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Shockwave-induced structural changes of lipid flat disk and transition to vesicle

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The transition from lipid flat disks to vesicles under shock waves is essential for producing nanosized vesicles during sonication. We perform non-equilibrium molecular dynamics simulations to examine how shock waves interact with a lipid flat disk. The lipid disk consists of coarse-grained saturated phospholipid models and is approximately 30 nm in diameter in the gel phase. Shock waves are simulated using a piston-driven method, with piston speeds limited to 1.0 km s^{-1} or less. When a planar shock wave strikes, the disk's structural changes depend on the impact angle and the shock intensity. A disk with its rotation axis parallel to the shock direction decreases in thickness while maintaining its circular shape. In contrast, a disk with its rotation axis perpendicular to the shock wave direction undergoes radial compression in the shock propagation direction, causing a temporary increase in ellipticity. Behind the shock front, lipid molecules become disordered, as indicated by a reduction in the average P2 order parameter of lipid chains and the gel fraction in the disk. This suggests that shock waves can trigger the phase transition of lipid disks from the gel to the liquid phase. The shock's intensity and the resulting structural changes influence subsequent vesicle formation. During recovery, vesicles often form from the disk after exposure to higher-intensity shock waves or after a temporary anisotropic disk induced by a side impact. This highlights the importance of impact angle. These structural changes in lipid flat disks caused by shock waves may help in understanding and controlling vesicle sizes through sonication.

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1. Introduction

Small Unilamellar Vesicles (SUVs), also known as nanoliposomes, are spherical vesicles formed from a single lipid bilayer and range in size from several tens to hundreds of nanometers. Because they can encapsulate both hydrophobic and hydrophilic molecules, they have been widely studied as delivery vehicles for active substances in agriculture, food, cosmetics, and medicine.^{1–3} Additionally, SUVs are biologically produced as part of the extracellular vesicle family⁴ and play vital roles in intercellular communication.⁵ Therefore, producing engineered SUVs is crucial for designing molecular cargos that mimic natural biological processes and serve as models in fundamental biological research.

A standard method for creating engineered SUVs involves sonication, which applies high ultrasound energy based on cavitation.^{3,6–10} During sonication, multilamellar or large unilamellar vesicles break into small bilayer fragments (flat disks), which then close into vesicles. Assuming spontaneous vesiculation, this process is explained by the balance between edge

energy, which pulls the disk's edges, and elastic energy, related to the disk's bending.^{6,11} Additionally, the non-linear elastic properties of lipid disks have been implemented to understand the formation of nano-sized vesicles.¹² Although the theoretical aspect of spontaneous vesiculation has been emphasized, the basic understanding of how sonication influences vesicle formation remains limited.^{7–9} In the sonication method, vesicles form from flat disks under the influence of cavitation. In contrast, conventional theory mainly focuses on spontaneous vesicle formation, assuming symmetrical shape changes and steady mechanical properties. Consequently, the high polydispersity of sonicated SUV size distributions remains unresolved, making it challenging to produce sonicated vesicles with optimal properties for many applications.

The sonication method relies on ultrasound cavitation, which involves various physical phenomena, including shear stress from microstreaming, microjetting, bubble oscillations, and shock waves.^{13,14} The shock wave is the initial and most intense phenomenon associated with cavitation and is known to cause permeabilization of biological cell membranes.^{15–17} Because the shockwave generated by cavitation in water occurs on a picosecond timescale,^{18,19} observing the dynamics of lipid nanoparticles during shockwave propagation experimentally is challenging. Non-equilibrium molecular dynamics (NEMD)

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simulations provide a valuable tool for numerically investigating picosecond lipid dynamics at nanometer spatial scales under the influence of shock waves. For example, NEMD studies have examined the interactions between shock waves and lipid bilayers^{20–23} and proteins^{24,25}. Additionally, the effects of bubble jets induced by shock waves on cell membranes^{26–31} and the high-speed stretching of lipid bilayers associated with shock wave propagation^{32–35} have been explored. However, it remains unclear how shock waves influence lipid flat disks at the molecular scale, which are indispensable for understanding the vesiculation mechanism during sonication.

In this study, we investigate the behavior of lipid flat disks in response to plane shock waves and examine how impact angles and shock intensities influence the structural changes and the transition to vesicles using NEMD simulations. In the Methods section, we describe the preparation of the basic system using coarse-grained force fields for lipid systems and detail the implementation of the piston-driven shock wave technique. In the Results section, we verify the properties of plane shock waves and stable lipid flat disks, analyze the structural changes of the disks and lipid components under shock conditions, and the recovery processes after shock impact. We also examine the effects of impact angle and shock intensity. In the Discussion section, we present a possible scenario of vesiculation caused by shock waves during sonication and discuss methods to control the size of sonicated vesicles, along with limitations and future directions of this study.

