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# The devil in the details: lessons from $\text{Li}_6\text{PS}_5\text{X}$ for robust high-throughput workflows†

Asif Iqbal Bhatti, <sup>ab</sup> Sandeep Kumar, <sup>ab</sup> Catharina Jaeken, <sup>c</sup> Michael Sluydts, <sup>c</sup> Danny E. P. Vanpoucke <sup>ad</sup> and Stefaan Cottenier <sup>\*ab</sup>

High-throughput computational screening has become a powerful tool in materials science for identifying promising candidates for specific applications. However, the effectiveness of these methods relies heavily on the accuracy and appropriateness of the underlying models and assumptions. In this study, we use the popular argyrodite solid-state electrolyte family  $\text{Li}_6\text{PS}_5\text{X}$  ( $\text{X} = \text{Cl}, \text{Br}, \text{I}$ ) as a case study to critically examine key steps in high-throughput workflows and highlight potential pitfalls. We demonstrate some of these pitfalls by highlighting the importance of careful structural considerations, including symmetry breaking and site disorder, and examine the difference between 0 K thermodynamic stability and finite-temperature stability based on temperature-dependent Gibbs free energy calculations. Furthermore, we explore the implications of these findings for the ranking of candidate materials in a mini-throughput study in a search space of isovalent analogs to  $\text{Li}_6\text{PS}_5\text{Cl}$ . As a result of these findings, our work underscores the need for balanced trade-offs between computational efficiency and accuracy in high-throughput screenings, and offers guidance for designing more robust workflows that can better bridge the gap between computational predictions and experimental realities.

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## 1 Introduction

Computationally screening extensive material spaces using computational tools to identify new materials with optimal properties for specific technological applications has become a standard practice in materials science.<sup>1–8</sup> This method, known as high-throughput screening, holds great promise; however, like any tool, it must be applied critically. In this paper, we address several lesser-known issues that need to be considered when planning, executing, or evaluating a high-throughput study. Our aim is to contribute to the improved design of high-throughput studies and to foster more realistic expectations regarding the outcomes such studies can deliver.

To illustrate our points, we will use a toy case to conduct a “mini-throughput study”. Our starting point is  $\text{Li}_6\text{PS}_5\text{Cl}$ , a crystal extensively studied in recent years as a candidate for solid-state electrolytes in Li-ion batteries (see Section 2). Following the common assumption that similar materials may exhibit equally favorable properties, we construct a material space derived from  $\text{Li}_6\text{PS}_5\text{Cl}$  and investigate whether other

materials in this space exhibit similar or superior properties for use as solid-state electrolytes. In this example, we focus on a single property: thermodynamic stability. Our pretended goal is to identify all members in the space that are at least as thermodynamically stable as  $\text{Li}_6\text{PS}_5\text{Cl}$  with respect to decomposition into other crystals.

The objective of this paper is not to actually identify new electrolytes. Instead, we use this toy case to highlight the following critical, yet common, issues that do not always receive the attention they deserve when planning, performing, or analyzing high-throughput studies: (1) the importance of starting from the correct crystal structure, (2) the relevance (or lack thereof) of 0 K results for room temperature properties, and (3) the modification of property rankings with increasing levels of theoretical complexity.

## 2 Battery context

In the pursuit of ever better batteries, the development of Li-ion batteries with a solid electrolyte rather than a liquid electrolyte is a major goal. They combine a higher energy density with increased stability, high ionic conductivity and improved safety.<sup>9,10</sup> One family of candidate solid-state electrolytes that has received considerable attention is the  $\text{Li}_6\text{PS}_5\text{X}$  family, with X being a halogen element. The most studied member of this family is  $\text{Li}_6\text{PS}_5\text{Cl}$ ,<sup>7,8</sup> whose properties (ionic conductivity and chemical stability) can be altered by substituting the halogen.<sup>11</sup> They are stable at room temperature, and their Li ion conductivity

<sup>a</sup>Department of Electromechanical, Systems and Metal Engineering, Ghent University, Belgium. E-mail: [stefaan.cottenier@ugent.be](mailto:stefaan.cottenier@ugent.be)

<sup>b</sup>Center for Molecular Modeling, Ghent University, Belgium

<sup>c</sup>ePotentia, Belgium

<sup>d</sup>Hasselt University and imec, Institute for Materials Research (imo-imec), Quantum & Artificial Intelligence Design of Materials (QuATOMs), Belgium

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approaches the values found in liquid electrolytes.<sup>12–14</sup> There is often a trade-off: while X = Cl offers higher conductivity, there are concerns about its stability. Conversely, X = I improves chemical stability at the cost of lower ionic conductivity.<sup>13,15–22</sup>

Chemical stability is a property that can be studied using first-principles methods, and such studies have been conducted for Li<sub>6</sub>PS<sub>5</sub>X.<sup>23–26</sup> Making meaningful rankings of candidate materials, however, requires understanding the uncertainty on the predicted properties, several of which are independent of the first-principles method used. We will examine two sources of uncertainty: crystal structure and temperature. While the crystal structure of Li<sub>6</sub>PS<sub>5</sub>Cl has been experimentally determined, it cannot be considered fully resolved due to the effect of disorder. At the same time, chemical stability is a temperature-dependent property. We will examine how chemical stability evolves if the temperature is explicitly included in the simulations. Finally, we will illustrate how the rankings in our search space are affected by dealing with these two sources of uncertainty at various levels of sophistication. By quantifying these effects we hope to inspire the synthesis of new materials which have been previously discarded in high-throughput studies.

### 3 Computational methodology

For structural relaxation and total energy calculations, we used Density Functional Theory (DFT) as implemented in the Vienna *Ab initio* Simulation Package (VASP) code.<sup>27</sup> The electron core energy was approximated with plane wave-based projector-augmented wave (PAW) pseudopotentials.<sup>28</sup> After extensive convergence tests, the energy cutoff was set to 650 eV. The common Perdew–Burke–Ernzerhof (PBE) generalized-gradient approximation was used for the exchange–correlation functional.<sup>29</sup> As PAW potentials, we used the so-called GW-ready set, known for its high overall precision.<sup>30,31</sup> Specifically, we chose the following potentials: Li\_sv\_GW, Cl\_GW, P\_GW, V\_sv\_GW, As\_GW, S\_GW, and Bi\_d\_GW. Brillouin zone integration was performed using a  $\Gamma$ -centered  $k$ -point grid scheme generated *via* the Monkhorst–Pack method,<sup>32</sup> and the first-order Methfessel–Paxton method<sup>33</sup> with 0.03 eV was used for smearing. In all calculations, we used the van der Waals Grimme DFT-D3 corrections as implemented in the VASP code<sup>34</sup> to model the long-range interactions. This choice was based on test calculations for a series of argyrodite crystals, which showed that without van der Waals (VDW) corrections, volumes and ion channel sizes were overestimated. All calculations were carried out as non-spin-polarized, except for V<sub>5</sub>S<sub>8</sub>, which is known to be ferrimagnetic.<sup>35–38</sup> For geometry optimizations, the initial structure was relaxed until the forces on each atom were below 0.01 meV Å<sup>−1</sup>.

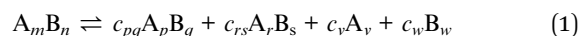
For dynamic stability analysis, we performed first-principles phonon calculations on geometry-optimized unit cells with 52 atoms using the finite displacement method as implemented in the VASP code.<sup>39</sup> Thermodynamic properties were computed with the *phonopy* code.<sup>40</sup> All phonon band structures were plotted with the *sumo* code.<sup>41</sup>

To compute the distance to the convex hull for Li<sub>6</sub>PS<sub>5</sub>X and the different x-Li<sub>3</sub>PS<sub>4</sub> phases, we used the *Pymatgen* code.<sup>42,43</sup>

*Pymatgen* determines this energy distance  $\Delta E_{\text{hull}}$  based on the total energies of the relevant decomposition products it identifies from the Materials Project database.<sup>44</sup> We modified the *Pymatgen* code to consistently add the VDW corrections as an additional correction to the final energy of each composition in the phase diagram, without further altering the crystal structure.

#### 3.1 Predicting thermodynamic phase stability

In order to predict the stability of a crystal at different temperatures, we calculate its Gibbs free energy with respect to its decomposition into a set of simpler crystals chosen to minimize this energy difference. A general example of a crystal A<sub>*m*</sub>B<sub>*n*</sub> formed by the elements A and B could be:



Here, the number of atoms A on the left and right sides of the equation should be identical ( $m = c_{pq}p + c_{rs}r + c_v v$ ), as well as the number of atoms B ( $n = c_{pq}q + c_{rs}s + c_w w$ ). The Gibbs free energy difference between the left and right sides includes an approximation for the vibrational and configurational entropy contributions and can be written as:

$$\Delta G(T) = \Delta H + \Delta F_{\text{vib}} - T\Delta S_{\text{mix}} \quad (2)$$

On the right-hand side of eqn (2), the first term is the formation enthalpy,  $\Delta H$ , which is calculated as the total energy difference between the crystals in the reaction in eqn (1), with each crystal at its zero pressure crystal structure:

$$\Delta H = E_{\text{left}} - \sum c_{\text{right},i} E_{\text{right},i} \quad (3)$$

$E_{\text{left}}$  is the total energy of the crystal A<sub>*m*</sub>B<sub>*n*</sub> in the example of eqn (1), at 0 K and zero pressure. The  $E_{\text{right},i}$  are the total energies of the simpler crystals on the right-hand side in the example of eqn (1), at 0 K and zero pressure.

