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Correlated/non-correlated ion dynamics of charge-neutral ion couples: the origin of ionicity in ionic liquids

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Abstract

Proton/Fluoride spin-lattice (T_1) nuclear magnetic relaxation dispersion (NMRD) measurements of 1-butyl-3-methyl-1*H*-imidazolium hexa-fluorophosphate, $[C_4mim][PF_6]$, have been carried out using high field spectrometers and fast-field-cycling instrument at proton Larmor frequencies ranging from 10kHz to 40 MHz, at different temperatures. The NMRD profiles are interpreted by means of a simple relaxation model based on the inter- and intra-ionic dipole-dipole relaxation mechanism. Using an atomic molecular-ion dynamic simulation at 323 K the relevant spin dipole-dipole(DD) correlation functions are calculated. The results indicate the NMRD profiles can be rationalized using intra- and inter-ionic spin DD interactions, however, both are mainly modulated by ionic reorientation because of temporary correlations with cations, where modulation by translational diffusion plays a minor role. Reorientational dynamics of charge-neutral ion couples (i.e. $[C_4mim]^{+} \cdots [PF_6]^{-}$) and $[C_4mim]^{+}$ ions are in the nano-second (ns) time range whereas the reorientation of $[PF_6]^{-}$ is characterized by a reorientational correlation time in the pico-second (ps) regime. Based on the NMRD profiles we conclude the main relaxation mechanism for $[PF_6]^{-}$ is, due to fast internal reorientational motion, a partially averaged F-F intra and a F-H inter-ionic DD coupling as the anion resides in close proximity to its temporary oppositely charged cation partner. The F- T_1 - NMRD data display a ns dispersions which is interpreted as being due to correlated reorientational modulations resultant from H-containing charge-neutral ion couple $[C_4mim]^{+} \cdots [PF_6]^{-}$. The analysis of ionicity is based on the free anion fraction, f and it increase with temperature with $f \rightarrow 1$ at the highest temperatures investigated. The fraction is obtained from the H-F NMRD profiles as correlated-non-correlated dynamics of the ions. The analysis of T_1 relaxation rates of C, H, F and P at high fields cannot generally give the fraction of ion but are consistent with the interpretation based on the NMRD profiles with relaxation contributions due to DD-intra and -inter, CSA-intra (and -inter for C), including spin rotation for P. The investigation has led to a description of the mechanics governing ion transport in the title ionic liquid via identification of transient correlated/non-correlated ion dynamics.

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1 Introduction

Liquid salts, or, "ionic liquids" (ILs), studied since the 1800's, [1, 2, 3] have become popular materials for scientific investigation in efforts to identify replacement solvents (and additives) with enhanced utility towards known and developing chemical processes [4, 5, 6]. The sheer quantity of cation and anion combinations available, that yield salts exhibiting stable liquid compositions at temperatures of interest, has inspired a situation where new solvents are formulated, produced and put into use faster than their physical properties are being investigated, detailed and understood.

Fundamental knowledge concerning available solvent-solute interactions (i.e. active solvation modes, and liquid state dynamics) are highly sought after in order to reduce scientific effort required to identify appropriately tuned materials. In this way, designs anchored to a specific chemical task will provide liquids that enable solution control through maximisation/minimisation of favourable/unfavourable ion-ion and ion-solute contact interactions. Of equal importance, are native ion-ion contact encounters, provided by the pure liquid, where the possibility for correlated/non-correlated ionic motion becomes an important factor in any fundamental understanding of the origins of ion transport mechanics, upon which physico-chemical fluid properties depend (e.g. conductivity, fluidity, density and saturation vapour pressure). As such, the desire to elucidate and define liquid structure provided by these these complex materials has attracted much attention in recent decades and continues to be an area of intense focus in the literature [7].

Nuclear magnetic resonance spectroscopy (NMR) is a powerful, highly developed tool capable of recording dynamics expressed by such intra- and inter-ionic (and/or molecular) ion-ion and ion-solute contact interactions via liquid state encounters. Most commonly the NMR approach utilises static high-field spectrometers (e.g. ^1H Larmor frequencies of 200 - 900 MHz) that can produce magnetic fields of 4.7 - 21 T to selectively discriminate varieties of reorientational motion, through spin-relaxation methods that probe the various spin-active nuclei. Cycled low-field NMR dispersion spectroscopy (NMRD)^[8], capable of alternating the field strength in a single experiment (e.g. ^1H Larmor frequencies of 0.01 - 40 MHz, producing magnetic fields <1 T), are also available, but such spectrometers are much less commonly employed in a given NMR platform. As the time-scale of the reorientational dynamics recorded are inversely proportional to the magnitude of the observe frequency, the NMRD approach is capable of probing motional characteristics in μs to ns that result from much slower dynamics relative to those observed using high-fields.

The title salt, 3-butyl-1-methyl-1*H*-imidazolium hexafluorophosphate, $[\text{C}_4\text{mim}][\text{PF}_6]$, (see Fig. 1)

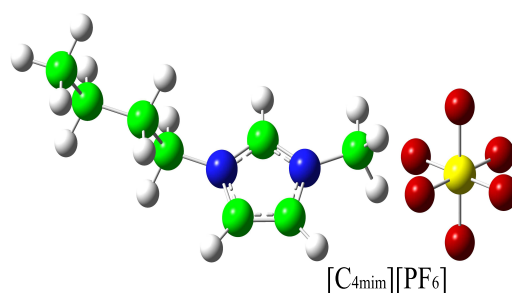


Figure 1: 3-butyl-1-methyl-1*H*-imidazolium hexafluorophosphate, [C_{4mim}][PF₆], Green=C, White=H, Blue=N, Red=F, Yellow=P

has to date received much attention in the arena of molecular dynamics (MD), usually employing static high field approaches that probe fast motions [9, 10, 11]. Our interest in this particular salt, which possesses limited stability under certain conditions^[12], arises solely from the ionic symmetries provided, which are otherwise unavailable with other salts. The protic cation provides a bulky planar asymmetric geometry (anisotropic) for study with various accessible spin-active nuclei (i.e. ¹⁴N, ¹⁵N, ¹³C and ¹H) in contrast to the (isotropic) anion, which possesses a high degree of sphericity ($\Phi = 0.93$), a low charge to volume ratio and distinct spin-active nuclei not available from the cation (i.e. ³¹P and ¹⁹F). Anionic contributions to available dynamics were, therefore, expected to be distinguishable from those due to cations, in the NMRD experiments, thus permitting the disentanglement of “inter”-relaxation interactions between each ion of the oppositely charged ion set, in efforts to rationalise overall ion-dynamics of the liquid system.

Herein, we report on the MD behaviour recorded using both low- and high-field experimental NMR methods that probe various nuclei, and include complementary MD simulations for qualitative guidance. We report on the molecular-ion dynamic behaviour of [C_{4mim}][PF₆] (at several temperatures) through a combined analysis employing experimentally recorded spin lattice relaxation of ¹H and ¹⁹F determined by low-field fast field cycling (FFC) NMRD, ¹³C, ³¹P, ¹⁹F and ¹H determined by high-field NMR with MD simulations and spin relaxation theory^{[13][14][15]}. The analysis aims to describe ionic reorientational motion responsible for proton and fluoride spin-lattice NMRD relaxation profiles and ³¹P, ¹³C, ¹H and ¹⁹F *T*₁ relaxation at high fields, with complementary MD simulations providing qualitative guidance in the experimental data evaluations. The NMRD field dependence of the longitudinal spin relaxation is displayed using relaxation profiles (Fig. 2) where spin-lattice relaxation rates are measured as a function of the proton Larmor frequency ranging from 10 kHz to 40 MHz. A model was developed to interpret relaxation data in terms of inter- and intra-ionic spin dipole-dipole correlation functions obtained from a full atom molecular dynamics simulation model^[16]. The time correlation functions (see Figs. 7-9) are mainly modulated by short and long correlation times characterising ionic reorientation and a order parameter (*S*).

Spin-lattice NMR dispersion experiments are used extensively for studies of molecular dynamics (mainly water) in different solutions and more recently also for ionic liquids^[17, 18, 19, 20, 21]. NMR relaxation theory provides a connection between experimental *T*₁ NMRD profiles and relevant molecular/ionic reorientational/translational dynamics, which is studied in the MD simulation and which determine the spectral densities of the relaxation model describing the spin relaxation rates

and the shape of the R_1 -NMRD profiles.

NMR dispersion experiments were performed by Seyedlar et al^[22] in their analysis on the dynamics of the ionic liquid $[C_4mim][NTf_2]$. They assume more simplified relaxation expressions for the relevant NMR relaxation mechanisms that are the intra- and inter-ionic dipole-dipole interactions as induced by ionic translational and rotational diffusion of the molecular-ions. They also focus on super cooled states where ionic reorientation and translation are (strongly) correlated and much more complex than at higher temperatures. Kruk et al^[23] presented an H and F T_1 -NMRD study of $[C_4mim][PF_6]$ covering the proton frequency range from 10kHz to 20MHz. The paper focused on extraction of translational diffusion coefficients from dispersion profiles obtained by FFC-NMRD measurements. In contrast to our approach, however, they assume that translational diffusion is relevant as the only time modulation of the dominant H-H inter-ionic dipole-dipole contribution, obtaining good fits to the low field part of the measured 1H spin-lattice relaxation rates. They concluded that ^{19}F relaxation is dominated by inter-ionic dipole-dipole coupling where $F-H$ and $F-F$ contributions are comparable. While we agree that the main relaxation pathway is inter-ionic $F-H$ dipole-dipole coupling, we instead assume it is mainly modulated by cationic reorientational motion, and that ^{19}F relaxation of $[PF_6]^-$ has a relatively small intra-ionic contribution because of fast (ps) rotation.

