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Magnetoelastic coupling in the stretched diamond lattice of TbTaO₄†

Xiaotian Zhang,^{ib a} Nicola D. Kelly,^{ib ab} Denis Sheptyakov,^{ib c} Cheng Liu,^{ib a}
Shiyu Deng,^{ib ad} Siddharth S. Saxena^{ib *aef} and Siân E. Dutton^{ib *a}

The magnetic structure of diamond-like lattice has been studied extensively in terms of the magnetic frustration. Here we report the distortion of stretched diamond lattice of Tb³⁺ (4f⁸) in M–TbTaO₄ on application of a magnetic field. We have investigated the structural and magnetic properties of M phase terbium tantalate M–TbTaO₄ as a function of temperature and magnetic field using magnetometry and powder neutron diffraction. Sharp λ -shape transitions in $d(\chi T)/dT$, dM/dH and specific heat data confirm the previously reported three-dimensional (3D) antiferromagnetic ordering at $T_N \sim 2.25$ K. On application of a magnetic field the Néel temperature is found to decrease and variable field neutron diffraction experiments below T_N at 1.6 K show an increase in both the bond and angle distortion of the stretched diamond lattice with magnetic field, indicating a potential magneto-elastic coupling effect. By combining our magnetometry, heat capacity and neutron diffraction results we generate a magnetic phase diagram for M–TbTaO₄ as a function of temperature and field.

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Introduction

Previous studies of magnetism in diamond-like lattices have been mainly focused on ceramic materials, including magnetic A-site spinels, NiRh₂O₄,¹ CuRh₂O₄,² and MAL₂O₄,³ (M = Co, Fe, Mn) as well as scheelite KRuO₄⁴ and lanthanide NaCeO₂⁵ materials. The undistorted diamond lattice, a repeating pattern of centred tetrahedra, is a bipartite lattice capable of exhibiting collinear antiferromagnetic interactions between the nearest-neighbour spins (J_1) and the quantum ground state has magnetic long range Néel order (“up-down”).⁶ However, most reported materials tend to show strong magnetic frustration, since the nearest neighbour interaction J_1 is relatively weak compared to the next-nearest neighbour interaction J_2 .⁶ This gives rise to a variety of magnetic phenomena, ranging from long-range ordered states to disordered spin liquid and spin glass states^{7,8} and topological paramagnetism.^{9,10} The competition

between J_1 and J_2 can also result in multiple low energy magnetic regimes and a complicated phase diagram.¹¹

When the diamond lattice is distorted by symmetry lowering a related stretched diamond lattice is generated. In 2021, Bordelon *et al.* used a “stretched” (distorted) diamond lattice framework to explain the J_1 – J_2 interaction in the tetragonal spinel LiYbO₂. The magnetic order of the Yb³⁺ ions becomes commensurate on application of a magnetic field.¹² However, the reported spin spiral magnetic structure in zero field is still subject to debate.^{13–15} In 2022, Kelly *et al.* reported the magnetic lanthanide ions (Ln³⁺) in monoclinic fergusonite-type LnTaO₄ also form a stretched diamond lattice and introduced the concepts of bond and angular distortion to quantify the distortions in the stretched diamond lattice.¹⁶

Rare-earth tantalates LnTaO₄ [Ln = Y, La–Lu] have attracted increasing attention due to their wide applications, such as phosphors,¹⁷ thermal barriers,¹⁸ scintillators¹⁹ and dielectric ceramics.²⁰ They adopt a number of different structural polymorphs depending on the synthetic conditions.^{20–25} The magnetic Ln³⁺ ions form a stretched diamond network in both the low temperature M ($I2/a$, monoclinic, fergusonite) and high temperature T ($I4_1/a$, tetragonal, scheelite) phases.¹⁶ Prior work on M–LnTaO₄ powders mainly focused on the luminescent and thermal properties^{18,19,26,27} rather than magnetism. More magnetic studies have been done on the isostructural niobates, LnNbO₄,^{28,29} potentially due to their lower synthesis temperature. In 1996, Tsunekawa *et al.* reported the magnetic susceptibilities of NdTaO₄, HoTaO₄ and ErTaO₄ single crystals with negative Curie–Weiss temperatures and no magnetic transitions between

^a Cavendish Laboratory, University of Cambridge, JJ Thomson Avenue, Cambridge, CB3 0HE, UK. E-mail: sss21@cam.ac.uk, sed33@cam.ac.uk

^b Department of Chemistry, University of Oxford, Mansfield Rd, Oxford, OX1 3TA, UK

^c Laboratory for Neutron Scattering and Imaging, Paul Scherrer Institut (PSI), Forschungsstrasse 111, 5232 Villigen PSI, Switzerland