The second term in eqn (2) is the vibrational free energy difference, given by  $\Delta F_{\text{vib}} = \Delta E^{\text{ZPE}} - T\Delta S_{\text{vib}}$ , with  $E^{\text{ZPE}}$  the zero-point energy of each of the crystals and  $\Delta S_{\text{vib}}$  the vibrational contribution to their entropy. In the harmonic approximation,<sup>40</sup>  $F_{\text{vib}}$  is given by

$$F_{\text{vib}} = \frac{1}{2} \sum_{q,\nu} \hbar \omega_{q,\nu} + k_B T \left[ 1 - \exp\left(-\frac{\hbar \omega_{q,\nu}}{k_B T}\right) \right] \quad (4)$$

where  $\omega_{q,\nu}$  is the phonon frequency at wave vector  $q$  with phonon band index  $\nu$ .

As for the last term in eqn (2), the mixing entropy difference is important for crystals that are not completely ordered. When two elements compete for the same lattice site, this can be approximated by the mixing entropy difference of two ideal gases. The expression for this is given by

$$\Delta S_{\text{mix}} = -nR[f_1 \ln(f_1) + (1 - f_1) \ln(1 - f_1)] \quad (5)$$

Here,  $f_1$  is the fraction of one ideal gas,  $(1 - f_1)$  is the fraction of the other ideal gas, and  $n$  is the number of moles of the two



ideal gases together. The gas constant  $R$  is related to the Boltzmann constant by  $R = N_A k_B$ , where  $N_A$  is Avogadro's number. Additionally, the number of particles  $N$  in the total volume of the two gases is related to the number of moles  $n$  by  $N = nN_A$ . This allows eqn (5) to be rewritten in a form more natural for crystals:

$$\Delta S_{\text{mix}} = -Nk_B[f_1 \ln(f_1) + (1 - f_1)\ln(1 - f_1)] \quad (6)$$

This can be interpreted as the mixing entropy difference for a unit cell of a crystal in which  $N$  atoms of two elements compete for the same lattice site, with  $f_1 N$  atoms of the first element and  $(1 - f_1)N$  atoms of the second element ( $f_1$  and  $(1 - f_1)$  are the site occupancies for each element). Generalizing eqn (6) to  $t$  elements, we have

$$\Delta S_{\text{mix}} = -k_B \sum_i^t f_i \ln(f_i) \quad (7)$$

Here,  $f_i$  represents the site occupancy of element  $i$ , and  $t$  denotes the number of elements that compete for the same site.

Under the constraints and approximations listed above, the  $\Delta G(T)$  of eqn (2) is entirely computable, which can be exploited to predict temperature-dependent phase stability (as done, for instance, in ref. 26 and 45 for crystals similar to the ones studied in the present paper). At  $T = 0$ ,  $\Delta G(T = 0)$  simplifies to the total energy difference between the left and right-hand sides of eqn (1), plus the (small) zero-point energy difference. Therefore, the total energy difference  $\Delta E$  is a good approximation for  $\Delta G(T = 0)$ . We will use the notation  $\Delta E$  when referring to a total energy difference at 0 K without considering zero-point corrections. With zero-point corrections, this will be noted as  $\Delta G$ . For  $T > 0$  K, there is no ambiguity, and we write it as  $\Delta G(T)$ . When the simpler crystals on the right-hand side of eqn (1) are selected to be those that provide the smallest possible energy difference with the crystal on the left-hand side, those simpler crystals must be on the convex hull of the corresponding crystal space. In that case, we will write the energy differences with a 'hull' subscript:  $\Delta E_{\text{hull}}$ ,  $\Delta G_{\text{hull}}$ , and  $\Delta G_{\text{hull}}(T)$ .

## 4 Results and discussion

### 4.1 Ambiguities in the argyrodite crystal structure

In order to perform meaningful first principles calculations for  $\text{Li}_6\text{PS}_5\text{Cl}$ , partial information about its crystal structure needs to be known as input: which space group, which Wyckoff sites are occupied by which elements, .... Such information is usually provided by experiments, e.g. by X-ray diffraction. While experimental information on the positions occupied by elements can be highly accurate, it often represents global averages, that can be affected by defects or disorder. As will become clear from the following overview, the experimental information available about the crystal structure of  $\text{Li}_6\text{PS}_5\text{Cl}$  does not suggest in a straightforward way which structure to use as input for the first-principles calculations (Fig. 1 and Table 1). On the other hand, quantitative aspects of the crystal structure, such as the lattice parameters, unit cell angles or the position

coordinates that are not fixed by symmetry, can be obtained as output from the first principles calculations.

There is no ambiguity about the space group, which is universally accepted to be the face-centered cubic group  $F\bar{4}3m$  (ITA 216). The P atoms occupy Wyckoff position 4b, and 4 out of the 5 S atoms occupy Wyckoff position 16e ( $(x,x,x)$ ,  $x = 0.625$  (ref. 49)). These P and S atoms form tetrahedral cages, with P in the center of the cage and S on its vertices. Similarly, the Li atoms form cages around the 4c positions. These cages are either regular octahedra, with a Li atom at each of its 6 vertices (Wyckoff site 24g, ref. 48), or they are pyritohedra with 12 vertices, of which roughly 50% are occupied by Li atoms (Wyckoff site 48h, ref. 13, 14, 46 and 47).

The 4c positions at the center of these Li-cages are either fully occupied by the fifth S atom (ref. 14, although the authors note they could not distinguish between S and Cl), or by a mixture of S (38%) and Cl (62%) (ref. 13 and 46–48). The 4a site, which lies outside the Li cages, is the mirror image of this, with either 100% Cl (ref. 14) or a mixture of S (62%) and Cl (38%) (ref. 13 and 46–48). The 4a site forms an fcc-pattern at the corners and face centers of the unit cell.

Several experimental papers mention a 4d Wyckoff site for S or Cl. As pointed out in ref. 50, this is due to a different origin choice and a possible inversion. This 4d site is identical to what we call 4c. In the present work, we strictly adhere to the ITA standard setting, called 'setting 2, not inverted' in ref. 50. With this choice, the 4c position is at  $(\frac{1}{4}, \frac{1}{4}, \frac{1}{4})$  and is surrounded by a Li octahedron formed by the 24g sites. These octahedra themselves form a tetrahedral arrangement, with one octahedron in the first octant. The 4d position (unoccupied) is at the center of each of the four octants where no Li octahedron is located and is tetrahedrally surrounded by four S atoms at 16e. When other choices are made, the names of 4c and 4d can be reversed.<sup>50</sup> In this work, all literature data have been converted to the ITA standard setting, ensuring that 4c is always a site at the center of the octahedron. As an additional verification that the 4d site is not occupied, some test calculations were performed with 4d occupied by S or Cl (see Table 2 and its discussion).

Given the experimentally observed site disorder for both Li and S/Cl (see Table 1), the question arises of which ordered model crystal structure should be used as the input structure for first-principles calculations. The requirement is to capture the essential features of  $\text{Li}_6\text{PS}_5\text{Cl}$  without entering the combinatorial explosion of possibilities by explicitly considering the site disorder. Table 2 shows two choices made in the literature, as well as a comparison between four extreme cases tested in this paper. This table demonstrates that swapping S and Cl between the 4c and 4a sites involves almost no energy change, consistent with the observed experimental disorder over these two sites. Variant 4, with S on 4c and Cl on 4a, has the lowest energy and is taken as our model system. This is the same choice as in Materials Project (mp-985592, ref. 44) and in ref. 26.

Unless explicitly mentioned, we will always use 'variant 4' from Table 2 throughout this paper. This model is visualized in Fig. 1b, assuming 4a is occupied by Cl, 4c by S, and 4d is empty.