Our approach is also a simplification, although it is partly supported by experimental results indicating self-diffusion of the ions $[C_4mim]^+$ and $[PF_6]^-$ are very slow; experimentally determined diffusion coefficients are $D_{cation} = 6.7 \times 10^{-7} cm^2 s^{-1}$ and $D_{anion} = 5.7 \times 10^{-7} cm^2 s^{-1}$ at 353K^[24]. While molecular-ion dynamic simulations give approximately an order of magnitude faster translational diffusion coefficients they indicate that both ions have similar diffusion coefficients and a similar temperature dependence. These findings thus support translational motion of the oppositely charged ion couples as being slow and strongly correlated^[39]. The crucial observation (Fig 2) is the ns-dispersion displayed in the NMRD profiles for both the bulky cation and the small anion. **That the small symmetric anion $[PF_6]^-$ would display a T_1 -dispersion at the same frequencies as for the much larger cation was unexpected.** One would rather expect the dispersion of the anion to be absent or instead appear at considerably higher frequencies, with its reorientation being much faster than for the cation. The ^{19}F T_1 - NMRD profiles at $T < 298K$ however, strongly indicate that the spin relaxation of anions are the same as for the cations. **How the observation of such dynamics can be rationalized is the main focus of this work.** The solution is obtained by developing a relaxation model describing that of both anions and cations. The model developed, and the analysis using it, indicate correlated motions between ions of opposite charge, at low temperatures. This correlated motion (all but) disappears at higher temperatures. We rationalized this as the consequence of the main anionic relaxation mechanism being resultant from inter-ionic F-H dipole-dipole-interactions with cations. At the low temperatures, ions are moving as transient charge-neutral ion couples. The model explains the unexpected correlation by introducing a fraction (f) in eq. (4) of ion couples which is temperature dependent. The presence of charge-neutral ion couples is thus captured by the temperature dependent fraction f which represents new results about ILs **not previously achieved by NMR relaxation analysis or any other experimental method.** The gradual disappearance of the *ns* dispersion thus reflect the temperature dependence of the fraction f and the decrease of charge-neutral ion couples. The NMRD profiles display a somewhat stretched behaviour and are fitted using 2 fractions of charge-neutral ion couples, to account for the 2 types of $[C_4mim] \cdots [PF_6]$ that possess 2 different life-times. The effective correlation times are thus defined as: $1/\tau_{c,i} = 1/\tau_R + 1/\tau_{res}$ where the rotational correlation time (τ_R) is combined with the residence life time (τ_{res}) of the ion couple. In table

3 and 4 the fraction of one of the charge neutral couple species has been normalized to the low temperature NMRD profile show the increase of f , the fraction of free anion with temperature (see Fig. 4). The same qualitatively behaviour is obtained for the both the charge neutral species.

Multi-exponential reorientational dynamics may be expected due to the low symmetry of the $[C_4mim]^{+}[PF_6]^{-}$ and $[C_4mim]^{+}$ entities, however, the relevant time correlation functions obtained from the full atomic MD simulations display a slow decay which is approximately singly exponential for the long time tail for both inter- and intra-ionic dipole dipole correlation functions.

The consequences of these findings are of relevance to long standing interest in liquid salts' literature concerning general aspects of ion transport and more specifically the ongoing debate entertaining the question of the existence of "classical" long-lived contact ion-pairs in the neat liquids. We briefly address here the generally preferred assumption for the dominance of translational diffusion that has been almost exclusively relied upon with regard to given rationalisations of ion transport and ion dynamics:

1. Previously, almost all theoretical efforts describing "inter"-relaxation effects have been based on the assumption that such interactions are entirely controlled by translational diffusion. This began especially with numerous and monumental works of Ayant/Belorszky/Fries [25, 26] which assume from the start that $\tau_{inter} \propto 1/D$, where $D \equiv$ self-diffusion coefficient. Kruk's work [23] also operates on this assumption. In the present work one important distinction is that remote-spin interactions are not governed exclusively by translational diffusion but rather *via* molecular-ion reorientation.
2. The field independent relaxation contribution at low field, denoted α , reveals at high fields an "inter-ionic" chemical shift anisotropy (CSA) interaction, which we denote CSA-inter, that is modulated by the on-and-off exchange motion of anions where F atoms form "hydrogen" bonds to cation H thus generating a chemical shift. This relaxation mechanism can thus operate at higher fields. This observation was unexpected since in the typical case, the amplitude of CSA mechanism is directed by intra-ionic reorientational motion and dispersed at high fields. Further details are presented in the section featuring the α term analysis, where the effect from anion to cation is detailed.
3. Empirical quantification of liquid salt ionicity, in the spirit of the Nernst-Einstein ratio, $\Lambda_{exp't}/\Lambda_{N-E}$, (with $\Lambda_{exp't}$ the experimentally determined molar conductivity, and Λ_{N-E} that estimated using the Nernst-Einstein relation, long known to be an over-estimation), also relies on the strict assumption that ionic conductivity is solely determined by translational diffusion. Deviations from $\Lambda_{exp't}/\Lambda_{N-E} = 1$, are exclusively rationalised in terms of long-lived ion-pair formation to account for "missing" ion-transport contributions. As a result, the possibility of $\Lambda_{exp't}/\Lambda_{N-E} < 1$ being effectively the combined result of ionic friction (kinetic energy losses due to electrophoretic effects), an asymmetric dipole density, and fleetingly correlated charge-neutral ion couples, has largely been ignored. In the present work, fractions f describing ionicity of $[C_4mim][PF_6]$ are obtained directly from the model (i.e. without any need for detailed assumptions) which display an anticipated temperature dependence, and that far exceed those obtained using the typical empirical approaches. This temperature dependent fraction thus indicates correlated/non-correlated ion dynamics, and becomes important quantity in any rationalisation of the origins of ion transport in ionic liquids.

2 Material methods and experimental results

The ionic liquid 1-butyl-3-methyl-1*H*-imidazolium hexafluorophosphate, $[C_4mim][PF_6]$, purchased from Fluka (98.5%), was introduced to the NMR tube without any other preparations. The 10 mm NMR tube for NMRD was sealed to prevent water ingress into the ionic liquid sample and at high field 5mm tubes with a DMSO capillary.

2.1 Molecular Dynamics Simulation of $[C_4mim][PF_6]$

2.1.1 Atomistic force field

The atomistic force field parameters for the $[C_4mim][PF_6]$ IL were directly taken from Ref.^[27] without further modification. This force field was systematically developed for the $[C_nmim]$ family of ILs investigated here, in which both inter- and intra-ionic interaction parameters were first refined to achieve a quantitative description of the inter-ionic structure obtained from quantum chemistry *ab initio* calculations, and thereafter tuned to fit vibrational frequency data obtained from experimental measurements, respectively. The cross interaction parameters between unlike atoms are obtained by the Lorentz-Berthelot combining rule. More details about the MD simulation is given in Appendix.

2.2 Proton 1H and ^{19}F spin Relaxation measurements

1. Low Field: The proton and fluoride longitudinal relaxation rate, $R_1^{EXP}(\omega)$ was measured on a 1T Stellar FFC2000 fast-field-cycling instrument with polarization at 25 MHz and detection at 16.29 MHz (17.32 for F, the field is expressed in proton Larmor frequency). The relaxation takes place at different proton Larmor frequencies ranging from 0.01 to 40 MHz. The switching time is 3 ms, and a 90° pulse length of 8.1 μs . The polarization and recover time were set to 4 T_1 and the number of accumulated transients was 4 for all samples. The sample temperatures are 268 K - 323 K, determined within ± 1 degree but maintained within ± 0.1 degree using the temperature unit of the Stellar spectrometer.
2. High Field: The NMR spectra were recorded using Bruker Avance III HD 600 MHz and Bruker Avance III 500 MHz spectrometers equipped with a 5 mm broad band observe cryo probe, and a 5 mm inverse broad band probe, respectively. 1H , ^{19}F and ^{31}P spectra were recorded using direct polarization without decoupling and corresponding T_1 -relaxation was measured using the inversion recovery method. ^{13}C spectra and inversion recoveries were recorded using 1H WALTZ-16 decoupling at 2500Hz field strength during acquisition. The heteronuclear Overhauser effect were measured according to the Berger method^[28] with continuous wave 1H presaturation on compared to off resonance for 20s at 2500Hz field strength followed by a ^{13}C 90 excitation pulse and on resonance CW decoupling during acquisition. The heteroNOEs were run for the three directly bond $^1H - ^{13}C$ pairs of the C_4mim imidazole ring.

2.3 Experimental results

In Fig.2 the 1H and ^{19}F spin-lattice relaxation profiles are displayed for temperatures ranging from T= 268 K to 323 K. Both 1H and ^{19}F NMRD profiles at low temperatures (268 K - 303 K) display pronounced and similar dispersions with low field relaxation rates that decrease at higher

temperatures. The NMRD profiles at 323 K seem to be almost constant with field, however, the relaxation rate has decreased an order of magnitude and the relatively small dispersion shifts towards higher field but is still connected to a correlation time in the ns regime. The somewhat stretched dispersion indicates at least 2 effective correlation times, referring to some similar dynamics for both protons and fluoride.

In Fig.3 the temperature dependence of the low field limit values, $R_{1,H,EXP}(\omega_{min}) (= R_1(max))$ and $R_{1,F,EXP}(\omega_{min}) (= R_1(max))$ versus $100/T$. One should note that the slope of H and F relaxation rate are the same which supports the same physical process being involved in the changes observed for the relaxation rates of both F and H. That is, we assume that the dominant modulation is due to cationic reorientation. Also shown in Fig.3 is the temperature dependence of the relaxation contribution ($R_1(\tau_{c2})$) from one of the $[C_4mim][PF_6]$ species with effective correlation time τ_{c2} (Tau_c2, ns) in Fig.3) These two quantities are obtained from the relaxation model and the analysis summarized in tab 3 and 4. The relaxation rate $R_1(\tau_{c2})$ (Fig.4 D and G) display the same temperature dependence as for the unprocessed relaxation data $R_1(max)$. The temperature dependence of $\tau_{c,2}$ is very small because it is dominated by the residence time (τ_{res}) rather than the reorientational correlation time (τ_R). Thus the temperature dependence of these results is consistent with the temperature dependence of the unprocessed relaxation rates.

