

## PAPER

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## Novel cyclen-polyiodide complexes: a reappraisal of I–I covalent and secondary bond limits†

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Supramolecular stabilization of polyiodides and iodine-dense phases is of high interest: this study explores the possibilities offered in this sense by diprotonated cyclen, affording two novel crystal structures. One of them contains at least one peculiar I...I interatomic distance (3.305(1) Å), falling well below the region commonly described by secondary bonding (3.4–3.7 Å) and essentially equal to the accepted limit for covalent bonding (3.30 Å): in other words, according to threshold distance values, we are relatively free to regard this interaction either as a bond or as contact. Lest the flip of a coin decides if we should or should not draw a bond in a polyiodide, statistical insights based on CSD surveys were used to put in perspective literature material and work out a meaningful assignment (as  $I_8^{2-}$ ). In doing so, we address how currently accepted threshold distance values came to be in the first place, their significance, soundness, and shortcomings in describing  $I_8^{2-}$  and its formal fragments ( $I_2$ ,  $I_3^-$ ,  $I_5^-$ ). Discussion of the chemical meaning of the line representing bonding in I–I fragments in similar fringe cases, relating CSD data herein presented with the previous literature, is provided. Available information coincides quite well in supporting the necessity of a revision of broadly accepted threshold distance values.

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## Introduction

In recent times polyiodide chemistry has seen a rise in popularity mostly connected with novel applicative horizons, including solid state conductors,<sup>1</sup> solar cells, batteries,<sup>2–5</sup> ionic liquids,<sup>6–8</sup> and even high-energy iodine dispersing agents as emergency biocidal countermeasures.<sup>9</sup>

Despite such a rise in popularity, and the fact that polyiodide chemistry has been studied for at least two centuries, much basic knowledge is still required for rationalizing such systems. This seems to be mostly due to polyiodides' complex structural chemistry, their multifaceted interaction possibilities (leading to the increase of specialistic jargon, featuring several non-equivalent but vastly overlapping terms) and their sensitiveness to crystallization conditions, leading oftentimes to surprising outcomes in terms of nature and types of possible crystalline phases.<sup>10,11</sup>

In such a panorama we devoted ourselves to the study of polyiodides' (and other polyhalides)<sup>12</sup> interactions with polarized heterocycles (s-tetrazine derivatives,<sup>13</sup> quaternized pyridinium derivatives<sup>14,15</sup>) as well as protonated pyridino-

phanes with systematic structural changes (e.g. successive *N*-methylation,<sup>16</sup> introduction of further substituents into the aromatic ring)<sup>17</sup> and their Cu(II) complexes.<sup>18</sup>

Herein we present two novel polyiodide crystal structures featuring diprotonated cyclen as the cation. Cyclen (1,4,7,10-tetraazacyclododecane, Fig. 1) is regarded as one of the all-time favourite macrocycles in cation coordination chemistry<sup>19</sup> (in all its declinations) and was, to some extent, in need of further exploration about its ability to stabilize polyiodides.<sup>20</sup> In its simplicity, cyclen is not far from the class of cyclophanes, large or small, which have been successfully employed for such purposes.<sup>16,21</sup>

One of the crystal structures herein described is a relatively simple salt, whose structure can be elucidated in a rather consolidated manner. The other, for better or for worse, is not, and its complications arise on the basis of some ambiguous I...I interatomic distances.

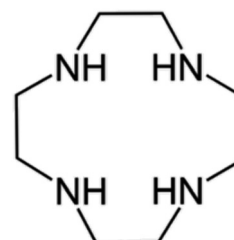


Fig. 1 The cyclen ligand.

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Much has been written about the nature of iodine–iodine intra- and inter-molecular interactions and on how we should tell them apart (*cf.* Are threshold values for the I–I covalent bond distance legitimate? section). Regarding the few relatively undisputed (perhaps by convention, or convenience, or both) certainties, there are a few threshold numerical values. According to the secondary literature, it seems that 3.30 Å should be the most effective cut-off distance to regard two iodine atoms as covalently bonded: this is the so-called Coppens limit (1982).<sup>22</sup>

Beyond reporting the 3.30 Å Coppens limit, the authoritative and influential review by Svensson and Kloo (2003) advocates a “secondary bonding region”, 3.4–3.7 Å, for supramolecular I...I interactions.<sup>10</sup> Not much reference is given about how such boundaries were determined. Both a sharp 3.30 Å threshold distance as well as a clean-cut 3.4–3.7 Å region may appear to be merely broadly defined. Yet both continue to find vast application when polyiodide-based structures need to be discussed.

As a result of this *status quo*, the interesting 3.30–3.4 Å region is somewhat neglected, and appears to find itself in a weird “don’t ask, don’t tell” situation: not quite covalent, not yet supramolecular. The same could be said, to some extent, of the distance region that extends beyond 3.7 Å up to the I...I van der Waals contact distance (roughly 4 Å).

What should we write when we are faced with an I–I interatomic distance of exactly 3.30 Å (namely 3.305(1) Å in our case)? As we shall see together, our second structure contains polyiodides that can be regarded as an  $[I_3^- \cdot I_2 \cdot I_3^-]$  complex, an  $[I_3^- \cdot I_5^-]$  one or as a molecular  $I_8^{2-}$  species.

In the following we will try to provide a meaningful way to tell these possibilities apart, which we will attempt at doing with a statistical analysis of reported  $I_8^{2-}$  and of polyiodides which are its formal fragments. The possibility of a more inclusive rationalization of asymmetrical  $I_8^{2-}$  anions, and of superior polyiodides in general, emerges, pointing out that a revision of commonly accepted threshold values might be needed.

## Experimental section

Crystals of  $[(H_2Cyclen) \cdot (I) \cdot (I_3)]$  (**1**) and  $[(H_2Cyclen)_2 \cdot (I_5) \cdot (I_3)_3 \cdot (I_2)]$  (**2**) have been obtained in the same diffusion crystallization experiment. Cyclen (10 mg) and a 1 : 1  $I_2/I^-$  mixture (5 eqs of  $I_3^-$  with respect to the ligand) were put inside an H-shaped tube. MilliQ-grade  $H_2O$  was carefully layered over solids on both sides and used to fill the tube so that the two solutions came in contact. Black crystals of **2** started forming after about one week on the originally iodine-rich side. After three weeks the solution appeared homogeneous and reddish-brown crystals of **1** also formed on the ligand-rich side.

Crystals of **1** and **2** were used for single-crystal X-ray diffraction analysis by using a Bruker APEX-II CCD diffractometer. The integrated intensities were corrected for Lorentz and polarization effects and an empirical absorption correction

was applied.<sup>23</sup> The structures were solved by SHELXS-97.<sup>24</sup> Refinements were performed by means of full-matrix least-squares using SHELXL Version 2014/7.<sup>24</sup> All non-hydrogen atoms were anisotropically refined. In **1** a riding model was used for all hydrogen atoms linked to carbon atoms, while all amino and one of the ammonium hydrogens were localized in the  $\Delta F$  map, and their coordinates were freely refined, while the isotropic displacement parameters were constrained to have an equal value. In **2** the nitrogen linked hydrogens were not localized in the  $\Delta F$  map and not introduced in the calculation.

Mercury<sup>25</sup> and UCSF Chimera<sup>26</sup> software were employed for the visual inspection and presentation of data.

Hirshfeld surface analysis was performed with CrystalExplorer.<sup>27</sup>

CCDC Conquest<sup>28</sup> was used to retrieve data from CSD.<sup>29</sup> Information on used datasets and their generation is specified through the text (further details in a dedicated section of the ESI†).

The Raman spectrum of **2** was recorded with a Bruker MultiRAM FT-Raman spectrometer equipped with a Nd-YAG laser emitting at 1064 nm as the excitation source. The spectra were recorded for the pure compound, and pressed in solid pellets, with 4  $cm^{-1}$  slits and 5 mW power, acquiring 1000 scans.