^d Institut Laue-Langevin (ILL), 71 Avenue des Martyrs, 38000 Grenoble, France

^e British Management University, 35 Mirza Bobur Street, Tashkent, Uzbekistan

^f Kazakh-British Technical University, 59 Tole Bi Street, 050000 Almaty, Kazakhstan

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4.2 and 300 K.³⁰ Recently, Kelly *et al.* reported the bulk magnetisation of polycrystalline M–LnTaO₄ (Ln = Nd, Sm–Er, Y) samples. In agreement with previous work all were found to have negative Curie–Weiss temperatures and no compounds order above 2 K, except M–TbTaO₄ with an antiferromagnetic transition at 2.25 K. Powder neutron diffraction (PND) was used to determine its magnetic structure, revealing that it forms a commensurate AFM structure with $\vec{k} = 0$.¹⁶

Here, we expand on the prior work of Kelly *et al.* and focus on the nuclear and magnetic structure of M–TbTaO₄ at variable temperature and magnetic field using powder neutron diffraction. At 1.6 K, below T_N , a slight increase in angle distortion and band distortion is observed from 0 to 6 T. We interpret this as antiferromagnetic ordering triggering a magneto-elastic coupling in M–TbTaO₄. Our variable temperature and field magnetic susceptibility, and specific heat measurements allow us to track changes in the magnetism. From these measurements, the Néel temperature of M–TbTaO₄ is found to be suppressed by the magnetic field and a transition to a canted antiferromagnetic state is observed on application of a magnetic field.

Experimental

Polycrystalline M–TbTaO₄ was synthesised according to a solid-state ceramic reaction as has been reported elsewhere.³¹ Ta₂O₅ (Alfa Aesar, 99.993%) and Tb₄O₇ (Alfa Aesar, 99.9%) powders were firstly heated at 800 °C overnight to remove moisture. Then 1:1 molar amounts of the reagents were thoroughly mixed in an agate pestle and mortar, pressed into a 7-mm pellet and placed in an alumina crucible. The pellets were heated for 72 h at 1500 °C in air with intermediate regrinding every 24 h.

Powder X-ray diffraction (PXRD) was carried out at room temperature on a Bruker D8 diffractometer (Cu K α , $\lambda = 1.541 \text{ \AA}$) in the range $10 \leq 2\theta(^{\circ}) \leq 70$ with a step size of 0.02° , 0.6 s per step. Rietveld refinements³² were carried out using TOPAS³³ with a Chebyshev polynomial background and Thompson–Cox–Hastings pseudo-Voigt peak shape.³⁴ VESTA³⁵ was used for crystal structure visualization and production of figures.

Powder neutron diffraction (PND) was carried out on an 8 g sample of M–TbTaO₄, prepared by combining two batches confirmed to be phase pure by PXRD. The sample was pressed into disc-shape with a diameter of 7.1 mm and enclosed within the cadmium container. Cadmium platelets were also placed between discs, ensuring they remained immobilized. PND was conducted on the high-resolution powder diffractometer for thermal neutrons (HRPT), Paul Scherrer Institut (PSI), Villigen, Switzerland,³⁶ using an Orange cryostat ($1.5 \leq T \text{ (K)} \leq 300$). Neutrons with $\lambda = 2.4487(2) \text{ \AA}$ were obtained by using the (400) reflection on the focusing Ge monochromator at a take-off angle of 120 deg. The determination of the magnetic structure was carried out using TOPAS.³³ The background was modelled with a Chebyshev polynomial, and the peak shape was modelled with a modified Thompson–Cox–Hastings pseudo-Voigt³⁴ function with axial divergence asymmetry.

The dc magnetisation was measured on warming on a Quantum Design MPMS[®]3 in the temperature range $1.8 \leq T \text{ (K)} \leq 300$ under different magnetic fields ranging from 500 Oe to 70 000 Oe, after cooling from 300 K in zero field (ZFC). The isothermal magnetisation was measured on the same system in the field range $\mu_0 H = 0\text{--}7 \text{ T}$ at different temperatures.

Heat capacity of M–TbTaO₄ was measured on a Quantum Design PPMS[®] DynaCool in the range $1.8 \leq T \text{ (K)} \leq 30$ under different magnetic fields ranging from 0 Oe to 70 000 Oe. The sample was mixed with an equal mass of Ag powder to improve thermal conductivity and pressed into a 5 mm pellet before mounting on the sample stage with Apiezon N grease. Fitting of the relaxation curves was done using the two-tau model. The contribution of Ag to the total heat capacity was subtracted using scaled values from the literature.³⁷ The TbTaO₄ lattice contribution was estimated and subtracted using a Debye model with $\theta_D = 370 \text{ K}$,³⁸ as is shown in Fig. S1 (ESI[†]).