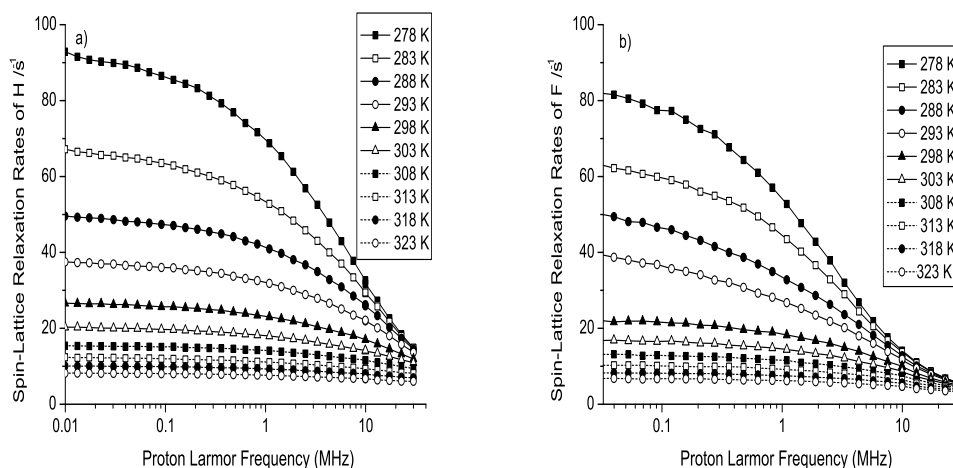


Figure 2: R_1 -NMRD profiles $R_{1,H,EXP}(\omega)$ (a) and $R_{1,F,EXP}(\omega)$ (b) at temperatures ranging from 278 K to 323 K. Best fit parameters obtained from the NMRD analysis are given in tables 2 and 3.

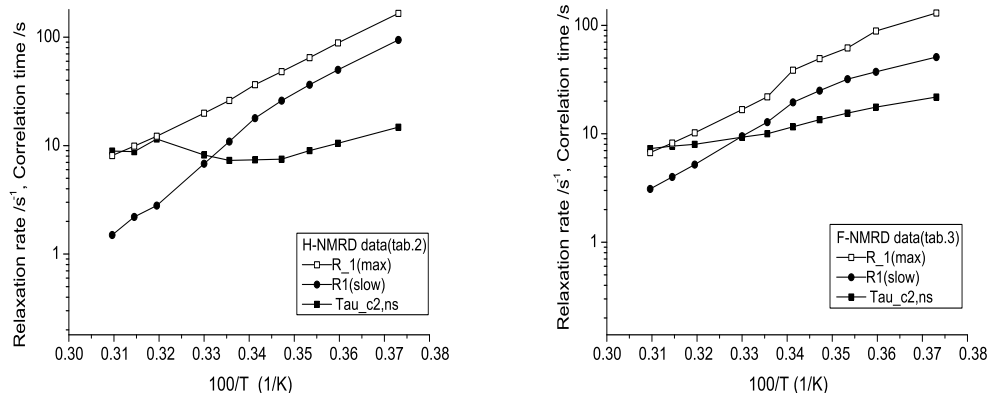
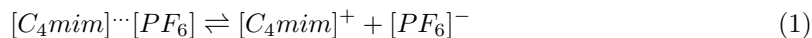


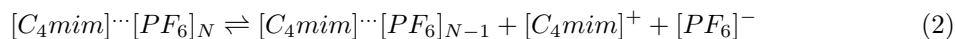
Figure 3: The temperature dependence of the relaxation rates in table 2 and 3 of H($R_1(max)$) (a) and F($R_1(max)$) (b) versus the $100/T$, are displayed. H and F R_1 -NMRD profiles have the same temperature dependence. Also the temperature dependence of the correlation time ($\tau_{c,2}$) = $\tau_{c,2}$ and $R_1(slow) = R_1(\tau_{c,2})$ of table 2 and table 3 are displayed

3 Relaxation Theory and ILs Relaxation Model

In a simple picture of the ionic liquid the equilibrium is:



where each of the species has a well defined fraction as well as a characteristic *intrinsic* relaxation rate. For the charge-neutral ion couple $[C_4mim] \cdots [PF_6]$ the intrinsic proton spin relaxation rate is $R_{1,H}^{[C_4mim] \cdots [PF_6]}(\omega)$ whereas its fluoride relaxation rate is given by $R_{1,F}^{[C_4mim] \cdots [PF_6]}(\omega)$. The corresponding relaxation rates for the ions are $R_{1,H}^{[C_4mim]^+}(\omega)$ and $R_{1,F}^{[PF_6]^-}(\omega)$, respectively. This simple picture thus ignores more complex equilibrium such as:



where possible aggregates may have $N > 1$. Using the simplest equilibrium and chemical exchange conditions, the experimental relaxation rates may be expressed as a sum of population averaged intrinsic relaxation rates. For the proton R_1 -NMRD profile we have:

$$R_{1,H,EXP}(\omega) = f_1 R_{1,H}^{[C_4mim] \cdots [PF_6]_1}(\omega) + f_2 R_{1,H}^{[C_4mim] \cdots [PF_6]_2}(\omega) + f R_{1,H}^{[C_4mim]^+}(\omega) \quad (3)$$

and for the F-NMRD profile:

$$R_{1,F,EXP}(\omega) = f_1 R_{1,F}^{[C_4mim] \cdots [PF_6]_1}(\omega) + f_2 R_{1,F}^{[C_4mim] \cdots [PF_6]_2}(\omega) + f R_{1,F}^{[PF_6]^-}(\omega) \quad (4)$$

where f is the equilibrium dissociation fraction of the oppositely charged counter ions and $f_1 + f_2 + f = 1$. In the analysis of the NMRD profiles two types of $[C_4mim] \cdots [PF_6]$ entities are introduced,

using the fractions f_1 and f_2 , with one species with a residence time shorter than the reorientation correlation time.

We first consider Eq.(3) and the 15 protons of $[C_4mim]^+$ and $[C_4mim]^\cdots[PF_6]$. These protons are not individually resolved in the relaxation measurement of the FFC spectrometer which means that proton relaxation is due to spin dipole-dipole coupling to all other nuclear spins which are most conveniently divided into homo- and hetero-nuclear intra- and inter-ionic dipole-dipole interactions^[15]. The first relaxation contribution of Eq.(3)reads($k=1,2$):

$$R_{1,H}^{[C_4mim]^\cdots[PF_6]_k}(\omega) = R_{1,H}^{Intra,homo}(\omega) + R_{1,H-F}^{Inter,hetero}(\omega) \quad (5)$$

The main relaxation mechanisms are intra-ionic dipole-dipole coupling between the 15 protons and the inter dipole-dipole coupling between H and F in the charge-neutral ion couple. We thus neglect H-P ($\gamma_P = 0.4\gamma_H$) and other nuclear spin dipole couplings as well as the inter-ionic H-H dipole-dipole coupling between protons of different cations. The second relaxation contribution of Eq.(3) ($R_{1,H}^{[C_4mim]^+}(\omega)$) is due to homo-nuclear intra-ionic dipole-dipole coupling of the protons of the cation and is assumed to be the same as the intra-homo nuclear relaxation contribution of Eq.(5) thus assuming that the reorientation of the cation and the charge-neutral ion couple is very much the same. Here, we thus ignore the inter-ionic dipole-dipole interactions between protons of different $[C_4mim]^+$ ions or $[C_4mim]^\cdots[PF_6]$ couples. Consequently, Eq.(3) can be rewritten as:

$$R_{1,H,EXP}(\omega) = f_1 R_{1,H-F1}^{Inter,hetero}(\omega) + f_2 R_{1,H-F2}^{Inter,hetero}(\omega) + R_{1,H}^{Intra,homo}(\omega) \quad (6)$$

We now turn to Eq.(4) and consider the fluoride spin relaxation. The anion forms a charge-neutral ion couple ($k=1,2$) where F-spins are dipole-dipole coupled to protons of the cation, and to the other F of the anion.

$$R_{1,F}^{[C_4mim]^\cdots[PF_6]_k}(\omega) = R_{1,F}^{Intra,homo}(\omega) + R_{1,H-F}^{Inter,hetero}(\omega) \quad (7)$$

The first term in Eq.(7) has a fast modulated part and a partially averaged slow tumbling part. The locally fast modulated part is not expected to give a relaxation contribution with a dispersion in the ns time regime because the internal rotation is most probably too fast (ps) and we ignore this inter F-F dipole interactions (as well as the translation diffusion modulated) because the mean distance is expected to be rather large. This relaxation contribution is due to a partially averaged dipole-dipole coupling with a restricted reorientation in the ps regime. This field independent relaxation contribution is therefore included in the relaxation term denoted α . Consequently, the main relaxation contribution giving rise to a ns dispersion is the correlated reorientation due to the partially averaged intra-homo term denoted $\langle R_{1,F}^{Intra,homo}(\omega) \rangle$ and the second term of Eq.(7) referring to inter-ionic H-F dipole dipole couplings. Eq.(4) may be rewritten as:

$$R_{1,F,EXP}(\omega) = f_1(\langle R_{1,F}^{Intra,homo}(\omega) \rangle + \langle R_{1,H-F1}^{Inter,hetero}(\omega) \rangle) + f_2(\langle R_{1,F}^{Intra,homo}(\omega) \rangle + \langle R_{1,H-F2}^{Inter,hetero}(\omega) \rangle) + \alpha. \quad (8)$$

where $\langle \dots \rangle$ denotes a partial average over fast local motion.

