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Effect of shape and bending modulus on the properties of nematic lyotropic liquid crystals

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Abstract

Synovial liquid is a natural lubricant of articular joints, such as shoulders, knees and hips. Thus, the development of biocompatible lubricants that can be employed in medical prosthesis for artificial implants, and eventually in certain therapies against osteo-arthritis or rheumatoid-arthritis diseases, is of an undoubted importance. Lyotropic liquid crystals have been used in the synthesis of silica and metals containing regularly oriented nanoporous, to obtain oriented carbon nanotube materials, in several pharmaceutical applications, as membrane mimetics and in lubrication applications. In this context, a new nematic lyotropic liquid crystal has been developed based on tetradecyltrimethyl ammonium chloride (TTAC), decanol (DeOH), a natural mixture of lipids (PL) extracted from soybean and sodium chloride (NaCl), all dissolved in water. A 30% w/w increase in TTAC content respect a certain composition of reference produces a more than 24-fold increase in the macroscopic viscosity of the solution. To understand the molecular principles that explain this behavior, several experimental and theoretical studies have been carried out. In this regard, ^2H -NMR quadrupole splittings of fully deuterated sodium dodecyl sulphate (SDS- d_{25}) introduced as molecular probe, transmission electron microscopy (TEM), Freeze Fracture transmission electron microscopy (FF-TEM), cryogenic transmission electron microscopy (Cryo-TEM) and polarized light microscopy (PLM) were obtained. In addition, hydrodynamic studies determined how the enhancement in viscosity requires a change in the shape of the aggregate, from circular to elliptic. Finally, molecular dynamics simulations allowed to estimate how variations in the bending modulus, k^b , can explain the observed tendency of the quadrupole splittings, on the basis of a modification in the flexibility of the aggregate.

1 Introduction

Synovial liquid plays a crucial role as a natural lubricant and shock absorption of articular joints such as hips, shoulders and knees, where an optimal lubrication is required for the proper joint mobility and a reduction in cartilages degradation.^{1,2} In this regard, a deficiency in hyaluronic acid as a consequence of degradation in chronic diseases, such as osteo-arthritis and rheumatoid-arthritis, reduces the lubrication ability of synovial liquid, increasing the wearing of cartilages in knees, shoulders and hips.¹⁻⁵ Furthermore, the sphingolipid and cholesterol composition of synovial liquid have been investigated with the goal of deciphering the role of these lipids in the lubrication of natural joints.^{1,2}

By increasing the concentration of amphiphiles in aqueous solution above certain value, known as critical micellar concentration (CMC), it is possible to observe the formation of a variety of different molecular organizations or phases. The main forces that drive these aggregation processes are of hydrophobic and electrostatic nature. These materials have been used in the synthesis of silica and metals containing regularly oriented nanoporous,⁶⁻¹¹ to obtain oriented carbon nanotube materials,¹²⁻¹⁴ as carriers in pharmaceutical formulations,¹⁵⁻¹⁷ as membrane mimetics¹⁸⁻²⁰ and in lubrication applications.²¹

In this context, Kupchinov et al.⁴ determined that synovial liquid contains about 2% nematic liquid crystals, to which important lubrication effects have been associated. The particular rheological properties and bio-compatibility of nematic

lyotropic liquid crystals made of natural phospholipids makes them excellent candidates to be used as lubricants in joints of medical prosthesis for artificial implants and in potential therapeutic applications. Nematic lyotropic liquid crystals of finite size can be spontaneously generated in the laboratory when amphiphiles are dissolved in water in the presence of aliphatic alcohols and salt. Thus, at least two types of aggregates can be spontaneously generated: calamitic (N_C) derived from hexagonal phases with prolate average symmetry, and discotic (N_D), derived from the lamellar phase with oblate average symmetry.²²⁻²⁴ Searching for the development of an artificial and bio-compatible nematic liquid crystal that can be used as lubricant in prosthetic joints for medical applications, and eventually as substitute of synovial liquid in certain therapeutic applications,²⁵ different liquid crystals have been prepared from the mixture of tetradecyltrimethyl ammonium chloride (TTAC), decanol (DeOH), a natural mixture of phospholipids (PL) extracted from soybean and sodium chloride (NaCl), all in aqueous solution. Few mg of fully deuterated sodium dodecylsulphate (SDS-d₂₅) were added as a probe to test for the mobility of the aliphatic chains towards the interior of the hydrophobic core. The main advantage of using these liquid crystals as lubricant is that it is possible to modulate its lubricating power. In effect, an increase of 30% w/w in TTAC content, produces a more than 24-fold increase in the solution viscosity. Thus, small variations in TTAC composition allows to modulate the lubricating properties of the solution within a wide range of values.

In this article, we focused our efforts on explaining how the kinematic viscos-

ity of the liquid crystal is related to the size, shape and flexibility of the molecular aggregate. To characterize the structure of the aggregates, different experimental and theoretical studies have been carried out. Thus, to observe the order degree of the molecular packing along the aliphatic chains of the aggregate, a ^2H -NMR study was performed in the presence of SDS- d_{25} , used as molecular probe. The kinematic viscosity of the solutions were measured at 298K in all the studied concentration range. To explore the shape and size of the molecular aggregates, transmission Electron Microscopy (TEM), Freeze Fracture transmission electron microscopy (FF-TEM) and Cryo-transmission electron microscopy (Cryo-TEM) images of selected samples were obtained. To assist with the characterization of the phases, polarized light microscopy (PLM) textures were also observed. With the aim of obtaining detailed insights into the properties of these liquid crystals, several molecular dynamics (MD) simulations were carried out with atomic detail. Finally, on the basis that our MD simulations are not capable to provide information related with the molecular rearrangements that should take place to explain the increase in viscosity with the increase in TTAC, a hydrodynamic modeling study was performed to explain the experimental observations.

2 Materials and methods

2.1 Mesophase preparation

PL from soybean, SDS- d_{25} , TTAC and DeOH were purchased from Aldrich and used as received. Water of HPLC grade and NaCl at the highest purity available

were purchased from Merck and used as received. The liquid crystal solutions were prepared by initially dissolving 0.2140 g of TTAC, 0.1165 g of PL, 0.012 g of SDS-d₂₅, 0.0912 g of NaCl and 58 μ l of DeOH in 1 ml of H₂O. Furthermore, the TTAC concentration was increased up to a total of 0.2930 g of TTAC, maintaining the other components constant. This TTAC content corresponds the range of TTAC concentrations in which the liquid crystal generated exists. All mesophases were allowed to equilibrate at least 48 hours at 300 K before any measurements were made. These mesophases displayed thermal stability up to 315 K.

2.2 ²H-NMR spectra

All NMR spectra were obtained at 300 K in a Bruker Avance 400 NMR spectrometer, located at the Universidad de Santiago de Chile, using a broadband probe tuned to 61.425 MHz. The ²H 90° pulse was 19 μ s long and more than 1000 transients from a spectral window of 40 kHz were accumulated in 32 kB files.

