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# The strongest dative bond in main-group compounds. Theoretical study of $\text{OAeF}^-$ ( $\text{Ae} = \text{Be}-\text{Ba}$ ) $\ddagger$

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Quantum chemical calculations of the anions  $\text{OAeF}^-$  ( $\text{Ae} = \text{Be}-\text{Ba}$ ) have been carried out using *ab initio* methods at the CCSD(T)/def2-TZVPP level and density functional theory employing BP86 with various basis sets. The equilibrium structures have linear geometries for  $\text{Ae} = \text{Be}$  and  $\text{Mg}$  but they are strongly bent for  $\text{Ae} = \text{Sr}$  and  $\text{Ba}$  while the calcium species has a quasi-linear structure with a very low bending potential. The calculated bond dissociation energies suggest a record-high BDE of  $D_e = 144.08 \text{ kcal mol}^{-1}$  for  $\text{OBeF}^-$  at the CCSD(T)/def2-TZVPP level, which is the strongest BDE for a dative bond that has been found so far. The BDE of the heavier homologues have a continuously decreasing order for  $\text{Ae}$  with  $\text{Be} > \text{Mg}$  ( $113.01 \text{ kcal mol}^{-1}$ )  $>$   $\text{Ca}$  ( $84.06 \text{ kcal mol}^{-1}$ )  $>$   $\text{Sr}$  ( $72.06 \text{ kcal mol}^{-1}$ )  $>$   $\text{Ba}$  ( $60.00 \text{ kcal mol}^{-1}$ ). The calculation of the charge distribution reveals a significant charge donation  $\text{OAe} \leftarrow \text{F}^-$  with a declining sequence for the heavier atoms  $\text{Ae}$ . The oxygen atom in  $\text{OAeF}^-$  carries always a higher partial charge than the fluorine atom, which contradicts the standard electronegativities of the atoms. The surprising partial charges are explained with the bonding situation of the atoms in the actual electronic structure. The bonding analysis of the  $\text{OAe}-\text{F}^-$  bonds using the EDA-NOCV method shows that the bonds have much more electrostatic character than the  $\text{Ae}-\text{F}^-$  bonds in the diatomic anions. This finding is supported by the results of the LED partitioning approach. The dative interactions have three major and one minor component. The assignment of a quadruple bond for the heavier species with  $\text{Ae} = \text{Ca}, \text{Sr}, \text{Ba}$  is not reasonable. The driving force for the bent geometries is the accumulation of electronic charge in the lone-pair region at the  $\text{Ae}$  atoms, which enhances the electrostatic attraction with the other atoms. An adequate description of the bonding situation is given by the formula  $\text{O}^- - \text{Ae}^+ \leftarrow \text{F}^-$ .

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## Introduction

Recently we reported theoretical work on the diatomic anions  $\text{AeF}^-$  ( $\text{Ae} = \text{Be}-\text{Ba}$ ), which possess surprisingly strong dative bonds between the closed-shell species  $\text{Ae}$  and  $\text{F}^-$ .<sup>1,2</sup> The calculated bond dissociation energies are between  $87.5 \text{ kcal mol}^{-1}$  for  $\text{BeF}^-$  and  $68.8 \text{ kcal mol}^{-1}$  for  $\text{MgF}^-$  and they show an unusual

increasing trend  $\text{MgF}^- < \text{CaF}^- < \text{SrF}^- < \text{BaF}^-$ . The strong bonds were explained by the inductive force of  $\text{F}^-$ , which heavily polarizes the  $(n)s^2$  valence electrons of the  $\text{Ae}$  atoms, inducing in turn four dative covalent interactions<sup>3-5</sup> of the heavier species involving the  $(n-1)d$  AOs of  $\text{Ca}-\text{Ba}$ .<sup>1,2</sup> The fluorine anion  $\text{F}^-$  being isoelectronic to  $\text{Ne}$  is a weak electron donor due to the high electronegativity of fluorine and the alkaline earth atoms are weak electron acceptors. We speculated that replacing the weak electron acceptors  $\text{Ae}$  with the stronger electron acceptors  $\text{AeO}$  could lead to even higher bond dissociation energies (BDEs). Earlier studies by one of us showed that diatomic  $\text{BeO}$  is likely the strongest neutral Lewis acid, which even binds the extremely weak Lewis base  $\text{He}$  with a BDE of  $D_e \sim 3 \text{ kcal mol}^{-1}$ .<sup>6-9</sup>

The objective of this work is to search for compounds that possess even stronger dative bonds than diatomic  $\text{AeF}^-$ . A logical step is the replacement of the weak Lewis acceptor atom  $\text{Ae}$  by the strong Lewis acid  $\text{AeO}$ .