4 Results: The analysis of the NMRD profiles

The measured proton and fluoride spin-lattice relaxation profiles are analyzed using Eq.(3-8 and Eq.(15)), with the relaxation contributions in Eq.(6) reading^[15]:

$$R_{1,H}^{Intra,homo}(\omega) = [R_1(\tau_{c,1})] \left[\frac{0.2}{1 + \omega_{0H}^2 \tau_{c,1}^2} + \frac{0.8}{1 + 4(\omega_{0H})^2 \tau_{c,1}^2} \right] \quad (9)$$

$$R_{1,H-F}^{Inter,hetero}(\omega) = [R_1(\tau_{c,2})] \left[\frac{0.2}{1 + \omega_{0H}^2 \tau_{c,2}^2} + \frac{0.8}{1 + (\omega_{0F} + \omega_{0H})^2 \tau_{c,2}^2} \right] \quad (10)$$

and for the F-NMRD profile Eq.(8) is specified as:

$$R_{1,H-F1}^{Inter,hetero}(\omega) = [R_1(\tau_{c,1})] \left[\frac{0.2}{1 + \omega_{0F}^2 \tau_{c,1}^2} + \frac{0.8}{1 + (\omega_{0F} + \omega_{0H})^2 \tau_{c,1}^2} \right] \quad (11)$$

$$R_{1,H-F2}^{Inter,hetero}(\omega) = [R_1(\tau_{c,2})] \left[\frac{0.2}{1 + \omega_{0F}^2 \tau_{c,2}^2} + \frac{0.8}{1 + (\omega_{0F} + \omega_{0H})^2 \tau_{c,2}^2} \right] \quad (12)$$

$$R_{1,F}^{[PF_6]^-} \Rightarrow \alpha \quad (13)$$

Here, $R_{1,H-F1}^{Inter,hetero}(\omega)$ is simplified and the H-F relaxation contributions are given by one exponential instead of two which is the general case^[13], and the amount of partially averaged intra-homo is not know but have field dependence due to $1/(1 + (2\omega_F)^2 \tau_{c,2}^2)$ and is now included in eqs.(19) and (20). The error introduced in the dispersion is relatively small and do not influence the other parameters of the model (within the experimental error) because the spectral densities for H and F are similar since $\omega_F = 0.94\omega_H$

The proton $R_{1,H,EXP}(\omega)$ and fluoride $R_{1,F,EXP}(\omega)$ -NMRD profiles are displayed in fig 2 at temperatures ranging from T= 268 K to 323 K. They are slightly stretched with a dispersion which is gradually disappearing at higher temperatures. The four fitting parameters of the relaxation model are: $[f_2 R_1(\tau_{c,2})]$, α , $\tau_{c,1}$ and $\tau_{c,2}$ and we obtain the dependent relaxation rate parameter $[f_1 R_1(\tau_{c,1})]$ from $R_1(max) - \alpha - f_2 R_1(\tau_{c,2})$ where $R_1(max)$ is the experimental low field value of the NMRD profile. The best fit parameters using the Levenberg-Marquardt-fitting procedure are summarised in table 3 and 4.

If the fraction $f(T)$ of free $[PF_6]^-$ ions is very small, as may be expected at low temperatures, the relative change of $f(T)$ with temperature can be estimated from the variation of the relaxation rates. In table 3 and 4 we relate the fraction to $f_2(268)$ and calculate the relative change of the fractions with temperatures using $[f_2 R_1(\tau_{c,2})]$ with the shortest effective correlation time $\tau_{c,2}$.

$$\Delta f_2(T) \equiv 1 - \frac{[f_2 R_1(\tau_{c,2})]_T}{[f_2 R_1(\tau_{c,2})]_{T=268}} \quad (14)$$

This estimation of the fraction assumes that the temperature dependence of the relaxation rates are only due to the temperature dependence in the effective correlation time and the fraction but not in the order parameter S . A corresponding expression may be defined for the other fraction $f_1(T)$, however, the correlation times $\tau_{c,1}$ is much more uncertain and therefore the error becomes rather large but the main trend is the same, with increasing fraction f of anion with temperature. Fig.4

displays the temperature dependence of the experimental relaxation rate $R_1(max)$, as well as for the relaxation rate of the slow decaying contribution $f_2 R_1(\tau_{c2})$ which has the characteristic correlation time $\tau_{c,2}$. The unprocessed data and the relaxation rate obtained from the fitting procedure display similar temperature dependence for both F and H. Consequently, the fluoride relaxation and the proton relaxation is expected to be due to similar dynamic processes, with the same activation energy.

4.1 The field independent relaxation contribution α at 278 and 328 K

Static field NMR differs from NMRD in that it enables selective investigation of individual spin-active nuclei and provides a discriminating analysis involving multiple relaxation mechanisms. At low field, NMRD probes slower ionic motion in the dispersive regime, while high field approaches are more often employed to probe fast motion (α term). In the following analysis, all rates were processed using the following order parameters: $S = 0.63$ at $T = 278$ K and $S = 0.61$ at $T = 328$ K. Data detailed here is presented in Table 1 below.

At low temperatures, anions form temporary charge-neutral ion couples with the cation, where internal rotations are expected to contribute to the α term. The relevant correlation functions from the MD simulations are displayed in Figs. 7-9. All display an initial fast decay (ps) followed by a slow single exponential decay in the ns time regime. In the effective correlation function, the initial decay is described by τ_f and is given in the range of 10-20 ps according to the simulation, which compare well with those determined experimentally at high field (e.g. 1-3 ps). The α terms thus have contributions expressed in Eqs. (13) and (14).

Observation of this initial fast decay led us to probe the IL using higher static fields of 500 and 600 MHz (based on the proton Larmor frequency), with optimal relaxation recorded at the respective observe frequencies, exhibiting correlation times $C/\omega_{0(500MHz)}$ and $C/\omega_{0(600MHz)}$, where C is a spectral density dependent constant. Experimental data recorded at these increased field strengths (11-14 T), at 278 and 328 K, indicate the IL exhibits frequency independent T_1 relaxation, having fulfilled the condition of motional narrowing ($\omega_0\tau \ll 1$)^{19F} and ^{31P}, giving rise to the reorientational motion regime corresponding to the α term.

The ^{31P} nucleus of $[PF_6]^-$, residing on the interior of a symmetrical octahedron comprised of ^{19F} vertices, is found to relax via dipole-dipole (DD), chemical shift anisotropy (CSA) and spin-rotation (SR), at high field. Overall ^{31P} rates on each static field, exhibit a reverse temperature dependence (i.e. increasing with temperature and extreme narrowing), the signature of SR, which opposes that of all other known relaxation mechanisms. This assignment is strictly intuitive and should be considered with caution; SR relaxation theory was developed for homogenous solution and may not be relevant for the more complex micro-heterogeneous ILs. While CSA is active for ^{31P} nuclei, with $\Delta\sigma = -2.85$ ppm, it contributes negligibly to the overall relaxation (<0.003 %), and is found to decrease with increased temperature.

^{31P}-^{19F} NOEs were recorded ($\eta_{NOE} = 0.46$ and 0.19 for low and high temperatures respectively) enabling the disentanglement of intra-ionic DD from the overall rate; inter-ionic DD is not active for ^{31P}. Intra-ionic DD relaxation was found to account for 40 and 16 % of R_1 at temperatures 278 and 328 K, respectively, with the residual rate accounted for by the SR mechanism, with associated contributions of 60 and 84 %, on both fields. ^{19F} nuclei are found to relax predominantly via inter-ionic DD coupling by other ^{19F} and ^{31P} (70 and 80 % of R_1 at 278 and 328 K), directed by F-H hydrogen bond formation with cations (intra-ionic DD provides a 17 and 10% contribution at 278 and 328 K). In this way, DD relaxation rates scale proportionally to those found from the

NMRD experiments. $\Delta\sigma = -99.99$ ppm is of a sizeable magnitude for ^{19}F in $[\text{PF}_6]^-$, however, the CSA mechanism contributes only 11 and 7 % at the low and high temperature, respectively, and is governed by internal reorientational anionic motion.

In terms of the cation, a small intra-ionic contribution to α for the DD proton relaxation, as well as a dominating inter-ionic DD contribution indicates a dense packing (with as small as possible r_{ij} distances) as might be expected for a highly concentrated liquid salt (4.89 M, or, ≈ 10 M for the binary system, at $T = 278$ K). Inter-ionic DD relaxation accounts for as much as 95 and 86 % of R_1 at temperatures of 278 and 328 K respectively, in complete accord with NMRD data. Intra-ionic DD correlation times are on the order of 10-30 ps across both fields, with the highest values observed at high temperatures.

Analysis of the ring carbons C2, C4 and C5 (alkyl group C were not analysed) provided NOEs on the order of $\eta_{NOE} = 0.30$ and 1.00 for low and high temperatures respectively, with DD rates found to decrease at high temperature. Intra-ionic DD relaxation was found to account for 20 and 60 % of R_1 at temperatures 278 and 328 K, respectively, with the residual rate accounted for by the CSA mechanism. ^{13}C nuclei were found to relax predominantly by CSA at the low temperature ($\Delta\sigma \approx 120$ ppm), with magnitudes observed to fall at the high temperature, and required fits that revealed both intra- and inter-ionic contributions. CSA-intra relaxation, modulated strictly by internal reorientational cationic motion, exhibited the expected field dependence, and was found to increase 2-fold from the low to high temperature, across both fields. Fast internal motion, with its associated correlation time (on the order of 10-20 ps), however, could not completely account for the entire ^{13}C CSA rate, with large magnitude residual rates remaining at both temperatures and fields.

The relaxation analysis reveals a correlation time, $\tau_{inter}^{CSA2} = 0.8\text{ns}$ which is in accord with the formation and break-up of charge-neutral ion couples, as F-H hydrogen bonds are formed and broken. This formation is, however, shorter than the residence time (10-20 ns) of the anion at the cation surface since the anion is locally rotating whereby its various F atoms form and break hydrogen bonds which are thereby responsible for the chemical shift and thus modulation of the CSA. In this way, the high field relaxation analysis is actually capable of revealing the formation and break-up, via CSA-inter modulation, of charge-neutral ion couples, as identified through the NMRD analysis.

