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## Coherent transport through spin-crossover mag r = 1Fe<sub>2</sub>

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#### 1 Introduction

In the past years, molecular spintronics, which combines the contemporary exploitation of the electron and spin degrees of freedom at single-molecule level, <sup>1–4</sup> has attracted considerable attention since it holds promise for the next generation of electronic devices with enhanced functionality and improved performance, especially in quantum computing and high-density information storage. <sup>5–7</sup>Based on magnetic molecules, i.e. organometallic wire, metal phthalocyanines, metal clusters, magnetic C<sub>28</sub> molecule, and molecular magnets, <sup>5,8–11</sup> various spin devices including spin filtering, spin valves, and spin crossover (SCO), have been successfully demonstrated in experiments or have been theoretically proposed. <sup>12,13</sup>

As one of the most possible building blocks in molecular spintronics, SCO complexes have been attracted increasing attention due to their magnetic bistability. 14,15 In general, SCO comp exe. containing a transition metal ion that can be switched between a low-spin (LS) and a high-spin (HS) state by diverse evidential stimulus, such as temperature, light, pressures, magnetic or tric fields or charge flow, have wide applications in information storage and molecular sensor. 16-20 Previous investigations main'v focused on SCO complexes with a pseudo-octahedral mo. or clear first-row transition metal ion, which has a d<sup>4</sup>-d<sup>7</sup> configuration<sup>21,22</sup> Since the first discovered Fe dithiocarb complexes in 1931,<sup>23</sup> the mononuclear Fe family with the net . coordinated to six N atoms (FeN<sub>6</sub>) has been extensively in es. gated to display rather easy controlled spin-crossover elect and transport properties.<sup>24,25</sup> The HS state in Fe(II) completions  $(d^6)^{26-29}$  is described by a  $t_{2g}^4 e_g^2$  electron configurations, i' the LS state has  $t_{2g}^6$  configuration. Recently, special attentic  $\frac{1}{2}$ been paid to binuclear SCO complexes, which occupy a special place among polynuclear spin transition systems.<sup>30–32</sup> Alth the number of binuclear SCO complexes is very limited, their soci behavior has been investigated by several experimental and oretical groups.<sup>33</sup> Three different types of magnetic behav of ; binuclear SCO complexes, such as one step directly from [10,10] to [LS-LS] spin-pair electronic configuration, two-step from \_AS-HS] to [LS-LS] via a plateau [LS-HS] configuration, and partial [HS-HS] $\leftrightarrow$ [LS-HS] spin transitions, have been revealed.<sup>34–36</sup>

However, electron transport experiments in binuclear SCO

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Electronic Supplementary Information (ESI) available: the spin density of SCO magnets  $Fe_2$ , the partial DOS of HS Fe cation, zero-bias transmission curves of SCO magnets  $Fe_2$  junctions with different anchoring configurations, and bias-dependent transmission curves of SCO magnets  $Fe_2$  with the [LS-LS] and [LS-HS] configurations. See DOI: 10.1039/x0xx00000x

complexes at the single molecular level remain scarce so far, mostly because depositing such complexes on surfaces with a controllable anchoring contact is very difficult.<sup>37-39</sup> Moreover, it is still an important challenge to explore the origin of different types of SCO in binuclear complexes since there is a simultaneous electronic and structural change of the molecule between two different spin-state isomers. In this work, the electronic structures and transport properties of SCO magnet Fe2, namely, Fe(dpia)(NCS)<sub>2</sub>]<sub>2</sub>(bpac), dpia=bis(2-picolyl)amine, bpac=1,2bis(4-pyridyl)ethyne],<sup>36</sup> with the [LS-LS], [LS-HS] and [HS-HS] spin-pair configurations, are explored by performing extensive spin-polarized density functional theory (DFT) calculations combined with non-equilibrium Green's function method. We clearly reveal that SCO magnet Fe2 complexes should display two-step spin transitions, which agrees with previous experimental measurements and theoretical predictions. Moreover, we find that nearly perfect spin-filtering effect and negative differential resistance (NDR) behavior coexist in SCO magnet Fe2 junction with the [HS-HS] configuration, whose conductivity is mainly determined by the spin-down electrons under small bias voltages.