Results

Structure

The structure of M–TbTaO₄ has been previously reported to be monoclinic fergusonite, space group 15, $I2/a$ (unconventional unit cell) or $C2/c$ (standard unit cell).^{16,22} The Ta⁵⁺ ions are connected by four shorter and two longer Ta–O bonds, forming an octahedron with second order Jahn–Teller distortion. The two edges are shared by neighbouring Ta–O octahedra, and other edges are shared with Tb–O dodecahedra as shown in Fig. 1a and b. The Tb³⁺ ions in the fergusonite crystal form a stretched diamond lattice or distorted honeycomb-like structure (Fig. 1c) which is predicted to host the exotic magnetic ground state.¹⁶

Rietveld refinement of the room-temperature PXRD of M–TbTaO₄, Fig. 2, indicated the formation of single monoclinic M phase in our sample after 72 hours of sintering at 1500 °C. The unit cell parameters and the Tb³⁺ and Ta⁵⁺ atomic positions were refined, while the atomic positions of the O²⁻ ions were fixed based on the neutron diffraction data from previous experiment at ILL^{16,39} (Table S1, ESI[†]). The refined unit cell parameters and atomic positions, with no Tb³⁺/Ta⁵⁺ site disorder observed, are consistent with previous literature.^{18,22}



Fig. 1 (a) and (b) Monoclinic crystal structure of M–TbTaO₄ (space group $I2/a$). (c) The distorted diamond lattice of Tb site. The unit cell is shown in thin grey lines.





Fig. 2 Room-temperature PXRD pattern for $M\text{-TbTaO}_4$: red dots, experimental data; black line, calculated intensities; green line, difference pattern; blue tick marks, Bragg reflection positions.

Magnetic susceptibility

The ZFC magnetic susceptibility, $\chi \approx M/H$, as a function of temperature is shown in Fig. 3a under selected magnetic fields. At 0.01 T, a sharp cusp feature was observed at ~ 2.9 K, which agrees with the susceptibility data reported by Kelly *et al.*¹⁶ The cusp temperature decreases from 2.91(8) to 2.08(8) K upon increasing the field from 0.01 to 0.80 T. Above 0.80 T, the AFM

ordering is gradually evolving to a FM-like ordering where χ saturates at low temperature. At high temperatures, the magnetic susceptibility is independent of field and fits the modified Curie–Weiss law:

$$\chi - \chi_0 = \frac{C}{T - \theta_{\text{CW}}}$$

Fitting to the Curie–Weiss law was carried out using the data collected at 1 T for $T > 50$ K. The effective magnetic moment was calculated from the experimental data using $\mu_{\text{eff}}/\mu_{\text{B}} = \sqrt{8C}$ and compared with the theoretical moment $g_J\sqrt{J(J+1)}$. The effective moment inferred from the fit is 10.23 (1) μ_{B} per Tb is of the same order of the theoretical value 9.72 μ_{B} per Tb, and the Weiss temperature is -9.67 (7) K consistent with that reported by Kelly *et al.*¹⁶

The derivative of the product χT with respect to temperature, $d(\chi T)/dT$ as a function of temperature at selected fields are shown in Fig. 3b. At 0.01 T, a sharp lambda-type feature is observed at 2.25(1) K, which corresponds to the Néel temperature (T_{N1}), this indicates the onset of three-dimensional AFM ordering. Additionally, another shoulder like feature is visible at ~ 2.02 (2) K, which we denote as T_{N2} . This second transition suggests a more complex magnetic structure, such as multiple AFM sublattices or competing interactions. T_{N1} decreases from 2.25 (1) to 2.05(9) K upon increasing field from 0.01 to 0.30 T and T_{N2} decreases from ~ 2.02 (2) to 1.92(6) K as field increases from 0.01 to 0.80 T. This suggests that the AFM ordering is suppressed on application of a magnetic field.

Isothermal magnetisation

Isothermal magnetisation measurements at selected temperatures are shown in Fig. 4a. Below the higher Néel temperature (T_{N1}), the isothermal magnetisation exhibits a characteristic ‘S’ shape curvature (Fig. 4a inset), indicative of complex interactions and spin re-orientation within the antiferromagnetic structure. As the field increases, the magnetisation reaches saturation by approximately 1.5 T. The resulting saturation magnetisation ($M_{\text{sat}} \approx 6\mu_{\text{B}}$ f.u.⁻¹) is lower than the $9\mu_{\text{B}}$ f.u.⁻¹ expected for a Heisenberg-like Tb^{3+} system, reflecting spin anisotropy and powder-averaging effects. In Tb^{3+} compounds with Ising (easy-axis) or XY (easy-plane) behaviour, the magnetisation often saturates at $g_J J/2$ or $2g_J J/3$, respectively, rather than $g_J J = 9\mu_{\text{B}}$ f.u.⁻¹ magnetisation expected for fully saturated Tb^{3+} . For temperatures slightly above T_{N1} , but below 20 K, the magnetisation curve loses the ‘S’ shape. This suggests thermal energy begins to destabilize the low field antiferromagnetic structure, make it easier for the magnetic moment to align with the field. At high temperatures (above 20 K), the magnetisation response becomes more linear with no distinct features at low fields. This linear response is a typical paramagnetic phase, where magnetic moments align more readily with external field.

