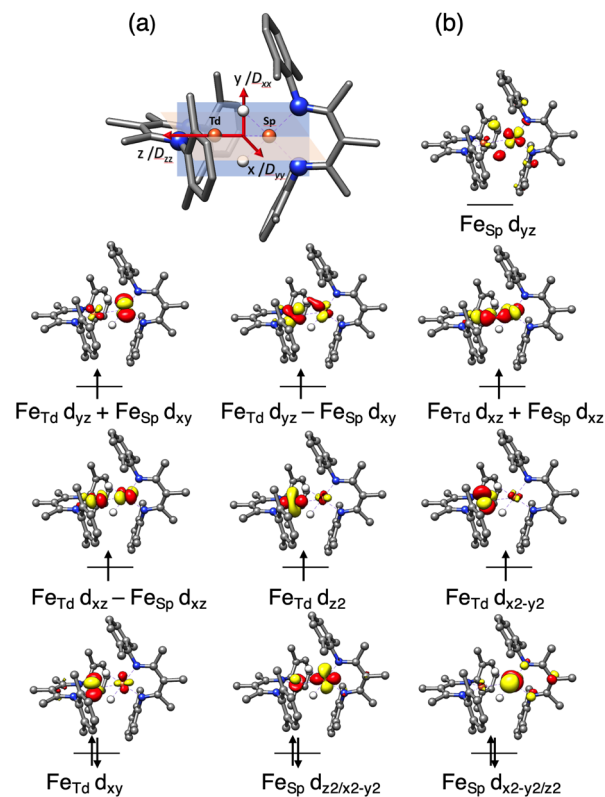


Fig. 9 (a) Orientation of the  $D$  tensor, and (b) active orbitals of **1**, obtained from CASSCF(14,11) calculations averaging three low-lying  $S = 3$  states. The orbital labels follow the localized axes of Fig. 8.



electron configurations accounts for less than 16% of the wavefunction.

The CASSCF(14,11)/NEVPT2 computations give  $D = -12.9 \text{ cm}^{-1}$  and  $E/D = 0.29$ , which is in reasonable agreement with experiment ( $D_{\text{total}} = -11 \text{ cm}^{-1}$ ). The largest component ( $D_{zz}$ ) is along the  $z$  axis (Fe–Fe vector), and the smallest  $D_{xx}$  and medium  $D_{yy}$  components as defined in Fig. 9a. The principal axis systems of both  $D$  and  $g$  matrices are calculated to be almost collinear and  $g_{x,y,z} = 1.97, 2.29, 2.60$  with respect to the reference frame. The three lowest-energy excited states (Table S5<sup>†</sup>) make the dominant contributions to  $D$ . The first excited state lies  $390 \text{ cm}^{-1}$  higher in energy and largely stems from the single excitation  $\text{Fe}_{\text{Td}} d_{xy} \rightarrow d_{x^2-y^2}$ . Hence, the  $\text{Fe}_{\text{Td}}$  site is the main contributor to an orbitally nearly degenerate ground state. The in-state SOC introduces a negative  $D$  value at the  $\text{Fe}_{\text{Td}}$  site, and therefore leads to its easy-axis magnetic anisotropy along the  $z$  axis in agreement with the fitting of the magnetic data presented above. A closely related mononuclear pseudotetrahedral high spin ferrous complex,  $\text{LFeCl}_2\text{Li}(\text{THF})_2$  ( $L = \beta$ -diketiminate), also features an analogous electronic structure and hence similar magnetic properties.<sup>49</sup> The second and third excited states were computed to lie  $770$  and  $1250 \text{ cm}^{-1}$  above the ground state, respectively, and predominantly arise from single excitations of  $\text{Fe}_{\text{SP}} d_{x^2-y^2} \rightarrow d_{xz}$  and  $d_{x^2-y^2} \rightarrow d_{xy}$ . The SOC of these excited states with the ground state leads to considerable orbital angular momentum in the  $yz$  plane, in agreement with the rotation of the  $\text{Fe}_{\text{SP}} D$  tensor presented above. Furthermore, because the aforementioned excitations are all DOMO-to-SOMO transitions (DOMO = doubly occupied molecular orbital, SOMO = singly occupied molecular orbital), the resulting  $g$ -shifts are positive and agree with the experimentally observed  $g_y$  and  $g_z$  values that are considerably greater than 2. The fact that the three dominant excitations are each localized to one of the two sites adds weight to a localized model of the electronic structure, as discussed below.