2.3 Polarized light microscopy (PLM) and Viscosity (η)

A Motic series B microscope equipped with crossed polarizers was employed to observe the textures. The samples were placed in a concave slide with a depth of 1 mm and were allowed to orient in a 2.35 T magnet for 15 min; longer periods in the field had no effects on the textures. The photos were taken at 300 K with a 20-fold magnification, from the center of the concavity, avoiding variations in the thickness of the sample due to the curvature of the slide.

Kinematic viscosities of the liquid crystals, η , were measured using a standard Ubbelohde viscometer at 298 K and 1 atmosphere. Within the range of TTAC content, a noticeable change in the slope of the plot viscosity vs. TTAC concentration was observed. This is attributed to a change of phase and is corroborated with the PLM textures modification, observed at the same TTAC concentration. In this context, an special interest was paid on the following three experimental samples, which correspond to different phases of the synthesized liquid crystals:

Sample 1: This sample was prepared with 0.2250 g of TTAC, 0.1165 g of PL, 0.012 g of SDS-d₂₅, 0.0912 g of NaCl and 58 μ l of DeOH in 1 ml of H₂O

Sample 2: This sample was prepared with 0.2930 g of TTAC, 0.1165 g of PL, 0.012 g of SDS-d₂₅, 0.0912 g of NaCl and 58 μ l of DeOH in 1 ml of H₂O.

In summary, this phase was prepared starting from sample 1 in which the TTAC content was increased by 30% w/w and the rest of the components were maintained constant.

Sample 3: This sample was prepared with 0.2250 g of TTAC, 0.1165 g of PL, 0.012 g of SDS-d₂₅, 0.1048 g of NaCl and 58 μ l of DeOH in 1 ml of H₂O.

We note that sample 3 and 1 are of equal composition except that the NaCl content was increased by 15% w/w.

2.4 Transmission electron microscopy (TEM)

TEM images were collected with a JEOL JEM-1400PLUS instrument operating at 120 kV, using carbon coated 400 square mesh copper grids. Samples were drop casted onto the TEM grids.

2.5 Freeze Fracture transmission electron microscopy (FF-TEM)

FF-TEM samples were prepared according to a previously described methodology.²⁶ The solution was deposited between two copper platelets using a 400-mesh gold grid spacer. The samples were frozen by immersion in liquid propane, at -189°C , and fractured at -150°C and 10^{-8} mbar in a BAF 060 freeze-etching system (Leica Microsystems, Vienna). The replicas were obtained by unidirectional shadowing at 45° with 2 nm of Pt/C and at 90° with 20 nm of C; they were floated on distilled water during 5 min and observed at 120 kV in a Tecnai Spirit microscope (FEI Company, Eindhoven, Netherlands).

2.6 Cryo-transmission electron microscopy (Cryo-TEM)

Dipping and withdrawing a bare glow-discharged holey carbon grid from the solution a thin film was formed. The grid was blotted against filter paper, leaving thin sample films spanning the grid holes. These films were vitrified from room temperature by dipping into boiling ethane, using a Vitrobot (FEI Company, Eindhoven, Netherlands). The sample was kept at 100% humidity before freezing. Then it was transferred to a Tecnai F20 microscope (FEI Company, Eindhoven,

Netherlands) using a Gatan cryoholder (Gatan, Pleasanton, CA). Images were taken at 200 kV, below -170°C , using low-dose imaging conditions and an Eagle 4kx4k CCD camera (FEI Company, Eindhoven, Netherlands).

2.7 Setting up the computational boxes

To explore the effects of TTAC concentration and ionic strength on the properties of these liquid crystals, we have performed 3 simulations, representing sample 1, 2 and 3 as bilayer fragments. Consequently, three computational boxes were generated, with periodic boundary conditions in all directions of space

1. System 1: This system was constituted by 392 tetradecyltrimethyl ammonium ion (TTA^+) + 72 phosphatidylcholine (DOPC) + 32 phosphatidylethanolamine (POPE) + 200 DeOH + 32 dodecylsulphate ion (DS^-) + 32 cis-10-Octadecanoic acid (AOL) + 32 sodium ions (Na^+) + 392 chloride ions (Cl^-). We must mention in this point, that Na^+ and Cl^- are not balanced in the system, because they were introduced only for maintaining the electroneutrality of the system (392 Cl^- are required to balance the 392 TTA^+ and 32 Na^+ are required to balance the 32 DS^-). The dimensions of the original computational box were 10.3, 10.3 and 9.5 nm for the x,y, and z axis, respectively, and the molecular ratios among TTA^+ , DOPC, POPE, DeOH and DS^- were close to the experimental values. This computational box is a representation of the experimental sample 1 (see section 2.3), corresponding to the liquid crystal with 0.2250 g of TTAC.

2. System 2: In this system, the number of TTAC was increased by 30% with respect to system 1. Thus, the total number of molecules that constituted this system resulted as follows: 512 TTA⁺ + 72 DOPC + 32 POPE + 200 DeOH + 32 DS⁻ + 32 AOL + 32 Na⁺ + 512 Cl⁻. The starting dimensions of the computational box were 12.2, 12.2 and 10.6 nm, for the x, y and z axis, respectively. In this case, this computational box is a representation of the experimental sample 2 (see section 2.3), which corresponds to the liquid crystal with 0.2930 g of TTAC.
3. System 3: In this case, system 1 was simulated including NaCl at 1M concentration. The dimensions of the starting computational box were 10.4, 10.4 and 9.6 nm, for the x, y and z axis, respectively. In this case, this computational box is a representation of the experimental sample 3 (see section 2.3), which corresponds to the liquid crystal with 0.2250 g of TTAC (sample 1) with an increase in the ionic strength.

In all three system described above, the species were symmetrically distributed between the two leaflets that constitute the bilayer. Figure 1 shows a snapshot of system 1 and system 2 after 100 ns of trajectory.

2.8 MD simulation parameters

Once all three systems mentioned above were generated, the steepest descent minimization method was applied to remove the excess of energy associated with the overlapping between adjacent atoms. Once the energy achieved a minimum, 200