## Results and discussion

### Crystal structural description

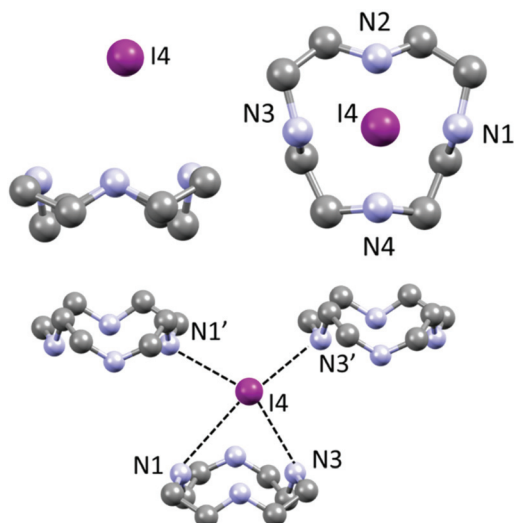
$[(H_2Cyclen) \cdot (I) \cdot (I_3)]$  (**1**). The structure can be qualitatively described as composed of  $(H_2Cyclen \cdot I)^+$  complexes, where the N1 atom is certainly protonated. The opposite N3 atom is the second ammonium group, as can be inferred by the N...N interatomic distance. Protonation of non-contiguous nitrogen atoms in small macrocycles is an expected result due to charge–charge repulsion. The iodide anion is found hovering over the macrocycle in a slightly off-centred position with respect to the macrocycle centroid, interacting with the two ammonium groups (I4...N1 4.030(3) and I4...N3 3.646(3) Å *cf.* Table S2† – only donor...acceptor distances reported for uniformity purposes), Fig. 2.

Each iodide anion is surrounded by a total of three macrocycles, one ligand as said plus two neighbouring ones interacting with NH...I hydrogen bonds pointing away from the centre of each macrocycle (I4...N1' 3.443(3) Å and I4...N3' 3.544(3) Å, *cf.* Table S2†). Such contacts are among the shortest in the crystal.

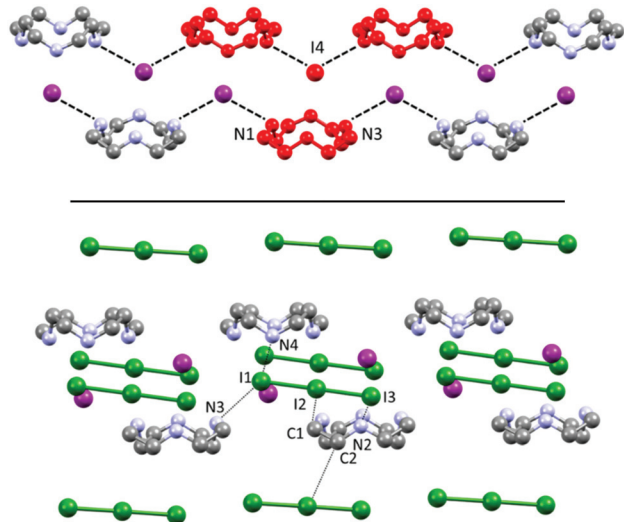
Each  $(H_2Cyclen \cdot I)^+$  subunit is connected to the others by such hydrogen bonds, creating H-bonded ribbons propagating along the *a* crystallographic direction (Fig. 3). Such ribbons neutralize their charge by surrounding themselves with triiodide anions, mainly interacting through NH...I hydrogen bonds and some weak CH...I contacts (Table S2†).

Overall, there are no I...I contacts within the sum of the van der Waals radii (shortest I–I distance >4.2 Å) and  $I^-$  and  $I_3^-$  anions can in this case be completely regarded as isolated and





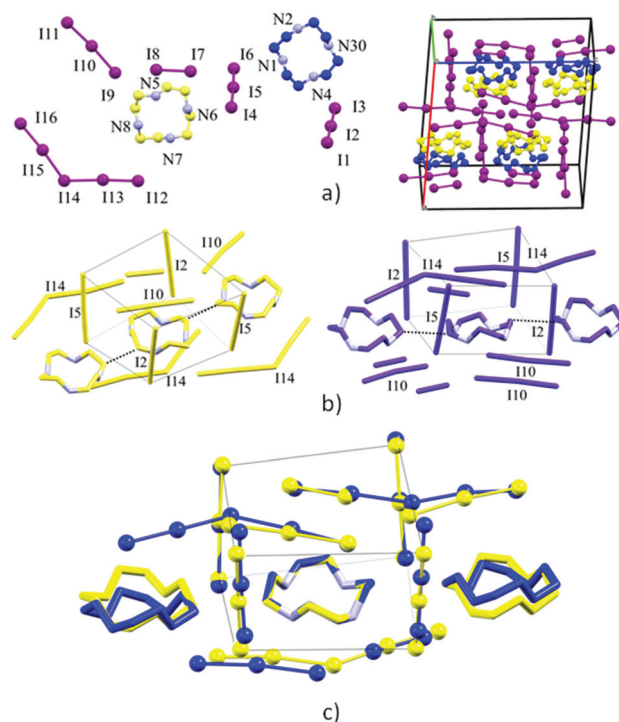
**Fig. 2** Fundamental interaction of each iodide anion with  $\text{H}_2\text{Cyclen}^{2+}$  in **1**. Actual shorter hydrogen bonds are found between  $\text{I}^-$  and a total of 3 surrounding protonated macrocycles, subtending to the formation of H-bonded ribbons – lateral (top left) and top (top right) views of a single  $(\text{H}_2\text{Cyclen-I})^+$  complex; lateral view of the iodide anion surrounded by the three macrocycles interacting with  $\text{NH}\cdots\text{I}$  hydrogen bonds (bottom).



**Fig. 3** Top: Visualization of H-bonded  $(\text{H}_2\text{Cyclen-I})_n^{n+}$  polycationic ribbons, repeating unit (red), as discussed in Fig. 2. Bottom: Their interaction with  $\text{I}_3^-$  counteranions surrounding and spacing such ribbons.

non-interacting.  $\text{I}_3^-$  is found to be almost symmetric without significant deviation from linearity (Table S3,† I1–I2–I3 angle  $179.46(1)^\circ$ ).

$[(\text{H}_2\text{Cyclen})_2 \cdot (\text{I}_5) \cdot (\text{I}_3)_3 \cdot (\text{I}_2)]$  (**2**). As mentioned above, this crystal structure is more complex, with two non-symmetry related ligands interacting with several polyiodides, which, applying the so called Coppen's limit, can be rationalized as a penta-iodide, two triiodides and an iodine molecule. A view of the asymmetric unit and global packing is given in Fig. 4a.



**Fig. 4** Overview of the structure of **2**. (a) Left: Asymmetric unit content and labelling. The two non-equivalent macrocycles are depicted in yellow and blue for simplicity. Right: Overview of cell content and organization in rows of macrocycles of matching colour surrounded by polyiodides. (b) Molecular shells of yellow and blue macrocycles; all atoms are colour coded accordingly. (c) Views of overall superposition of the yellow/blue macrocycles and of their surroundings. The yellow triiodide box shown as in (b) to aid spatial visualization.

If a classic crystal description based on the strongest interactions is attempted, the two most significant (shortest) contacts involve the  $\text{I}_3^- \cdots \text{I}_2 \cdots \text{I}_3^-$  complex mentioned in the introduction, which features distances of  $3.305(1)$  ( $\text{I9}\cdots\text{I8}$ ) and  $3.483(1)$  Å ( $\text{I7}\cdots\text{I6}$ ) (Table S3†). The  $\text{N}\cdots\text{I}$  contacts are quite long ( $3.50(1)$ – $4.03(1)$  Å, average  $3.8 \pm 0.2$  Å), with the notable exception of  $\text{N4}\cdots\text{I3}$  ( $3.50(1)$  Å – Table S3†). Ligand–anion interactions are mostly of the van der Waals type, showing little inherent directionality: they are similar in nature to what is observed in **1**, although the interactions are somewhat less strong and directional in **2**, as it can be expected in terms of anion charge density moving to  $\text{I}^-$  to superior polyiodides. Many  $\text{CH}\cdots\text{I}$  contacts (Table S3†) are also found. A scant tendency to give  $\text{NH}\cdots\text{I}$  H-bonds and rather to share the protons among different N atoms, has been previously observed also for azacyclophanes, especially if small, and especially for superior polyiodides (where the charge localization is scarce).<sup>16,21</sup> Polyiodides are also in contact among themselves with interactions shorter than the sum of van der Waals radii (e.g.  $\text{I1}\cdots\text{I12}$   $3.831(1)$  Å,  $\text{I16}\cdots\text{I4}$   $3.856(1)$  Å, plus several longer contacts, cf. Table S3†). The  $\text{I1-I12-I1'-I12'}$  and  $\text{I6-I7-I6'-I7'}$  fragments engage in long mutual interaction in the shape of a square (Fig. S1†). While the  $\text{I1-I12}$  contacts are almost equally long and in the range of the van der Waals contact distance