#### 2 Computational model and methods

Electronic structures and coherent transport properties of SCO magnet Fe<sub>2</sub> are explored by performing DFT calculations combined with the non-equilibrium Green's functional method, implemented in ATK package, <sup>40,41</sup> which has been successfully used to explain many experimental results.<sup>42,43</sup> In our calculations, the generalized gradient approximation in the Perdew-Burke-Ernzerhof form is used to describe the exchange and correlation energy. The interaction between ionic cores and valence electrons is modeled with Troullier-Martins nonlocal pseudopotential. Double-zeta plus polarized basis sets are employed for all atoms. An energy cutoff is set to be 150 Ry for the real-space grid on which the Poisson equation is self-consistently solved. The spin-resolved transmission coefficients of these molecular junctions are obtained by

$$T_{\sigma}(E,V) = Tr[\Gamma_L G_{\sigma} \Gamma_R G_{\sigma}^+], \qquad (1)$$

where  $\sigma$  stands for the spin-up ( $\uparrow$ ) and spin-down ( $\downarrow$ ) channels.  $G_{\sigma}$  is the spin-dependent retarded Green's function of the extended molecule,  $\Gamma_{L/R}$  is the coupling matrix between the extended molecule and the left/right electrode. The current through the molecular junction is obtained by

$$I(V) = \frac{e}{h} \int T_{\sigma}(E, V) [f(E - \mu_L) - f(E - \mu_R)] dE, \qquad (2)$$

here, the  $f(E-\mu_{L(R)})$  is the Fermi-Dirac function for the left and right electrodes with the chemical potential  $\mu_{L(R)}$ . Based on the Landauer-Büttiker formula, the spin-up and spin-down electrons are coherent, indicating that the length of the active channel is less than the phase-breaking mean free path.

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#### 3 Results and discussion

We start with the geometric, electronic and magnetic properues for the isolated SCO magnet Fe<sub>2</sub> with three different spin-pair configurations, which are rather difficult since the relative e difference between two isomers is sensitive not only to the cloix of exchange and correlation functionals but also to the aton. laxation. <sup>44</sup> In our calculations, the initial structures for the  $S_{-3}$ and HS-HS states is taken from the low-, and high-temper a e structures in experiments, 36 respectively. And we suppose us a the isolated SCO magnet Fe<sub>2</sub> structures with [LS-LS] and HS] spin-pair configurations possess a center of symmetry moiety of the departure structure of SCO magnet Fe2 with the [LS-HS] configuration is taken from one half of the [LS-LS] while another moiety from half of the [HS-HS] case, and the fully relax all atomic positions to obtain the corresponding timized structure. The calculated total energy results show . the order of total energies of SCO magnet Fe<sub>2</sub> is [LS-LS] HS] < [HS-HS] configuration. Namely, the [LS-LS] case has the lowest energy, and the energy difference between [LS-[HS-HS] configurations is predicted to be about 0.61 eV. I. + [FeN<sub>6</sub>] coordination cores of SCO magnet Fe<sub>2</sub> with the [LSLS] and [HS-HS] configurations, the Fe-N distances are differed. fall within the range of [1.97, 2.09] and [2.04, 2.36] Å, remove tively, as shown Fig. 1. The average Fe-N distance is 2.23 Å in the [HS-HS] configuration, which is longer about 0.20 Å than t. at c. the [LS-LS] case. The NCS groups in these complexes have nearly linear geometry, and the Fe-Fe separation through the spac  $\mathbf{r}$  is and in the [HS-HS] and [LS-LS] spin-pair configurations is 14.25 and 13.79 Å, respectively. The relative longer Fe-N distan es i pseudo-octahedral coordination lead to the local relatively weak FeN<sub>6</sub> crystal field, corresponding to the [HS-HS] configuration. The 3d<sup>6</sup> electrons of Fe(II) cores in SCO magnet Fe<sub>2</sub> with [LS-J S<sup>2</sup>] the and [HS-HS] spin-pair configurations can be describe vt vo  $t_{2g}^6 e_g^0$  and  $t_{2g}^4 e_g^2$  electron configurations, and correspond to two smaller glet (S=0) and quintet (S=2) spin-states, respectively. The magnetic moments of SCO magnet Fe2 with the [LS-LS], [LS-HS , In ' [HS-HS] configurations are predicted to be 0.0, 4.0 and 8.  $\mu_B$ (Bohr magneton). The spin density distribution illustrates that the magnetism is mainly contributed by the HS Fe cations (1) S1). These optimized Fe-N distances and predicted magnetic numents agree well with previous experimental results.<sup>36</sup>