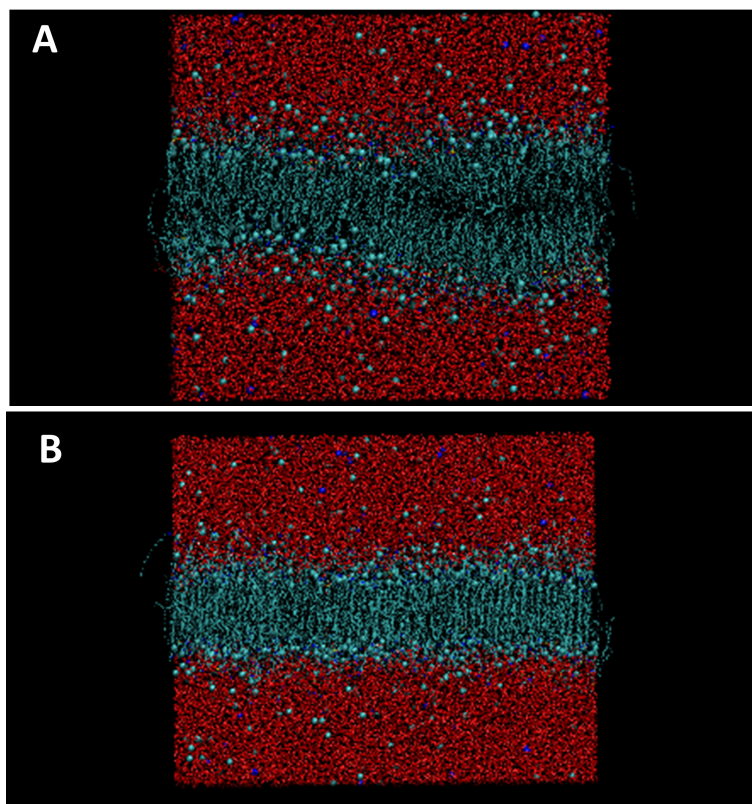


Figure 1: Snapshots of the system 1(A) and system 2 (B). For further information, see the text.

ns of trajectory length were simulated for each one of the systems previously described. GROMACS package 4.5.3 was used to carry out the molecular dynamics simulations. In this regard, an integration time step of 4 fs was employed. Van der Waals interactions were simulated using the Lennard Jones potential (LJ), and long range electrostatic interactions were calculated using the Particle Mesh Ewald (PME) method.^{27,28} In both cases, for the LJ and the electrostatic interactions, a cut-off of 1.2 nm was employed. The bond lengths were restrained using the LINCS algorithm.²⁹ All simulations were carried out in a NPT ensemble at

300 K and 1 atm, coupled to weak temperature and pressure baths algorithms³⁰, with time constants of 0.1 ps and 1 ps for temperature and pressure, respectively. The Ryckaert-Belleman potential³¹ was used in all torsions along the aliphatic chains, for a better reproduction of cis-trans transitions.

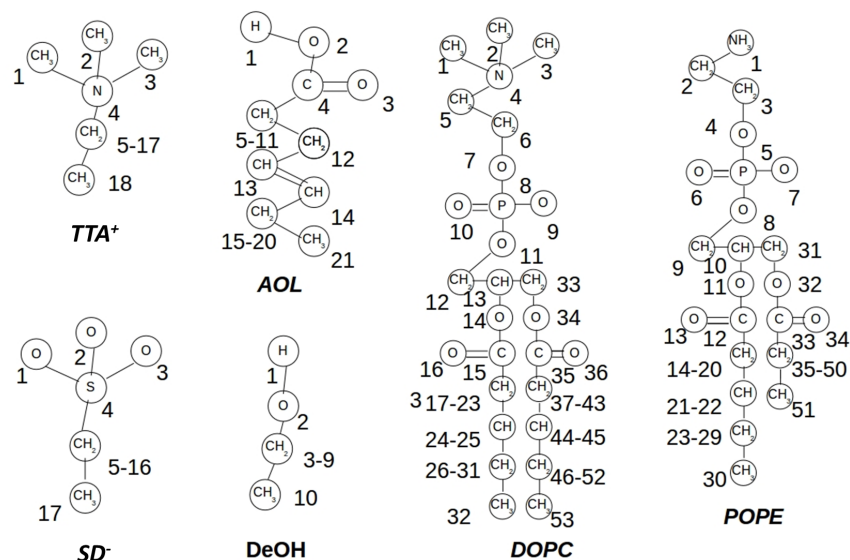


Figure 2: Atoms numeration of all molecules involved in the simulations.

The Lennard-Jones parameters were the same than those specified in a previous work,³² along with the standard GROMOS 54a7 force field.³³ The atomic charges distribution of TTA^+ , DS^- , DeOH , DOPC , POPE and AOL were calculated using the semi-empirical Complete Neglect of Differential Overlap (CNDO) method.³⁴ Table 1 shows the atomic charge distributions (in e units), considering the atom numeration of Figure 2. Such as argued in a previous work,³² the

charge distributions of all species with net charge were halved, to consider the absence of polarizability in all molecules involved and the constancy of the dielectric medium.^{32,35–40} Simple Point Charge (SPC) water model⁴¹ was employed in all simulations.

Atom number	TTA ⁺	DOPC	POPE	DeOH	DS ⁻	AOL
1	0.400	0.40	0.645	0.426	-0.404	0.24
2	0.400	0.40	0.148	-0.722	-0.404	-0.24
3	0.400	0.40	0.005	0.329	-0.404	0.41
4	-0.500	-0.50	-0.383	-0.033	0.418	-0.304
5	0.300	0.30	0.447	0.0	-0.286	-0.106
6	0.0	0.40	-0.256	0.0	0.108	0.0
7	0.0	-0.80	-0.259	0.0	-0.028	0.0
8	0.0	1.70	-0.347	0.0	0.0	0.0
9	0.0	-0.80	0.060	0.0	0.0	0.0
10	0.0	-0.80	0.109	0.0	0.0	0.0
11	0.0	-0.70	-0.232	0.0	0.0	0.0
12	0.0	0.40	0.380	0.0	0.0	0.0
13	0.0	0.30	-0.344	–	0.0	0.0
14	0.0	-0.70	0.027	–	0.0	0.0
15	0.0	0.070	0.0	–	0.0	0.0
16	0.0	-0.70	0.0	–	0.0	0.0
17	0.0	0.0	0.0	–	0.0	0.0
18-21	–	0.0	0.0	–	–	0.0
22-30	–	0.0	0.0	–	–	0.0
31	–	0.0	0.121	–	–	–
32	–	0.0	-0.233	–	–	–
33	–	0.0	0.426	–	–	–
34	–	0.50	-0.341	–	–	–
35	–	-0.70	0.027	–	–	–
36	–	0.8	0.0	–	–	–
37	–	-0.6	0.0	–	–	–
38-53	–	0.0	0.0	–	–	–
Total Charge	1.0	0.0	0.0	0.0	-1.0	0.0

Table 1: CNDO atomic charges of all molecules involved in this study, according to the atom numeration of Figure 2.

3 Results and Discussion

3.1 Characterization of the molecular aggregates

Figure 3 shows the ²H-NMR spectra of SDS-d₂₅ dissolved in sample 1 (A) and in sample 2 (B). The presence and magnitude of the quadrupole splittings along with

the line shape of both spectra, strongly suggests that the aggregates correspond to bilayer structured micelles with nematic order.^{42–46} It is important to emphasize that these aggregates can not be spherical micelles since they can not generate ^2H -NMR quadrupole splittings.