### Dynamics from computations

To shed light on the dynamic behavior, we used DFT (B3LYP/def2-TZVP level) to calculate a relaxed potential surface in which the dihedral angle  $\theta$  between the  $\text{N}_{\text{SP}}\text{Fe}_{\text{SP}}\text{N}_{\text{SP}}$  and  $\text{Fe}_{\text{SP}}\text{HFe}_{\text{Td}}\text{H}$  planes was systematically varied (Fig. 10). The  $S = 3$  model reproduces the experimental geometry, while the  $S = 4$  model prefers a dihedral angle  $\theta$  of  $45^\circ$ . However, the  $S = 4$  model never goes low enough in energy to become the ground state, in agreement with the magnetization fits described above. For the  $S = 3$  model, B3LYP computations showed a low barrier of  $3\text{--}4 \text{ kcal mol}^{-1}$  (at the transition state with  $\theta = 45^\circ$ ) for interconversion of the geometries of the two sites. The lack of a high reorganization barrier suggests that the hydride dimer can rotate rapidly in the absence of intermolecular interactions, consistent with the averaging of Mössbauer quadrupole doublets of the  $\text{Fe}_{\text{SP}}$  and  $\text{Fe}_{\text{Td}}$  sites in frozen solutions. This supports the idea advanced above, that the phase change is the rate-limiting step for the reversal of  $\text{Fe}_{\text{SP}}$  and  $\text{Fe}_{\text{Td}}$  sites because it has a higher barrier than hydride motions. This in turn is consistent with the lack of an H/D kinetic isotope effect in the Mössbauer coalescence.



Fig. 10 B3LYP-computed energy variations of the septet (blue) and nonet (red) states as a function of the dihedral angle between the  $\text{N}_{\text{SP}}\text{Fe}_{\text{SP}}\text{N}_{\text{SP}}$  and  $\text{HFe}_{\text{SP}}\text{H}$  planes along with the lowest-energy unoccupied molecular orbitals (LUMO) of the  $S = 3$  state at selected dihedral angles.

The DFT calculations also give information about how the electronic structure responds to geometric changes. At a dihedral angle  $\theta$  near zero, the lowest-energy unoccupied molecular orbital (LUMO) of **1** is mostly derived from a  $\text{Fe}_{\text{SP}} d_{yz}$  orbital with limited contribution from the  $\text{Fe}_{\text{Td}} d_{yz}$  orbital. With increasing  $\theta$ , the  $\text{Fe}_{\text{Td}} d_{yz}$  parentage gradually increases at the cost of  $\text{Fe}_{\text{SP}} d_{yz}$ . This change culminates when  $\theta = 45^\circ$ , at which both fragment orbitals make approximately equal contributions to the LUMO. Because of this smooth transition, the exchange of the local electronic configurations between the two Fe centers does not require electronic excitation, and proceeds with a low barrier.

## Discussion

### Perspectives

This is a unique system in which there is rapid, coupled interconversion of geometries and local electronic configurations between two nearby iron sites. These can trade local tetrahedral (Td, favors high-spin) and square planar (SP, favors intermediate-spin) geometries. Since the supporting ligands on the two metals are perpendicular, making one site square planar forces the other to be tetrahedral and *vice versa*. The movement of the bridging hydrides changes the geometry of both sides, which could explain why the overall spin state does not change: when one side changes from tetrahedral (local high spin  $S_{\text{Td}} = 2$ ) to square planar (local intermediate spin  $S_{\text{SP}} = 1$ ), the other side makes the opposite change simultaneously, leaving  $S_{\text{total}} = 3$ . Computational studies show that motion of the hydrides entails a smooth exchange of local electronic structures that contributes to this low barrier.