2. Methods

The MARTINI force field version 3,^{36,37} a recently reparameterized coarse-grained (CG) molecular model of lipid systems, is used as the force field in CGMD calculations (Fig. 1(A)). Dipalmitoylphosphatidylcholine (DPPC) molecule is used as the lipid component of lipid flat disks and is represented in the CG model,^{36,37} where the choline, phosphate, and glycerol groups are mapped as NC3, PO4, and two GL beads, respectively. The two 16-carbon acyl chains are each modeled by four beads

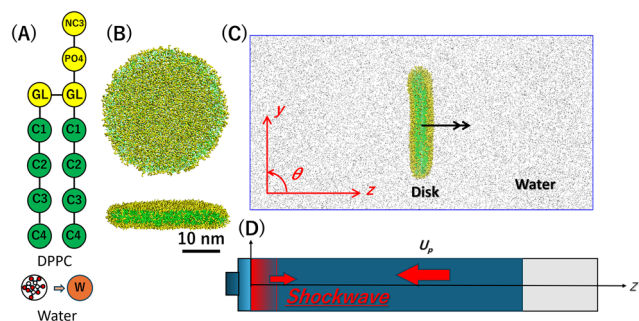


Fig. 1 MARTINI v3 CG models of saturated lipid (DPPC) and water (A), top and side views of a stable lipid flat disk (B), the system configuration (C), and the schematic of a piston-driven plane shock wave simulation (D). The hydrophilic headgroup beads and hydrophobic tail beads are shown in yellow and green, respectively, with their names³⁶ in Fig. 1(A) (see the text for details). The rotation axis of a lipid disk is indicated by the black arrow in Fig. 1(C).

(C1–C4), with each bead representing four methylene units following the standard 4-to-1 mapping ratio.³⁷ Additionally, four water molecules are represented as a single W bead. A rectangular computational system filled with CG water beads, subject to periodic boundary conditions in all directions, is prepared. A lipid flat disk with a diameter of approximately 30 nm, composed of 2400 DPPC molecules,^{38,39} is placed in the system (Fig. 1(B) and (C)). To prepare a stable DPPC disk, equilibration MD simulations are performed for 3 μ s at 310 K and 1 bar, which is below the gel-liquid phase transition temperature of the MARTINI v3 DPPC lipid bilayer. The general setup³⁶ is used for calculating CG interactions, except that the Verlet buffer tolerance is set to 0.0002 kJ mol⁻¹ ps⁻¹.⁴⁰ The v-rescale algorithm⁴¹ with a time constant of 1.0 ps is used for the thermostat, and the Parrinello–Rahman algorithm⁴² with a time constant of 10 ps is used for the barostat. The time step for integrating the equations of motion using the leap-frog algorithm is 20 fs for the equilibrium MD simulations.

To apply a plane shock wave to the lipid systems, the periodic boundary condition is removed along the long axis of the system, and a Lennard-Jones potential wall, composed of coarse-grained water beads, is placed at one end. The generation and propagation of piston-driven plane shock waves are simulated by applying a piston velocity, U_p , toward the potential wall to all beads, which are then reflected by the wall (Fig. 1(D)).^{43,44} During the shock wave MD simulations, temperature, pressure, and center of mass motion controls are not implemented, while the neighbor list is updated every step. The time step for integrating the equations of motion is set to 1 fs in shock wave MD simulations.

To investigate the effects of the shock impact angle on lipid flat disks, we prepare two systems in which the disk's rotation axis is set to be parallel ($\theta = 0^\circ$) or perpendicular ($\theta = 90^\circ$) to the direction of shock wave propagation (Fig. 1(C)). The initial distance between the potential wall and the center of a lipid disk is 36 nm. Shock wave MD simulations are conducted for three different initial configurations under each angle condition. The analysis of structural changes is limited to the period when the shock wave reflects at the vapor-liquid water interface (Fig. 1(D)). We perform MD simulations with GROMACS 2025 series in double precision^{45,46} and modify them to implement the piston-driven shock wave algorithm. The configuration pressure tensor is calculated using GROMACS-LS,⁴⁷ and other analyses are carried out with GROMACS tools and in-house C and Python codes, partly supported by MDAnalysis.⁴⁸