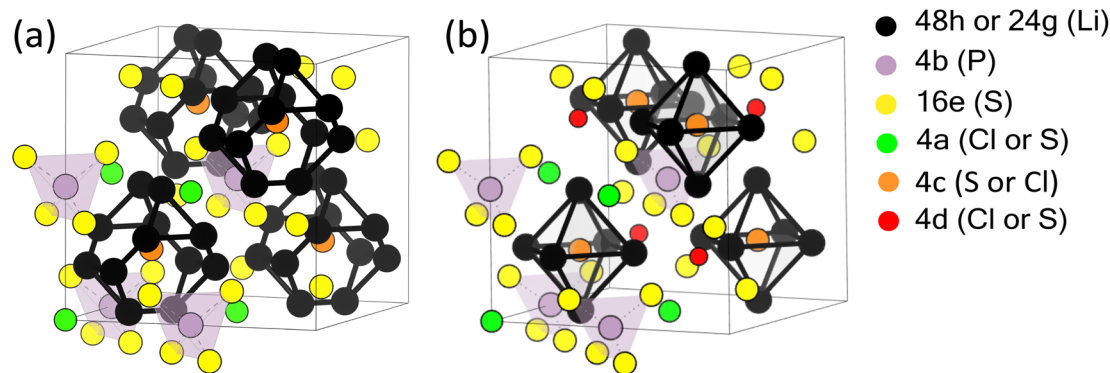


Fig. 1 Two possible structures of  $\text{Li}_6\text{PS}_5\text{Cl}$  with space group 216. (a) Li (black) occupies half of the 48h Wyckoff positions, and (b) Li (black) occupies all 24g Wyckoff positions. The coloured spheres represent the Wyckoff positions mentioned in the legend, occupied by the atoms listed in the legend.

As discussed in ref. 24, 26 and 51, the cubic version of  $\text{Li}_6\text{PS}_5\text{Cl}$  is metastable: its phonon band structure shows soft modes (see Fig. 5a). When a geometry optimization is performed starting from the cubic cell but with a small random displacement of all atoms, a non-cubic phase with a lower energy is found. Its cell parameters and formation energy are documented in Table 3 for the lowest energy case ('variant 4'). Although this structure is not far from the original cubic cell, it has less symmetry (space group 7) and can only be documented by its explicit cif file (see ESI, Section 1.4,† once in space group 7 and once in space group 1 ( $P1$ )). It corresponds to the 'LT' phase discussed in ref. 15, whereas the cubic structure corresponds to the 'HT' phase. This is a result of each Li atom at 24g choosing one of the 48h positions it can access. A phonon band structure calculation for this non-cubic cell does not show any soft modes (see Fig. 5d), in contrast to the cubic cell. This confirms that the distorted cell not only has a more negative formation energy but is also dynamically stable, meaning there is no further way to lower its energy without crossing a barrier. Table 3 documents two intermediate cases as well, where the unit cell was constrained to be cubic and only the atom positions were randomly displaced and subsequently allowed to relax. Once the volume

was constrained to the one of the initial cubic structure, once to the one of the distorted structure. The energies in the last column demonstrate that the distortion of the cell shape has a minor effect. The energy reduction is due to the repositioning of the atoms, which leads to a volume reduction.

For the isovalent crystals  $\text{Li}_6\text{PS}_5\text{Br}$  and  $\text{Li}_6\text{PS}_5\text{I}$ , there are fewer experimental data. Kraft *et al.*<sup>13</sup> showed that in  $\text{Li}_6\text{PS}_5\text{Br}$ , Li is distributed over the 48h (44.1%) and 24g (11.9%) sites, while Br occupies 77.9% of the 4a sites and 22.1% of the 4c sites. In  $\text{Li}_6\text{PS}_5\text{I}$ , Li occupies 39.1% of the 48h site and 21.9% of the 24g site, while iodine only occupies the 4a site, and the 4c sites are entirely occupied by S. This is very similar to the 'variant 4' model from Table 2. Therefore, we can state that  $\text{Li}_6\text{PS}_5\text{Br}$  and  $\text{Li}_6\text{PS}_5\text{I}$  have qualitatively the same crystal structure as  $\text{Li}_6\text{PS}_5\text{Cl}$ , with a different mixture of Br/I and S on the 4a and 4c sublattices. Over the series Cl–Br–I, the S content of the 4a site takes the values 62%, 22%, and 0% (with a complementary behavior for the S content of the 4c site). This is attributed to the similarity in ionic radii for S, Cl, and Br, whereas the ionic radii for S and I are more different.<sup>48</sup> For the Li position, various interpretations range from full occupation of 24g, partial occupation of 48h, to a mixture of both.

**Table 1** An overview of the Wyckoff position assignments for the  $\text{Li}_6\text{PS}_5\text{Cl}$  crystal structure as found in the literature. The site occupation (between 0 and 1) is given in parentheses. The experimental techniques used to obtain information about the structure are mentioned: X-ray diffraction (XRD), neutron powder diffraction (NPD) or Nuclear Magnetic Resonance (NMR). A question mark indicates that the experiment could not distinguish between certain elements

Elements	Wyckoff position				
	Deiseroth <i>et al.</i> , <sup>14</sup> ICSD 418490, 2008	Rayavarapu <i>et al.</i> <sup>46</sup> 2012	Kraft/Gautam <i>et al.</i> <sup>13,47</sup> 2017/2021	Hanghofer <i>et al.</i> <sup>48</sup> 2019	Yu <i>et al.</i> <sup>49</sup> 2016
Li	48h (0.56)	48h (0.44)	48h (0.50)	24g (1.00)	48h (0.47)
P	4b (1.00)	4b (1.00)	4b (1.00)	4b (1.00)	4b (1.00)
S	16e (1.00)	16e (1.00)	16e (1.00)	16e (1.00)	16e (1.00)
	4c (1.00)(?)	4c (0.37)	4c (0.38)	4c (0.39)	4c (0.29)
	—	4a (0.63)	4a (0.61)	4a (0.62)	4a (0.71)
Cl	4a (1.00)(?)	4a (0.37)	4a (0.38)	4a (0.39)	4a (0.29)
	—	4c (0.63)	4c (0.61)	4c (0.62)	4c (0.71)
Exp	XRD	XRD/NPD	NPD	XRD/NMR	NPD





**Table 2** The Wyckoff positions considered for  $\text{Li}_6\text{PS}_5\text{Cl}$  calculations in the literature and in this work. Every site mentioned is fully occupied. The formation energy  $\Delta E$  [eV per atom] is the energy difference w.r.t. the most stable unary phase of each element present in  $\text{Li}_6\text{PS}_5\text{Cl}$  (bcc Li, triclinic P (P1), orthorhombic S (Fddd), and orthorhombic  $\text{Cl}_2$  (Cmce))

	Materials project mp-985592	D'Amore <i>et al.</i> 'Model 2', ref. 26	Variant 1	Variant 2	Variant 3	Variant 4 [chosen model]
	Cubic	Distorted	Distorted	Distorted	Distorted	Distorted
Elements	Wyckoff position					
Li	24g	24g	24g	24g	24g	24g
P	4b	4b	4b	4b	4b	4b
S	16e	16e	16e	16e	16e	16e
	4c	4c	4d	4a	4a	4c
Cl	4a	4a	4a	4d	4c	4a
$\Delta E$ [eV per atom]			−1.129	−1.160	−1.193	−1.206

This variety likely reflects the inherently mobile nature of Li atoms in this crystal, which is, after all, the reason these crystals are being studied. We will always place Li at 24g, representing an average position.

The discussion above illustrates that determining the most meaningful input structure for a first-principles calculation can be more involved than 'simply adopting the experimental structure'. Nomenclature issues must be identified and resolved (4c/4d), average high symmetry features may need to be broken to find the actual lowest energy structure (we will see in Fig. 4 how this can affect computational predictions), and if site disorder appears, the most meaningful ordered model must be chosen (the entropy term that accounts for site disorder will be considered in Fig. 4). This is even more relevant if the chosen structure model will be used as a template for a high-throughput study: every mistake at this stage will proliferate through the entire high-throughput workflow.

Having decided on the most realistic model for the crystal structure, we can proceed to compute ground state and temperature-dependent properties for this model.

## 4.2 Thermodynamic stability of $\text{Li}_6\text{PS}_5\text{X}$ at $T = 0$ K

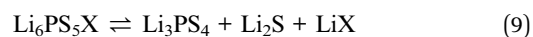
Having verified the dynamical stability of (non-cubic)  $\text{Li}_6\text{PS}_5\text{Cl}$  in the previous section, we now focus on its thermodynamic stability. A crystal is thermodynamically stable if, at a given temperature, there is no other combination of crystals with a lower Gibbs free energy. Importantly, the number and type of atoms on both sides of the equation must be identical. Proving thermodynamic stability is challenging, as it requires knowledge

not only of the crystal under consideration but also of any other possible crystal that can be formed with the given elements. There is an infinite number of such crystals, necessitating a large (and ideally infinite) database of known structures and energies. Databases such as Materials Project<sup>44</sup> or the Open Quantum Materials Database (OQMD)<sup>52</sup> are invaluable in this respect. They can document the thermodynamic stability of a given crystal with respect to all other crystals present in the database. If a crystal is found to be thermodynamically unstable, it will also be unstable with respect to an ideal infinite database. However, if a crystal is found to be thermodynamically stable with respect to a given database, this remains a conditional conclusion: a very stable crystal missing from the database could potentially alter the results. The lowest-energy combination of crystals from a given database consists of a set of crystals that are themselves thermodynamically stable with respect to that database. These crystals are on the so-called convex hull of the phase diagram for the considered elements. The energy difference between the studied crystal and this particular decomposition is called the (convex) hull energy ( $\Delta E_{\text{hull}}$  or  $\Delta G_{\text{hull}}(T)$ ).