However, this picture assumes a spin Hamiltonian model with ferromagnetic coupling between two discrete spins (model b from "Spin states of the iron sites" above). This model fit all of the available data with  $J = +63 \text{ cm}^{-1}$ . However, given the strong electronic coupling between the sites, it is also possible to view



the septet ground state as a single  $S = 3$  spin system that is delocalized across both metal sites (model c above). This alternative model did not fit the magnetic susceptibility data quite as well, as it corresponds to an unmeasurably large value of  $J$ , but there could also be limitations due to the zfs model we used. Though the CASSCF natural orbitals above appear delocalized, the in-plane  $\text{Fe}_{\text{SP}} d_{yz}$  orbital is unpopulated in the ten lowest-energy  $S = 3$  states within  $3000 \text{ cm}^{-1}$ , as expected from qualitative ligand field theory for a square-planar  $\text{Fe}_{\text{SP}}$  site. As noted above, the lowest-lying excitations were localized on the tetrahedral  $\text{Fe}_{\text{Td}}$  site. Thus, aspects of the electronic structure are localized. Overall, this system is at the borderline of systems that are best treated with a delocalized model, which explains spin alignment through Hund's rule as in the multi-iron complexes of Betley.<sup>50</sup> Here, mixing is facilitated by the short distance between the metals ( $2.45 \text{ \AA}$ , close to Pauling's Fe–Fe single bond distance of  $2.48 \text{ \AA}$ ).<sup>51</sup> Berry has described a dinickel complex in which two bridging hydrides similarly enforce close metal–metal contacts that lead to a non-intuitive ground spin state.<sup>52</sup>

The geometry, electronic structure and magnetism of **1** bear a close similarity to a bis(carbene)-supported diiron system recently reported by Smith and coworkers (**2**), which has two hydride bridges.<sup>53</sup> Though neutron crystallography was not used, an X-ray crystal structure suggested one square-planar iron(II) site and one tetrahedral iron(II) site as shown here, and the Mössbauer spectra strongly supported this interpretation. Like **1**, their compound had an  $S = 3$  ground state that was described through a ferromagnetic coupling model, but the fitted exchange constant was  $J = +110 \text{ cm}^{-1}$ . This corresponds even more closely to a fully delocalized septet. They also used high-field EPR spectroscopy to derive an overall  $D = -7 \text{ cm}^{-1}$  which is somewhat less than in **1** ( $-11 \text{ cm}^{-1}$ ), presumably because the stronger-field carbene ligands more effectively quench the orbital angular momentum. However, the frontier orbitals (derived from DFT in their work) bear great resemblance to the ones derived here. In the bis(carbene) supported system, the structure and Mössbauer doublets showed distinct iron sites at all investigated temperatures, and thus were not subject to the phase change dependence described here.

The most unusual aspect of our findings is the topotactic transition<sup>54,55</sup> around  $160 \text{ K}$ , in which the low-symmetry twinned unit cell at low temperature changes to a higher-symmetry untwinned unit cell with crystallographic equivalence between the two iron sites. At low temperature, the crystallographic differentiation of the iron sites gives an “extra” barrier for hydride motion, because trading the geometries of the two sites cannot be done one molecule at a time. Rather, movement of the hydrides to trade site geometries requires a coordinated motion of an entire domain! This may seem surprising since the hydrides are small and the supporting ligands do not change orientations, but there are substantial differences between the Fe–N(diketiminato) bond lengths of the tetrahedral and square planar sites, which are apparently sufficient to influence the intermolecular interactions. Then, the relaxation of crystal packing constraints above  $160 \text{ K}$  removes the intermolecular forces, giving a low barrier for hydride movement and

coalescence on the Mössbauer timescale. Both DFT and extrapolation of the Sorai–Seki model suggested a very low barrier of  $<4 \text{ kcal mol}^{-1}$  for hydride rotation around the Fe–Fe axis in the absence of crystal packing forces. Quantum tunneling would be expected to affect the barrier, but we were unable to assess it experimentally because the rates measured here arose solely from the phase change; without this constraint, the hydride motion was too rapid to measure using methods at our disposal.