To verify how a lipid flat disk recovers after being impacted by a shock wave, we perform additional recovery simulations under controlled pressure and temperature conditions. We extract a shock-compressed region containing the lipid disk and run a short MD simulation to relax the system with pressure in the compressed direction, $P_z = 1.0$ bar, constant area A , and temperature $T = 310$ K, *i.e.*, constant nP_zAT MD simulation. Afterward, the pressure in all directions and temperature are relaxed for up to 1 μ s. Note that the method for conducting recovery MD simulations within current computational limits remains controversial; a similar approach



has been used to verify membrane recovery after shock wave impact.²⁷

3. Results

3.1. Shock wave characteristics

For shock wave CGMD simulations, we first verify the modeled shock waves by examining the relationship between particle velocity, U_p , and shock wave propagation speed, U_s , *i.e.*, the U_s-U_p Hugoniot curve for water.⁴⁹ Fig. 2 shows the U_s-U_p Hugoniot curve obtained with MARTINI v3 water beads. Here, U_p represents piston velocity, and U_s is measured directly from density-wave propagation. The CG water curve matches well with experimental data for $U_p \leq 1.0$ km s⁻¹. Previous studies have shown that curves generated using the CG water model with MARTINI v2²⁷ or the all-atom water model²⁶ also fit experimental data well. Although the water model in MARTINI v3 is slightly modified from MARTINI v2,³⁶ it remains valid at least for U_p values below 1.0 km s⁻¹. Since the bubble wall speed of a cavitation bubble can reach about 1.0 km s⁻¹ within micrometers from its center,^{18,19} we focus on lipid dynamics caused by shock waves with U_p limited to 1.0 km s⁻¹ or less. Additionally, we verify the density, temperature, and pressure profiles across the shock front for $U_p = 1.0$ km s⁻¹ (Fig. 3). In this range, pressure and temperature anisotropies become apparent, as reported in previous studies of strong shockwaves in simple Lennard-Jones liquids.^{43,50} Note that for NEMDs, the effects of computational parameters should be verified.^{20,21,32} We tested following parameters and algorithms of shock wave MD simulations: the time set of 0.5 fs, the wall model of hydrophobic beads, and the LAMMPS-like piston-driven method with momentum mirror.⁵¹ The obtained density profiles were unchanged at least with the above tested parameters and algorithms (see Fig. S1).

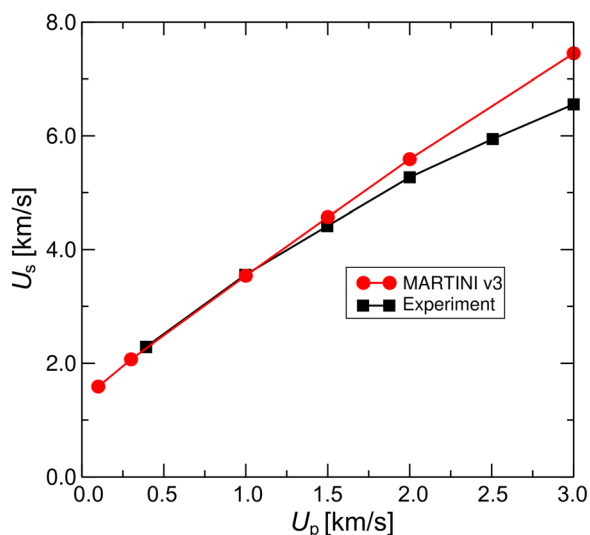


Fig. 2 The relationship between the shock wave propagation speed, U_s , and the particle velocity, U_p , *i.e.*, the U_s-U_p Hugoniot curve for MARTINI V3 water beads and water (experiment⁴⁹).

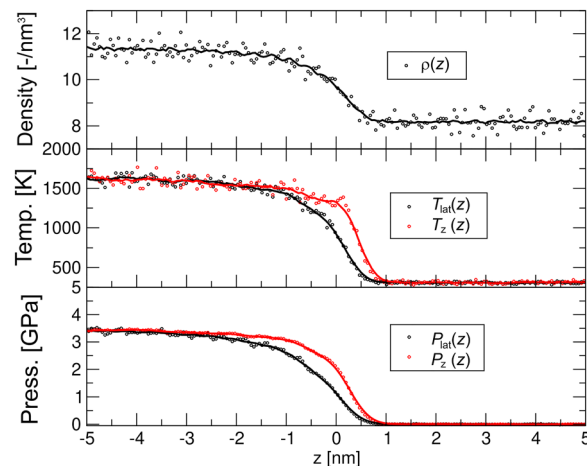


Fig. 3 Representative number density of CG water beads profile (upper), lateral and normal temperature profiles (middle), and lateral and normal pressure profiles (bottom) for $U_p = 1.0$. The half of the density difference across the shock front is set to $z = 0$. The solid lines indicate moving averages for the eye guide.