The differential magnetisation, dM/dH , as a function of applied magnetic field is plotted in Fig. 4b at various temperatures. At temperatures below T_{N1} , two distinct features could be observed. For data collected at 1.8 K (Fig. 4b inset), a sharp



Fig. 3 (a) The ZFC magnetic susceptibility (Inset: At low temperatures) and (b) $d(\chi T)/dT$ ($\chi \approx M/H$) for $M\text{-TbTaO}_4$ as a function of temperature in selected fields.





Fig. 4 (a) Isothermal magnetization of M–TbTaO₄ at selected temperatures from 0–7 T (Inset: From 0–1.2 T) and (b) the corresponding derivative, dM/dH as a function of field.

peak appeared at 0.32(2) T, which represents a field-induced spin re-orientation. This peak is likely to be a spin-flop transition in the antiferromagnetic phase. A broader peak appears at 0.76(2) T, which is also observed up to around 4 K. This broader peak suggests a gradual change, likely corresponding to a canted antiferromagnetic phase. As the temperature increases,

the sharp low field peak at 0.32(2) T is gradually suppressed to 0.09(2) T at 2.25 K and not observed at higher temperatures. This indicates the thermal energy destabilizes the spin flop transition. The broader peak observed at 0.76(2) T remains visible up to 3 K and shows negligible dependence of magnetic field. This suggests it is more robust canted antiferromagnetic phase against thermal fluctuations than low-field sharp peak.

Specific heat

The magnetic specific heat of M–TbTaO₄ at selected fields is shown in Fig. 5a. At the Néel temperature, a sharp peak was observed, this corresponds to the 3D AFM ordering in $d(\chi T)/dT$ plot. On application of a magnetic field, the peak decreases in temperature and becomes broader. Differing from the magnetic susceptibility and isothermal magnetisation measurements, T_{N2} was not seen in the heat capacity data, possibly due to the change in magnetic entropy being too small to detect or insufficient temperature steps resulting in the merge of T_{N1} and T_{N2} . The magnetic entropy (ΔS) change associated with the transition was obtained by integrating the C_{mag}/T curve from 1.8 to 20.0 K (Fig. 5b). ΔS was found to approach 4.0 J mol⁻¹ K⁻¹ at 0 T and decreased to ~ 2.4 J mol⁻¹ K⁻¹ at 2 T. The Ising spins with effective spin of $\frac{1}{2}$ are expected to have the maximum entropy change of $R \ln 2 = 5.76$ J mol⁻¹ K⁻¹ at zero field. The remaining entropy change is assumed to occur below 1.8 K.

Magnetic structure

High resolution PND data for M–TbTaO₄ was obtained using the HRPT/SINQ beamline at the PSI. The representative Rietveld refinement of neutron data at zero field is shown in Fig. 6a and b and in-field data are presented in Fig. S2 and S3 (ESI[†]). The results are consistent with the previous literature for TbTaO₄.^{16,40} At 20 K, the application of a magnetic field results in the emergence of magnetic Bragg peaks at ~ 2 T, Fig. 6c and d. The increase in intensity as the field is applied, suggesting a polarization of the Tb³⁺ moments in the paramagnetic phase to align with the applied field. On cooling below the Néel temperature, magnetic Bragg peaks are also observed at 0 T,



Fig. 5 (a) Magnetic heat capacity of M–TbTaO₄ as a function of temperature at selected fields and (b) magnetic entropy obtained by integration of C_{mag}/T . Inset: Data obtained at low temperatures.





Fig. 6 (a) and (b) Refined PND data of $M\text{-TbTaO}_4$ collected at 20.0 K and 1.6 K respectively with 0 T; (c) and (d) the corresponding heat map showing the evolution of magnetic phase with increasing magnetic field from 0 to 6 T. Red dots, experimental data; black line, calculated intensities; green line, difference pattern; tick marks, nuclear (blue), magnetic (pink) Bragg reflection positions.