It is noteworthy that the CSA-inter rates are halved at the high temperature, at the same time that CSA-intra rates double. This reveals the impact of increasing kT , with respect to the charge-neutral ion couple populations. At low temperatures, where such couples predominate, the influence of the anion partner, as well as the radial distribution of anions in the first cationic solvation shell, is shown with CSA-inter rates on the order of 1.27 s^{-1} (with correlation times on the order of 1.2 ns) which comprise 80 % of the total ^{13}C relaxation rate (as compared to 0.5-0.6 % due to CSA-intra at the same temperature). CSA-inter rates reduce in magnitude by up to 50 % at the high temperature, dropping overall contributions to total CSA relaxation accordingly, as the fraction f of free oppositely charged ions increase to 90% and charge-neutral ion couple populations are almost entirely depleted. This behaviour is very much in agreement with the low field analysis, with fast cationic motion recorded at high field, found to increase with temperature, and where CSA-inter contributions reduce (correlation times drop to values of ≈ 0.5 ns) in accordance with the drop in density due to bulk volume expansion.

Overall the α term analysis indicates a dominance of fast motion, increasing from the low temperature and becoming quite pronounced at the highest temperature investigated. This signals the continuous break-up of the charge-neutral ion couples as the magnitude of kT increases, concordant

with the NMRD analysis.

T /K, B_0 /MHz	R_1 (1/s)	$\Delta\sigma$ (ppm)	$R_{1,intra}^{CSA}$ (1/s)	τ_{intra}^{CSA}	$R_{1,inter}^{CSA}$ (1/s)	τ_{inter}^{CSA} (ps)
cation	$C4$					
278, 500/600	2.439/1.852	121.3	0.011/0.010	11.39/7.32	1.950/1.534	199/109
328, 500/600	1.961/1.786	121.3	0.025/0.033	24.35/22.17	0.872/0.784	854/534
T /K, B_0 /MHz	R_1 (1/s)	$\Delta\sigma$ (ppm)	$R_{1,intra}^{DD}$	τ_{intra}^{DD} (ps)	$R_{1,inter}^{DD}$ (1/s)	R_1^{SR} (1/s)
cation	$C4$					
278, 500/600	2.439/1.852	121.3	0.478/0.307	11.39/7.32	-	-
328, 500/600	1.961/1.786	121.3	1.06/0.969	24.35/22.17	-	-
cation	$H4$					
278, 500/600	0.952/0.977	-	0.059/0.0380	11.39/7.32	0.893/0.939	-
328, 500/600	0.730/0.689	-	0.132/0.120	24.34/22.17	0.598/0.569	-
anion	P					
278, 500/600	0.230/0.238	-2.845	0.0912/0.0943	3.35/3.47	-	0.139/0.144
328, 500/600	0.256/0.253	-2.845	0.0419/0.0414	1.48/1.46	-	0.215/0.212
	F					
278, 500/600	0.789/1.082	-99.99	0.134/0.139	3.35/3.47	0.565/0.810	-
328, 500/600	0.583/0.758	-99.99	0.062/0.061	1.48/1.46	0.480/0.638	-

Table 1: High field 500 and 600 MHz relaxation data for $[C_4mim]^+$ (^{13}C and 1H) and $[PF_6]^-$ (^{31}P and ^{19}F), at 2 temperatures.

T./K	$\tau_{c,1}$ (ns)	$\tau_{c,2}$ (ns)	$\alpha(s^{-1})$	$R_1(max)(s^{-1})$	$f_2R_1(\tau_{c,2})(s^{-1})$	$1 - f_2/f_2(268)$	cred
268	202 ±23	15.0±0.7	9.8±0.6	164.7±1.4	94.0±3.4	0	0.41
278	150±18	10.5±0.6	11.0±0.8	88.7±0.7	48.3±1.7	0.22±0.3	0.67
283	153±21	9.0±0.6	11.0±0.8	64.8±0.5	36.3±1.0	0.36±0.3	0.85
288	129±20	7.5±0.6	10.7±0.8	48.1±0.3	26.0±0.9	0.45±0.3	0.94
293	134±22	7.5±0.8	11.1±0.8	36.5±0.2	17.9±0.7	0.62±0.3	0.97
298	130±21	7.4±0.9	10.4±0.6	26.0±0.1	10.8±0.5	0.77±0.3	0.98
303	149±27	8.3±1.0	10.2±0.4	19.9±0.1	6.7±0.4	0.89±0.3	0.99
308	117±25	7.9±1.4	8.9±0.3	15.2±0.1	4.5±0.3	0.91±0.3	0.99
313	253±53	11.6±1.8	8.0±0.2	12.2±0.1	2.8±0.2	0.94±0.3	0.99
318	138±33	8.8±1.7	6.7±0.2	9.95±0.05	2.2±0.2	0.95±0.3	0.99
323	153±39	9.0±2.0	5.9±0.2	8.13±0.03	1.51±0.14	0.97±0.3	1.0

Table 2: Temperature dependent 1H spin-lattice rates. The model parameters from a Levenberg-Marquardt-fitting of proton NMRD profiles of Fig 2(right) using Eq.(6),(17),(18) the relative fraction at different temperatures is defined in eq.(14): "cred" means credibility of the L- M fitting.

T/ K	$\tau_{c,1}$ (ns)	$\tau_{c,2}$ (ns)	$\alpha(s^{-1})$	$R_1(max)(s^{-1})$	$f_2 R_1(\tau_{c,2})(s^{-1})$	$1 - f_2/f_2(268) \pm 0.3$	cred
268	194 \pm 20	21.5 \pm 1.4	4.4 \pm 0.4	131 \pm 1.5	52.2 \pm 3.5	0	0.30
278	157 \pm 22	17.3 \pm 1.2	4.5 \pm 0.3	80.7 \pm 1.0	37.7 \pm 2.7	0.11	0.93
283	156 \pm 23	15.3 \pm 1.0	4.2 \pm 0.3	61.9 \pm 0.8	32.3 \pm 1.9	0.13	0.93
288	226 \pm 30	13.25 \pm 0.7	4.0 \pm 0.2	49.5 \pm 0.6	25.1 \pm 0.9	0.22	0.71
293	206 \pm 27	11.3 \pm 0.7	3.7 \pm 0.2	38.6 \pm 0.5	19.6 \pm 0.7	0.29	0.89
298	140 \pm 34	9.8 \pm 1.0	3.5 \pm 0.3	21.9 \pm 0.3	12.9 \pm 0.6	0.46	1.0
303	127 \pm 38	9.0 \pm 1.2	3.5 \pm 0.3	16.7 \pm 0.2	9.5 \pm 0.5	0.57	1.0
308	111 \pm 30	8.0 \pm 1.2	3.3. \pm 0.3	13.0 \pm 0.2	7.0 \pm 0.4	0.64	1.0
313	108 \pm 44	7.8 \pm 1.4	3.2. \pm 0.3	10.4 \pm 0.1	5.2 \pm 0.4	0.72	1.0
318	120 \pm 58	7.5 \pm 1.4	2.9. \pm 0.4	8.2 \pm 0.1	4.0 \pm 0.3	0.78	1.0
323	114 \pm 76	7.1 \pm 1.7	2.6. \pm 0.4	6.7 \pm 0.1	3.1 \pm 0.3	0.82	1.0

Table 3: Temperature dependent ^{19}F spin-lattice rates. The model parameters from Levenberg-Marquardt-fitting of the NMRD profiles of Fig 2(right) using Eqs.(8), (19)-(21)

4.2 Ionicity

Methods designed to determine the extent to which liquid salt ions are dissociated have been of scientific interest since at least the 1960's [29]. The most accessible approach for the determination of ionic liquid ionicity tends to employ ion transport properties (molar conductivity Λ , self-diffusivity D and viscosity η) and oversimplified empirical functions based on Stokes' Law (i.e. Walden's viscosity rule) and the Nernst-Einstein (N-E) relation [30, 31].

In essence, the magnitude of the experimentally measured property never achieves the empirically estimated reference level, with so-called "missing" ion transport subsequently rationalised in terms of the existence of "classical" contact ion-pairs and/or an outright lack of ion formation [32, 33]. The mathematical simplicity of the N-E relation $\Lambda_{N-E} = F^2 D_{IL} / RT$ (in units of Scm^2mol^{-1}), leading to the N-E ratio, $\Lambda_{exp't} / \Lambda_{N-E}$, is also projected into the result, which ignores electrophoretic effects, asymmetric distributions of dipole density and inter-ionic frictional forces. Such physical properties were previously shown to provide predicted deviations from the N-E relation, even for theoretically ideal liquid salts (i.e. 100 % dissociated), with assumptions of contact ion-pairing being completely unnecessary [34]. The Walden viscosity rule, is equally ineffective because it fails to account for the strong influence of hydrogen bonding on the various transport properties. Additionally, Walden's viscosity rule requires static equilibrium conditions [35]. This is of course not possible in ionic liquids, as has been demonstrated in this work, where the transient *correlated/non-correlated* anionic dynamics, akin to chemical exchange of ions, (i.e. a dynamic equilibrium), renders the Walden viscosity rule inapplicable.

At the lowest temperatures investigated in this work, the liquid is heavily (almost exclusively) populated with transient charge-neutral ion couples, with dynamics subsequently guided by slow motions of the bulky asymmetrical cation. As temperatures increase, these species break-up, and the liquid increasingly populates with the free ions, as can be seen in Fig 4, presenting the free ion fraction evolution as a function of temperature (a Walden plot and results from the N-E analysis are included for comparison). Such a result might be anticipated as any increase in magnitude of kT would be expected to increasingly oppose available Coulomb forces, as the Onsager radii, $R_{+/-}$, reduce accordingly (with $R_{+/-}$ on the order of 40 Å). Additionally, an Arrhenius plot employing f_{avg} implies a ≈ 4 -fold drop in E_a across the temperature range investigated. It is noted the Walden plot indicates the strongest divergence from ideality (i.e. from 100% dissociation) at the highest temperatures, while the N-E plot simply indicates the extent by which Λ_{N-E} over-estimates the expected molar conductivity of $[C_4mim][PF_6]$, with $\Lambda_{exp't} / \Lambda_{N-E}$ providing a (temperature independent) constant value of 0.66.