(3.831(1) and 3.945(1) Å), in the case of I6...I7 contacts there is a significant difference (short contact 3.483(1) Å, long contact 3.901(1) Å – cf. Table S3†). We have previously reported similar packing features for networks composed of non-symmetry equivalent  $I_7^-$  anions.<sup>18</sup>

The two non-symmetry related ligands (blue and yellow in the following, Fig. 4) find themselves in quite similar environments, as depicted in Fig. 4b. They are essentially located in boxes (hinted in Fig. 4b) formed by I1–I2–I3 and I4–I5–I6 triiodides (and their symmetry-related pairs). Above or under the average macrocycle plane, either I12–I13–I14–I15–I16 pentaiodide or I9–I10–I11 triiodide plus I7–I8 diiodine are found (Fig. 4b), spacing out the cations.

Macrocycles are organized in rows (blue with blue, yellow with yellow) along the *c* direction possessing similar macrocycle-macrocycle distances, but a slightly different angle (yellow, C12...C16 3.56(2) Å, 3 centroids angle 177.36°; blue, C1...C5 3.59(2) Å, 3 centroids angle 172.06°) (Fig. 4a and b).

Quite expectedly, the individual blue/yellow macrocycles can be successfully superimposed (12 atom superimposition, RMS 0.0363 Å).

Fig. 4c shows the views of the superimposed blue/yellow macrocycles and the relative position of their surroundings (first neighbours). The triiodides constituting boxes around the ligands (I1–I2–I3 and I4–I5–I6, a total of 4 pairs, Fig. 4b and c) are strongly correlated in terms of their respective interactions with yellow or blue macrocycles. The relative positions of the anions in each pair are very similar, and only slightly tilted relative to each other (the axis of I1–I2–I3  $I_3^-$  to average plane of blue macrocycle, 72.3°, axis of I6–I5–I4  $I_3^-$  to average plane of blue macrocycle, 70.6°).

The biggest source of discrepancy in the ligand surroundings seems to be due to the presence of different iodine species ( $I_5^-$  or  $I_3^-$  and  $I_2$ ) (Fig. 4), which nevertheless show matching structural features, with closely related positions, at the very least, for the atoms forming  $I_5^-$  and  $I_3^-/I_2$ .

Hirshfeld surfaces, and specifically fingerprint plots, were employed as tools to visualize and perhaps quantify the concept of structural similarity.<sup>30–32</sup> In this sense they are a valuable tool to try to trace back the structural differences among the two non-equivalent macrocycles found in this crystal, which we successfully used in several instances for such a purpose.<sup>15,16,33</sup> In fingerprint plots the contact distance is broken down into  $d_i$  and  $d_e$  components, *i.e.* point by point distances from the considered Hirshfeld surface to the closest atom inside or outside it.

Without forgetting that in compound 2 no amino or ammonium hydrogen was introduced in the crystal structure refinement, the resulting Hirshfeld surfaces of both blue and yellow macrocycles are composed of an H...I component (60.0% and 60.2% of total surface) (top big tip feature in fingerprint plots, Fig. 5a and b), a broad H...H component (24.1% and 23.8%) (bottom tip, Fig. 5a and b) and an N...I component (15.8% and 16.0%) (middle tip feature in Fig. 5a and b). At the same time, the commonplace H...H contacts show a tip-like feature as well because, as discussed above,

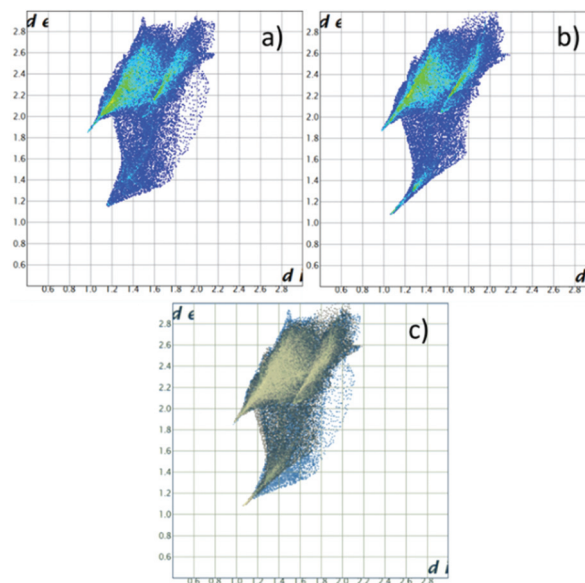


Fig. 5 Fingerprint plot for  $H_2Cyclen^{2+}$ . (a) Blue macrocycle in 2; (b) yellow macrocycle in 2; (c) superposition of (a) and (b) (in blue and yellow respectively).

there are ligand–ligand contacts along the *c* direction (C12...C16 3.56(2) Å and C1...C5 3.59(2) Å for the yellow and blue macrocycles respectively, cf. Fig. 4b and Table S3†). As a matter of fact, the situation for the two macrocycles is hardly distinguishable (as confirmed by the superimposition of the two plots proposed in Fig. 5c).

Notably, applying the same treatment to the  $I_3^- \cdots I_2 \cdots I_3^-$  complex (i.e. I4–I5–I6...I7–I8...I9–I10–I11, Fig. 4) and to its closely related  $I_5^- \cdots I_3^-$  complex counterpart (i.e. I16–I15–I14–I13–I12...I1–I2–I3, Fig. 4), the Hirshfeld surfaces of such species appear almost identical, together with their fingerprint plots (Fig. 6). This curious finding tempted us to discuss such polyiodides in more detail. In order to do so, we are forced to question how and if we should discriminate the two systems as  $I_3^- \cdots I_2 \cdots I_3^-$  and  $I_5^- \cdots I_3^-$ , or if we could rather find more

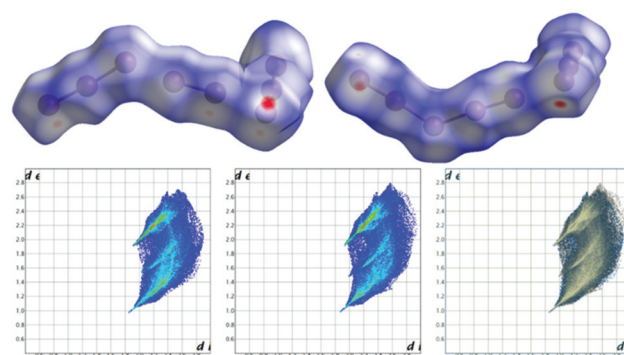


Fig. 6 Top: Views of Hirshfeld surfaces of the formal  $I_3^- \cdots I_2 \cdots I_3^-$  (left) and formal  $I_5^- \cdots I_3^-$  (right) complexes in 2. Bottom: Fingerprint plots of formal  $I_3^- \cdots I_2 \cdots I_3^-$  (a) and formal  $I_5^- \cdots I_3^-$  (b), together with their superposition (c).





fitting descriptions for them, perhaps one encompassing both situations. In this sense, the first barrier to overcome is cut-off distances of the I–I primary (covalent) bonds (3.30 Å) and secondary bonds (3.4–3.7 Å),<sup>10,22</sup> as arbitrary limits are hardly compatible with further discussion. This issue brings us to the next section.

### Are threshold values for the I–I covalent bond distance legitimate?

In a sense, yes: there most likely are some threshold distance values.

The questions are rather: do we know them? Do they coincide with currently accepted values?

This is where, we believe, there is room for discussion.