Fig. 6b, however some of these are suppressed in the presence of an external magnetic field, Fig. 6d. To evaluate these changes more quantitatively, the magnetic peaks were indexed to a commensurate magnetic cell with $k = 0$ in the magnetic space groups $P2_1'/c$ (no. 14.77) and $P2_1'/c'$ (no. 14.79). The $P2_1'/c$ magnetic space group is a maximal non-isomorphic subgroup of the $I2/a$ crystallographic symmetry and arises due to the four crystallographically equivalent Tb atoms in the crystal structure being described by 2 crystallographically distinct Tb ions in the magnetically ordered structures. At 1.6 K in zero field the magnetic structure can be described by the $P2_1'/c$ (14.77) magnetic space group as reported previously with the Tb spins align perpendicular to the bc plane in A-type antiferromagnetic order, as is shown in Fig. 7a. The magnetic moments align collinearly along a -axis and form ferromagnetic layers in ac plane (Fig. 7b). The ferromagnetic layers are coupled antiferromagnetically along b -axis. At zero field, the refined ordered magnetic moment is $7.8(3)\mu_B$ per Tb^{3+} . This is below the theoretical value of $9.72\mu_B$ but consistent with $7.5(4)\mu_B$ which has previously reported by Kelly *et al.*¹⁶ At higher fields of 6 T, the magnetic structure is fully described by the $P2_1'/c'$ (14.79) magnetic space groups, with the spins aligned ferromagnetically in the a direction, Fig. 7b. At intermediate fields from 0.5 to 3 T, the neutron data can be well fitted with a mixture of two magnetic space groups $P2_1'/c$ and $P2_1'/c'$, corresponding to two magnetic phases: an antiferromagnetic phase and a ferromagnetic phase, respectively. Note that this approach does not represent a true phase separation but rather is the usual way to describe the spin-canting using TOPAS software. During the refinement, the phase fractions were constrained to remain identical and fixed, while the magnetic moments associated with two magnetic phases were refined independently. For the

$P2_1'/c$ (14.77) magnetic space group, symmetry restricts the spin to the a -axis. The net magnetic moment of the antiferromagnetic phase decreases from $5.4(2)$ to $0.5(1)\mu_B$ as magnetic field increases from 0.5 T to 3.0 T, Fig. S6 (ESI[†]) In contrast, in the $P2_1'/c'$ (no. 14.79) magnetic space group, spin components are allowed along all crystallographic directions. The canted ferromagnetic phase, which emerges at 0.5 T, has a net ferromagnetic component along a - and c -axes, with an antiferromagnetic component along b -axis. Both b - and c -axis components are progressively suppressed with increasing magnetic field, resulting in a dominant ferromagnetic component along a -axis at 3 T. The net moment of the canted ferromagnetic phase rises from $0.6(2)$ to $7.1(3)\mu_B$ along a -axis as the magnetic field ranges from 0.5 to 3.0 T.

These findings imply the formation of a canted antiferromagnetic state from 0.5 to 3.0 T. In this state, the antiferromagnetic alignment of the Tb^{3+} moments begin to cant under the influence of the external magnetic field. At 0 T, the spins are aligned antiferromagnetically along the a -axis and are perpendicular to the bc plane. When a magnetic field of 0.5 T is applied, the emergence of net magnetic components along the b - and c - axes suggests that the spins start to cant towards the bc plane. As the magnetic field increases to 3 T, the b and c components are progressively suppressed, indicating that the spins are reorienting back to align predominantly along the a -axis. Eventually, at 6 T, the system transitions to ferromagnetic along the a -axis.

In addition to changes in the magnetic structure, we also observed changes in the nuclear structure of $M\text{-TbTaO}_4$ with magnetic field. In the field range 0–6 T, no significant changes in lattice parameters were observed at 20.0 K. However, at 1.6 K, there is a subtle increase in a , b , c between 0.75 T and 6 T of





Fig. 7 (a) Magnetic structure of $M\text{-TbTaO}_4$ from Rietveld refinement at 1.6 K, $H = 0$ T; (b) diagram showing the phase transition from an antiferromagnetic phase to a ferromagnetic phase in applied magnetic field; (c) the two magnetic structures of $M\text{-TbTaO}_4$ and their evolutions with magnetic fields at 0.50 T, 0.75 T, 1.00 T and 3.00 T. Upper figure shows the antiferromagnetic structure (14.77 magnetic space group), and the lower shows the canted ferromagnetic structure (14.79 magnetic space group). Tb^{3+} ions are shown in blue, tantalum shown in black, and oxygen shown in red. The unit cell is shown in thin grey lines. Magnetic vectors are shown in orange ('spin down') and blue ('spin up') arrows.



Fig. 8 (a) A single tetrahedral structure of diamond lattice, d_1 and d_2 are the distance between the nearest-neighbouring atoms and ϕ is the angle between bonds; (b) bond distortion d_b and angle distortion index d_a calculated from d_1 and d_2 and ϕ . (c) The undistorted diamond lattice and stretched diamond lattice of Tb^{3+} ions in $M\text{-TbTaO}_4$; (d) and (e) d_1 , d_2 , d_a and d_b of Tb^{3+} as a function of magnetic field collected at 20.0 K and 1.6 K from Rietveld refinement of PND collected at $\lambda = 2.45$ Å.