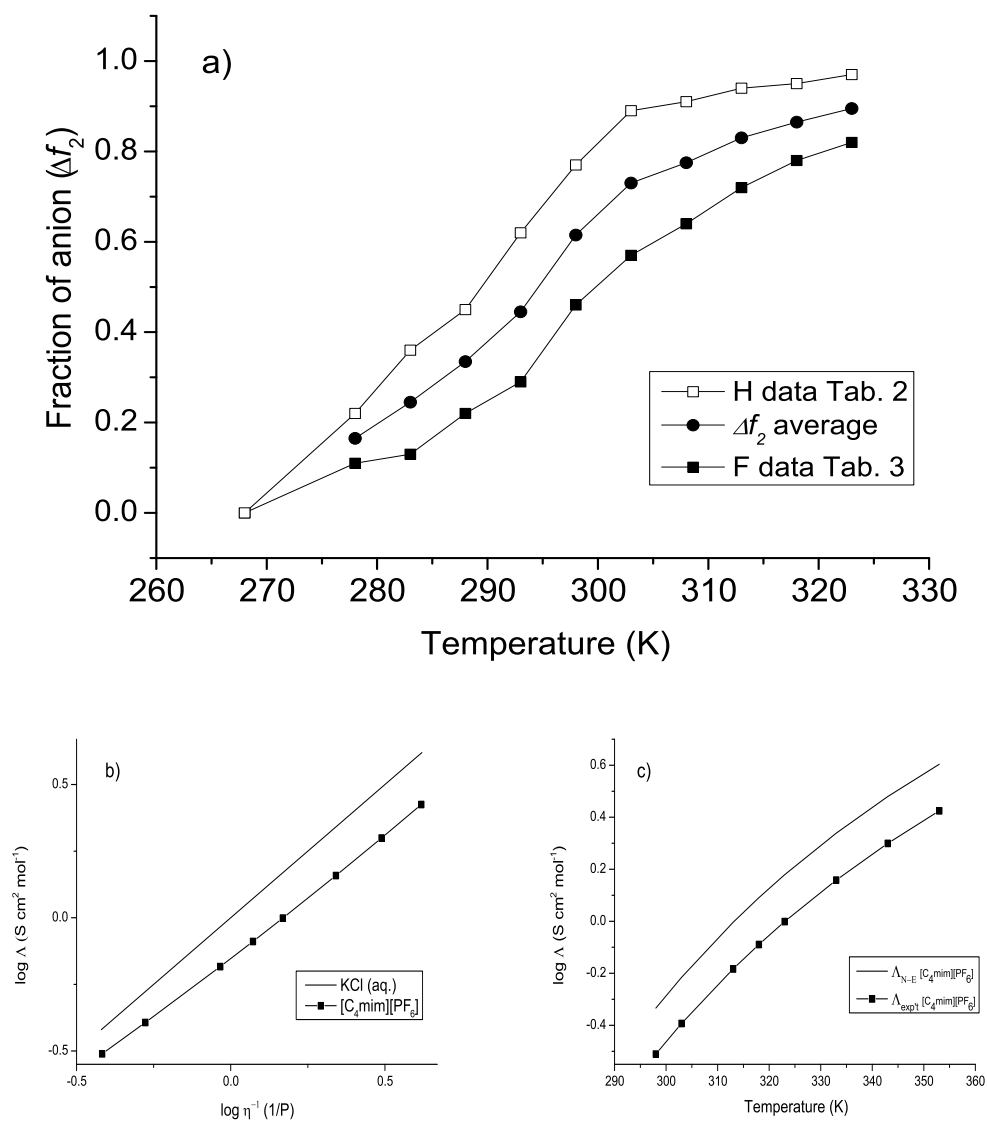


Figure 4: a) Free ion fractions of $[C_4mim]^+$ and $[PF_6]^-$ ions, in the range $T = 268 - 323$ K. b) corresponding Walden plot, c) corresponding N-E plot.

Free ion fractions f obtained for $[C_4mim][PF_6]$ are observed to have increased, tending towards the maximum value, by $T = 328$ K, in opposition to the notions of "missing" ion transport inferred by both the N-E and Walden approaches. We note that investigations concluding liquid salts possess large free ion fractions, mixed with temperature dependent transiently correlated/associated

oppositely charged ion populations (i.e. in opposition to notions of "classical" contact ion-pairs), are rare, with reports existing for a series of Cl^- salts using experimental spectroscopic methods, and for $[C_4mim]I$ and $[C_4mim][PF_6]$ by high quality MD simulation analyses [20, 36, 37].

5 Conclusions

The aim of this work was to investigate the $[C_4mim][PF_6]$ ionic liquid using NMRD- T_1 analysis in order to provide a detailed description of the liquid state based on the ion-dynamics that govern it. The unexpected similarity of the dispersion profiles recorded for each ion type, over the temperature range explored, indicated the dynamics to be the result of transient charge-neutral ion couples, which populate the liquid predominantly at the lower temperatures. The loss of recorded dispersion, as temperatures were increased, signalled a continuous break-up of the transient charge-neutral ion couples and an ever increasing dynamical contribution from the increasing free ion populations. The model developed herein, guided qualitatively by the accompanying MD analysis, assumed that the main modulation of the spin dipole-dipole interaction was governed not by translational diffusion, but rather via molecular-ion reorientation of transient charge-neutral ion couples. That is to say, the inter-ionic H-F dipole-dipole interaction was the main source of relaxation as a result of correlated $[C_4mim]^+ \cdots [PF_6]^-$ reorientation. This approach was directed by the similarity of the NMRD dispersion profiles acquired for H (cation) and F (anion) across several temperatures, and was subsequently required in order to build a consistent picture of the available ion-dynamics. Interestingly, it was noted that both F and H NMRD profiles may be characterized by the same correlation times and activation energy term, when the temperature dependence is described, a feature that was also supported by the MD simulation.

The α term analysis revealed an inter-ionic modulation by CSA interaction which followed the temperature dependence of the break-up of the transient charge-neutral ion couples identified in the NMRD analysis. The resultant fraction f of $[PF_6]^-$, characterising free ion populations, provided a direct measure of salt ionicity that clearly revealed the temperature dependent correlated/non-correlated dynamics or break-up of charge-neutral ion couples with increases of kT over the temperature range investigated, in accord with increased magnitudes of the associated transport properties. Overall, this NMRD investigation has provided detailed insight into the fundamental origins of the ion transport mechanics, where the dynamics recorded reveal the transient correlated/non-correlated motational nature of the oppositely charged ions comprising the liquid.

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Author contributions The author order is alphabetic: G. W. Driver: NMR analysis of the α term. Y.H: Numerical analysis of MD-data. T.S. NMRD and Highfield NMR experiments. POW: Designed the project, relaxation theory, NMRD experiments and analysis. A.L: MD simulation. Y-L W: MD simulation and analysis of MD-data. All authors contributed in writing the paper.

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A Molecular Dynamics Simulation and Relaxation theory

A.1 Atomistic simulations

Atomistic simulations of the $[C_4mim][PF_6]$ ionic liquid (IL) system consisting of 160 ion pairs were performed using the M.Dynamix package^[38] with standard three-dimensional periodic boundary conditions. The equations of motion were integrated using the Tuckerman-Berne double time step algorithm with short and long time steps of 0.2 and 2.0 fs, respectively. The short time step was used for integrating fast intra-ionic vibrations and non-bonded interactions within 0.5 nm, while the long time step was used for integrating van der Waals and electrostatic forces, as well as dihedral angle motions, within a cutoff distance of 1.5 nm. Electrostatic interactions between atom-centered point charges were treated with the standard Ewald summation method. Atomistic simulations were equilibrated for 15 ns in the isothermal/isobaric (NPT) ensemble maintained using the Nose-Hoover thermostat at 323 K and barostat under 1 atm with time coupling constants of 1000 and 100 fs, respectively. Another 20 ns atomistic simulation were further performed and the simulation trajectories were recorded at an interval of 100 fs for further analysis. The center-of-mass radial distribution functions RDFs for cation-cation, cation-anion, and anion-anion are calculated and displayed in Fig.5. It is shown that the first and the second solvation shells for cation-anion couples forms at about 0.5 nm and 1.06 nm, respectively. Additionally, it is noticed a weak ordering persists beyond 1.8 nm due to strong and long-range Columbic interactions. The first pronounced peak in the cation-cation RDF occurs at 0.79 nm, and the anion-anion RDF shows a bifurcated feature with two peaks registered at approximately 0.66 and 0.92 nm, respectively. This observation is attributed to the sequential ordering distribution of ionic groups induced by distinct cation-anion couples. The RDF displayed in Fig.5 which is very similar to the RDF presented as Fig.5 in ref. [39]

A.2 MD-simulation results

The liquid structures are depicted by the SDF displayed in Fig. 6 which give the probability of finding an atom around a center molecule in three-dimensional space, in contrast to the average values given by RDFs.

1. The first one is the SDF of the P atoms in the $[PF_6]^-$ anions around $[C_4mim]^+$ cation. There are mainly three high probability regions where the P atoms are found, which contribute to the first shell in the corresponding cation-anion RDF. The three distinct regions are around the C2 and the CW atoms (C2 is the C atom bonded to two N atoms in imidazolium ring, and CW is the other two C atoms in imidazolium ring, respectively), both above and below the plane of the imidazolium ring, since these region are highly positive charged. With two $[PF_6]^-$ anions in each region, there are six counter-ions which can be found in the first shell. In addition, a minor region exists along the N-C methyl bond vector representing the second solvation shell in the corresponding cation-anion RDF.
2. The second one is the SDFs of the C2 atoms and two N atoms in the $[C_4mim]^+$ cation around the $[PF_6]^-$ anion. A well-ordered distribution of the C2 and N atoms in the $[C_4mim]^+$ cation around the $[PF_6]^-$ anion is observed. There are eight high probability regions, corresponding to the octahedron formed by the six F atoms in the $[PF_6]^-$ anion.