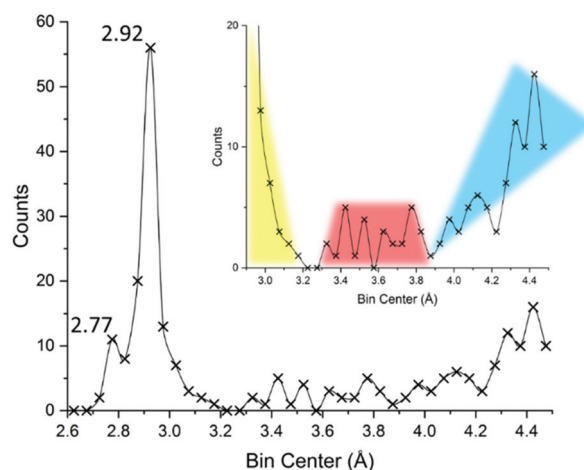
The first bit of information required for such debate is that, as appealing and convenient as it might sound, no universal set-in-stone cut-off distance might exist, especially if we intend to apply it to a plethora of polyiodides, different in nature among themselves (hybridization, electronic structure, *etc.*).

The 3.30 Å Coppens limit is extremely convenient, especially for rationalization and structural description purposes; yet such a value was merely devised as a likely limit, with the open objectives to keep polyiodides within the framework of mere simple building blocks and avoiding the necessity to describe certain peculiar cases as polymeric iodine chains.<sup>10,22</sup> The first goal might still appeal in terms of broad rationalization of such species. However, while only  $\text{I}^-$ ,  $\text{I}_2$ ,  $\text{I}_3^-$  and  $\text{I}_5^-$  would survive according to Coppens (and 1980s data) if such a limit is used,<sup>22</sup> reports of further polyiodides with bond lengths within 3.30 Å should now comprise other species as well, like *e.g.*  $\text{I}_4^{2-}$  and some  $\text{I}_8^{2-}$  (see below), reducing the strict significance of the said bond length threshold. Moreover, as nowadays some interesting polyiodide polymers are indeed reported, like the recently described  $\text{I}_\infty^{\delta-}$  (which displays I–I alternating distances all below the Coppens limit),<sup>34</sup> there is no necessity to aprioristically refute polyiodide polymers anymore. These conceptual issues prompt verification of the 3.30 Å threshold against the contemporary dataset, as the available data were greatly expanded in the last 40 years.

In an effort to simultaneously introduce our methods and understand how the 3.30 Å limit came to be in the first place, we re-drew an I...I interaction distance (covalent or supramolecular) CSD<sup>29</sup> survey limiting the dataset at the structure deposited before 1983, in order to look at the same picture Coppens might have looked at when formulating such a limit: the results are displayed in Fig. 7.

Even before delving into further statistics, the reader will recognize the familiar 2.77 and 2.92 Å distances typical of  $\text{I}_2$  and  $\text{I}_3^-$  fragments (*vide infra*). These peaks are separated by a valley, suggesting indeed that iodine-based systems contain one, the other, or both structural units, limiting any possibility of merging or other ambiguous situations.

The 3.30 Å limit effectively discriminates the end of the bell profile due to covalent bonds in triiodide (yellow in Fig. 7) and the beginning, at 3.4 Å, of the curve due to secondary bonds



**Fig. 7** Reconstruction of the available literature material at the end of 1982, year of publication of ref. 22. Up to 4.5 Å a total of 235 unique I...I distances (intra- and inter-molecular) were reported. Bins of 0.05 Å were used for describing the distance distributions. The inset attempts at representing currently accepted interpretation, with primary (covalent), secondary, and long (van der Waals and/or aspecific) distance regions highlighted in yellow, red, and cyan, respectively. Further details in the ESI.†

(red in Fig. 7). As such it appeared as a meaningful threshold value in the early '80s.

While conceptually developed by Bent<sup>35</sup> and Alcock<sup>36</sup> between the end of the '60s and the beginning of the '70s, the term “secondary bonding”, once formally referring to a certain type of interaction and spanning good portions of the periodic table, nowadays survives by extension mostly to indicate those interactions we seem to be hardly able to define in iodine systems, *i.e.* it coincides with the said 3.4–3.7 Å I...I contact range.<sup>10</sup> In other words, the once chemically meaningful “secondary bonding”, became a mere, and quite generic, range of contact distances. At the same time the “conceptual space” left void by the disappearance of the secondary bond theory was soon occupied by the sigma-hole<sup>37</sup> and halogen bond<sup>38</sup> nomenclature, not without some lexicon difficulties.<sup>11</sup>

The secondary bond appears to be well-defined in Fig. 7 (red), being located between the sudden increase in contacts at around 3.4 Å and concluded before 3.8 Å, beyond which a minimum and then a progressive increase in contacts are found (suggesting the loss of specificity as we move towards distances greater than twice the I van der Waals radius,  $I = 2.04 \text{ Å}$ ,<sup>39</sup> cyan Fig. 7).

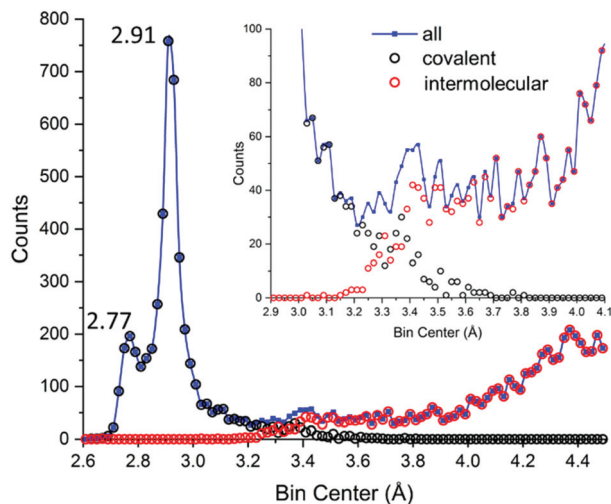
Let us now look at the contemporary data, reported in Fig. 8 both as generic I...I distances (covalent and inter-molecular, blue) and separated in its components as results from CSD (black and red for covalent and intermolecular distances, respectively).

We might start noticing several things.

(i) The dataset size is vastly different (there is 40 times as much data available now compared to before 1983);

(ii) It is possible to obtain plots with a significantly better resolution, which allows the appreciation of finer details and





**Fig. 8** Actual data for polyiodide I–I distances in the CSD.<sup>29</sup> Blue: All I...I distances (covalent and intermolecular). Black: I–I covalent bonds. Red: I...I intermolecular contacts. The inset shows how well reduced covalent/intermolecular datasets account for global data, with focus on the 3.1–3.7 Å region. Up to 4.5 Å, a total of 9560 unique distances are reported. Bins of 0.02 Å have been used.

more accurate evaluation of the characteristic distances (*vide infra*);

(iii) I–I covalent bonds in CSD extend in the long-distance range up to 3.4–3.6 Å;

(iv) I...I supramolecular interactions in CSD do not subside completely in the low-distance range until 3.2–3.1 Å;

(v) The 3.4–3.7 Å range hardly shows any appreciable specific behaviour;

(vi) Distances in the 3.3–3.4 Å range show almost equal probability of having been assigned to covalent bonds or supramolecular interactions;

(vii) Hardly any break is found between the bell profile associated with formal  $I_3^-$  (covalent), featuring a long tail, and secondary bonding region;

(viii) The distribution is heavily-biased towards  $I_2$  and  $I_3^-$ , as these fragments are encountered in even the most complicated molecular polyiodides.

A little comfort on such statistical data arises from several reports: over the years it was popular to address the matter by computational studies on the prototypical  $I_3^-$  anion or on the  $I_2 + I^-$  reaction energy profile.