For argyrodite-type crystals, there is a general decomposition reaction that typically points to the relevant crystals:<sup>18</sup>



For  $\text{Li}_6\text{PS}_5\text{X}$ , we have  $x = 1$ ,  $m = 5$  and  $\text{M} = \text{P}$ . The suggested decomposition reaction is therefore:



**Table 3** Unit cell information for the cubic (top line) and distorted (bottom line) of  $\text{Li}_6\text{PS}_5\text{Cl}$  in the 'variant 4' geometry. The two intermediate cases are constrained to be cubic, once with the higher volume and once with the lower volume, and only the atom positions are allowed to optimize, following a random displacement. The formation energy  $\Delta E$  [eV per atom] is given w.r.t. the elemental unary phases

	Volume	<i>a</i>	<i>b</i>	<i>c</i>	$\alpha$	$\beta$	$\gamma$	$\Delta E$
Cubic	1022.15	10.073	10.073	10.073	90	90	90	−1.122
Cubic (high volume)	1022.15	10.073	10.073	10.073	90	90	90	−1.186
Cubic (low volume)	907.43	9.681	9.681	9.681	90	90	90	−1.205
Distorted	907.43	9.832	9.609	9.609	89.1	88.8	88.8	−1.206



If eqn (9) is used to compare the energies of the crystals involved, the energies should be expressed per formula unit (see eqn (10) for a different formulation).  $\text{Li}_3\text{PS}_4$  can adopt different structures (see Section 4.3), with  $\gamma\text{-Li}_3\text{PS}_4$  being the ground state structure.  $\gamma\text{-Li}_3\text{PS}_4$  is thermodynamically stable (though it is not currently listed in the Materials Project database).  $\text{Li}_2\text{S}$ ,  $\text{LiCl}$ ,  $\text{LiBr}$ , and  $\text{LiI}$  each have only one possible structure, with space group  $Fm\bar{3}m$ , and are all thermodynamically stable. It can be verified that for every element, the number of atoms on the left and right sides of eqn (9) is identical, as required.

The 0 K property  $\Delta E_{\text{hull}}$  has been computed for  $\text{Li}_6\text{PS}_5\text{Cl}$ . Deng *et al.* found it to be unstable by 21 meV per atom (ref. 25) with respect to decomposition into  $\text{Li}_3\text{PS}_4$ ,  $\text{Li}_2\text{S}$ , and  $\text{LiCl}$ . Schwierter *et al.* reported a similar value of about 30 meV per atom (Fig. 2a in ref. 54), while the Materials Project reports 80 meV per atom. We find  $\Delta E_{\text{hull}}$  to be 90.0 meV per atom (Table 4). The corresponding values for  $\text{Li}_6\text{PS}_5\text{Br}$  ( $\Delta E_{\text{hull}} = 60.3$  meV per atom) and  $\text{Li}_6\text{PS}_5\text{I}$  ( $\Delta E_{\text{hull}} = 17.7$  meV per atom) also predict these two crystals to be unstable. This contrasts with the fact that they are experimentally known to exist, and  $\text{Li}_6\text{PS}_5\text{Cl}$  can even be commercially bought. This contradiction may be due to limitations of the theoretical level (particularly the exchange–correlation functional used in DFT), it may indicate a metastable crystal structure that will decompose over a long time, or it may be a temperature-induced stability

(unstable at 0 K but stable at higher temperatures). To better distinguish between these possibilities, we will calculate the temperature-dependent Gibbs free hull energy  $\Delta G_{\text{hull}}(T)$  in Sections 4.3 and 4.4.

### 4.3 $\text{Li}_3\text{PS}_4$ as a test case for the temperature dependence formalism

We now leave  $\text{Li}_6\text{PS}_5\text{X}$  for a while and focus on one of its decomposition products:  $\text{Li}_3\text{PS}_4$ . Three known experimental structures of  $\text{Li}_3\text{PS}_4$  as a function of temperature have been described in the literature.<sup>11,22,45,55,60,61</sup> From the lowest temperatures up to 573 K, the  $\gamma\text{-Li}_3\text{PS}_4$  phase has been reported.<sup>55,56,61</sup> This is an orthorhombic structure with space group  $Pmn2a$  (ITA 31). For  $T > 573$  K, a transformation to  $\beta\text{-Li}_3\text{PS}_4$  occurs. This structure is also orthorhombic, with space group  $Pnma$  (ITA 62). The high-temperature  $\alpha$  structure appears above 773 K.<sup>55,56,61</sup> Homma *et al.* reported the latter phase as  $\text{Li}_2\text{PS}_4$ , *i.e.*, with an incorrect stoichiometry, and with the space group ' $Pbcn$ '.<sup>62</sup> Later, Kaup *et al.* showed by neutron powder diffraction that  $\alpha$  has space group symmetry ' $\text{Cmcm}$ ' (ITA 63)<sup>55</sup> and maintains the  $\text{Li}_3\text{PS}_4$  stoichiometry. At high pressures, there is a  $\delta\text{-Li}_3\text{PS}_4$  phase that is not relevant to this study.<sup>61</sup> We will apply a phase transition prediction formalism to  $\text{Li}_3\text{PS}_4$  and compare the results with the aforementioned transition sequence and temperatures. If this approach works well for  $\text{Li}_3\text{PS}_4$ , it will

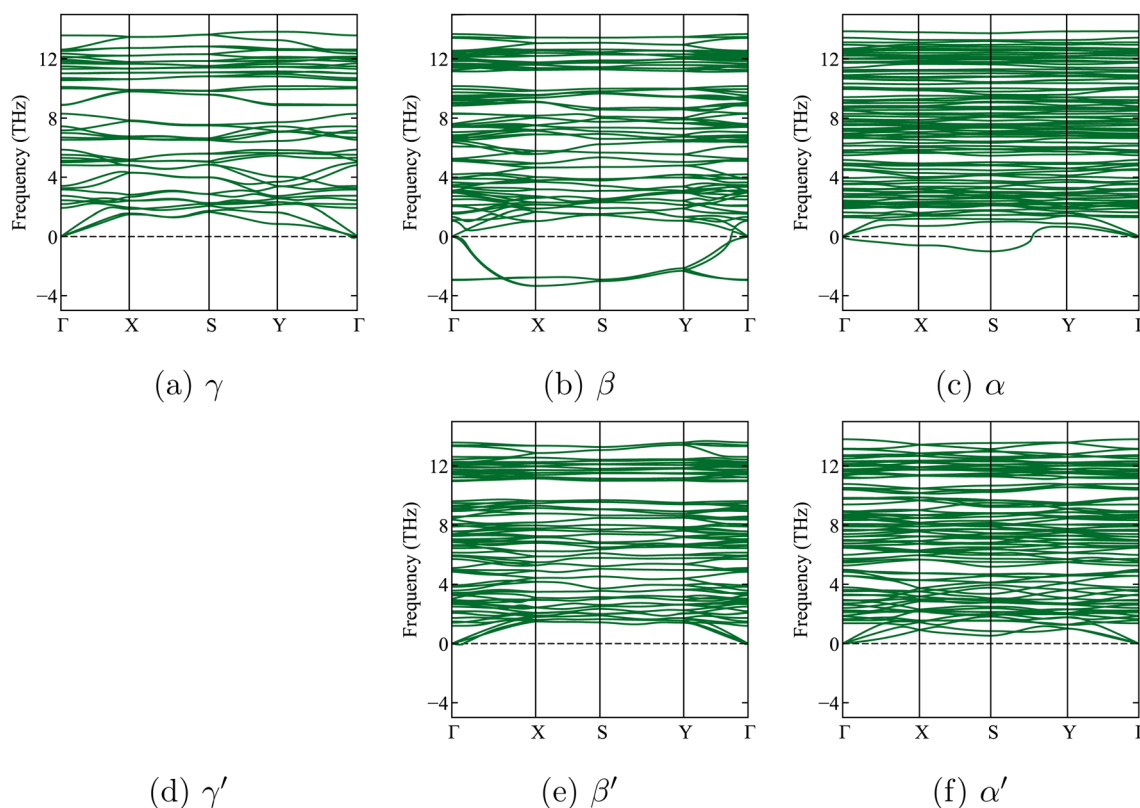


Fig. 2 Calculated phonon band structures of the three  $x\text{-Li}_3\text{PS}_4$  phases, without symmetry breaking (top, (a–c)) and with further symmetry breaking (bottom, (e and f)) (symmetry breaking had no effect for the  $\gamma$  phase). The dashed horizontal line shows the zero frequency. Soft modes ('negative frequencies') are clearly visible for the  $\beta$  and  $\alpha$  phases without symmetry breaking. With symmetry breaking, the soft modes for  $\beta'$  and  $\alpha'$  vanish. The very small negative frequencies near the  $\Gamma$  point in the  $\gamma$  phase are within an acceptable numerical error range of  $-0.3$  THz, as previously reported in a study by Brivio *et al.*<sup>53</sup> They are due to small residual stresses in the relaxed structure.