3.2. Stable lipid disk structure

The stable lipid disk structure forms the basis for controlling the transition to a vesicle. The radius of the 2400-lipid disk was 14.76 nm, based on the convex hull of lipid beads projected onto the disk plane. The thickness was determined to be 4.86 nm, measured as the distance between the averaged positions of PO4 beads in the upper and lower monolayers. The relative shape anisotropy estimated from the gyration tensor of C4 beads^{52,53} was approximately 0.25, indicating a well-flat and symmetric disk shape. The P2 order parameter,⁵⁴ averaged over the lipid chains (C1-C2, C2-C3, and C3-C4; Fig. 1(A)) in the disk core region, was 0.93, indicating a highly ordered lipid chain structure. To quantify lipids in the gel phase of the disk, we analyzed the lipid arrangement, which is regularly packed in a honeycomb lattice, based on previous studies of the gel-liquid phase transition in MARTINI CG lipid systems.⁵⁵ The lipids in the disk core were frequently identified as gel lipids (*e.g.*, Fig. 4(C)), and the gel phase lipid fraction exceeded 68% of the total lipids. In this context, without the influence of shock waves, we consider the 2400 DPPC disk prepared at 310 K and 1 bar to be a stable gel-phase lipid disk when using the MARTINI v3 force field.

3.3. Structural changes of lipid disk

The shockwave-induced structural changes of a disk depend on its orientation. Fig. 4 shows typical structures of a disk aligned parallel ($\theta = 0^\circ$) and perpendicular ($\theta = 90^\circ$) to the shockwave's propagation direction. Before the shock wave impacts (left panels of Fig. 4(A)-(C)), the disk has an isotropic circular shape, with ordered lipid tails in the core region. After the impact, the shock wave compresses the disks along the propagation direction (right panels of Fig. 4(A) and (B)). For $\theta = 0^\circ$, the disk thickness quickly decreases and then slightly rebounds (red line in Fig. 5), which may be because of the anisotropy of the



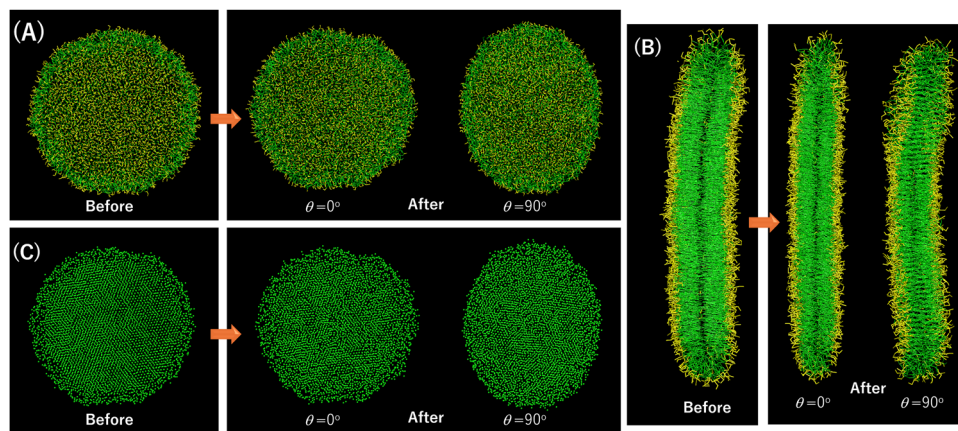


Fig. 4 Representative snapshots of lipid flat disks under the impact of shockwaves. The hydrophilic and hydrophobic beads are colored in yellow and green, respectively. The only C2 beads are shown in Fig. 4(c).

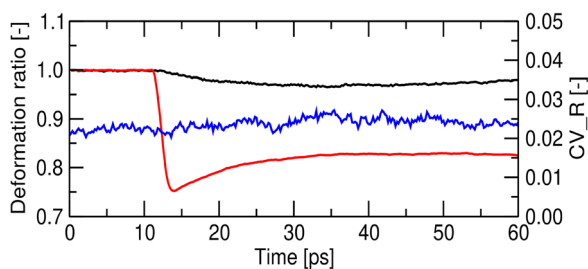


Fig. 5 Representative changes in the deformation ratios of disk radius (black line), thickness (red line), and the coefficient of variation of the radius (blue line) for $\theta = 0^\circ$ and $U_p = 0.8 \text{ km s}^{-1}$. The reference values for the deformation ratio were taken from the 0 ps time point. The variation in radius was calculated from the distances from the disk center to each convex full vertex of the PO4 beads projected onto the disk plane.

pressure tensor at the shock front (see Fig. 3). At the same time, its radius and shape remain mostly unchanged (black and blue lines in Fig. 5), indicating the compression maintaining its circular shape (Fig. 4(A) and (C)). Conversely, for $\theta = 90^\circ$, both the diameter along the propagation direction and the thickness decrease significantly (Fig. 6), leading to a temporary transition toward an anisotropic, ellipsoidal shape disk (Fig. 4(A) and (C)).