Moreover, we find that the spatial distribution and the energy positions of the frontier orbitals are dramatically different for w different spin-pair configurations. The bottom panel of Fig. 1 (a) and (b) presents the spatial profiles of the highest occupied molecular orbital (HOMO) and the lowest unoccupied molecular orbital (LUMO) of SCO magnet Fe<sub>2</sub> with the [LS-LS] and [HS-HS] configurations, respectively. As for SCO magnet Fe<sub>2</sub> with the [LS-LS] configuration, the ground state of this isolated coupled is nonmagnetic. The HOMO localizes around the ligands, while the LUMO delocalize over the entire complex, which lies at -\* J and -3.57 eV, respectively. It is clear that for the [HS-HS] uration, as shown in Fig. 1(b), SCO magnet Fe<sub>2</sub> is spin-polarized and two spin channels display different features. The energy gap for the spin-up electrons is about 1.39 eV, which is remarkably



**Fig. 1** (Color online) The optimized structures and spatial distribution of the HOMO and LUMO of SCO magnet Fe<sub>2</sub>, (a) for the [LS-LS], and (b) for the [HS-HS] spin-pair configuration.

larger than the gap of the spin-down electrons (0.24 eV). The HOMO and LUMO of the spin-down electrons locating at -2.97 and -2.73 eV are delocalized over the entire complex, while the spin-up HOMO localizes around the ligands and the LUMO localizes around the central region, which locates at -4.00 and -2.61 eV, respectively. These observed remarkably differences in the geometric and electronic structures of SCO magnet Fe<sub>2</sub> with different spin-pair configurations suggest that they are possible candidates for designing molecular spintronic devices with interesting transport behavior.

Before investigating the transport properties of SCO magnet  $Fe_2$  junctions, as shown in Fig. 2(a), we turn to explore the effective method to realize the spin transition from the [LS-LS] to [HS-HS] configuration in SCO magnet  $Fe_2$ , since many experimental and theoretical investigations have revealed that various external stimuli, such as temperature, light, pressure, magnetic or electric fields, SCO complexes can be switched between two



**Fig. 2** (a) Schematic illustration of the proposed junction, here, SCO magnet Fe<sub>2</sub> is sandwiched between two Au(100) electrodes. (b) Change of the relative total energies (in eV) under bias voltages. The black, red and blue symbol-lines stand for the averaged total energy differ between [HS-HS] and [LS-LS], [HS-HS] and [LS-HS], and [LS-HS] and [LS-LS] configurations, labeled with  $\Delta E_1$ ,  $\Delta E_2$  and  $\Delta E_3$ , respectively. (c) Relative energies of the [LS-LS], [LS-HS] and [HS-HS] spin-pair configurations, and the dashed lines indicate the average energy (c...eV) between the [LS-LS] and [HS-HS] configurations.

different spin-pair cases.<sup>14</sup> Firstly, we calculate the influen an electric field (arising from the applied bias voltage bear the left and right electrodes) on the relative total energies of the molecular junctions with three different spin-pair configura. Here,  $\Delta E_1$ ,  $\Delta E_2$ , and  $\Delta E_3$  is defined as the averaged total e erc  $\gamma$ difference between [HS-HS] and [LS-LS], [HS-HS] and [LS 116], and [LS-HS] and [LS-LS] configurations, respectively. We final the influence of an electric field on the relative total energy ifferences to be relatively small. As shown in Fig. 2(b), in the bias voltage range of [0, 0.6] V,  $\Delta E_1$ ,  $\Delta E_2$ , and  $\Delta E_3$  is predicted to be about 0.66, 0.47, and 0.19 eV, respectively, and all of then V ir within 0.05 eV. For example, a bias voltage of 0.6 V just modules  $\Delta E_1$ ,  $\Delta E_2$ , and  $\Delta E_3$  only about 0.026, 0.042, 0.015 eV, respectively These observations imply that an electric field in these examine ' molecular junctions can not directly induce the spin transition in SCO magnet Fe2 complexes, although for electronic application, it is more preferable to achieve a spin crossover transition purely by electric field.<sup>18</sup> Note that spin crossover transition by  $1 + \sigma$ of an electric field can be achieved for Fe-based single-molecule magnets and Co-based valence tautomeric compounds.<sup>21,24</sup>