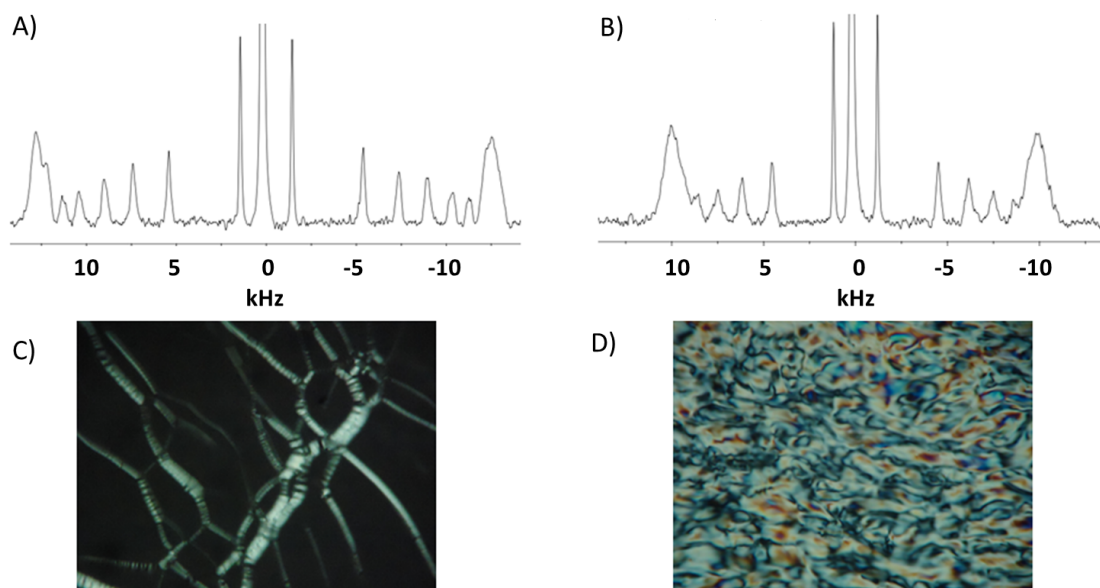


Figure 3: A and B show the ^2H -NMR spectrum of sample 1 and sample 2 (see section 2.3) respectively. Quadrupolar splitting of SDS- d_{25} can be measured directly from the spectra. C and D show polarized light microscopy textures observed in sample 1 and sample 2 respectively.

Table 3 shows the experimentally measured quadrupole splittings of SDS- d_{25} in samples 1, 2 and 3 (sample compositions were described in section 2.3). A significant decrease in the splittings is observed when increasing the TTAC content, however both spectra are very similar. Accepting that in the range of studied concentrations the average orientation of the aggregate in the magnetic field is

Carbon	Sample 1 $\Delta\nu_Q(\text{Hz})$	Sample 2 $\Delta\nu_Q(\text{Hz})$	Sample 3 $\Delta\nu_Q(\text{Hz})$
1	25371	20153	25232
2	25371	20153	25232
3	25371	20153	25232
4	25371	20153	25232
5	25371	20153	25232
6	24783	20153	24489
7	22734	20153	22564
8	20750	17386	20663
9	18016	15094	17951
10	14815	12371	14710
11	10852	9046	10792
12	2889	2383	2854

Table 2: Experimental values of ^2H -NMR quadrupole splittings ($\Delta\nu_Q$) in Hz. Sample compositions were described in section 2.3

not modified, the value of the observed ^2H -NMR quadrupole splitting of a given C-D bond in a deuterated probe, such as SDS- d_{25} , is a measurement of the alignment of that C-D bond with the spectrometer magnetic field; in other words it is representative of the mobility of the C-D bond. Therefore we can test for modifications in the dynamics of the aliphatic chains at different depths towards the interior of the hydrophobic core. A significant decrease in the general alignment is observed when augmenting the TTAC content. In addition, both mesophases display a region, near the interface, that shows similar mobility; in particular, this region increases from C1 to C5 in sample 1 to C1 to C7 in sample 2.

Despite the similarities between the ^2H -NMR spectra of sample 1 and sample 2, they present very different polarized light microscopy textures (see Figure 3C and 3D). This observation evidences the existence of two different nematic mesophases, necessarily arising from structural changes in the aggregates. However, this change does not seem to affect the bilayer structure of the micelles, as

evidenced from the ^2H -NMR spectra. The oily streaks texture observed in Figure 3C usually appears as a consequence of homeotropic order, generally observed in lamellar phases, however, sometimes it is displayed by nematic discotic lyotropic liquid crystals, such as in this case. The texture observed in Figure 3D is the typical Schlieren texture, usually observed in nematic mesophases.⁴⁷ These textures can not arise from smectic phases since these phases display a ^2H -NMR spectrum typical of a powder pattern; smectic phases do not orient in the spectrometer magnetic field. All discussed evidence strongly suggest that the structure of the aggregates should be associated to some type of bilayer structured micelles.

Figure 4 shows Cryo-TEM (A) and FF-TEM (B) images of sample 1. Both figures corroborate the existence of individual aggregates of finite size, strongly suggesting the presence of a nematic phase. In particular, aggregates of about 2 to 5 nm can be observed from both figures, however clusters of aggregates can also be observed, which could be the origin of the oily streaks observed in PLM. In an effort to experimentally explore variations in the size of the aggregates with the modification in TTAC content, TEM images of samples 1 and 2 were also obtained (Figure 5). All TEM results, allow to discard the presence of lamellar or hexagonal smectic phases, usually surrounding the nematic region of the phase diagram.⁴⁸ A simple comparison of the images in Figures 5A and 5B show that aggregates of roughly 10-20 nm are observed in sample 2, large when compared with the image of sample 1, in which aggregates of scarcely 1-2 nm diameter can be observed. These experimental results are in excellent agreement with a