Slater<sup>40</sup> used an  $H_3$  model for linear 3-atomic molecules in order to explain the deviation of triiodide from linearity observed by Mooney-Slater<sup>41</sup> in some of the earliest reports of polyiodide crystal structures: the beginning of covalency was thought to be  $>3.5$  Å (on a 5 crystal structure dataset). Svensson and Kloo, who in their 2003 review indicate the 3.30 and 3.4–3.7 Å common limits, have addressed together with Rosdahl the issue of secondary bonding.<sup>42</sup> They concluded that the covalency alongside dispersion interactions is a good model, and that the orbital overlap for polyiodides might start at about 5 Å, offering a stabilizing contribution that limits

charge–charge repulsive effects. In more recent times, when the name of such interactions already drifted to sigma hole-bonding,<sup>11</sup> Mealli and co-workers computationally investigated the basic building blocks of polyiodides ( $I^-$ ,  $I_2$ ,  $I_3^-$ ,  $I_4^{2-}$ ), finding significant sigma electron sharing and scant evidence of sigma holes,<sup>43</sup> signifying that the interaction in such systems cannot be purely electrostatic as a sigma hole model would suggest (limitations of the pure electrostatic model were already demonstrated in early seminal work on polyiodides such as those of Wiebenga *et al.* in the '60s).<sup>44,45</sup> For the transition between an  $I_2 \cdots I^-$  system and a fully symmetric  $I_3^-$  anion, a pseudo-plateau energy profile was found.<sup>43</sup> By investigating chalcogen and halogen bonds (please mind how the wording of such interactions evolved again!),<sup>11</sup> Lippolis and co-workers reported bonding analysis for homo- and heterotrihalides.<sup>46–48</sup> Regarding triiodide,<sup>48</sup> they found that the transition from covalency to supramolecular interaction is almost smooth. This is mirrored also by the observation of the  $I_3^-$  structure–energy relationship as pioneered by Bürgi.<sup>49</sup> Alcock himself, while proposing secondary bonding as a theory, noted that orbital diffuseness is the first step towards that kind of electron delocalization that finds its fullness only in metallic bonding.<sup>36</sup>

It is also clear that crystallographers, on a case-by-case level, have disregarded the Coppens limit on several occasions, hence our ability to retrieve I–I covalent bonds in the CSD longer than 3.30 Å. In some instances, the *in silico* assessment of the nature of long bonds ensued.<sup>50</sup> This testifies that part of the community perceived the limitation of an arbitrary threshold.

The matter has also been discussed through a Raman spectroscopy approach,<sup>51,52</sup> a notoriously relevant technique for polyiodide characterization.<sup>10</sup> I–I bonds longer than 3.30 Å still influence the spectra and are generally rationalized as donor acceptor complexes (with various degrees of strength) among  $I_3^-$  and  $I_2$ , formal and well-characterized components. Regarding this assignment, some advocate for strict global reduction of polyiodides to  $I_2$  and  $I_3^-$  (together with  $I^-$ ) basic fragments;<sup>51</sup> and others discuss simple model examples (up to  $I_5^-$  or  $I_7^-$ ), and then suggest that, although elucidation can be attempted (especially if paired with structural data), superior polyiodides can be rationalized similarly, even though the spectral features are expected to become increasingly hard to assign.<sup>10</sup>

To some extent, also UV-Vis evidence has been put forth, showing broadening and/or appearances of shoulder peaks in superior polyiodides with respect to mere  $I^-$ ,  $I_2$  and  $I_3^-$  building blocks.<sup>10</sup>

According to the above results, we believe that there is more than enough statistical and theoretical ground to question, at the very least, commonly accepted cut-off distances for polyiodides, if not even the existence of general-purpose unique threshold values.

While analogous situations can be envisaged for other elements showing the tendency for catenation and formation of 3c–4e bonds (notably Br), I is probably the most in need of attention owing to its polarizability and high atomic number.



## Covalent bonds in $I_8^{2-}$ and its formal components: a statistical CSD survey

**Iodine,  $I_2$ .** The I–I bond distance in  $I_2$  is 2.715 Å at 110 K.<sup>10</sup> Such a measurement might be influenced by other interactions in the crystal (namely the 3.496 Å within layers contact distance). General statistics reported above in Fig. 8 suggest 2.76(8) Å as the peak value (*cf.* Table 1). As this value is in excellent agreement with the I–I bond distance in  $I_2(s)$ , we will take 2.76(8) Å as the reference value in the following.

**Triiodide,  $I_3^-$ .** The I–I bond length in  $I_3^-$  is displayed in Fig. 9a. As discussed elsewhere<sup>11</sup> it is best fitted with a Lorentzian curve centred at 2.9179(1) Å and possessing a full width at half maximum (FWHM) of 0.0436(3) Å ( $R^2 = 0.997$ ,  $\chi^2 = 13.27$ ). The mutual dependency of  $I_3^-$  internal distances and the possibility of formal  $[I_2 \cdot I^-]$  asymmetric triiodides are well known.<sup>10,11</sup> A tentative dissection of overall data into symmetrical and asymmetrical  $I_3^-$  has been done on the basis of the abovementioned FWHM, *i.e.* assuming symmetrical all triiodides displaying bond distance differences up to 0.044 Å. With this approach, both symmetrical triiodides (1 peak) and asymmetrical ones (2 peaks), return to familiar Gaussian profiles (inset Fig. 9a). Parameters are as follows: symmetrical  $I_3^-$ : centred at 2.9186(1) Å, FWHM 0.0362(2) Å,  $R^2 = 0.999$ ,  $\chi^2 = 17.29$ ; asymmetrical  $I_3^-$ : peak 1, centred at 2.8775(6) Å, FWHM 0.048(2); peak 2: 2.9657(9) Å, FWHM, 0.059(2);  $R^2 = 0.942$ ,  $\chi^2 = 23.42$ . The area ratio for the two peaks of asymmetrical  $I_3^-$  is about 1 (1.0(1)), as it should be, while the global counts are in a 1.6:1 ratio in favour of symmetrical  $I_3^-$ , in line with the anion intrinsic preference for such a geometry.

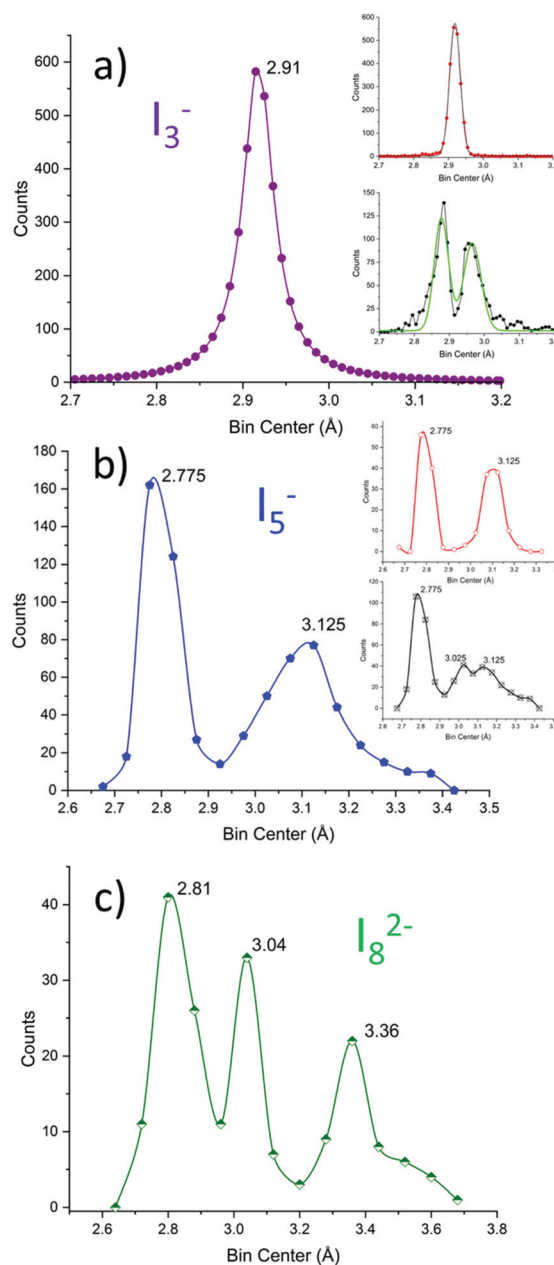
We remind the reader also that the global length of triiodides can vary.<sup>10,11</sup> On average the  $I_3^-$  length is 5.84(9) Å, *i.e.* for most triiodides,  $\approx 68\%$  or  $\approx 95\%$  if  $\sigma$  or  $2\sigma$  thresholds are considered; the allowance on the total length is observed in the 1.6–3.0% range. This notion will be instrumental in the following.