When the spin dipole-dipole correlation functions are calculated the spins contributions are divided into intra-ionic and inter-ionic dipole couplings. The total dipole-dipole hamiltonian was thus divided into $H_{intra}(t) + H_{inter}(t)$ which is often an excellent approximation in simple liquids. The relaxation contributions in the ionic liquid, however, with strong coulomb interactions motivated us to check this approximation. In Figs. 7 and 8 the cross correlation functions are displayed, referring to $\langle H_{intra}(0)H_{inter}(t) \rangle$ denoted as $C_{cross}^{DD}(t)$. We noticed that no cross correlation is observed. The correlation functions are introduced in Eqs.(17,18) and determined using the MD-simulation trajectories of 9 ns length.

In Fig.7 the normalized proton dipole-dipole correlation functions $C_{0,Intra}^{DD}(t)/C_{0,Intra}^{DD}(0)$, $C_{0,Inter}^{DD}(t)/C_{0,Intra}^{DD}(0)$, and the cross correlation function are displayed. The normalized Intra dipole-dipole correlation function display a fast initial decay in the time interval 30-40 ps whereas the partially averaged correlation function with an order parameter $S \approx 0.6$, ($S^2=0.4$) is characterised by a correlation time(for the long time tail) τ_c of about 50 ns. $C_{0,Inter}^{DD}$ (red) has an order parameter $S \approx 0.7$, ($S^2=0.5$) with a similar a decay of about 50 ns. The cross term is approximately zero over the whole time interval.

In Fig.8 the corresponding correlation functions relevant for describing fluoride relaxation are displayed. The free anion correlation function $C_{0,Intra}^{DD}(t)/C_{0,Intra}^{DD}(0)$ is displayed in black and decays with an integral correlation time of 10 ps. and a long time tail with τ_C of about 25 ns. The inter-ionic F-H correlation function, $C_{0,Inter}^{DD}(t)/C_{0,Inter}^{DD}(0)$ display a fast initial decay about 10 ps because of local fast rotations of the anion and the slow decay from $S^2=0.4$ with a characteristic correlation time, $\tau_c = 25$ ns. The lower part of Fig. 7 and 8 show the logarithm of the normalized correlation functions.

In Fig.9 the normalised inter-ionic ^{19}F - H dipole-dipole correlation function is displayed showing a initial fast decay in the ps regime and a slow long time decay which is approximately single exponential and characterized by a effective correlation time of about 40 ns. The initial fast decay indicate that the symmetric $[PF_6]^-$ ion is relaxing due to local anisotropic reorientation, whereas the the partially averaged inter-ionic H-F spin dipole-dipole interaction which is decaying in the ns time regime. It was also clear from the MD-simulation that the translational diffusion of charge-neutral ion couples and the ions is very slow. Considering a charge-neutral ion couple in the beginning of the simulation, the counter ion changes its mother ion approximately once during the 9 ns simulation which indicates that the residence correlation time is in the ns time regime. The loss of correlation for the inter-ionic dipole-dipole correlation function is thus charactericed by the effective correlation time τ_c defined in eq.13 with a residence time τ_{res} in the ns regime. The time correlation functions have the functional form which is approximately given by:

$$C(t) = (1 - S^2)e^{-t/\tau_f} + S^2e^{-t/\tau_c} \quad (15)$$

where the "order parameter" S is >0.7 and the decay constants $1/\tau_f$ in the ps regime and $1/\tau_c$ in the ns regime.

A.3 ^1H and ^{19}F Spin-Lattice Relaxation and dipole-dipole correlation functions from MD simulation

The spin-dipole interaction Hamiltonian describing the spin interaction between a pair of spins (i, j) is:

$$H^{DD}(t) = \frac{\gamma_i \gamma_j \hbar}{r_{ij}^3} \sum_n A_n^2(I_i, I_j) D_{0,n}^2(\phi_{ij}(t), \theta_{ij}(t)) \quad (16)$$

where $A_n^2(I_i, I_j)$ is a second rank spin operator^{[13],[14]} and $D_{0,n}^2(\phi, \theta)$ is the second rank Wigner rotation matrix element^[40]. In the strong narrowing regime the spin relaxation is given by the Fourier-Laplace transform of spin correlation functions may be expressed in terms of the stochastic time dependent dipole-dipole interaction ($h_{n,i}^{DD}(t) \equiv \sum_{j<i} D_{0,n}^2(\phi_{ij}(t), \theta_{ij}(t))/r_{ij}^3(t)$) which describe the dipole-dipole interaction of spin i to all possible j -spins^[13]. The dipole-dipole correlation functions that determine the relaxation contribution are given by:

$$C_{n,i}^{DD}(t) = \langle h_{n,i}^{DD}(t) h_{n,i}^{DD}(0) \rangle \quad (17)$$

In the MD simulation we consider the dipole-dipole correlation functions denoted $C_{0,Intra}^{DD}(t)$ where i is a proton(H) and j =all other protons in the same cation and when i is fluoride(F) atom of the anion and j are the other 5 F-spins of the anion. $C_{0,Inter}^{DD}(t)$ refers to i =H in one cation or a F in a anion and j runs over proton of other cations (Figs. 7-9). In Fig. 9 the hetero-nuclear inter molecular dipole-dipole correlation function is calculated where i = F and j =H found in other cations. We also check if the separation of spins in inter and intra is a good approximation by calculating the cross correlation function. The cross terms turned out to be negligible. In the molecular ion fixed frame the correlation function is independent of n and given by:

$$C_0^{DD}(t) = \langle \sum_{i \leq j} \frac{d_{0,0}^2(\delta\beta_{ij}(t))}{r_{ij}^3(0)r_{ij}^3(t)} \rangle \quad (18)$$

where $\delta\beta(t)$ is the angle change between the vector r_{ij} during time interval t . The MD simulation of the relevant correlation functions (Figs. 7-9) display fast initial decays and approximately a single exponential decay for the slow decaying tail. The model reorientation correlation function may thus be separated into a fast(f) and a slow(s) single exponential part following the procedure first presented in the 1980's and often named " the two step model"^[41] or " the model free approach"^[42] and later analysed^[43]. In an isotropic system we focus on the normalized reorientation correlation functions:

$$C_0^{DD}(t)/C_0^{DD}(0) \approx (1 - S^2)e^{-t/\tau_f} + S^2e^{-t/\tau_s} \quad (19)$$

The effects of internal segmental rotation of the cationic methyl- and butyl-groups introduce a rather fast time variation as well as configurational changes of the alkyl tail. These fast motions together with fast anisotropic reorientation introduce a fast initial decay of the correlation function which do not contribute to the observed proton relaxation dispersion and may be taken into account in a field independent relaxation contribution denoted $\alpha = (1 - S^2)e^{-t/\tau_f}$. The local reorientational motion of the anion $[PF_6]^-$ is relatively fast, which is supported by the MD simulation correlation function (cf. Figs 7-9). This type of motion is thus fast but restricted, and for $[C_4mim]^+[PF_6]$ there is an initial fast decay in the ps time regime. The relaxation contribution which is thus also included in α and becomes

$$R_{1,F}^{Intra} = \tau_f(1 - S^2) \frac{3}{2} \left(\frac{\mu_0}{4\pi} \hbar \gamma_F^2 \right)^2 \sum_F \langle r_{FF}^{-6} \rangle \quad (20)$$

whereas the initial fast decay of H-F inter dipole-dipole correlation function give rise to a relaxation contribution that reads:

$$R_{1,F}^{Inter} = \tau_f(1 - S^2) \frac{3}{2} \left(\frac{\mu_0}{4\pi} \hbar \gamma_F \gamma_H \right)^2 \sum_H \langle r_{FH}^{-6} \rangle \quad (21)$$

Here μ_0 , \hbar , γ_I , γ_F , r_{ij} , refer to vacuum permeability, modified Planck's constant with 2π , the magnetogyric ratio of 1H and ^{19}F and the intra-ionic distance between protons or fluoride nuclei. The main relaxation contribution of F for a fraction $f(T)$ of $[PF_6]^-$ is due to intra-ionic dipole-dipole coupling which is modulated by isotropic reorientation in the ps regime, where each F has 4 independent relaxation channels to other F spins at relatively short distance and one with $\sqrt{2}$ the intra spin distance. The relaxation contribution due to inter ionic F-F dipole coupling and P-F are negligible.

In the charge-neutral ion couple $[C_4mim]^\cdots[PF_6]$ the fluoride containing anion probably has a hydrogen-bond directed residence time where the partially averaged F-H dipole-dipole coupling is modulated by the reorientation of the entire ion couple and the chemical exchange process characterised by a residence time τ_{res} . When the fraction $f(T)$ of free anions is small (at low temperature) the inter H-F relaxation contribution of F in $[C_4mim][PF_6]^-$ becomes dominant. The low field relaxation value is thus τ_c times the partially averaged dipole-dipole coupling given by:

$$R_1(\tau_c) = \frac{3}{2} \left(\frac{\mu_0}{4\pi} \hbar \gamma_i \gamma_j \right)^2 \sum_{i < j} \langle r_{ij}^{-6} \rangle S^2 \tau_c \quad (22)$$

and the effective correlation time τ_c is defined as before with the following:

$$1/\tau_c = 1/\tau_R + 1/\tau_{res} \quad (23)$$

which comprises the reorientation correlation time τ_R , the same as for the cation, and the mean residence time for the anion. We assume that the reorientation of $[C_4mim]^\cdots[PF_6]$ and $[C_4mim]^+$ is described by a single reorientation correlation time τ_R . The modulation of the inter H-F dipole coupling is also modulated by chemical exchange process which switch the DD interaction on and off and characterized by the mean residence time of the anion in close proximity to the cation forming $[C_4mim]^\cdots[PF_6]$. This is an approximate way of including a translational diffusion contribution by assuming chemical exchange of the anion.