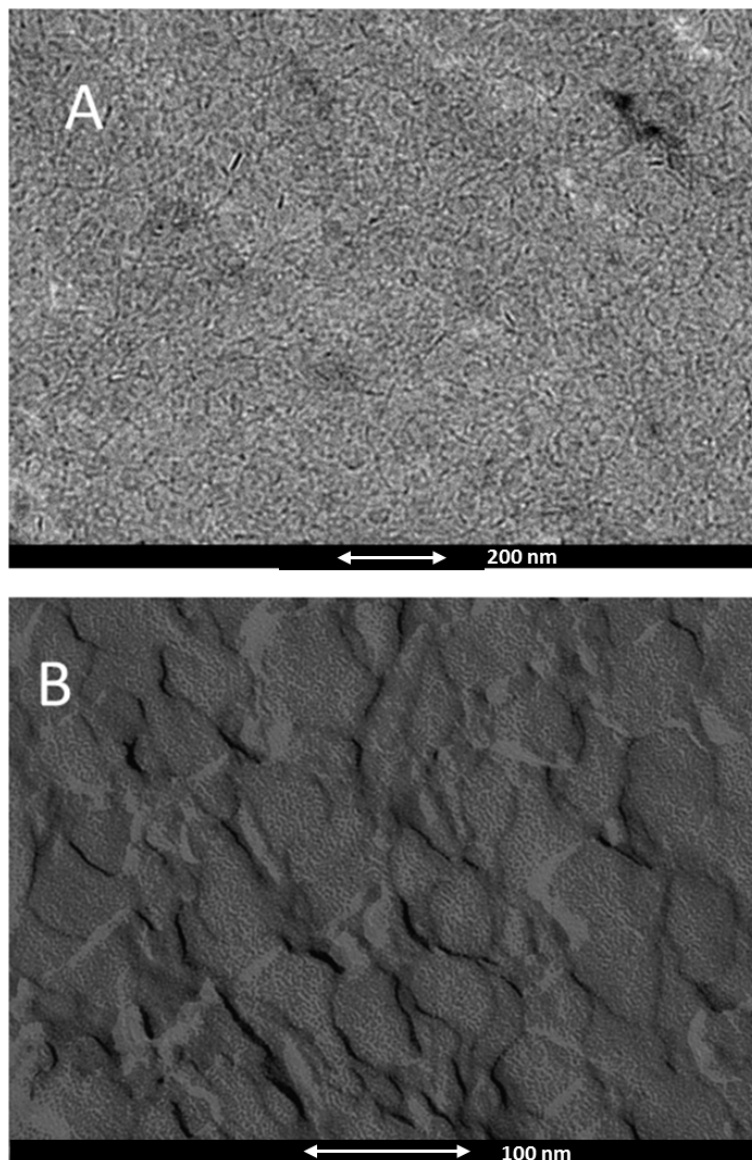


Figure 4: (A) Cryo-TEM image of sample 1 and (B) FF-TEM image of sample 1. Sample compositions were described in section 2.3

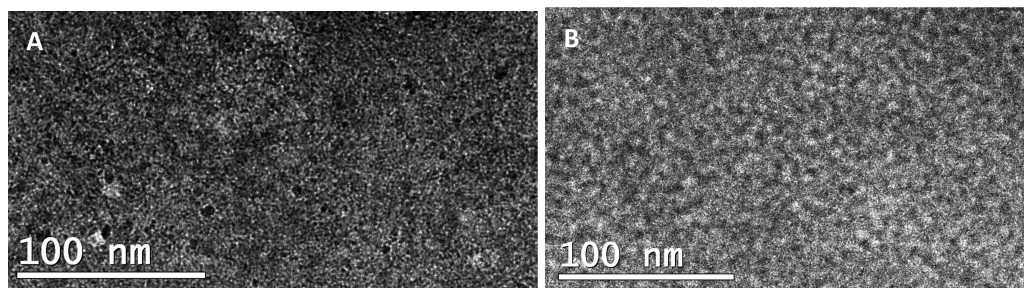


Figure 5: TEM images corresponding to A) sample 1 and B) sample 2. Sample compositions were described in section 2.3

hydrodynamic modeling calculation presented below.

3.2 Aggregate bending modulus (k^b)

The flexibility of the molecular aggregates that constitute the liquid crystal were estimated through the calculation of the bending modulus, k^b , defined as:⁴⁹

$$k^b = \frac{K_A \xi^2}{24} \quad (1)$$

here ξ is called the *effective* bilayer thickness, defined by $\xi = d - 1$ where d is the distance between the maxima of the nitrogen atom distributions of TTA⁺ head-groups in both leaflets of the bilayer. K_A represents the area compressibility modulus, which is defined as follows:

$$K_A = \frac{k_B T A}{\sigma^2(A)} \quad (2)$$

where, A and $\sigma^2(A)$ correspond to the mean and mean-squared fluctuation of the interfacial area per TTA⁺, respectively. k_B is the Boltzmann constant and T the

absolute temperature. Table 3 shows the calculated bending modulus, k^b , using MD simulations.

system	$A(\text{nm}^2)$	d/nm	$K_A/(\text{J}/\text{m}^2)$	$k^b/(k_B T)$
1	0.5361 ± 0.0007	3.7	0.181 ± 0.019	12.9 ± 1.4
2	0.574 ± 0.003	2.6	0.25 ± 0.06	6.1 ± 1.4
3	0.537 ± 0.007	3.8	0.24 ± 0.08	16 ± 3

Table 3: Compressibility (K_A) and bending modulus (k^b) for the bilayers of different TTAC content, in the presence and absence of salt, estimated from simulations. A corresponds to the mean surface area per TTA⁺ and d is the average distance between nitrogen atoms of TTA⁺ head groups located in different leaflets of the bilayer. Systems 1, 2 and 3 were described in section 2.7.

Unfortunately, no experimental values to validate the bending modulus listed in Table 3 were found. However the values obtained here are in reasonable agreement with bending modulus obtained for lipid bilayers of different composition, where values from 15 to 30 $k_B T$ have been measured using X-ray, pipette aspiration and Neutron Spin Echo experiments,^{50–54} and from MD simulations.⁵⁵

From the results shown in Table 3, we observe a reduction of more than 50% in the bending modulus of the bilayer with an increase of 30% w/w in TTAC content (or in other words, the flexibility of the aggregate becomes doubled with the increase in TTAC content). Furthermore, we observe how a moderate increase in ionic strength (which corresponds to system 3 of section 2.7) produces less than 20% increment in the bending modulus, relative to system 1. Therefore, as expected, an increase in ionic strength produces a moderate increase in the stiffness of the bilayer, in good agreement with the experimental results re-

ported by Claessens et al.⁵⁶ for a DOPG and DOPC bilayers at different ionic strength of the aqueous solution, and from molecular dynamics simulations of binary DPPC/DPPS bilayers in presence and absence of salt.⁵⁵ Thus, this increase in bending modulus in system 3 is related with the fact that an increase in the ionic strength produces an additional stabilization of the interface, as expected from a counterion neutralization, that is reflected into an increase in the stiffness of the molecular aggregates.

From Table 3 we see how this increase in flexibility in sample 2 respect to sample 1, arises mainly from a reduction in the thickness of the bilayer. This decrease is associated with an increase in the interdigitation degree of the TTA⁺ hydrocarbon tails, since K_A and A both remained almost invariable for all three studied cases.