From these calculated total energies for the SCO magnet Femolecular junctions, we find that the mixed [LS-HS] one falls in the energy gap between the [LS-LS] and [HS-HS] configurations, as shown in Fig. 2(c). According to the phenomenol g ce' model, <sup>34</sup> its position relative plays an important role in the shaping of the spin transition. To have a two-step spin transition ...e relative energy of SCO magnet Fe<sub>2</sub> with [LS-HS] config must be lower than the halfway point of the energy gap between the [LS-LS] and [HS-HS] configurations. The averaged total energies between the [LS-LS] and [HS-HS] configurations is predicted to be about 0.32 eV, which is slightly larger than that of the relative energy (0.18 eV) of the [LS-HS] case. This observation agrees well with the experimental observation, <sup>36</sup> which means that the SCO magnet Fe<sub>2</sub> complexes should display two-step transitions. Clearly, as for the SCO magnet Fe<sub>2</sub>, our calculated results confirm the phenomenological model. <sup>34</sup>



Fig. 3 (a) At the GGA level, the relative total energies (in eV) of the isolated SCO magnet Fe<sub>2</sub> complexes with the [LS-LS] and [LS-HS] configurations along the reaction coordinates, X. (b) The relative total energies (in eV) for the [LS-HS] and [HS-HS] configurations along X.

To estimate the energy barriers of the two-step spin transitions of SCO magnet Fe<sub>2</sub> complexes, we calculate the total energies of these isolated SCO magnet Fe2 complexes as a function of the reaction coordinates (X), and plot them in Fig. 3(a) and (b). As for the spin transition between the [LS-LS] and [LS-HS] configurations, as shown in Fig. 3(a), X is interpolated between the [LS-LS] (X=0) and the [LS-HS] (X=1) geometry for the two different spin-pair configurations. Here, the reaction coordinate projected out of the Hessian matrix is defined as the difference in the local Fe-N distances via normal mode analysis. As expected, Fig. 3(a) clearly shows that the ground state of SCO magnet Fe<sub>2</sub> is low spin, corresponding to the [LS-LS] spin-pair configuration. As X increases, originating from the weakening of the local FeN<sub>6</sub> ligand field, there is a transition from the [LS-LS] to [LS-HS] for  $X \sim 0.42$ , and the transition barrier is predicted to be about 0.61 eV. While for the spin transition between the [LS-HS] and [HS-HS] configurations, the transition barrier is about 0.93 eV at X $\sim$ 0.7, as shown in Fig. 3(b). Two transition barriers have relative large values, implying that the two-step transitions, from the [LS-LS] to [HS-HS] via a plateau [LS-HS] configuration, can be triggered by external stimuli, i.e. temperature or light. Such transitions are accompanied with the geometrical structure predifications, which, at the same time, alter the local  $FeN_6$  crysta. fiel a strength. <sup>36</sup> That is to say, the two-step spin transitions of the Fe<sub>2</sub> complexes can be realized by changing the metal-to-ligand bond distances via external stimuli. Then the weak and strong rearge crystal fields correspond to the Fe(II) magnetic bistablility o  $SC_7$ Fe<sub>2</sub> complex with the [HS-HS] and [LS-LS] spin-pair configurations, respectively.



**Fig. 4** (a) The calculated I-V curve of SCO magnet Fe<sub>2</sub> with the [LS-LS] configuration. (b) The spin-resolved zero-bias transmission functions and the spatial distribution of the LDOS at the perburbed HOMO a. LUMO, which is labelled with two upside-down triangles.