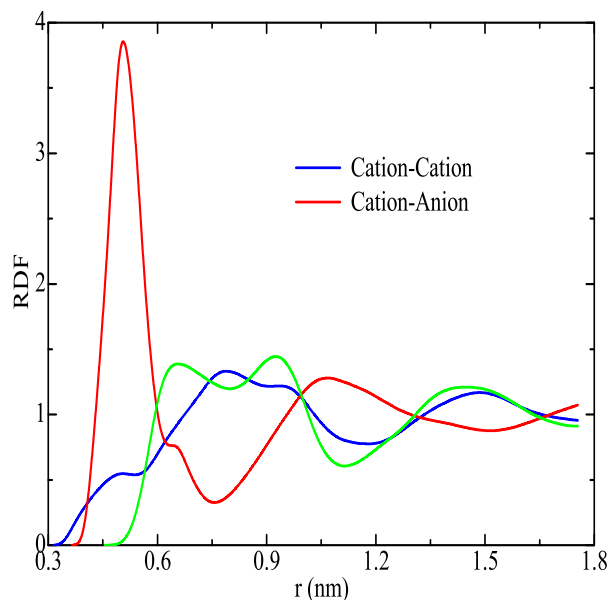


Figure 5: Center of mass radial distribution functions of $[C_4mim][PF_6]$

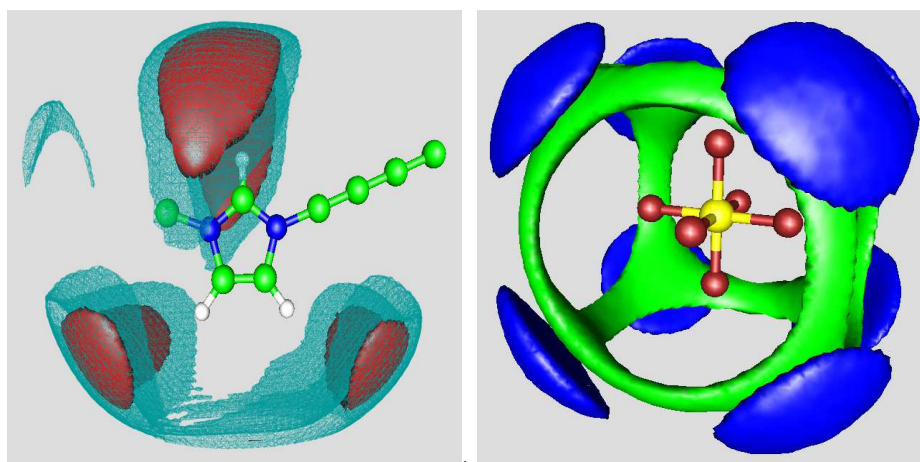


Figure 6: Left: Three-dimensional probability distributions of the P atoms in the $[PF_6]$ anions around $[C_4mim]$ cation. The solid red and meshed cyan bounded contour surfaces are drawn 10 and 5 times the average density, respectively. Right: Three-dimensional probability distributions of the C2 atoms (solid green contour surface) and N atoms (solid blue contour surface) in the $[PF_6]$ anions around $[C_4mim]^+$ cation. These two bounded contour surfaces are drawn 6.0 times the average density, respectively.

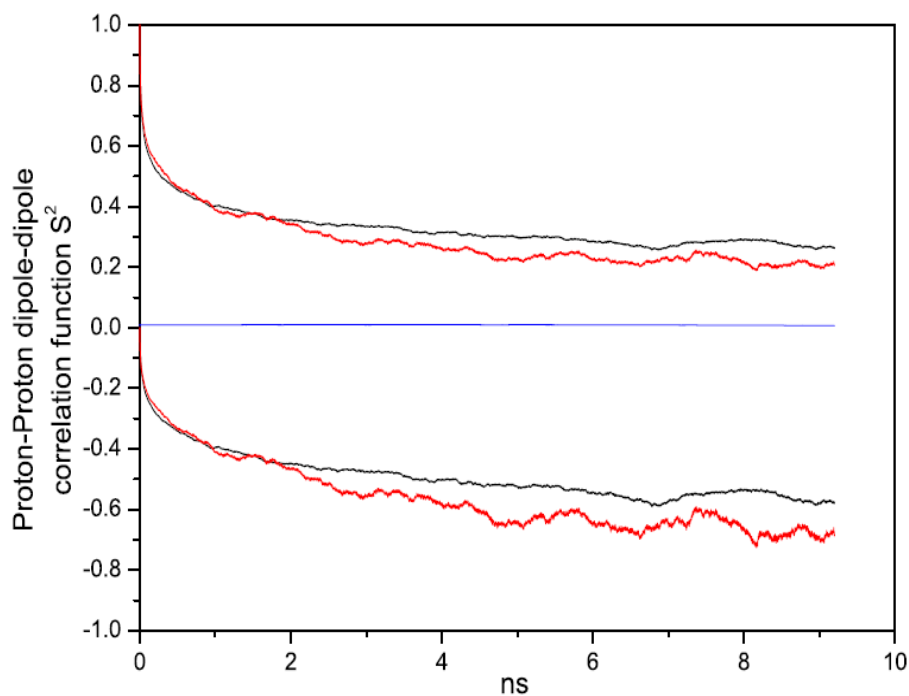


Figure 7: The proton $C_{0,Intra}^{DD}(t)/C_{0,Intra}^{DD}(0)$ (in black), $C_{0,Inter}^{DD}(t)/C_{0,Inter}^{DD}(0)$ (in red), and $C_{cross}^{DD}(t)$ (in blue). The calculated slow decaying tail, assuming a single exponential decay, gives a correlation time about 45 ns for intra-molecule and for inter-molecule it is about 30 ns. In the lower part of the figure the logarithm of the reduced time correlation function is displayed.

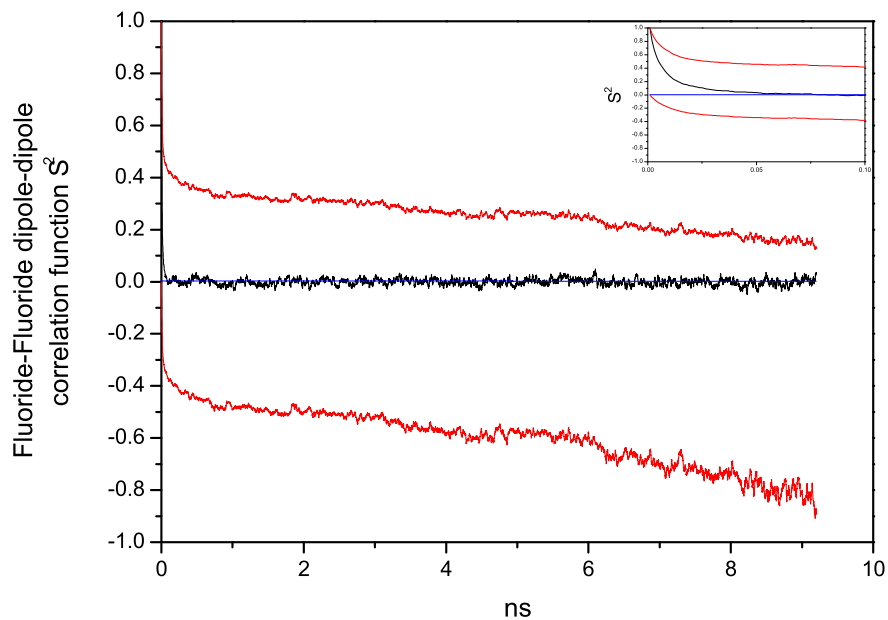


Figure 8: The ^{19}F $C_{0,\text{Intra}}^{DD}(t)/C_{0,\text{Intra}}^{DD}(0)$ (in black), $C_{0,\text{Inter}}^{DD}(t)/C_{0,\text{Inter}}^{DD}(0)$ (in red), and $C_{\text{cross}}^{DD}(t)$ (in blue). The calculated correlation time for the fast decaying intra-C. (black) is 10ps whereas for the relatively slow decaying inter C. (red) the correlation time of about 25 ns assuming single exponential decay. The inset display the initial decay up to 0.1 ns. In the lower part of the figure the logarithm of the reduced inter (red) time correlation function is displayed.

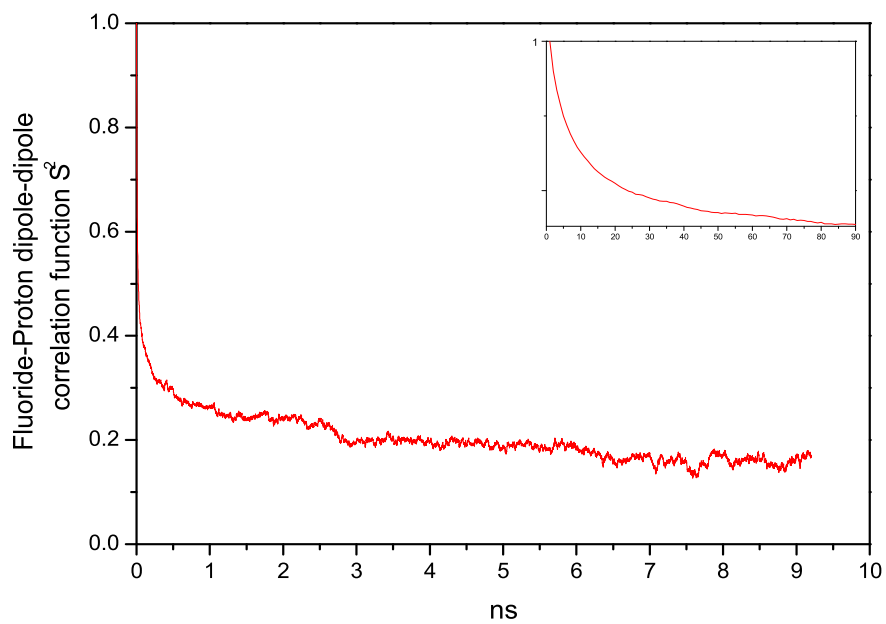


Figure 9: The normalized inter-molecular $^{19}\text{F} - ^1\text{H}$ dipole-dipole correlation function. The calculated correlation time of the tail is about 36ns assuming a single exponential decay. The inset display the initial fast decay up to 90ps