Before the shock wave impact, the lipids in the core region of the disk are in the gel phase (Fig. 4(C) left). The shock wave

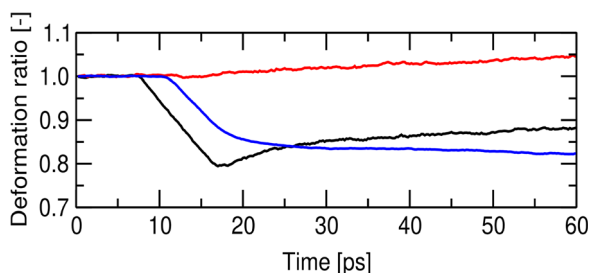


Fig. 6 Representative changes in the deformation ratios of the diameters parallel to (black line) and perpendicular to (red line) the shock direction, and the thickness (blue line) for $\theta = 90^\circ$ and $U_p = 0.8 \text{ km s}^{-1}$.

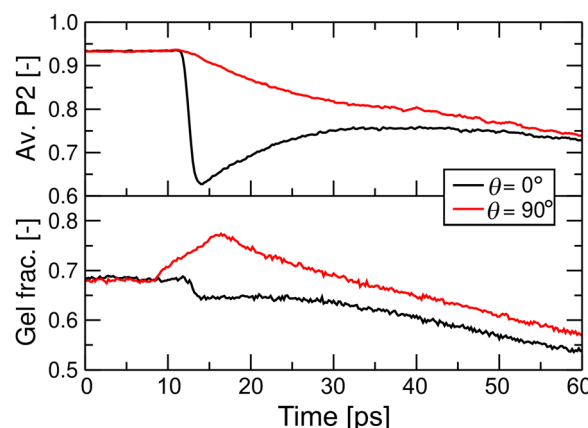


Fig. 7 Representative changes of the average P2 order parameters of lipid chains and the gel fraction for $U_p = 0.8 \text{ km s}^{-1}$.

distorts the lipid arrangement through disk compression and slight rebound. The distortion is most noticeable near the edge of the disk but develops into complex patterns (Fig. S2 and S3). For $\theta = 0^\circ$, the averaged P2 order parameter of lipid molecules drops suddenly and then rebounds, resembling the change in thickness (Fig. 4 and 7), while the gel fraction decreases monotonically. For $\theta = 90^\circ$, the P2 order parameter decreases monotonically. The gel fraction temporarily increases with the first compression but then decreases continuously (Fig. 7). For both $\theta = 0^\circ$ and 90° , the decrease in gel fraction persists for at least 60 ps in the high-pressure and high-temperature region behind the shock front (Fig. 3).

3.4. Effects of shock wave intensity

The structural changes of a lipid disk depend on the impact angle and shock wave intensity. Since shock wave intensity is proportional to U_p , the changes are evaluated relative to U_p . The normalized minimum thickness (Fig. 8(A)) decreases to about 0.7 as U_p increases, and the values for $\theta = 0^\circ$ are smaller than those for $\theta = 90^\circ$. The normalized minimum radius (Fig. 8(B))