Since the exact anchoring configuration of molecular devices in experiments is a 'blackbox' so far, here, we propose se SCO magnet Fe<sub>2</sub> complex junctions with different anchoring figurations to explore their transport properties. For exal. 12 to model the molecular junction with one more different anchoring groups, the SCO magnet Fe2 complex with the [HS-HS] and [LS-LS] configurations are sandwiched between two Au(10) 17 noelectrodes via both thiol and thiocyanato end groups. Fig. shows the proposed molecular junction and the corresponding zero-bias transmission curves. To model the same electrode n. te rial with different crystal surface and to simulate the SCO magnet Fe<sub>2</sub> monolayer case, Fig. S3 and S4 present the calculated t sult, of one SCO magnet Fe2 complex sandwiched between two periodic Au(111) electrodes using  $6 \times 6$  supercells and two SCC  $\pi$  ac net Fe2 complexes connected to two periodic Au(100) electrolos using  $8 \times 8$  supercells, respectively. Note that such a and prin, configuration of the SCO magnet Fe2 complexes sandwiched between two Au electrodes via thiol groups is commonly adop. ed in molecular electronics, although the nature of the Au-S bond and the reacting species involved in the connections need can the up check. 45

Here, as examples, SCO magnet  $Fe_2$  with different spin ar configurations are sandwiched between two Au(100) natrodes. Through calculating the adsorption energies, we find that SCO magnet  $Fe_2$  prefers to adsorb on the hollow sites of Au(100) surface via Au-S bonds, as shown in Fig. 2(a). The proposed twoprobe systems can be divided into three parts, including the left and right electrodes, and the central extended molecule containing the sandwiched SCO magnet Fe<sub>2</sub> and two and three surface layers of the left and right electrodes, respectively, where all the screening effects are included into the contact region, and charge distribution in the electrodes is the same as that of the bulk phase. Here, the Au-S distance is fixed to be about 2.59 Å, which is close to the adopted value in the previous investigations.<sup>46</sup> Note that the geometric and electronic structures of SCO magnet Fe<sub>2</sub> are slightly disturbed by the Au(100) electrodes. The magnetic moment of SCO magnet Fe<sub>2</sub> junction with the [HS-HS] configuration is predicted to be about 8.4  $\mu_B$ . The calculated partial density of states of Fe 3d orbitals, as shown in Fig. S5, imply that the HS Fe cation still has the  $t_{2e}^4 e_8^2$ -like electron configuration.

Firstly, we examine the energetically preferring structure of SCO magnet Fe2, namely, the complex has the [LS-LS] configuration, which corresponds to the low-temperature structure observed in experiments.<sup>36</sup> The SCO magnet Fe<sub>2</sub> junction is nonmagnetic since both local strong FeN<sub>6</sub> crystal fields ensure spinpair states (two singlets, S=0). The calculate spin-restricted I-V curve is shown Fig. 4(a). Here, at each bias voltage, the current is determined self-consistently under the non-equilibrium condition. It is clear that the I-V curve displays nonlinear feature and an obvious NDR effect. With increasing of bias voltage, the maximum current is about 0.54  $\mu$ A at the peak position (V<sub>bias</sub> = 0.6 V), while the current reaches its minimum value (0.005  $\mu$ A) at the valley site ( $V_{bias} = 0.8$  V), which leads to a large peak-valley rate (PVR) of about 100. To explore the nature of transport behavior of SCO magnet Fe2 with the [LS-LS] configuration, the zerobias transmission function and the local density of states (LDOS) are plotted in Fig. 4(b). Here, two upside-down triangles stand for the perturbed HOMO and LUMO due to the presence of the Au(100) electrodes. Clearly, comparing with the spatial distribution of the HOMO and LUMO of the isolated SCO magnet Fe<sub>2</sub> complexes, as shown in Fig.1, the significant transmission peak at 0.35 eV is mainly contributed by the perturbed LUMO, which is delocalized over the whole complex. Due to the localization, the perturbed HOMO does not lead to a transmission peak at all. The energy separation between the perturbed HOMO and LUMO is about 0.4 eV, which is slightly less than that of the energy space (0.5 eV) between the HOMO and LUMO of the isolated SCO magnet Fe2 with the [LS-LS] configuration. As for the mechanism of NDR behavior, we will address later.