3.3 Viscosity

Figure 6 shows the kinematic viscosity of the liquid crystal as a function of TTAC content in the composition window in which the liquid crystal remains, outside of this windows it changes to a different isotropic phase. From Figure 6 we appreciate a change in the slope of the viscosity with TTAC composition at a certain critical concentration of TTAC. Thus, values of 12.90 ± 0.06 and $310 \pm 4 \text{ mPa} \cdot \text{s}$ were obtained for samples 1 and 2 respectively (see section 2.3 for their composition). For the case of sample 3 (in which NaCl increased 15% w/w respect to the sample 1), a viscosity of $10.28 \pm 0.06 \text{ mPa} \cdot \text{s}$ was measured, showing a mod-

erate dependence on ionic strength. These results show an increase in the solution viscosity with TTAC content, where an increase in TTAC of scarcely 30% w/w in sample 1 produces an increase of more than 24 times in viscosity of sample 2 respect to the measured in sample 1. From Figure 6, the composition at which the slopes change corresponding to 0.234 g in TTAC, is coincident with the concentration at which changes in the PLM textures were observed, corroborating the occurrence of a phase transition

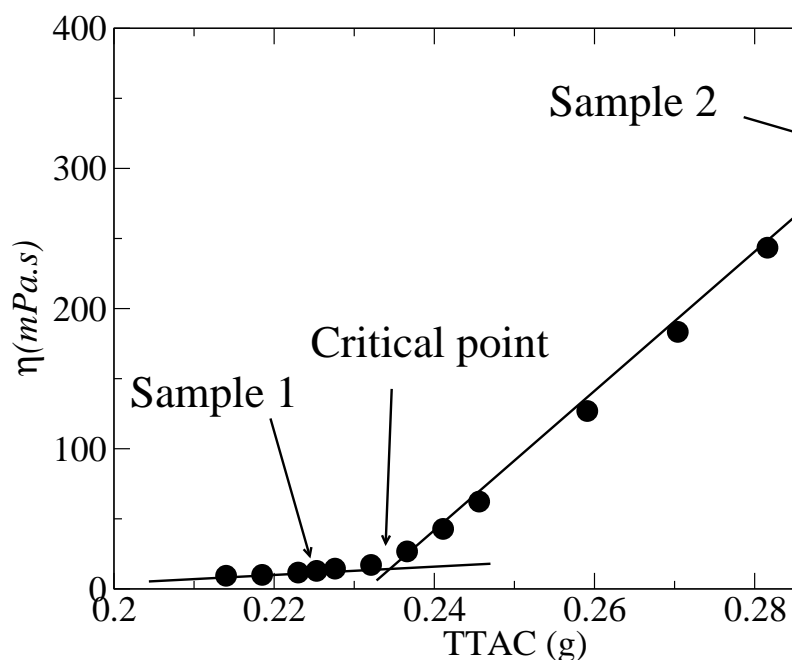


Figure 6: Viscosity of the liquid crystal as a function of TTAC content (in grams) maintaining constant the rest of the components.

This change in the viscosity slope will be associated to a change in size and shape of the molecular aggregates, such as it will be discussed in the section below.

3.3.1 Shape of molecular aggregates

A factor to consider in the explanation of the notorious increase in viscosity of the solution with TTAC content is related with the size and shape of the molecular aggregates. For this purpose, a deeper study, based on changes in size and shape of the aggregates, is presented.

The intrinsic viscosity, $[\eta]$, provides information related to the shape and flexibility of the species dissolved, such as synthetic polymers, macromolecules, nanoparticles, aggregates or colloids,^{57,58} where $[\eta]$ can be written as follows:

$$[\eta] = \lim_{c \rightarrow 0} \frac{\eta_{sp}}{c} = \lim_{c \rightarrow 0} \frac{\eta_r - 1}{c} \quad (3)$$

being η_{sp} the specific viscosity of the micellar solution of concentration c (in this case c corresponds to the concentration of aggregates) and η_r is the relative viscosity calculated from the ratio, $\eta_r = \eta/\eta_0$, where η is the viscosity of the solution and η_0 the viscosity of pure solvent.

Solomon-Ciuta⁵⁹ equation (4), provides a relation between the intrinsic viscosity $[\eta]$ of a solute and the viscosity η of the solution:

$$[\eta] = \frac{(2 * (\eta_{sp} - \ln \eta_r))^{1/2}}{c} \quad (4)$$

where $[\eta]$ is the intrinsic viscosity (or viscosity at infinite dilution) described above.

Therefore, the Solomon-Ciuta equation can be rewritten as follows:

$$[\eta]c = (2 * (\eta_{sp} - \ln \eta_r))^{1/2} \quad (5)$$

The ratio between the intrinsic viscosities of two liquid crystals with different TTAC content can be calculated from equation 6:

$$\frac{[\eta]_2 c_2}{[\eta]_1 c_1} = \frac{(2 * (\eta_{sp,2} - \ln \eta_{r,2}))^{1/2}}{(2 * (\eta_{sp,1} - \ln \eta_{r,1}))^{1/2}} \quad (6)$$

Assuming that η_0 is the viscosity of pure water at 298 K ($\eta_0 = 1 \text{ mPa} \cdot \text{s}$), and $\eta_1 = 12,9 \text{ mPa} \cdot \text{s}$ and $\eta_2 = 310,2 \text{ mPa} \cdot \text{s}$ for samples 1 and 2 respectively, equation 6 can be reduced to the following expression:

$$\frac{[\eta]_2 c_2}{[\eta]_1 c_1} = 5.7 \quad (7)$$

From results of TEM microscopy, and considering that the size of the molecular aggregates for sample 2 is roughly 10 times bigger than for sample 1 and that TTAC composition increased scarcely a 30% w/w from sample 1 to sample 2, we can assume that $c_1 \simeq 10c_2$, and then, equation 7 can be re-written as follows,

$$\frac{[\eta]_2}{[\eta]_1} = 57.0 \quad (8)$$

In general, the intrinsic viscosity $[\eta]$ depends on the shape and size of the macromolecule or colloid in solution. At this point, the main goal is try to reproduce the ratio between intrinsic viscosities for liquid crystals of different TTAC

content, using hydrodynamic calculations based on molecular aggregates of different size and shape.

Thus, the program HYDRO⁶⁰ (available from <http://leonardo.inf.um.es/macromol>), allows to calculate a dimensionless intrinsic viscosity. A model composed of two layers of 244 hard spheres each, forming a circular monoaxial structure, such as the one depicted in Figure 7 was constructed. For this model, an intrinsic viscosity of $[\eta]_{1,circular}^* = 1.39$ (where the star means that we are working in dimensionless units) was calculated. To explain the increase in the viscosity of sample 2, the intrinsic viscosity was calculated for two different shapes, circular and elliptic (with a ratio in its semi-axes $a/b=20$), with 2440 hard spheres that reproduce an increase in the surface area 10 times bigger than the corresponding to the circular shape in sample 1. From these calculations, a $[\eta]_{2,circular}^* = 6.25$ and $[\eta]_{2,elliptic}^* = 75$ were obtained, which provide a $[\eta]_2^*/[\eta]_1^*$ ratio of $[\eta]_{2,circular}^*/[\eta]_{1,circular}^* = 4.5$ and $[\eta]_{2,elliptic}^*/[\eta]_{1,circular}^* = 54$, considering that the aggregates adopt an circular and elliptic shape in sample 2. From these calculations, we can assert that the increase in TTAC content, not only increases the size but also induce changes in the shape of the molecular aggregates that form the liquid crystal, going from a circular to an elliptic symmetry, and that this change in the shape in the molecular aggregates is the main responsible of the increase in the viscosity of the liquid crystal.