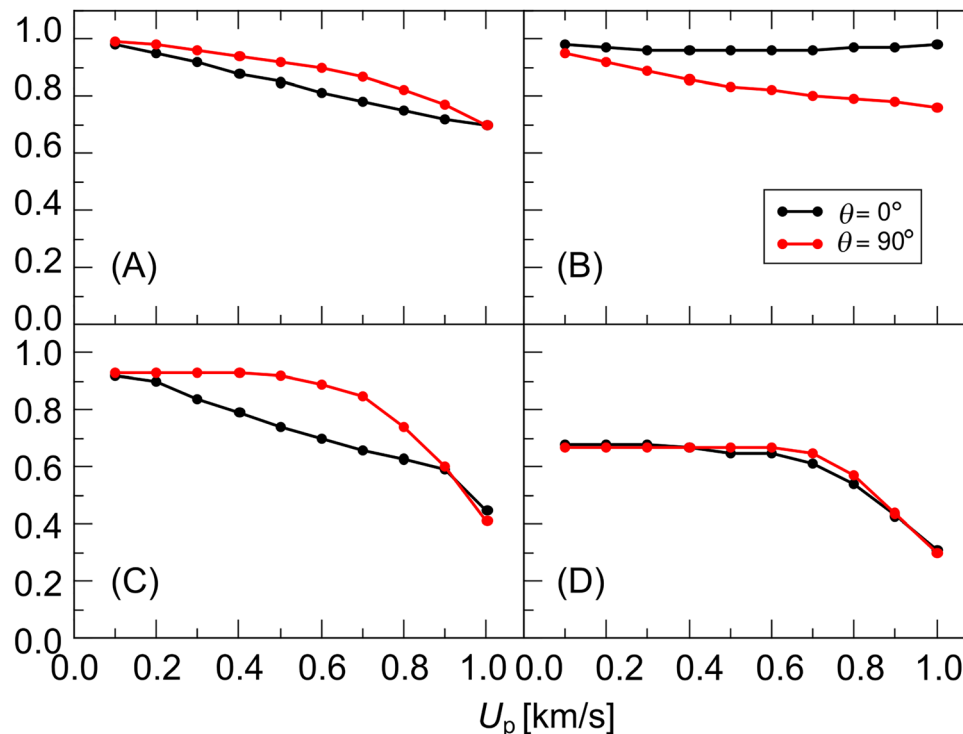


Fig. 8 Minimum values of normalized thickness (A), normalized radius (B), averaged P2 order parameter (C), and gel fraction (D) for various U_p s. For $\theta = 90^\circ$, the results for the radius along the shockwave direction are shown. Note that the minimum values within 60 ps are plotted due to the computational limitation.

appears to decrease with U_p for $\theta = 90^\circ$ and remains nearly unchanged for $\theta = 0^\circ$. This indicates volumetric compression of the disk occurs for both angle conditions. The minimum average P2 order parameter (Fig. 8(C)) decreases with U_p , but the reduction becomes significant after $U_p = 0.7 \text{ km s}^{-1}$, especially for $\theta = 90^\circ$. For both angle conditions, the minimum gel fraction (Fig. 8(D)) remains unaffected until U_p reaches about 0.7 km s^{-1} , after which it decreases markedly.

3.5. Recovery from shock-compressed lipid disk

After experiencing a shock wave, the flat lipid disk either returns to its original shape or transforms into a vesicle during relaxation to 1 bar and 310 K (Fig. 9(A) and (B)). When a transition to a vesicle occurs, the lipid-order distortion caused by the shock wave (Fig. 4(C) and Fig. 8(C) and (D)) persists during relaxation, leading to vesicle formation (Fig. 9(B)). Fig. 9(C) displays the vesiculation rate for different U_p values

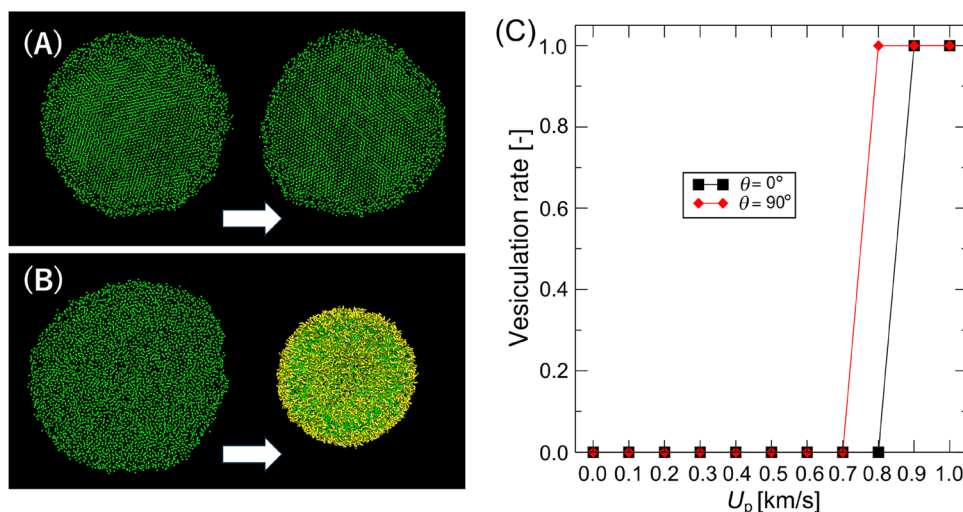


Fig. 9 Representative snapshots of the recovery to disk (A) and the transition to vesicle (B) during relaxation MD simulations from SW-impacted lipid disk, and the vesiculation rate vs. U_p (C). In Fig. 9(A) and (B), the results after short (left) and long (right) relaxation MD simulations are shown. All lipid beads are shown to visualize the vesicle clearly in Fig. 9(B). The vesiculation rate is calculated as the number of vesiculated samples in total ($n = 3$).