**Pentaiodide,  $I_5^-$ .** The pentaoidide I–I bond length distribution is shown in Fig. 9b.

**Table 1** Numerical results of statistical analysis on polyiodides. The table reports significant ranges as average (FWHM) values (in Å) for the above-discussed polyiodides divided among contacts between recognizable formal  $I_2$ ,  $I^-$  and  $I_3^-$  units

Species (subtype)	Formal bond type			
	I–I in $I_2$	I–I in $I_3^-$	$I^-I_2$	$I_3^-I_2$
$I_2$	2.76(8)			
$I_3^-$ (global)		2.92(4)		
$I_3^-$ (symmetric)		2.92(4)		
$I_3^-$ (asymmetric)	2.88(5)		2.97(6)	
$I_5^-$ (V-shaped)	2.78(9)		3.1(1)	
$I_5^-$ (L-shaped)	2.8(1)	3.0(1) <sup>a</sup>		3.1(2) <sup>a</sup>
$I_8^{2-}$	2.8(2)	3.0(1)		3.4(1)

<sup>a</sup> Evaluated as 2-HWHM due to broadness and convolution with neighbouring peaks.



**Fig. 9** I–I bond length distribution in (a)  $I_3^-$  (violet), (b)  $I_5^-$  (blue), and (c)  $I_8^{2-}$  (green) represented with bins of 0.01, 0.05 and 0.08 Å, respectively. The dataset for  $I_3^-$  and  $I_5^-$  taken from ref. 11. The dataset for  $I_8^{2-}$  is reported in the dedicated section of the ESI.† The inset in (a) represents symmetrical (red) and asymmetrical (black) triiodides; Gaussian fittings are shown in black and green, respectively. The inset in (b) represents V-shaped (symmetrical, red) and L-shaped (asymmetrical, black) pentaoidides.

It is immediately observed that the distribution is more complicated than in the above discussed simple case.

Pentaoidide is generally conceptually broken down into an  $[I^-(I_2)_2]$  complex (also known as symmetrical or V-shaped pentaoidide) or an  $[I_3^-(I_2)]$  complex (also known as asymmetrical or L-shaped pentaoidide).<sup>10</sup> These categories have been applied to the above graph: pentaoidides were classified as V-shaped if



both the difference of proximal I–I distances and the difference of distal I–I distances are below 0.05 Å (comparable with FWHM of  $I_3^-$ , cf. above). The procedure results in the red (V-shaped) and black (L-shaped) are shown in the insets in Fig. 9b.

V-Shaped symmetrical pentaiodides show only two maxima: 2.78(9) (formal  $I_2$ ) and 3.1(1) ( $I^-$ – $I_2$  bond) in a 1 : 1 peak area ratio. L-Shaped pentaiodides instead show 3 peaks: 2.7(1) (formal  $I_2$ ), 3.02(15) (formal  $I_3^-$ ) and 3.1(2) ( $I_3^-$ – $I_2$  bond).

**Octaiodide,  $I_8^{2-}$ .** Differently from polyiodides that show isomerism issues,  $I_8^{2-}$  can be almost unambiguously pictured as a formal  $[I_3^- \cdot I_2 \cdot I_3^-]$  complex. The data displayed in Fig. 9c reflect just this. We have an expected formal  $I_2$  feature (2.8(2) Å, notice how the value is larger than for anions of the  $I_{2n+1}^-$  series), a peak corresponding to  $I_3^-$  (3.0(1) Å, again larger than that in isolated  $I_3^-$ ) and a long-range maximum, formally corresponding to the  $I_3^-$ – $I_2$  bond length, at 3.4(1) Å.

### Summary of statistical evidence

The average bond length data are reported for the examined polyiodides in Table 1

Data show the following:

- $I_2$ ,  $I_3^-$  and longer components (associated with formal  $I^-$ – $I_2$  or  $I_3^-$ – $I_2$  bonds) can be individuated for all model polyiodides;
- Superior polyiodides ( $I_n^{m-}$  with  $n > 3$ ) show at least one characteristic I–I bond above 3.1 Å;
- The 3.1–3.3 Å region is minimally populated in the global statistic (Fig. 8) and is essentially not populated in the data pool contemporary to Coppens' work<sup>22</sup> (Fig. 7); as all superior polyiodides ( $I_n^{m-}$  with  $n > 3$ ) contribute to it (point ii), we can assume that most contemporary I–I bonds in such a range are indeed due to superior polyiodides;
- Even peaks associated with  $I_2$  and  $I_3^-$  formal fragments show variability, demonstrating how the exact structural situation of each type of polyiodide affects the I–I bond even of model fragments.

For what we are concerned, *i.e.* for the implications of statistical evidence about the molecular nature of  $I_8^{2-}$ , we note the following. As anticipated, it must be acknowledged that one of the main conceptual pillars of the 3.30 Å cut-off distance, *i.e.* that with such a choice all known structures could be reduced to  $I^-$ ,  $I_2$ ,  $I_3^-$  or  $I_5^-$ ,<sup>22</sup> does not fully hold for modern data, as further polymeric or molecular polyiodides (*e.g.*  $I_4^{2-}$ , cf. ref. 10, and  $I_8^{2-}$ , cf. above) show bond lengths within such a limit. This simple observation is especially noteworthy in a field historically torn between a reductionist approach based merely on  $I^-$ ,  $I_2$  and  $I_3^-$  building blocks (and even triiodide had to struggle to be considered as a molecular species in the past),<sup>53</sup> and claims of superior complexity not fully supported by data (cf. critical reviews of certain questionable superior polyiodides reported in ref. 10).

In the second instance, the observed 3.4(1) Å length for the long formal  $I_3^- \cdots I_2$  bond in  $I_8^{2-}$  still falls within a region ascribed to bonding interactions by a series of further reports.

In the rare accounts of  $I_9^-$  anions, the long bond length is in the 3.24–3.46 Å region, according to the cases reported in ref. 10, *i.e.* comparable to the  $I_8^{2-}$  data. Svensson and Kloos in their prominent review<sup>10</sup> describe  $I_{10}^{2-}$  as an  $I_5^-$  dimer, with the long bond connecting such units of 3.44 Å, *i.e.* again in line with the  $I_8^{2-}$  data. Anions of the  $I_{2n+3}^{3-}$  series have been seldomly reported, especially when small. To the best of our knowledge the smallest member of such a family is  $I_7^{3-}$ , which contains the bare minimum I atoms to bridge formal  $I^-$  anionic sites with formal  $I_2$  molecules (charge–charge repulsion is significant). In the exemplificative (HMTAHD<sup>3+</sup>· $I_7^{3-}$ ) case reported by Metrangolo, Resnati and co-workers, the  $I_2$  fragments, displaying a 2.81 Å interatomic distance, are found at 3.43 Å from central  $I^-$  and 3.39 Å from terminal  $I^-$ .<sup>54</sup> As a further indication, calculations of the I–I bond length in the  $I_2^-$  radical (bond order 0.5, *i.e.* not negligible), placed its bond length at around 3.3 Å (depending on the basis set and level of theory).<sup>55</sup> Moreover, crystalline  $I_2$  (intra-layer distance 3.496 Å and 3.972 Å, inter-layer distance 4.269)<sup>10</sup> metallizes at room temperature at around 16 GPa while still in its molecular form, with all intermolecular distances being >3.5 Å.<sup>56</sup> Dissociation of  $I_2$  molecules to give a classic metallic phase occurs at around 21 GPa at room temperature, with relatively little volume change (4%), with interatomic distances still beyond 3.30 Å (3.362 Å measured at 30 GPa).<sup>57</sup> These findings suggest the possibility of interaction beyond pure electrostatics at distances greater than 3.30 Å (to be fair, most data are successive to Coppens work and to secondary bonding original definition). Everything seems to coincide well with reports asserting the existence of diffuse orbitals<sup>42</sup> and a pseudo-plateau behaviour of the potential energy surface in moving from a distorted electrostatic complex to a fully symmetrical polyiodide for the prototypical  $I_2 + I^- = I_3^-$  reaction.<sup>43,48</sup>

In other words, there is evidence for the meaningful and covalent nature of the I–I bonds in the 3.3–3.5 Å range for the selected systems: this includes  $I_8^{2-}$ .