**Table 4** Calculated formation energies,  $\Delta E$ , with respect to the elemental unary phases, and convex hull energies,  $\Delta E_{\text{hull}}$ , with respect to the lowest-energy decomposition reaction. Lattice parameters are given for the different phases of  $x\text{-Li}_3\text{PS}_4$ ,  $\text{Li}_6\text{PS}_5\text{X}$ , and for their decomposition products. The experimental values are from ref. 22, 55, 56 and 57–59. #Atoms indicates the number of atoms in a unit cell. The prime symbol, ', refers to a distorted structure after symmetry breaking. MP refers to values obtained from the Materials Project database<sup>44</sup>

Phases	#Atoms	$\Delta E$ (eV per atom)	$\Delta E_{\text{hull}}$ (meV per atom)	$a$ (Å)	$b$ (Å)	$c$ (Å)
$\alpha\text{-LPS}$	32	−0.982	9.0	8.602	9.048	7.817
$\alpha\text{-LPS}'$	32	−0.978	5.3	8.481	9.135	7.985
Exp				8.643	9.046	8.477
$\beta\text{-LPS}$	32	−0.984	2.4	12.945	7.821	6.013
$\beta\text{-LPS}'$	32	−0.986	1.2	12.874	7.875	6.045
Exp				12.819	8.219	6.123
$\gamma\text{-LPS}$	16	−0.997	0.0	7.587	6.495	6.111
$\gamma\text{-LPS}'$	16	−0.997	0.0	7.587	6.495	6.111
Exp				7.708	6.535	6.136
LPSCl	52	−1.130	90.0	10.052	10.052	10.052
LPSCl'	52	−1.215	12.6	9.832	9.609	9.609
Exp				9.857	9.857	9.857
LPSBr	52	−1.124	60.3	10.083	10.083	10.083
LPSBr'	52	−1.179	5.24	9.818	9.884	9.727
Exp				9.986	9.986	9.986
LPSi	52	−1.111	17.7	10.115	10.115	10.115
LPSi'	52	−1.139	0.0	9.953	10.002	9.923
Exp				10.145	10.145	10.145
$\text{Li}_2\text{S}$	12	−1.44	0.0	5.587	5.587	5.587
Exp			0.0	5.708	5.708	5.708
$\text{LiCl}$	8	−1.89	0.0	5.046	5.046	5.046
Exp			0.0	5.129	5.129	5.129
$\text{LiBr}$	8	−1.60	0.0	5.385	5.385	5.385
Exp			0.0	5.489	5.489	5.489
$\text{LiI}$	8	−1.24	0.0	5.968	5.968	5.968
Exp			29.0	6.00	6.00	6.00

increase confidence in its application to the temperature-dependent phase transformations in  $\text{Li}_6\text{PS}_5\text{X}$ .

Starting from the experimental structures for the three different  $x\text{-Li}_3\text{PS}_4$  phases, we perform DFT calculations at 0 K, optimize their geometry, and determine their formation energies. We subsequently check their dynamic stability by calculating the phonon spectra of the geometry-optimized structures at 0 K. We find that the low-temperature  $\gamma\text{-Li}_3\text{PS}_4$  phase has no soft modes (Fig. 2a). However, the  $\beta\text{-Li}_3\text{PS}_4$  and  $\alpha\text{-Li}_3\text{PS}_4$  phases do show soft modes when the cubic symmetry is maintained (Fig. 2b and c). This indicates that there are collective motions of atoms that will disintegrate the crystal rather than settle into a vibration mode with a finite amplitude. These soft modes disappear when the symmetry of the  $\beta$  and  $\alpha$  phases is broken

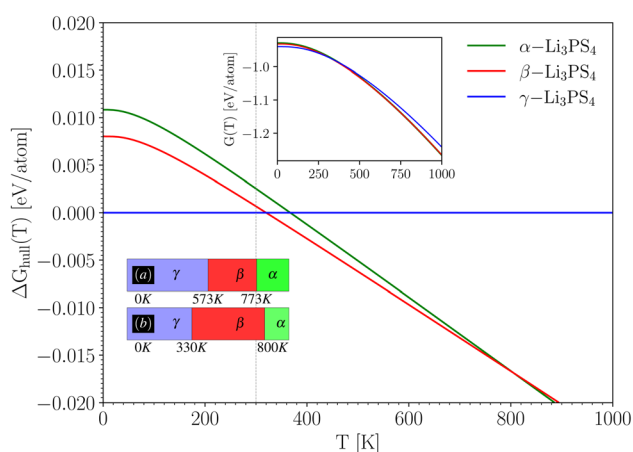
by applying a small random displacement to all atoms, followed by a new geometry optimization (Fig. 2e and f). The cif files for these structures, before and after breaking the symmetry, are provided in Section 1.3 of the ESI.†

In Table 4, the calculated lattice parameters for, among others, the three  $x\text{-Li}_3\text{PS}_4$  phases are shown. The lattice parameters after symmetry breaking vary at the 0.1 Å level. For  $\gamma\text{-Li}_3\text{PS}_4$ , the structural change is at the noise level, as evidenced by its values for  $\Delta E_{\text{hull}}$ ,  $\Delta E$ , and the lattice parameters.

The coordinates and simulated XRD spectra for these cases are provided in the ESI (Sections 1.2 and 1.3).† As shown in Table 4, the symmetry breaking lowers the formation energies, confirming that these are indeed more stable configurations. Moreover, the formation energies become less negative along the series  $\gamma \rightarrow \beta \rightarrow \alpha$ , consistent with the experimentally observed phases when increasing the temperature.

According to the Materials Project database,  $\beta\text{-Li}_3\text{PS}_4$  (mp-985583, ref. 44) cannot lower its energy by a phase transformation or by decomposition into other crystals. In other words, it lies on the convex hull of the Li–P–S phase diagram. However, based on our calculations and literature,<sup>61</sup> we know that  $\gamma\text{-Li}_3\text{PS}_4$  (not yet documented in the Materials Project database) has an even lower energy. Therefore,  $\gamma\text{-Li}_3\text{PS}_4$  lies on the convex hull. We can thus assign it a reference energy of zero and express the energy of the other crystals relative to this reference. These values are given in Table 4 in the column with the header  $\Delta E_{\text{hull}}$  – indicating the energy distance to the convex hull.

With the ground state energies and phonon information known, we can now use eqn (2) to obtain the temperature-dependent Gibbs free energy for all three  $\text{Li}_3\text{PS}_4$  phases (the mixing entropy term in eqn (2) is zero here, as these are ordered crystals). Fig. 3 shows these Gibbs free energies as a function of



**Fig. 3** Temperature dependent Gibbs free energy difference  $\Delta G_{\text{hull}}(T)$  with respect to the convex hull (i.e. w.r.t.  $\gamma\text{-Li}_3\text{PS}_4$ ) using eqn (2). The upper inset shows the individual Gibbs free energy curves  $G(T)$ , which is for the  $\gamma$ -phase multiplied by a factor of 2 to match the number of formula units of the other polymorphs. The box diagram in the lower inset shows (a) the experimental temperature range for each phase, and (b) the temperature ranges deduced from taking the phase with the lowest calculated  $G$  at any  $T$ .