~0.015%, as is shown in Fig. S6 (ESI[†]). There are also subtle changes in the refined atomic positions and bond angles on application of a field, notably the decrease of the y coordinates for Tb and O–Tb–O angles with magnetic field at 1.6 K (Fig. S7–S9, ESI[†]).

Discussion and phase diagram

The magnetic behaviour of M–TbTaO₄ has been previously discussed with reference to the stretched diamond lattice of Tb³⁺ ions described by the nearest-neighbouring interactions J_1 and next-nearest neighbouring interactions J_2 . It has been reported that the nearest-neighbouring super-exchange in M–TbTaO₄ predominantly occurs through Tb–O–Tb pathways.¹⁶ These pathways can be divided into two interactions: a J_{1a} vector in the ab plane and a J_{1b} vector in the bc plane. These interactions depend on the interatomic nearest Tb–Tb distance d_1 and d_2 respectively (Fig. 8a). At 20 K, there is only small fluctuation in both d_1 and d_2 in magnetic field. At 1.6 K, d_1 exhibits a slight increase with magnetic fields, while d_2 shows an opposite tendency (Fig. 8d).

The extent of the stretching or distortion in the diamond-like lattice can be compared using the bond length and the angles between the bonds. In undistorted diamond lattice, all the bond lengths and bond angles are the same (Fig. 8c), and the angles are all equal to 109.5°, while in the monoclinic symmetry there are three different bond lengths and four different angles. Here, we compare the relative deviation from the ideal diamond lattice by using the bond length distortion index d_a and bond angle distortion d_b ¹⁶ as is shown in Fig. 8b, where ϕ_{\max} and ϕ_{\min} are the largest and smallest angles respectively between Tb–Tb–Tb bonds, respectively. These indices allow us to systematically quantify the structural distortions as the system is subjected to external parameters such as temperature and magnetic field.

Interestingly, the angle and bond distortions exhibit a clear dependency on the applied magnetic field, indicative of an underlying magneto-elastic coupling. At 20 K, only a slight increase in d_a and d_b was observed as the magnetic field increased, but a more pronounced increase in both distortion parameters is observed as the temperature decreased, as is shown in Fig. 8e. At 1.6 K, ($T < T_N$), the bond distortion index d_b increased by approximately 0.6%, and the angle distortion index d_a increased by approximately 1.1% as the magnetic field was varied from 0 to 6 T.

This behaviour can be directly attributed to magneto-elastic coupling, where the interaction between the magnetic moments of the Tb³⁺ ions and the lattice vibrations induce elastic strain in the crystal structure. In this system, the magnetic field alters the interactions and the orientation of magnetic moments, which, in turn, leads to lattice distortions as the crystal attempts to minimize its free energy. Consequently, both bond lengths and bond angles change, reflecting the strong coupling between magnetic order and lattice dynamics. This effect becomes particularly significant at low temperatures below T_N where quantum effects



Fig. 9 Proposed magnetic phase diagram for M–TbTaO₄ as a function of magnetic field and temperature. Transition values derived from the magnetic specific heat, magnetic susceptibility (T_{N1} and T_{N2}) and isothermal magnetization are shown as black squares, orange circles, red diamonds, and blue crosses respectively.

and collective spin ordering dominate the system's behaviour due to the presence of 4f⁸ Tb³⁺ which are known to exhibit quantum behaviour.⁴¹

The transition temperatures against magnetic fields obtained from $d(\chi T)/dT$, dM/dH and C_{mag}/T have been summarized in the magnetic phase diagram shown in Fig. 9. From 2.25 to 2.11 K (the corresponding field ranges from 0 to 0.225 T), T_{N1} from $d(\chi T)/dT$, dM/dH and C_{mag} overlap with each other, the magnetic specific heat diverges below 2.11 K. The divergency below Néel temperature separates the phase diagram into three regimes, which we classify as AFM, canted AFM and FM phases from our PND study. AFM phase refers to the phase that the Tb spins align perpendicular to bc plane, whilst in the canted AFM phase, the Tb spins are gradually canted due to the increasing field but remain the AFM ordering, finally entering the FM phase at higher fields. Further study of the hard and easy axis will require anisotropic magnetisation measurements on single crystals.

Conclusions

We have systematically investigated the magnetic properties of polycrystalline M–TbTaO₄ as a function of temperature and applied magnetic field. Three-dimensional antiferromagnetic ordering is observed at T_{N1} and consistent with the previous literatures. We discover, for the first time, a second Néel temperature T_{N2} in $d(\chi T)/dT$. We find that both Néel temperatures (T_{N1} and T_{N2}) in M–TbTaO₄ could be suppressed on application of a magnetic field up to 0.8 T. Overall, this suggests a detailed three-regime phase diagram in M–TbTaO₄ below its transition temperature.