As we discussed above, SCO magnet  $Fe_2$  with the mixed [LS-HS] configuration is the intermediate structure for the two-step spin transitions, as shown in Fig. 5(a), which mixes the geometric and electronic structures of the [LS-LS] and [HS-HS] spin-pair configurations. In this case, one of two Fe(II) has the S=2 spin state, while the other Fe(II) has the S=0 spin state. That is to say, SCO magnet Fe<sub>2</sub> with the [LS-HS] configuration is spin-polarized. The spin-resolved I-V curves and the zero-bias transmission spectra are calculated and presented in Fig. 5(b) and (c), respectively. Under small bias voltage, the conductance of SCO magnet Fe<sub>2</sub> with the [LS-HS] configuration mainly transport through the spin-down electrons. The transmission coefficients of the spin-down electrons around the Fermi level are larger than that of the



**Fig. 5** (a) The optimized geometric structure of SCO magnet  $Fe_2$  with the [LS-HS] configuration, (b) The spin-resolved I-V curves. (c) T<sup>L</sup> zero-bias transmission functions and the spatial distribution of the Structure of the perburbed HOMO and LUMO for the spin-up and spin-down electrons.

spin-up electrons, which results in an obvious spin-filtering effect within a certain bias range, i.e. [-0.1, 0.4] V. Moreover, the ND behavior appears again. The maximum and minimum  $I_{\downarrow}$  is about 0.16 and 0.02  $\mu$ A, which locates at 0.35 and 0.5 V, respectivel. Note that the current through SCO magnet Fe<sub>2</sub> with the [LS-HS] configuration is slightly less than that of the [LS-LS] case.

Finally, we turn to explore the transport properties of SCO mean net Fe<sub>2</sub> with the [HS-HS] configuration, in which two Fe tor locate in the weak FeN<sub>6</sub> crystal fields due to the long Fe-N separations. The high-spin state of two Fe(II) in this case is char ecterized by S=2. This results in the magnetic moment of SCO magnet Fe<sub>2</sub> with the [HS-HS] configuration is about 8  $\mu$ B. Fig. 6(a) st ov the spin-resolved I-V curves. Here, the the red and black lines stand for the current through the spin-up and spin-down  $e^{-1}$  ctrons, respectively. The following features are observed.

(i) The current through SCO magnet Fe<sub>2</sub> with the [HS-HS] configuration is significantly larger than that of the [LS-LS] and [LS-HS] cases. For example, at the bias voltage of 0.25 V, the current



**Fig. 6** (a) The spin-resolved I-V curves through SCO magnet  $Fe_2$  with the [HS-HS] configuration. (b) The spin-resolved zero-bias transmission functions for two spin channels and the spatial distribution of the perturbed HOMO and LUMO. Here, the red and black lines stand for spin-up and spin-down electron, respectively.

through SCO magnet Fe<sub>2</sub> with the [HS-HS], [LS-HS], and [LS-LS] spin-pair configurations is predicted to be about 1.77, 0.09, and 0.006  $\mu$ A, respectively. That is to say, the former is larger about two orders than the later two cases.

(ii) As shown in Fig. 6(a), the obvious spin-filtering effect is observed for SCO magnet Fe<sub>2</sub> with the [HS-HS] configuration. At the bias voltage of 0.4 V, the calculated current is predicted to be about  $3 \times 10^{-5}$  and 0.20  $\mu$ A for the spin-up and spin-down electrons, respectively. The current difference between two spin channels under different bias voltage can be quantified by the ratio of current defined as R(V)= $I_{\downarrow}/I_{\uparrow}$ . The calculated R varies from 6500 to 32000 in the bias range of [0.1, 0.4] V. This conductivity dominated by the spin-down electrons has been observed in many magnetic molecules, i.e. ironcyclooctatetraene (Fe–COT) clusters and iron phthalocyanine (FePc).<sup>47,48</sup>

(iii) At the same time, NDR phenomena is observed for SCO magnet Fe<sub>2</sub> junction with the [HS-HS] configuration. When the bias voltage is swept forward to 0.7 V from zero, the  $I_{\downarrow}$  initially increases linearly to about 1.77  $\mu$ A at 0.25 V. Then, upon approaching to 0.45 V, the  $I_{\downarrow}$  drops to 0.04  $\mu$ A. This results in a significant NDR behavior with a peak-to-valley ratio of about 25, which is readily measurable in experiments.

(iv) Clearly, a dual functionality, nearly perfect spin-filtering effect and obvious NDR, is integrated in SCO magnet  $Fe_2$  junction with the [HS-HS] configuration. Of course, this remarkably coexisting of spin-filtering effect and NDR in SCO magnet  $Fe_2$  junction

highlights its promising potential for molecular electronic applications, i.e. fast switch devices and logic gates.