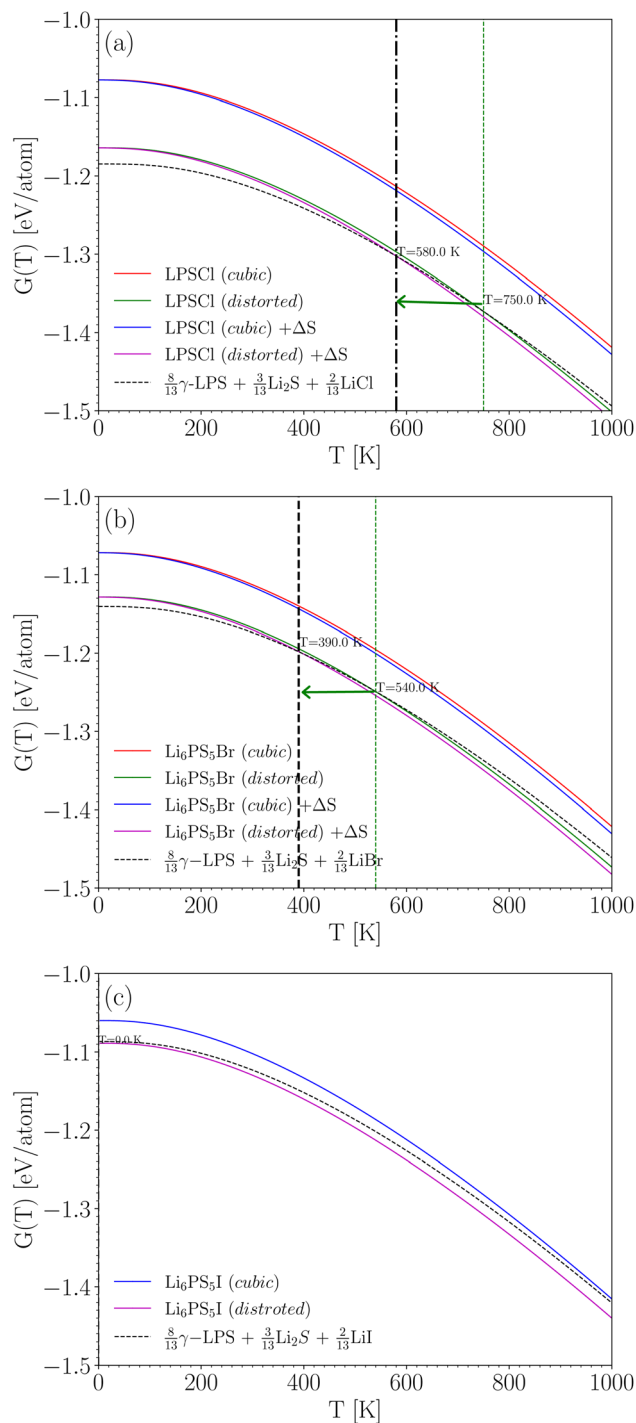


Fig. 4 Gibbs free energy,  $G(T)$ , for  $\text{Li}_6\text{PS}_5\text{X}$  and their decomposition products as a function of temperature, with cubic symmetry ('cubic') and broken symmetry ('distorted'). In (a) and (b),  $G(T)$  is plotted without and with ( $+\Delta S$ ) the entropy term. In (c), only the plot without the entropy term is shown (see text). The thick vertical line shows the stabilization temperature with entropy contribution, whereas the thin vertical line shows this temperature without entropy contribution. The horizontal arrow is a visual representation of the lowering of the stabilization temperature due to the 4a/4c disorder.

temperature, plotted with respect to the Gibbs free energy of the  $\gamma$ -phase, which is taken to be zero at every temperature (horizontal blue line). It can be concluded from this figure that at the

lowest temperatures, the  $\gamma$ -phase has the lowest Gibbs free energy and is therefore the most stable phase in this temperature range. This aligns with the experimental findings.<sup>56</sup> As the temperature increases to approximately 330 K, the  $\beta$ -phase becomes stable, followed by the  $\alpha$ -phase around 800 K. These results are summarized in the lower inset of Fig. 3 and compared with the experimentally observed phase transition temperatures. We conclude that the phase sequence is correctly predicted. The predicted transition temperatures quantitatively deviate notably from the experimental values, but on a scale of 1000 K, they are at least in the right range. This is the level of accuracy that can be expected for such properties, and deviations from the experiment are due to imperfections in the exchange–correlation functional used in the DFT calculations. If the (unknown) exact exchange–correlation functional would give energy differences that are only 0.005 eV per atom different from the PBE values, the transition temperatures can easily change by several hundred Kelvin. This example for  $\text{Li}_3\text{PS}_4$  suggests that by this procedure, qualitatively correct phase stability predictions can be made for  $\text{Li}_6\text{PS}_5\text{X}$  – something we will do in Section 4.4.

#### 4.4 Thermodynamic stability of $\text{Li}_6\text{PS}_5\text{X}$ at $T > 0$ K

We will now use the same approach as in Section 4.3 to predict temperature-dependent phase transformations or decompositions for  $\text{Li}_6\text{PS}_5\text{X}$  ( $\text{X} = \text{Cl}, \text{Br}, \text{I}$ ). We start by performing a geometry optimization and phonon calculation in the cubic state and find soft modes not only for  $\text{Li}_6\text{PS}_5\text{Cl}$  (Section 4.1) but for all three crystals (Fig. 5a–c). Breaking the symmetry and optimizing the geometry again, as was done for  $\text{Li}_3\text{PS}_4$ , results in structures with lower energy and no soft modes (Fig. 5d–f and Table 4).

The relaxed coordinate files (cif) are given in the ESI, Section 1.4.† Looking at Table 4, we see that the symmetry breaking lowers the lattice parameters by about 0.2 Å for all three crystals.

Using the structures with broken symmetry, which are now demonstrated to be dynamically stable, the next step is to apply eqn (2). In contrast to the  $\text{Li}_3\text{PS}_4$  example in Section 4.3, the entropy term does play a role here.

The mixing entropy term is approximated *via* eqn (6). It represents the entropy contribution due to X/S anion site disorder at the 4a and 4c sites, while the rest of the atoms have defined Wyckoff positions (see Table 1 and references therein). Rather than using the actual  $S$  fractions (*e.g.*  $f = 0.62$  for  $\text{Li}_6\text{PS}_5\text{Cl}$ ), we used  $f = 0.5$  instead. This maximizes the entropy contribution. As we will see, the entropy contribution is a small effect after all, and the results would not be significantly different if the actual fractions were used. For  $\text{Li}_6\text{PS}_5\text{I}$ , the I and S atoms are fully ordered at the 4a and 4c sites. Therefore, the entropy term was not included for  $\text{Li}_6\text{PS}_5\text{I}$ . Fig. 4a and c illustrate the effect of the entropy term for  $\text{Li}_6\text{PS}_5\text{Cl}$  and  $\text{Li}_6\text{PS}_5\text{Br}$ .

According to the Materials Project database, none of these  $\text{Li}_6\text{PS}_5\text{X}$  crystals lies on the convex hull of the Li–P–S–X phase diagram at 0 K. This means they will decompose into a combination of simpler crystals, with each of the decomposition products being on the convex hull. The decomposition products





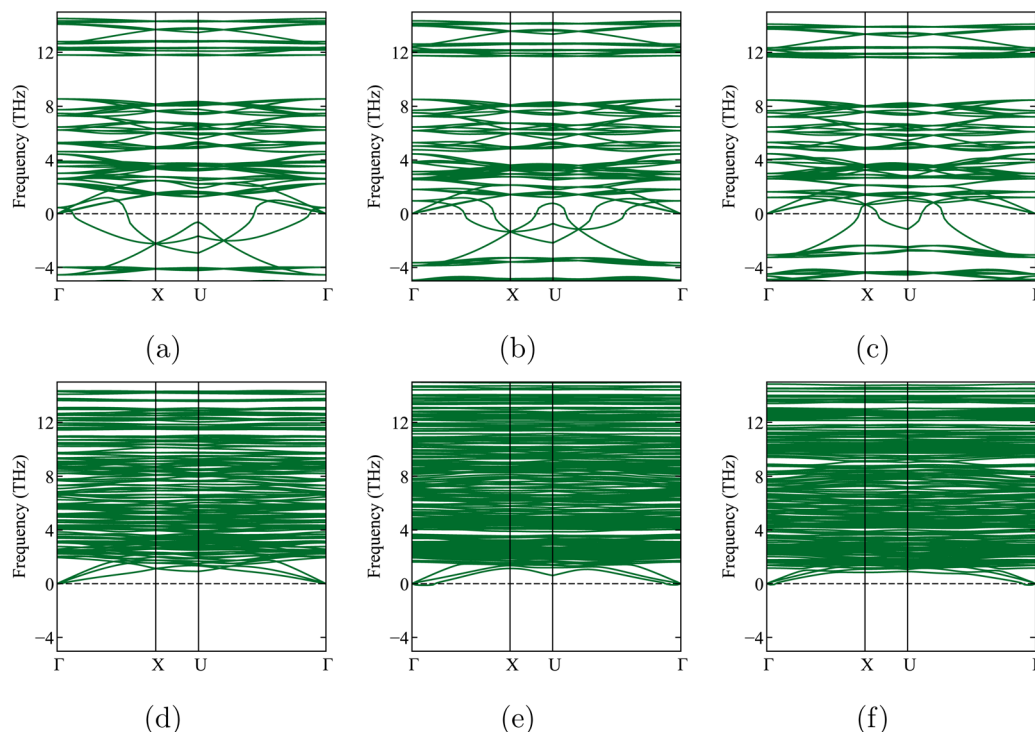


Fig. 5 Phonon band structures of  $\text{Li}_6\text{PS}_5\text{X}$ , when imposing cubic symmetry (top row) and when allowing for symmetry lowering (bottom row). The dashed line shows the zero frequency.  $\text{Li}_6\text{PS}_5\text{Cl}$ : (a) and (d),  $\text{Li}_6\text{PS}_5\text{Br}$ : (b) and (e),  $\text{Li}_6\text{PS}_5\text{I}$ : (c) and (f).

are always  $\gamma\text{-Li}_3\text{PS}_4$ ,  $\text{Li}_2\text{S}$ , and  $\text{LiX}$ . If the energies are expressed per atom, and considering that these four crystals have 52, 32, 12, and 8 atoms per unit cell, respectively, this is the translation of eqn (9) with the proper coefficients:

$$E(\text{Li}_6\text{PS}_5\text{X}) \approx \frac{8}{13}E(\gamma - \text{Li}_3\text{PS}_4) + \frac{3}{13}E(\text{Li}_2\text{S}) + \frac{2}{13}E(\text{LiX}) \quad (10)$$

This is a realization of the general example in eqn (1). In order to calculate the  $T$ -dependent stability, we first geometry-optimize  $\text{LiCl}$ ,  $\text{LiBr}$ ,  $\text{LiI}$ , and  $\text{Li}_2\text{S}$ , and calculate their phonon spectrum ( $\gamma\text{-Li}_3\text{PS}_4$  has been done in Section 4.3, and these data are re-used). There were no soft modes. The Gibbs free energies for all three crystals (left-hand side of eqn (10)) and for the weighted sum of the simpler crystals (right-hand side of eqn (10)) are shown in Fig. 4. At any given temperature, the lowest among those curves represents the most stable situation at that temperature.