We have also studied the evolution of magnetic structure by powder neutron diffraction measurements below and above T_N , under varying magnetic fields. Below the AFM transition temperature of 2.25 K, we observed the appearance of magnetic peaks which were suppressed by magnetic field. We find that the magnetic moments of Tb³⁺ ions, which are initially aligned



parallel to the *a*-axis in Néel AFM order, cant towards the *bc* plane on application of the external magnetic field and eventually form a FM order parallel to the *a*-axis again

The Tb³⁺ sites in M–TbTaO₄ have been reported to form an elongated and stretched diamond lattice. Notably, we have observed a slight increase in both angle and bond distortion of this stretched diamond lattice from 0 to 6 T at 1.6 K. This indicates that the antiferromagnetic ordering in M–TbTaO₄ could potentially be linked to a magneto-elastic coupling effect.

Future work including dielectric measurements would be highly required to unveil the potential coupling effect between magnetic order and nuclear order. The magnetic measurement on single crystal would also be essential to quantify the possible magnetic anisotropy along different axes in M–TbTaO₄.

Author contributions

X. Zhang: conceptualization, data curation, formal analysis, investigation, validation, visualization, writing original draft, writing – review & editing. N. Kelly: conceptualization, data curation, formal analysis, investigation, writing – review & editing. D. Sheptyakov: data curation, investigation, resources. C. Liu: data curation, investigation, resources, writing – review & editing. S. Deng: data curation, investigation. S. Saxena: conceptualization, formal analysis, investigation, supervision, project administration, funding acquisition, resources, writing review & editing. S. Dutton: conceptualization, formal analysis, investigation, supervision, project administration, funding acquisition, resources, writing review & editing.

Data availability

The datasets that support the findings of this study, including those from magnetic measurement, heat capacity measurement, Powder X-ray and Neutron diffraction, are available at <https://doi.org/10.17863/CAM.113572>.

Conflicts of interest

There are no conflicts to declare.

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References

- 1 B. Zager, J. Chamorro, L. Ge, F. Bahrami, V. Bisogni, J. Pellicciari, J. Li, G. Fabbris, T. McQueen and M. Mourigal, *Phys. Rev. B*, 2022, **106**, 045134.
- 2 L. Ge, J. Flynn, J. A. M. Paddison, M. B. Stone, S. Calder, M. A. Subramanian, A. P. Ramirez and M. Mourigal, *Phys. Rev. B*, 2017, **96**, 064413.
- 3 N. Tristan, J. Hemberger, A. Krimmel, H. A. K. von Nidda, V. Tsurkan and A. Loidl, *Phys. Rev. B: Condens. Matter Mater. Phys.*, 2005, **72**, 174404.
- 4 C. A. Marjerrison, C. Mauws, A. Z. Sharma, C. R. Wiebe, S. Derakhshan, C. Boyer, B. D. Gaulin and J. E. Greedan, *Inorg. Chem.*, 2016, **55**, 12897–12903.
- 5 M. M. Bordelon, J. D. Bocarsly, L. Posthuma, A. Banerjee, Q. Zhang and S. D. Wilson, *Phys. Rev. B*, 2021, **103**, 024430.
- 6 J. Oitmaa, *J. Phys.: Condens. Matter*, 2018, **30**, 155801.
- 7 D. Bergman, J. Alicea, E. Gull, S. Trebst and L. Balents, *Nat. Phys.*, 2007, **3**, 487–491.
- 8 S. Gao, O. Zaharko, V. Tsurkan, Y. X. Su, J. S. White, G. S. Tucker, B. Roessli, F. Bourdarot, R. Sibille, D. Chernyshov, T. Fennell, A. Loidl and C. Rüegg, *Nat. Phys.*, 2017, **13**, 157–161.
- 9 C. Wang, A. Nahum and T. Senthil, *Phys. Rev. B: Condens. Matter Mater. Phys.*, 2015, **91**, 195131.
- 10 G. Chen, *Phys. Rev. B*, 2017, **96**, 020412.
- 11 J. Sirker, V. Y. Krivnov, D. Dmitriev, A. Herzog, O. Janson, S. Nishimoto, S.-L. Drechsler and J. Richter, *Phys. Rev. B: Condens. Matter Mater. Phys.*, 2011, **84**, 144403.
- 12 M. M. Bordelon, C. X. Liu, L. Posthuma, E. Kenney, M. J. Graf, N. P. Butch, A. Banerjee, S. Calder, L. Balents and S. D. Wilson, *Phys. Rev. B*, 2021, **103**, 014420.
- 13 X.-P. Yao, J. Q. Liu, C.-J. Huang, X. Wang and G. Chen, *Front. Phys.*, 2021, **16**, 53303.
- 14 J. Graham, N. Qureshi, C. Ritter, P. Manuel, A. Wildes and L. Clark, *Phys. Rev. Lett.*, 2023, **130**, 166703.
- 15 E. M. Kenney, M. M. Bordelon, C. Wang, H. Luetkens, S. D. Wilson and M. J. Graf, *Phys. Rev. B*, 2022, **106**, 144401.
- 16 N. D. Kelly, L. Yuan, R. L. Pearson, E. Suard, I. Puente Orench and S. E. Dutton, *Phys. Rev. Mater.*, 2022, **6**, 044410.
- 17 E. J. Popovici, M. Nazarov, L. Muresan, D. Y. Noh, L. B. Tudoran, E. Bica and E. Indrea, *J. Alloys Compd.*, 2010, **497**, 201–209.
- 18 J. Wang, X. Chong, R. Zhou and J. Feng, *Scr. Mater.*, 2017, **126**, 24–28.
- 19 O. Voloshyna, S. V. Neicheva, N. G. Starzhinskiy, I. M. Zenya, S. S. Gridin, V. N. Baumer and O. T. Sidletskiy, *Mater. Sci. Eng., B*, 2013, **178**, 1491–1496.
- 20 D. W. Kim, D. K. Kwon, S. H. Yoon and K. S. Hong, *J. Am. Ceram. Soc.*, 2006, **89**, 3861–3864.
- 21 A. Komkov, *Kristallografiya*, 1959, **4**, 836–841.
- 22 C. Keller, *Z. Anorg. Allg. Chem.*, 1962, **318**, 89–106.
- 23 H. Rooksby and E. White, *Acta Crystallogr.*, 1963, **16**, 888–890.
- 24 S. A. Mather and P. K. Davies, *J. Am. Ceram. Soc.*, 1995, **78**, 2737–2745.