To understand the nature of the observed spin filter effect in SCO magnet Fe2 with the [HS-HS] configuration, it is use ful to look into the spin-polarized zero-bias transmission curves and the spatial distributions of the perturbed HOMO and LUN Q, a shown in Fig. 6(b), in which, the filled upside-down triangues stand for molecular projected self-consistent Hamitonian ( .a ex It is clear that the transmission spectra of SCO magnet Fe<sub>2</sub> for two spin channels display remarkably different behaviors aroun the Fermi level. The transmission coefficients of the spin-up nel are quite small in the energy region from -0.80 to 0.7 Jev. Two sharp and low transmission peaks locates are -0.95 and 0.00 eV, which is contributed by the localized HOMO and LUM spectively, as shown in the right panel of Fig. 6(b). While it the spin-down electrons, the delocalized HOMO and LUI vide the near perfect conductance channels through the molecular lar junction, which lead to the transmission coefficients at -0.10 and 0.27 eV close to 1  $G_0$  ( $G_0$  denotes the quantum constant and equals to  $e^2/h$ ). The distinct difference of transmission spectrum between two spin channels can be evaluated with spin filter ciency, SFE, defined as  $(T_{\uparrow}-T_{\downarrow})/(T_{\uparrow}+T_{\downarrow})$ , at the Fermi level. r $T_{\uparrow}$  and  $T_{\downarrow}$  stands for the transmission coefficient of the sp. . . .  $\rho$ and spin-down electrons, predicted to be  $1 \times 10^{-5}$  and C at the Fermi level, respectively. The calculated SFE at zer is 99.9 %, which indicates that conductance through SCO net Fe2 with the [HS-HS] configuration is mainly governed b :h e spin-down electrons.



**Fig. 7** The bias-dependent transmission functions for the spin-dov n electrons in SCO magnet Fe<sub>2</sub> with the [HS-HS] configuration. The since short-dotted line points out the positions of the left and right chemical potentials( $\mu_L$  and  $\mu_R$ ).

To elucidate the NDR mechanism for SCO magnet  $Fe_2$  with the [HS-HS] configuration, we calculate the bias-dependent transmission spectra since their shape and position will change und r the applied bias voltage. Fig. 7 shows the transmission spectra under the bias voltage range [0.0, 0.6] V for the spin-down electrons. It is clear that the values of transmission coefficient change matically under the applied bias. With gradually increasing of the applied bias voltage, two transmission peaks around the Fermi level contributed by the HOMO and LUMO, which gives the dom-

inant contribution to the current through SCO magnet Fe<sub>2</sub>, fuse into a transmission peak at 0.15 V. Then it gradually becomes narrow and small, and disappears at about 0.45 V. The current through the sandwiched complex is determined by the integral area under the transmission curve with the bias window. When the bias voltage is less than 0.25 V, there is a relative large integral area due to the transmission peaks around the Fermi level contributed by the HOMO and LUMO. The current increases with increasing of the bias voltage. When the applied voltage continuously increases, the fused transmission peak becomes narrow and small, and results in the reduction of the current. So the NDR behavior is observed. The  $I_{\perp}$  initially increases, and reaches its maximum (1.77  $\mu$ A) at 0.25 V, Then it decreases and reaches its minimum (0.043  $\mu$ A) at 0.45 V. Such a bias-dependent transmission induced NDR behavior has been observed in other molecules, i.e. phenalenyl and four-coordinate Fe complex. 49,50

#### 4 Conclusions

In summary, based on DFT calculations combined with nonequilibrium Green's function technique, we explore the electronic and transport properties of SCO magnet Fe2 complexes with the [LS-LS], [LS-HS] and [HS-HS] spin-pair configurations. We clearly reveal that two-step spin transitions in SCO magnet Fe<sub>2</sub> can be achieved by external stimuli, i.e. temperature or light, which agrees well with previous experimental observations and confirm the previous phenomenological model. The SCO magnets Fe2 junction with the [HS-HS] configuration has high spinfiltering efficiency and obvious NDR phenomenon. Under a small bias voltage, the current through the [HS-HS] SCO magnets Fe<sub>2</sub> is mainly contributed by the spin-down electrons, which results in nearly perfect spin-filtering effect. The observed NDR phenomenon originates from the bias-dependent transmissions. Theoretical findings suggest that SCO Fe<sub>2</sub> complexes hold the great promising applications in molecular electronic devices.

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