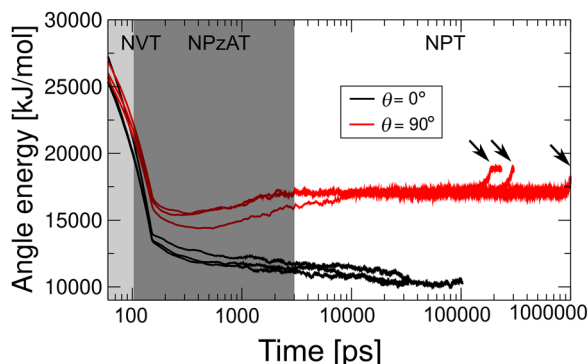


Fig. 10 Temporal changes of angle potential energy for $\theta = 0^\circ$ and 90° after the impact of shockwaves with $U_p = 0.8 \text{ km s}^{-1}$. The arrows indicate the energy at the time the vesicle forms. The ensembles used for the relaxation MD simulations are shown in the figure.

across three samples. Vesiculation takes place after a strong shock wave impact with $U_p \geq 0.8 \text{ km s}^{-1}$, roughly corresponding to the apparent decrease in the gel fraction (Fig. 8(D)). Furthermore, the threshold U_p required to trigger vesiculation for $\theta = 90^\circ$ (0.8 km s^{-1}) is lower than for $\theta = 0^\circ$ (0.9 km s^{-1}). This suggests that shock impact from the disk side may be more effective in inducing vesiculation during relaxation. Note that we tested the effects of extracted regions on the vesiculation rate for recovery simulations (see the Method section). Although the threshold U_p changes slightly, the qualitative result of the favor vesiculation for the disks when impacted from the side remains unchanged (see Fig. S4).

To confirm the recovery of the lipid disk from distortion, we further analyzed the temporal change in the angle potential energy, a sensitive measure of lipid phase changes, using MARTINI CG models. Fig. 10 shows representative results for $U_p = 0.8 \text{ km s}^{-1}$. For $\theta = 0^\circ$, all samples revert to their original disk shape (Fig. 8(b)), and the energy relaxes back to its original value, where the disk is in the gel phase. In contrast, for $\theta = 90^\circ$, the energy relaxes to a higher level and then suddenly increases with vesiculation. Before vesiculation, the angle energy remains higher, suggesting that the lipid phase of the disk may be semi-stable in the liquid phase. Interestingly, when the gel-to-liquid phase transition is induced by shock waves, the semi-stable angle potential energy during recovery simulations is independent of the experienced impact angle and U_p (Fig. S5). Once the liquid phase becomes semi-stable, the disk transforms into a vesicle within 1 us.

4. Discussion

4.1. Sonication method and vesiculation theory

We have demonstrated that shock waves temporarily alter the shape of lipid disks and the lipid arrangement. According to the classical vesiculation theory,^{6,11} the balance between the edge energy and the bending energy, thereby, the mechanical properties of the disk, is essential to the fate of disk shape. For example, lower bending modulus facilitates vesiculation, whereas higher bending modulus stabilizes the disk shape.

Before shock wave impact, the lipid disk is in the gel phase (Fig. 4) and has a higher bending modulus.⁵⁶ This explains the stable disk shape before the shockwaves impact. However, after high-intensity shock wave impact, the lipid arrangement becomes disordered, leading to a decrease in the gel fraction (Fig. 6). This suggests that shock waves can temporarily shift the lipid disk phase from the gel to the liquid phase. Because the bending modulus of the liquid phase is much lower than that of the gel phase,⁵⁶ shock waves may set a favorable condition for vesiculation (Fig. S5). Also, the vesiculation theory states that the energy barrier for transitioning from a disk to a vesicle decreases as the bending energy decreases.¹¹ This suggests that during sonication, shock waves from cavitation can trigger vesiculation by altering the phase of lipid disks and controlling their mechanical properties. Interestingly, shock-induced acceleration in molecular dynamics has been reported in protein binding.^{24,25} Furthermore, the shockwave-induced phase change in the lipid disk depends on impact angle and shock intensity (Fig. 8). Since the positions of cavitation bubbles and disks in their aqueous solutions vary significantly during the ultrasound exposure, the different sensitivities of lipid disks to shockwave impacts may explain the significant variation in the size of sonicated SUVs.⁷⁻⁹