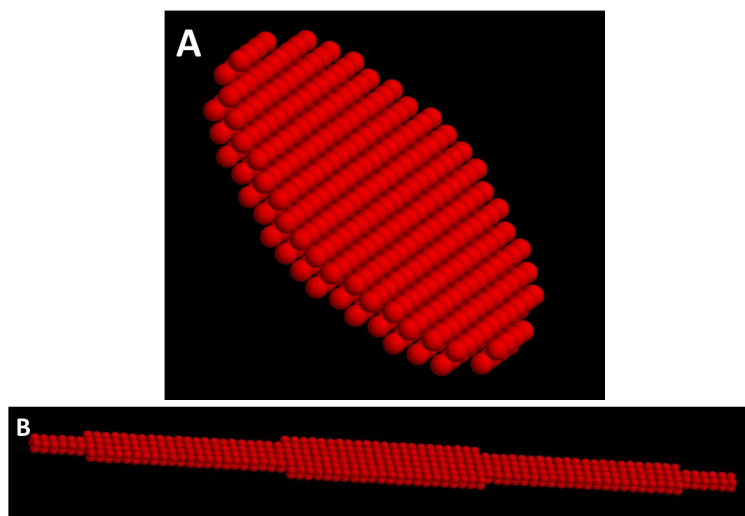


Figure 7: Hydrodynamic models used in the estimation of $[\eta]$. A) Circle and B) ellipse with $a/b=20$.

3.4 ^2H -NMR study

Table 2 shows the ^2H -NMR quadrupole splittings ($\Delta\nu_Q$) of SDS- d_{25} dissolved in samples 1, 2 and 3 (samples details were described in section 2.3).

Table 2 shows how the quadrupole splittings of SDS- d_{25} significantly decreased with the increase in TTAC content. This indicates a significant decrease in the alignment of the aliphatic chains with the magnetic field, which could have different origins, including electrostatic repulsions among the ammonium head groups. On the other hand, an increase of 15% w/w in NaCl (sample 3) has no significant effect on the experimental splittings, showing that the integrity of aggregates does not depend markedly on ionic strength.

Values of $\Delta\nu_Q$ obtained from ^2H -NMR are related to deuterium order param-

eters, S_{CD} , through the following expression:

$$\Delta\nu_Q = \frac{3C \langle S_{CD} \rangle}{2} \quad (9)$$

C is the quadrupole coupling constant ($C = 170 \text{ kHz}^{61}$), and S_{CD} is the order parameter of a given $C - D$ bond. Order parameters can be extracted directly from simulations, using equation 10.

$$\langle S_{CD} \rangle = \frac{\langle 3 \cos^2 \phi - 1 \rangle}{2} \quad (10)$$

Here ϕ is the angle between the $C - D$ bond and the bilayer normal, and the average is carried out over the simulation time and the number of identical molecules in the computational box. However, and bearing in mind that hydrogens from methylene groups have not been explicitly considered, the order parameters corresponding to a given $C - D$ bond, can be calculated employing a well described methodology, exhaustively explained elsewhere.^{32,38} Consequently, order parameter for $C_{12} - D$ bond can not be calculated. Table 4 shows the quadrupole splittings obtained from simulations, corresponding to the systems 1, 2 and 3 (described in section 2.7) which correlate with the experimental samples 1, 2 and 3 described in section 2.3.

An inspection to Tables 2 and 4 shows that a semi-quantitative agreement between calculated splittings of SDS-d₂₅ in system 1 and the experimental measured values in sample 1, is obtained for the first few carbon atoms of the aliphatic chain,

Carbon	System 1 $\Delta\nu_Q(\text{Hz})$	System 2 $\Delta\nu_Q(\text{Hz})$	System 3 $\Delta\nu_Q(\text{Hz})$
1	25467±525	24975±816	24183 ± 391
2	25639±663	25596±844	25483 ± 589
3	26260±670	26415±1110	26721 ± 559
4	26651±678	26414±1254	27390 ± 583
5	26858±716	26949±1360	27600 ± 622
6	26652±659	27162±1354	27566 ± 692
7	25699±647	27067±1439	27299 ± 717
8	25268±619	26755±1390	26864 ± 690
9	23572±568	26091±1388	26019 ± 711
10	20904±410	24831±1236	24489 ± 586
11	16389±223	22688±1020	21038 ± 557

Table 4: Calculated values of ^2H -NMR quadrupole splittings ($\Delta\nu_Q$, Hz) from MD simulations. Systems 1, 2 and 3 were described in section 2.7.

near the interface. However, a significant deviation emerged when we look at the last $C - D$ bonds of the chain. This discrepancy could arise either from the fact that our simulations corresponds to bilayer fragments, neglecting completely the curved rims which can be particularly important for small aggregates, or from molecules present as impurities in the PL mixture, which perturb the order of the hydrophobic core.

The observed ^2H quadrupole splitting along the SDS- d_{25} tail are not significantly altered by an increase in the solution ionic strength, as shown in Table 2 for samples 1 and 3. This behavior is reproduce by the simulation, as shown in Table 4, for systems 1 and 3 respectively.

As mentioned before, comparing systems 1 and 2 with their corresponding experimental samples 1 and 2, a noticeable discrepancy between simulation and experiment arises. Experimentally it is observed how a moderate increase in TTAC content produces a reduction of about 19% in the quadrupole splitting for the first methylene groups of SDS- d_{25} . This results clearly diverge from the results ob-

tained from simulations, in which the same increase in TTAC content, produces no variation in the quadrupole splittings of the first $C - D$ bonds, but a significant increment at the interior of the hydrophobic core.

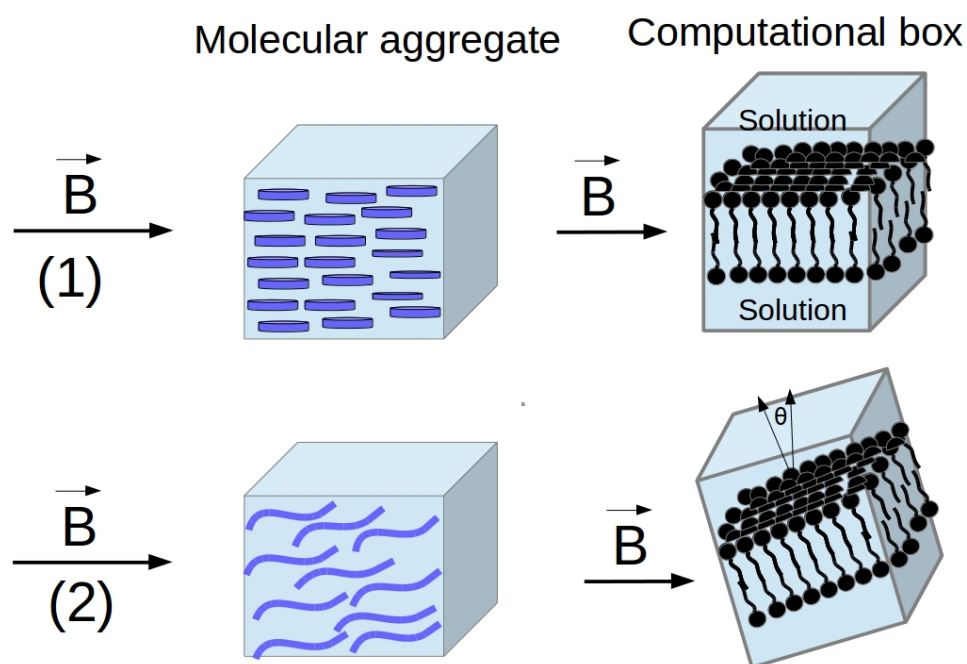


Figure 8: Orientation of the aggregate with respect to the magnetic field direction. (1) represents the orientation of stiff aggregates with oblate shape perfectly orientated in the magnetic field. (2) Represents distorted flexible aggregates with an elliptic shape, partially orientated respect to the magnetic field.