Fig. 4a shows the results for  $\text{Li}_6\text{PS}_5\text{Cl}$ . If cubic symmetry is kept, then the energy of  $\text{Li}_6\text{PS}_5\text{Cl}$  would be about 0.1 eV per atom above the energy of the weighted sum of simpler crystals (at 0 K). Indeed, this is essentially the same as the 0.09 eV per atom found in Table 4, with the only difference being that now the small zero-point energy difference is taken into account. When allowing for the symmetry breaking, the energy of  $\text{Li}_6\text{PS}_5\text{Cl}$  is only slightly higher than that of the decomposition products at low temperature and lower than that of the decomposition products above 580 K. This means that above

580 K,  $\text{Li}_6\text{PS}_5\text{Cl}$  is predicted to be thermodynamically stable against decomposition. This prediction is very consistent with the measured experimental crystallization temperature of 603 K.<sup>49,63</sup> Note that the minor shift due to the entropy term is relevant here; without the entropy term, the temperature above which  $\text{Li}_6\text{PS}_5\text{Cl}$  is predicted to be stable rises to 750 K. The disorder on the S/Cl sublattices plays, therefore, a meaningful role in the stabilization of this crystal.

The situation is quite similar for  $\text{Li}_6\text{PS}_5\text{Br}$ , as shown in Fig. 4b.  $\text{Li}_6\text{PS}_5\text{Br}$  becomes thermodynamically stable above 390 K (this would have been 540 K without the entropy term). For  $\text{Li}_6\text{PS}_5\text{I}$  in Fig. 4c, the entropy term does not play a role (S and Cl are on their own Wyckoff sites, without mixing), but even without this term the energy of  $\text{Li}_6\text{PS}_5\text{I}$  is always lower than the energy of the decomposition products:  $\text{Li}_6\text{PS}_5\text{I}$  is predicted to be stable over the entire temperature range. Taken together, Fig. 4 indicates an increasing stability of  $\text{Li}_6\text{PS}_5\text{X}$  from  $\text{X} = \text{Cl}$  to  $\text{X} = \text{I}$ .

In conclusion, we can state that total energy and phonon calculations at the given level of theory (PBE-DFT with van der Waals corrections), combined with the proper structural information (allowing for symmetry reduction, including site disorder and the corresponding entropy contribution), provide an effective method to predict the thermodynamic stability of argyrodite-type solid-state electrolytes as a function of temperature.

#### 4.5 Isovalent analog to $\text{Li}_6\text{PS}_5\text{Cl}$

When searching for materials optimized for a particular technological application, it has become possible to perform



computational high-throughput searches: a large space of candidate materials is computationally screened for a specific property. Only those materials with the most attractive values for that property are taken to the next stage, where a computationally more expensive property is determined. By applying this procedure multiple times, a vast space can be filtered down to a handful of candidates that exhibit desirable values for all considered properties, without having to calculate the most expensive properties for the entire space.

The underlying assumption in this screening approach is that the approximations used at different stages do not influence each other. If the ranking of materials after stage 1 changes considerably at stage 2, then selecting the subset of best-ranked materials after stage 1 could discard materials that would have been better-ranked at stage 2.

In this work, we do not perform a high-throughput study but rather examine a methodological question using a ‘mini-throughput’ approach as a model. The reasoning is as follows:

Argyrodite-type  $\text{Li}_6\text{PS}_5\text{Cl}$  is a known candidate for a solid-state electrolyte, and we have demonstrated in the previous sections that we can predict its stability as a function of temperature with reasonable accuracy. There are 4 P atoms in the unit cell of this crystal. We could define a family of crystals where phosphorus is replaced by (a combination of) other elements, assuming that the crystal structure is qualitatively maintained. A subset of this family is formed by combinations of 4 atoms that are collectively isovalent to four phosphorus atoms (this makes it more likely that there will be no crystal structure phase transitions). For instance, two W atoms (valence +5), one Os (+6), and one Te (+4) have an average valence of +5 per atom, which is identical to the valence of P. Such isovalent substitutions (which we restrict to a maximum of 3 different elements) are least likely to fundamentally alter the properties of  $\text{Li}_6\text{PS}_5\text{Cl}$ , while still offering ways to fine-tune some properties. By pseudo-randomly replacing the 4 phosphorus atoms by up to 3 other elements (omitting elements that are too expensive, toxic or radioactive, or just implausible), and by considering only valence states that are normal for each element, a list of 14 000 candidates was made. After applying the constraint of an isovalent substitution, 91 of those survived. They form the space for a ‘mini-throughput study’. They are listed in Table S1 of the ESI.† For each of these crystals, we calculated the total energy in the cubic phase and in the distorted phase, as was done before with  $\text{Li}_6\text{PS}_5\text{X}$ . The former is a relatively fast calculation, while the latter requires much more involved geometry optimization and should preferably be avoided in a full-fledged high-throughput study. The energy distance to the convex hull ( $\Delta E_{\text{hull}}$ ) was calculated for both series and was plotted with respect to each other in Fig. 6. The distance to the convex hull is positive for all 91 cases, regardless of whether symmetry was broken or not. This means that none of these crystals is thermodynamically stable. The values of the energy distance are spread within the interval [0, 0.5] eV per atom. The energies in the distorted phase are systematically lower than the energies in the cubic phase, indicating that the tendency for symmetry lowering is present in all cases. There is a fair correlation between both data sets, which would lead at first sight to the

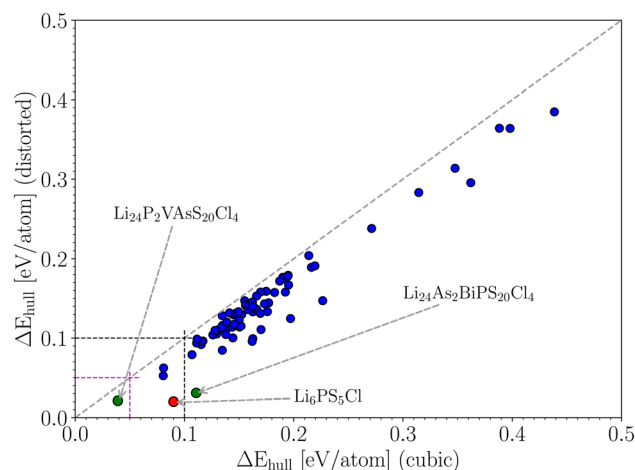


Fig. 6 Selected crystals that are isovalent to  $\text{Li}_6\text{PS}_5\text{Cl}$ . The horizontal axis shows  $\Delta E_{\text{hull}}$  for the crystal that is relaxed with cubic symmetry. The vertical axis shows  $\Delta E_{\text{hull}}$  when the system is relaxed without symmetry constraints.

conclusion that it is not necessary to calculate the geometry optimization for the distorted structures for all cases. However, the correlation is far from perfect, and therefore a considerable safety margin must be built in. If we want to avoid discarding cases with an energy below 0.05 eV per atom in the distorted set, we need to include all crystals with energies up to 0.12 eV per atom in the cubic set. If we want to avoid discarding cases with an energy below 0.10 eV per atom, we need to keep all high-symmetry crystals with an energy below 0.20 eV per atom. It is a rule of thumb in high-throughput studies that crystals up to 0.05 eV per atom above the convex hull still have a chance to be thermodynamically stable when experimentally tested.<sup>64</sup> This level of disagreement is due to limitations in the level of theory (e.g. the XC-functional in DFT), the effect of thermal vibrations, or kinetic effects (stabilization of metastable states by energy barriers). This rule of thumb is valid for situations where the crystal structure is unambiguous. It means we need to apply this rule of thumb to the vertical axis of Fig. 6. If we had only the cubic data, we would need to keep all cubic crystals with an energy below 0.12 eV per atom (there are 12 of them, or 13% of the set) in order to find the 3 distorted crystals (3% of the set) with an energy below 0.05 eV per atom. The difference may not seem large, but if this were applied to a real high-throughput study starting from, say, 50 000 crystals, it would mean that 6600 rather than 1650 crystals survive the first filtering stage. This implies that significantly more computation time would be required for the next stage.