## Implications

These results illustrate the strong influence on electronic structure and spin state that can arise from the dynamic nature of hydrides. First, small bridging hydrides may hold two iron centers extremely close together, which leads to orbital mixing and communication between spins on the two sites.<sup>52,53</sup> Second, hydrides can move with little energy cost, as a result of bonding through nondirectional  $1s$  orbitals.<sup>56,57</sup> In the system studied here, the supporting ligands do not need to move, and the hydrides can rotate around the Fe–Fe vector in a way that maintains a rhomboidal  $\text{Fe}_2\text{H}_2$  core while accessing the full range of dihedral angles. Third and most crucially, hydride ligands are strong-field, so small movements can give large changes in d-orbital energies (manifested here as a change in local spin state).

It is interesting to speculate about a connection to recent work on the FeMoco of nitrogenase, in which reduced forms  $E_2$  and  $E_4$  have been shown to have bridging hydride ligands and have accordingly been termed  $E_2(2\text{H})$  and  $E_4(4\text{H})$ .<sup>11–14</sup> In particular, the  $E_4(4\text{H})$  state responds to  $\text{N}_2$  binding by undergoing reductive elimination of  $\text{H}_2$  from these hydrides, which provides an essential driving force to move along the pathway toward ammonia formation.<sup>13</sup> However, research on nitrogenase rarely considers the ligand field that is induced by these hydrides.<sup>14,58–61</sup> We suggest that hydrides on the FeMoco might offer a powerful combination of (a) extreme mobility<sup>56</sup> and (b) ability to strongly modulate the relative energies of iron orbitals (perhaps even changing the iron sites from the high-spin configuration of the resting state to a lower-spin configuration).<sup>59</sup> In both nitrogenase and in future catalytic systems, we suggest that hydrides have the potential to be used as supporting ligands for rapid access to diverse electronic structures and spin, and thus their role may transcend the reactions that hydrides themselves perform.

## Conclusions

In this diiron(II) system, strong interactions between very close hydride-bridged iron sites lead to unusually large ferromagnetic coupling in a model that uses localized spin sites. Rapid motions of the bridging hydride ligands, though, cause changes in the local electronic structure at these two iron sites. Due to variable crystal packing, it is possible to freeze out the motion and to gain unprecedented detail into the spin flipping phenomena. The major changes in ligand-field and magnetic properties from this rapid movement of hydrides suggests that





incorporation of bridging hydrides could be a generally useful method for modulating the electronic structures of metal sites. We attribute this to the uniquely small size, high mobility, and strong ligand field of bridging hydrides. For example, nitrogenases may use bridging hydrides in the FeMoco not only for the previously recognized purposes like reductive elimination of H<sub>2</sub>, but also to bring about rapid ligand-field changes that change spin states of iron sites or facilitate reactions of substrates.

## Data availability

Crystallographic data for the compounds have been deposited at the CCDC, and the deposition codes are in the ESI. Other data for this paper are also in the ESI.†

## Author contributions

K. C. M. and S. F. M. performed the synthesis, NMR, and Mössbauer experiments. S. F. M., B. Q. M., and X. W. performed crystallographic measurements. M. S. F. and E. B. performed and interpreted magnetic measurements. M. T. and S. Y. performed calculations. E. B. and S. Y. modeled the electronic structure including the dynamical features. P. L. H. wrote the paper and supervised the project.

## Conflicts of interest

There are no conflicts to declare.

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## Notes and references

† The shapes of the Mössbauer signals were the same when approaching a given temperature from the warmer or colder direction. Thus the phase change in 1 is fully reversible.

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