This discrepancy between experiment and simulation can be explained on the basis of changes in the shape and flexibility of the aggregates when increasing the TTAC content, such as it was deduced in the previous sections 3.2.1 and 3.2.2. Therefore, due to the increase in size and symmetry modifications of the aggre-

gate, to a larger and elongated shape, there appear collective motions, similar to undulations observed in extended lamellar phases, which could increase the mobility of all C-D bonds, decreasing the quadrupole splittings without affecting their average orientation. Thus, to explore the effect of undulations on $\Delta\nu_Q$, values of $\Delta\nu_Q$ have been recalculated considering four different tilt angles between the C-D bonds and the magnetic field, and the results are displayed in Table 5. It is observed that an angle deviation of $\simeq 15^\circ$, such as it is represented in Figure 8, is sufficient to reduce the values of $\Delta\nu_Q$ close to the experimental values, as observed from Table 5. Therefore, undulations with oscillations of 15° amplitude around the average orientation should be enough to explain the decrease in $\Delta\nu_Q$. This result evidences how considerations of flexibility and size of the molecular aggregates are of crucial importance for the correct interpretation of the experimental data.

Carbon	$(\Delta\nu_Q(\text{Hz}))^a$	$(\Delta\nu_Q(\text{Hz}))^b$	$(\Delta\nu_Q(\text{Hz}))^c$	$(\Delta\nu_Q(\text{Hz}))^d$
1	24183 \pm 391	21302 \pm 1211	18440 \pm 1425	14845 \pm 1718
2	25483 \pm 589	22557 \pm 1354	19603 \pm 1575	15917 \pm 1882
3	26721 \pm 559	23633 \pm 1268	20525 \pm 1465	16645 \pm 1752
4	27390 \pm 583	24229 \pm 1253	21048 \pm 1455	17080 \pm 1755
5	27600 \pm 622	24448 \pm 1237	21235 \pm 1433	17226 \pm 1726
6	27566 \pm 692	24381 \pm 1231	21178 \pm 1423	17183 \pm 1720
7	27299 \pm 717	24132 \pm 1246	20955 \pm 1436	16943 \pm 1724
8	26864 \pm 690	23733 \pm 1199	20599 \pm 1393	16695 \pm 1681
9	26019 \pm 711	22960 \pm 1183	19910 \pm 1368	16115 \pm 1646
10	24489 \pm 586	21596 \pm 1123	18720 \pm 1298	15146 \pm 1561
11	21038 \pm 557	18524 \pm 1063	16036 \pm 1217	12942 \pm 1443

Table 5: Calculated values of ^2H -NMR quadrupole splittings ($\Delta\nu_Q$, Hz) of system 2 (see section 2.7 for different tilt angles with respect to the Z axis: (a) 0° , (b) 10° (c) 15° and (d) 20°).

4 Conclusions

The use of molecular dynamics in conjunction with hydrodynamic calculations have proven to be very useful in the interpretation of the experimental results.

From the change in the slope of the plot of kinematic viscosity vs. TTAC content, a phase transition process between different bilayer structured aggregates is evidenced. Additional experimental evidence to support this hypothesis arises from the observation of PLM texture modification, at the same concentration where the slope of viscosity vs. TTAC content is observed. Cryo-TEM, FF-TEM and room temperature TEM images point in the same direction.

Hydrodynamic calculations support a phase transition from disk shaped mono-axial aggregates to bigger elliptic shaped bi-axial aggregates, explaining the viscosity increase. A decrease in bending modulus going from system 1 to system 2 is predicted by MD simulations. This increase in flexibility, which arises from the inter-digitation of TTA⁺ hydrocarbon chains, also contributes to increase the viscosity.

Finally, the increase in size and flexibility of the aggregates allows collective motions to occur, which decreases the alignment of the C-D bonds with the magnetic field, decreasing the values of Δv_Q . MD simulations indicates that oscillation amplitudes which deviates by 15° the alignment with the field, should be sufficient to explain the observed splittings.

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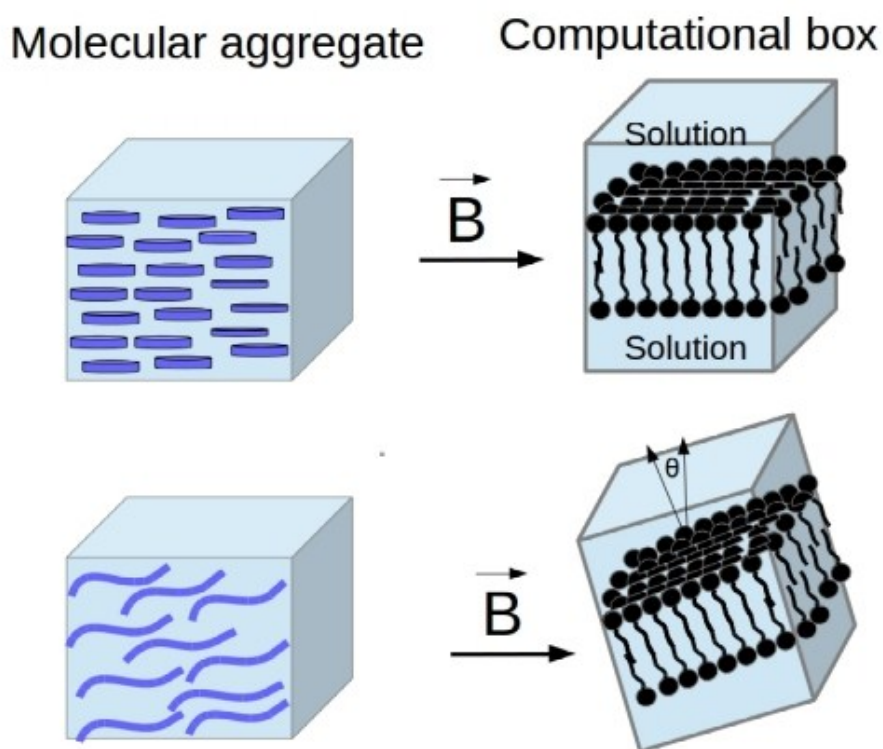
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Variation in the structure of the molecular aggregate associated with the increase of the TTAC concentration in the liquid crystal.