The methodological lesson learned from this mini-throughput model is that in crystal sets where there is uncertainty involved in the structure, rather coarse limits on  $\Delta E_{\text{hull}}$  must be used to avoid eliminating too many candidates from the next stage. A more general way to formulate this is as follows: if a computational shortcut (here: using the cubic symmetry) changes the properties of interest (here:  $\Delta E_{\text{hull}}$ ) to such an extent that the list of promising candidates is significantly altered, then this shortcut should probably not be used.



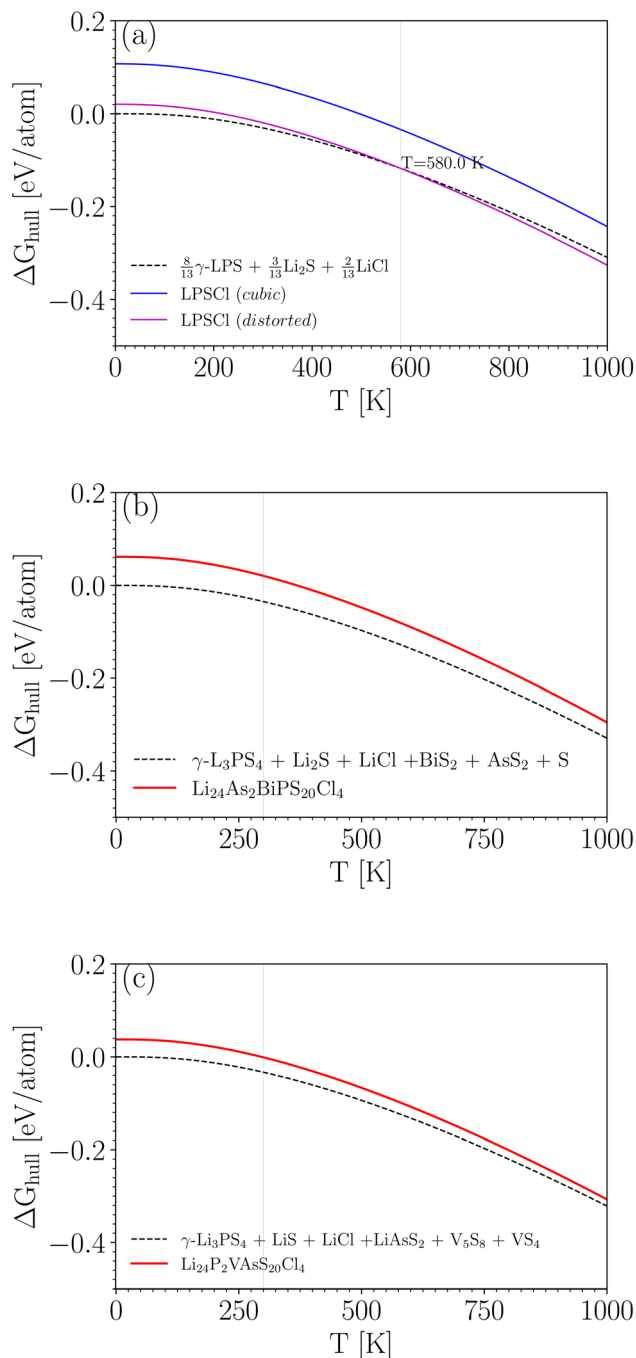
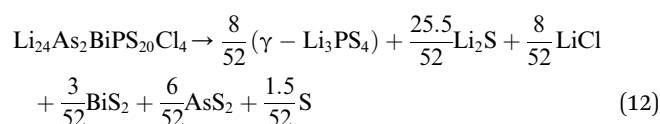
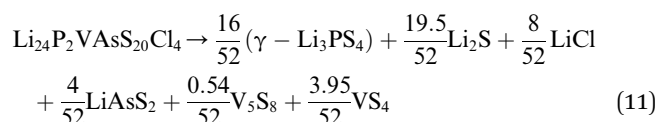


Fig. 7  $\Delta G_{\text{hull}}(T)$  for  $\text{Li}_6\text{PS}_5\text{Cl}$  (a) compared to two selected crystals that are analogous to  $\text{Li}_6\text{PS}_5\text{Cl}$  (b and c). The energy for the decomposition products at  $T = 0$  K is taken as reference (zero).

Having data in Fig. 6 for 91 broken-symmetry isovalent substitutions for  $\text{Li}_6\text{PS}_5\text{Cl}$ , it can be interesting to inspect whether there are crystals among them with stability similar to or better than that of  $\text{Li}_6\text{PS}_5\text{Cl}$ . To that end, the data point for  $\text{Li}_6\text{PS}_5\text{Cl}$  has been added to Fig. 6 as well. There are two other data points with similarly low  $\Delta E_{\text{hull}}$  on the vertical axis. One of them, where the four P atoms had been replaced by  $\text{P}_2\text{VAs}$ , had a low  $\Delta E_{\text{hull}}$  in the cubic phase too, and would have been found with a tight limit on  $\Delta E_{\text{hull}}$ . The other one, where the four P

atoms were replaced by  $\text{As}_2\text{BiP}$ , has an equally small  $\Delta E_{\text{hull}}$  on the vertical axis but a much larger  $\Delta E_{\text{hull}}$  on the horizontal axis. It is an example of an interesting case that would have been discarded if a too coarse limit on  $\Delta E_{\text{hull}}$  had been used.

As a sidenote, we applied the same procedure to these two crystals that was used in the preceding sections to calculate the temperature-dependent thermodynamical stability of  $\text{Li}_6\text{PS}_5\text{Cl}$ . The decomposition into simpler crystals is more involved due to the larger number of elements present. It can be found by applying the phase diagram tool as implemented in the *Pymatgen* code<sup>43</sup> (rather than formula units, all atoms in the unit cell are counted):



Among the 9 different decomposition products, 3 crystals are also present in the  $\text{Li}_6\text{PS}_5\text{Cl}$  decomposition. The others result from the presence of the elements V, As, and Bi. For these two predicted crystals, we performed phonon calculations for each of the decomposition products and the reactants, as described in Section 3. No soft modes were found, indicating that all crystals involved are dynamically stable.

Comparing the results in Fig. 7 to Fig. 4a for  $\text{Li}_6\text{PS}_5\text{Cl}$ , we conclude that neither of these two crystals is competitive with  $\text{Li}_6\text{PS}_5\text{Cl}$  in terms of stability. Note that the energy differences at  $T = 0$  K in Fig. 7b and c (0.06 and 0.04 eV per atom) differ slightly from the values in Fig. 6 and Table S1.<sup>†</sup> This is because, in Fig. 7, zero-point corrections are included, and all reaction products were geometry-optimized with high precision. In Fig. 6, however, there are no zero-point corrections, and energies are taken directly from the Materials Project database.

## 5 Conclusions

This work aims to illustrate, using the example of  $\text{Li}_6\text{PS}_5\text{X}$ , several aspects of high-throughput studies that are not always explicitly discussed. We highlighted potential issues when formulating the template crystal structure for first-principles calculations: the importance of understanding nomenclature and conventions in the experimental literature (cfr. 4c/4d), the necessity to recognize that experimental symmetry determination can represent an averaged higher symmetry that needs to be broken for more meaningful DFT energies, and the need to account for site disorder. Inspecting phonon band structures for soft modes is an effective method for removing artificially high symmetries.

Moreover, for computational efficiency, high-throughput screening is often limited to information at 0 K. We demonstrated that more comprehensive stability information can be



obtained from temperature-dependent calculations. Relying solely on 0 K information can be misleading. Finally, imposing overly strict filters can exclude potentially interesting cases from the search set, especially if the simplifications in calculations at one stage significantly alter the ranking of candidate materials. This was shown here by the fact that the stability ranking based on the energies of high-symmetry crystals differed substantially from the ranking based on energies from broken-symmetry structures.

We hope that this work will contribute to enhancing the quality of high-throughput studies and to setting appropriate expectations for interpreting the results they provide, allowing for a more realistic integration of high-throughput screening into materials design workflows for battery materials and other applications.

## Data availability

Data for this article, including cif files and VASP input and output files are available at Zenodo at <https://doi.org/10.5281/zenodo.13744522>. A selection of this data as well as some additional pictures have been included as part of the ESI.†

## Author contributions

M. S. and S. C. were responsible for the conceptualization of the study. A. I. B., S. K., C. J., and M. S. handled data curation. Formal analysis was conducted by A. I. B. Funding acquisition was handled by M. S. and S. C. A. I. B., S. K., C. J. and M. S. were involved in the investigation. The methodology was developed by S. C. and M. S., with additional contributions from D. V., C. J. and A. I. B. S. C. and M. S. provided supervision and dealt with project administration. Software development and coding were carried out by C. J., M. S. and D. V. The validation process was overseen by S. C. and carried out by A. I. B., S. K. and D. V. Visualization tasks were performed by A. I. B. The original draft of the manuscript was prepared by A. I. B. and S. C., with critical writing, review, and editing contributions from all authors.

## Conflicts of interest

There are no conflicts to declare.

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