### Assignment of polyiodides contained in 2 and secondary bonding considerations

The crystal structure of 2, evaluated with a 3.30 Å limit on the I–I bond lengths, contains 3 different triiodides, 1 pentaiodide and an iodine molecule.

A first triiodide (I1–I2–I3, Fig. 4) shows bond lengths typical of  $I_3^-$  (2.959(1) and 2.860(1) Å, cf. Table S3†) and long intermolecular contacts close to the van der Waals limit ( $I3 \cdots I11$ ,  $I2 \cdots I16$ ,  $I1 \cdots I12$  and  $I1 \cdots I12'$  3.878(1), 3.891(1), 3.831(1) and 3.945(1) Å, respectively, cf. Table S3†), hence it is easily assigned as a typical  $I_3^-$ .

Pentaiodide (I12–I13–I14–I15–I16, Fig. 4) is also classic in terms of bond lengths (in the range 2.793(1)–3.133(1) Å, contacts with neighbouring  $I_3^-$  from 3.831(1) to 3.945(1) Å, cf. Table S3†).

The two remaining  $I_3^-$  and the  $I_2$  molecule (Fig. 4) are strongly interacting (3.305(1), 3.483(1) Å, Table S3†), hence we should decide if they should be regarded as an  $I_3^- \cdot I_2 \cdot I_3^-$  complex, an  $I_5^- \cdot I_3^-$  complex (two possibilities) or as an  $I_8^{2-}$  anion.





As displayed in Fig. 10, the most satisfactory interpretation would be that of  $I_8^{2-}$ , where the observed I–I distances would fall shortly below and after the statistical probability peak centred at 3.4 Å.

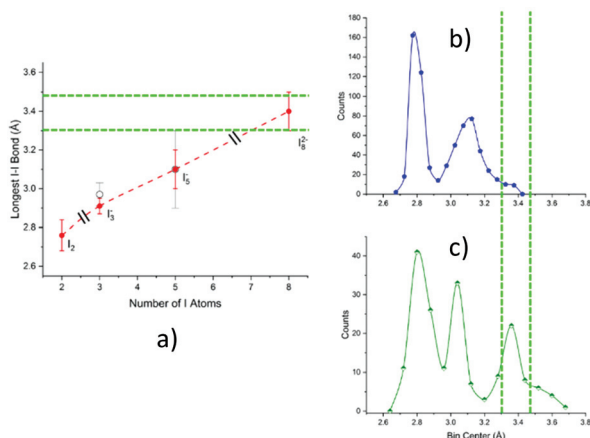
To reinforce such an assignment, an interesting parallelism can be drawn.

Let us consider again  $I_3^-$  as a 3 centre 4 electron system, where the symmetrical  $I_3^-$  anion is the energy minimum provided the extreme I atoms are below a critical distance, while an  $I_2 \cdots I^-$  asymmetrical complex is obtained if the extremes are too spaced out (*i.e.* the symmetrical form of the anion is prone to distortion under small external perturbations).

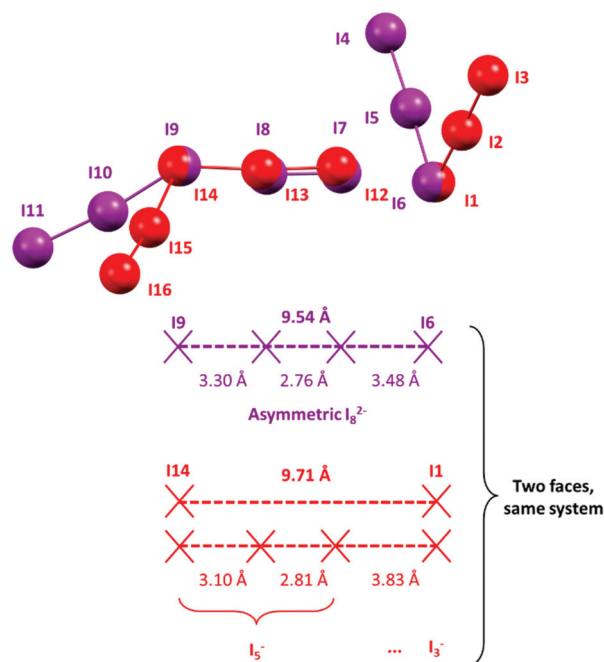
A similar situation could be envisaged for  $I_8^{2-}$ : a formal  $I_2$  molecule is disputed between two different  $I_3^-$  ions, much like dogs and bones in a popular visualization of covalent bonding. The optimal (*i.e.* most represented in the CSD)  $I_3^- \cdots I_3^-$  distance is placed by statistical data at approximately 9.48 Å (the  $2 \times I_3^- \cdots I_2$  distance peak in  $I_8^{2-}$ , observed at 3.36 Å, plus I–I bonding in  $I_2$ , 2.76 Å); please see Fig. 11 for reference.

If the formal  $I_3^- \cdots I_3^-$  distance in an  $I_8^{2-}$  anion is significantly greater than 9.48 Å (or, equivalently, if the symmetric structure of  $I_8^{2-}$  is perturbed by interactions with its surroundings in the crystal), the disputed  $I_2$  molecule would experience a tendency to fall in one of the two energy wells corresponding to the asymmetrical  $I_5^- \cdots I_3^-$  complex, similarly to what happens for elongated  $I_3^-$ .

If we look at the  $I_8^{2-}$  anion in **2**, the  $I_3^- \cdots I_3^-$  distance in such a species is 9.543(1) Å, *i.e.* slightly longer than the minimum energy configuration inferred from the statistical



**Fig. 10** Informed assignment of the I11–I10–I9...I8–I7...I6–I5–I4 complex. Green dashed lines represent dotted interactions in the formula. (a) Graphical representation of Table 1 data, *i.e.*, average value  $\pm$  FWHM of the longest bond length in examined polyiodides (black slashes signal different polyiodide charges). Superposition of distances under discussion with pentaiodide (b) and octaiodide (c) bond length distributions. While possible, an  $I_5^- \cdots I_3^-$  assignment would require both a quite unusual  $I_5^-$  bond length (on the fringe of the Gaussian) and a short non-explained  $I_5^- \cdots I_3^-$  contact. Assignment to distorted  $I_8^{2-}$  instead makes both distances close to statistical maximum, one shorter and one longer as expected in the case of distortion, a very common phenomenon in polyiodides.



**Fig. 11** Superposition of polyiodides in **2**, with details of I–I distances. This superposition is actually a depiction of how transition from an asymmetric  $I_8^{2-}$  to an  $I_5^- \cdots I_3^-$  complex is consumed within a mere 2% elongation of the central  $I_4$  fragment.

data. As a consequence, formal  $I_3^- \cdots I_2$  bonds in said  $I_8^{2-}$  are found one shorter and one longer than the average value (Fig. 10), *i.e.* some distortion towards an  $I_5^- \cdots I_3^-$  type complex is already present. The “typical”  $I_5^-$  (I12–I13–I14–I15–I16 Fig. 4) also interacts with neighbouring  $I_3^-$ . The shortest of such interactions was found at 3.831 Å (I1...I12, Table S3,† *i.e.* with I1–I2–I3  $I_3^-$ , Fig. 4) and is above regarded as supramolecular. However, if one looks at such an  $[I_5^- \cdots I_3^-]$  complex again as an  $I_8^{2-}$  anion, the two formal  $I_3^-$  contending the  $I_2$  molecule are 9.71 Å apart.

The bonding difference between an (almost) molecular  $I_8^{2-}$  and a  $I_5^- \cdots I_3^-$  complex is all consumed in the length difference between 9.5 and 9.7 Å (Fig. 11).

As the symmetrical situation is no more possible with such long distances, the system prefers to shorten significantly the formal  $I_3^- \cdots I_2$  bond in the pentaiodide unit (3.305 Å in  $I_8^{2-}$ , 3.097 in  $I_5^-$ ) and to simultaneously elongate the  $I_5^- \cdots I_3^-$  interaction.