- 25 M. Ryumin, E. Sazonov, V. Guskov, P. Gagarin, A. Khoroshilov, A. Guskov, K. Gavrichev, L. K. Baldaev, I. Mazilin and L. Golushina, *Inorg. Mater.*, 2017, **53**, 728–733.
- 26 L. Chen, M. Y. Hu, P. Wu and J. Feng, *J. Am. Ceram. Soc.*, 2019, **102**, 4809–4821.
- 27 L. Chen, M. Hu, J. Guo, X. Chong and J. Feng, *J. Mater. Sci. Technol.*, 2020, **52**, 20–28.
- 28 F. Wang and R. Gravel, *Phys. Status Solidi B*, 1965, **12**, 609–612.
- 29 J. Cashion, A. Cooke, M. Leask, T. Thorp and M. Wells, *J. Mater. Sci.*, 1968, **3**, 402–407.
- 30 S. Tsunekawa, H. Yamauchi, K. Sasaki, Y. Yamaguchi and T. Fukuda, *J. Alloys Compd.*, 1996, **245**, 89–93.
- 31 K. P. Siqueira, A. P. Carmo, M. J. Bell and A. Dias, *J. Lumin.*, 2013, **138**, 133–137.
- 32 H. M. Rietveld, *J. Appl. Crystallogr.*, 1969, **2**, 65–71.
- 33 A. A. Coelho, *J. Appl. Crystallogr.*, 2018, **51**, 210–218.
- 34 *The Rietveld Method*, ed. R. A. Young (Oxford, 1993, online edn, Oxford Academic, 2023).
- 35 K. Momma and F. Izumi, *J. Appl. Crystallogr.*, 2011, **44**, 1272–1276.
- 36 P. Fischer, G. Frey, M. Koch, M. Könnecke, V. Pomjakushin, J. Schefer, R. Thut, N. Schlumpf, R. Bürge and U. Greuter, *Phys. B*, 2000, **276**, 146–147.
- 37 D. R. Smith and F. Fickett, *J. Res. Natl. Inst. Stand. Technol.*, 1995, **100**, 119.
- 38 E. Gopal, *Specific heats at low temperatures*, Springer Science & Business Media, 2012.
- 39 N. D. Kelly, C. V. Colin, S. E. Dutton, V. Nassif, I. Puente Orench and E. Suard, *Institut Laue-Langevin*, 2021, DOI: [10.5291/ILL-DATA.5-31-2854](https://doi.org/10.5291/ILL-DATA.5-31-2854).
- 40 M. Saura-Múzquiz, B. G. Mullens, H. E. Maynard-Casely and B. J. Kennedy, *Dalton Trans.*, 2021, **50**, 11485–11497.
- 41 H. R. Molavian, M. J. Gingras and B. Canals, *Phys. Rev. Lett.*, 2007, **98**, 157204.