4.2. Toward controlled vesiculation from lipid disk

Recently, a stable lipid flat disk, called a bicelle, has been extensively studied in biophysical chemistry.⁵⁷ One of its unique features is its tendency to align either along or perpendicular to the magnetic field. In this paper, we revealed that the transition from lipid flat disks to vesicles can be favored in disks after shock-wave impact from the side (Fig. 8 and 9). This suggests that performing the sonication method under a magnetic field could control vesiculation. For instance, when aligned bicelles under a magnetic field are exposed to shock waves from their side generated by cavitation, the bicelles may be expected to transit to vesicles favorably. However, controlling cavitation under a magnetic field remains a challenging area of research.⁵⁸

4.3. Limitations and future directions

Although we demonstrated structural changes in lipid flat disks induced by plane shock waves using NEMD, some limitations remain. The analysis was limited to several tens of picoseconds due to computational limits. However, some lipid dynamics (*e.g.*, P2 order parameters or the gel fraction (Fig. 7)) would not reach convergence within this period. Additionally, we did not observe any obvious lipid flip-flop events during shock compression, which one might expect to occur because they could be more favorable at the edge in lipid bilayers.⁵⁹ Likely, under extremely high-pressure and high-temperature conditions behind the shock front, lipid relaxation could take longer. Furthermore, analyzing detailed pressure distributions in the disk under shock waves can be valuable, as they may relate to vesiculation by altering the mechanical properties of lipid systems.⁶⁰ Current nonequilibrium shockwave simulations restrict the sampling needed for detailed local pressure analysis.



Such slow lipid dynamics and local pressure distributions can be studied using equilibrium MD simulations of shock waves,⁴⁴ although applying this to biological systems is still challenging.

The shock-induced distortion causing the phase change in the lipid disk develops into complex patterns (Fig. 4 and Fig. S2, and S3). We hypothesize that the phase transition triggered by shockwaves may have an intricate mechanism, since shockwaves significantly increase both temperature and pressure on picosecond time scales (Fig. 3). A detailed analysis of how the distortion occurs under shock waves requires further research, such as comparing it with results from heat^{55,61} or pressure-induced^{62,63} phase transitions.

Bubble jets^{26–31} or negative pressure from pulsed shockwaves^{24,64} are known to influence lipid or protein dynamics, but we only considered plane shockwaves in this study. Additionally, cavitation bubbles emit spherical shockwaves whose intensities decay with distance.^{18,19} The interaction between shockwaves and bubbles, and the effect of shockwave pulse width on lipid disk dynamics, could be an interesting area of shockwave MD research and can be investigated using the piston-driven shockwave algorithm.⁴⁴

Because we performed coarse-grained MD simulations, we did not examine more detailed atomistic features like water dynamics.^{20,21} All-atom MD simulations of lipid systems under shockwaves could provide valuable insights into shockwave phenomena in sonication, as water behavior during shock impacts is crucial to lipid membrane dynamics.^{65,66} Furthermore, although the MARTINI CG models effectively reproduce various lipid^{36,37} and shockwave characteristics (e.g., Fig. 2), they still need improvements in some lipid dynamics⁶⁷ and phase behavior.⁶¹ All-atom MD simulations will support and improve the current understanding of lipid dynamics under shock waves achieved with the current CG models.

5. Conclusion

In this study, we performed non-equilibrium molecular dynamics simulations of lipid disks exposed to planar shock waves to understand how shock waves interact with a lipid flat disk at the molecular level. We found that shock waves compress the lipid disk in the direction of propagation and distort its lipid organization. A disk with its rotation axis parallel to the shock direction decreases in thickness while maintaining its circular shape. Conversely, a disk with its rotation axis perpendicular to the shock wave direction experiences radial compression along the shock propagation, causing a temporary increase in ellipticity. The shock wave alters the lipid arrangement through disk compression and a slight rebound, triggering a phase transition from the gel to the liquid state. During recovery, vesicles often form from the disk after exposure to higher-intensity shock waves or side impacts, which induce a temporarily anisotropic disk. Because the mechanical properties of lipid systems in the liquid phase are lower than in the gel phase, shock waves from cavitation during sonication can cause vesiculation by changing the phase of lipid disks through

modulation of their mechanical properties. These molecular insights into the structural changes in lipid flat disks caused by shock waves could help in understanding and controlling vesicle size through sonication.

Conflicts of interest

There are no conflicts to declare.

Data availability

The modified GROMACS 2025 code, topology, computational parameters, and initial lipid disk configurations used in this paper are available in the institutional repository at [URL: <https://doi.org/10.15000/0002013975>]. The supporting data has been provided as part of the supplementary information (SI). Supplementary information: Fig. S1, S2, S3, S4, and S5. See DOI: <https://doi.org/10.1039/d5cp04439a>.

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