To further strengthen this view, the Raman spectrum of solid **2** (Fig. 12) was recorded. The spectrum consists of a strong band centred at 168  $\text{cm}^{-1}$ , a medium one at 113  $\text{cm}^{-1}$  (typical of  $I_3^-$  symmetric stretch  $\nu_1$ ) and a weak one at 62  $\text{cm}^{-1}$  ( $I_3^-$  bending,  $\nu_2$ ). Beyond the 113  $\text{cm}^{-1}$  band, the other bands clearly show signs of convolution, as can be expected from a crystal containing more than one polyiodide species.

The 168  $\text{cm}^{-1}$  band falls in the 140–180  $\text{cm}^{-1}$  range, typical of superior polyiodides.<sup>51</sup> In similar literature instances, a double intense band was found for  $I_8^{2-}$  (174 and 161  $\text{cm}^{-1}$ , assigned to  $I_2$  and  $I^- \cdots I_2$ , respectively) accompanied by medium



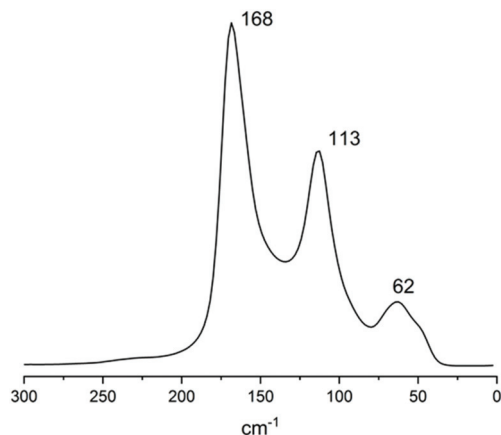


Fig. 12 Raman spectrum of 2.

$\text{I}_3^-$  asymmetric stretching at  $139\text{ cm}^{-1}$  (XRD formal  $\text{I}_3^-$ – $\text{I}_2$ – $\text{I}_3^-$  bond distances 3.358 and  $3.471\text{ Å}$ ).<sup>52</sup> In  $\text{I}_8^{2-}$  displaying slightly longer formal  $\text{I}_3^-$ – $\text{I}_2$ – $\text{I}_3^-$  bonds ( $3.417$  and  $3.485\text{ Å}$ ), both strong bands at  $172\text{ cm}^{-1}$  and  $144\text{ cm}^{-1}$  were observed.<sup>51</sup> In the case of 2, compresence of different polyiodides gives rise to peak convolution. As in the case of all polyiodides, the spectrum can be described by discrete  $\text{I}_2$  and  $\text{I}_3^-$  units “perturbed” by their mutual interactions.<sup>51</sup> If by “perturbation” a certain degree of covalent/donor–acceptor character can be implied, then description as a mixture of different  $\text{I}_8^{2-}$ , with a different extent of molecular character, can be proposed.

The so-called secondary bonding in these systems appears to be much closer to a way of finely considered electron sharing between systems with such diffused orbitals (as it seems to have been in the intention of original proposers)<sup>35,36</sup> than a generic distance range suggestion.

Reduction to a mere universal distance range with clean-cut boundaries (the popular  $3.4$ – $3.7\text{ Å}$  range) is conceptually impossible, as bonding might start at much longer distances and it remains vastly dependent on the nature of the interacting polyiodides. At the same time, bonding thresholds are extremely useful and widely employed. A coherent revision of commonly accepted values, taking into account the nature of the interacting fragments and further structural parameters, which remains beyond the scope of the present study, is probably necessary.

Strongly asymmetrical triiodides (long bond  $3.1$ – $3.2\text{ Å}$ , short bond  $2.85$ – $2.75\text{ Å}$ )<sup>10,11</sup> are still considered to be covalently bonded despite the fact that such systems already behave as in the  $\text{I}^-$ – $\text{I}_2$  complex limit. As detailed above (*cf.*  $\text{I}_3^-$  section), for bonded  $\text{I}_3^-$  the elongations in the  $1.6$ – $3.0\%$  range are commonplace. In the present case, a difference of  $0.2\text{ Å}$  on an average of  $9.64\text{ Å}$ , *i.e.* about  $2.0\%$  elongation of the central  $\text{I}_4$  fragment, should entirely change the way we draw bonds among the involved atoms. To further fuel scientific discussion, we can go as far as stating that, in a sense, an  $\text{I}_5^-$ – $\text{I}_3^-$  complex, even with a long  $3.8\text{ Å}$   $\text{I}_5^-$ – $\text{I}_3^-$  contact distance, is still somewhat a “bonded”  $\text{I}_8^{2-}$ , meaning that it is but the

asymmetrical structure of the  $\text{I}_8^{2-}$  system shown in Fig. 11, which is analogous to asymmetric  $\text{I}_3^-$ . This is not stating that the covalent bonds in polyiodide extend to  $3.8\text{ Å}$  (*cf.* the previous section and how the real limit is case dependent and seems to be around  $3.5\text{ Å}$  even considering the statistical distribution). Rather, we want to point out, as substantiated by many other studies, that when orbitals are highly diffused, and species highly polarizable, a certain extent of electron sharing may arise.

This kind of consideration allows us to see 2 as containing substantially a single  $[\text{H}_2\text{cyclen}^{2+}\text{I}_8^{2-}]$  unit, and to rationalize the symmetry lowering of  $\text{I}_8^{2-}$  using the familiar  $\text{I}_3^-$  paragon. It is also interesting to notice how bond localization accompanying symmetry lowering tends to intrinsically favour simpler polyiodides, yet this apparent simplicity does not remove existing secondary bonds. As secondary bonding, by definition, involves electronic redistribution, *i.e.* it affects the intramolecular bonds of the interacting partners, it is quite possible that the complexity and broad distribution of bond lengths in superior polyiodides can be justified accounting for significant interactions even in a longer range than traditionally accepted cut-off values suggest.

## Conclusions

Novel structural data herein reported support the diprotonated form of cyclen as a useful scaffold for the stabilization of simple and superior polyiodides, in particular of the rarely encountered  $\text{I}_8^{2-}$  anion. Perhaps more importantly, the structural and statistical analysis herein reported, combined with previous reports and calculations, suggests the need for a revision of currently accepted cut-off values for covalent bonding in polyiodides. It appears that a single general-purpose threshold value cannot be identified (as it remains dependent on the nature of the polyiodide), but that the upper limit for covalent bonding in large and/or polycharged polyiodides should be moved from  $3.30\text{ Å}$  towards the  $3.4$ – $3.5\text{ Å}$  range, to encompass and justify some systems. The secondary bonding region, generally defined in the  $3.4$ – $3.7\text{ Å}$  range, has also been addressed and rediscussed in terms of interactions in hypervalent systems characterized by  $3c$ – $4e$  and related bond-types, in an effort to give a more holistic view of complex polyiodides, partially conflicting with traditional reductionist approaches. Afterall, the emerging properties of complex systems have long been a concept in supramolecular chemistry: the fact that assemblies might possess properties that their individual components do not have urges caution about rushed reduction of polyiodides to mere  $\text{I}^-$ ,  $\text{I}_2$  and  $\text{I}_3^-$  building blocks.

As a final comment, we notice that the previously reported  $\text{H}_2\text{cyclen}^{2+}$ –polyiodide structure GAFGEA,<sup>20</sup> entirely different from 2 (different symmetry, the number of I per macrocycle, the presence of co-crystallized solvent H-bonded to the macrocycle, *etc.*) also features  $\text{I}_3\cdots\text{I}_2\cdots\text{I}_3$  moieties (assigned as such) where the supramolecular contacts are  $3.309\text{ Å}$  and  $3.506\text{ Å}$ , *i.e.* almost identical to those observed in 2. If in a



global revision process (beyond the scope of current study) we could assign such species to  $I_8^{2-}$ , we would then be forced to notice that  $H_2cycloen^{2+}$  seems to effectively stabilize such an uncommon moiety in the solid state. This will lead us to wonder why, sparking scientific curiosity and helping to identify  $I_8^{2-}$ -specific templating cations. The same could be envisaged for other superior polyiodides as well.

We trust that our contribution might assist others in future assignments of superior polyiodides.

## Conflicts of interest

There are no conflicts to declare.

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