Here we present quantum chemical calculations using *ab initio* methods and density functional theory of the anions

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OAeF<sup>-</sup> (Ae = Be–Ba) and an analysis of the OAe–F<sup>-</sup> bonds. None of the triatomic anions has yet been observed experimentally. The calculated results show that the compounds are very stable species with record-breaking strong dative bonds and unusual properties that can be observed in the gas phase. The theoretically predicted vibrational spectra are a helpful guide for identifying the molecules in experiments.

## Methods

The bond lengths, vibrational frequencies and BDEs of OAeF<sup>-</sup> (Ae = Be–Ba) and in the electronic singlet ground state were calculated at the CCSD(T)<sup>10</sup> and BP86<sup>11,12</sup> level in conjunction with the basis sets def2-TZVPP.<sup>13</sup> The CCSD(T) calculations were carried out to give quantitatively accurate numerical values and the DFT calculation were performed to provide a basis for the EDA-NOCV calculations and for investigating the performance of the BP86 functional, which was found to be very good. The calculations were carried out with the program Gaussian 16.<sup>14</sup> The NBO calculations were performed using the program NBO 7.0.<sup>15</sup> We also calculated atomic partial charges using the Hirshfeld<sup>16</sup> and CM5<sup>17</sup> methods with the program Gaussian 16, and calculated Voronoi<sup>18</sup> charges and Mayer<sup>19</sup> bond order with the program Multiwfn.<sup>20</sup>

The bonding situation in the molecules was further analyzed by means of an energy decomposition analysis (EDA) which was introduced by Morokuma<sup>21</sup> and by Ziegler and Rauk<sup>22</sup> in conjunction with the natural orbitals for chemical valence (NOCV)<sup>23,24</sup> method. The EDA-NOCV<sup>25,26</sup> calculations were carried out with the ADF 2018.105 program package<sup>27,28</sup> at the BP86-D3(BJ)<sup>29</sup> level with Slater-type basis function of DZP quality<sup>30</sup> using the BP86/def2-TZVPP optimized geometries. DZP is a double- $\zeta$  quality basis set augmented by a set of polarization functions. The use of larger basis sets does not lead to significantly different energy values, but can lead to unphysically large numerical contributions from atomic orbitals of higher quantum number such as  $(n+1)s$  AOs of Ae atom, which represent numerical artifacts. In this analysis, the intrinsic interaction energy ( $\Delta E_{\text{int}}$ ) between two fragments can be divided into three energy components as follows:

$$\Delta E_{\text{int}} = \Delta E_{\text{elstat}} + \Delta E_{\text{Pauli}} + \Delta E_{\text{orb}} \quad (1)$$

The electrostatic  $\Delta E_{\text{elstat}}$  term represents the quasiclassical electrostatic interaction between the unperturbed charge distributions of the prepared fragments, the Pauli repulsion  $\Delta E_{\text{Pauli}}$  corresponds to the energy change associated with the transformation from the superposition of the unperturbed electron densities of the isolated fragments to the wavefunction, which properly obeys the Pauli principle through explicit antisymmetrization and renormalization of the production wavefunction. The orbital term  $\Delta E_{\text{orb}}$  comprises the mixing of orbitals, charge transfer and polarization between the isolated fragments. The energy change involved in the latter step, which is the main difference between the Morokuma<sup>21</sup> and Ziegler/Rauk<sup>22</sup> approaches, is calculated with an extension of Slater's

transition state method<sup>31</sup> for energy differences. It is often referred as ETS method. The orbital term  $\Delta E_{\text{orb}}$  can be further decomposed into contributions from each irreducible representation of the point group of the interacting system as follows:

$$\Delta E_{\text{orb}} = \sum_r \Delta E_r \quad (2)$$

The combination of the EDA with NOCV enables the partition of the total orbital interactions into pairwise contributions of the orbital interactions which is very vital to get a complete picture of the bonding. The charge deformation  $\Delta \rho_k(r)$ , resulting from the mixing of the orbital pairs  $\psi_k(r)$  and  $\psi_{-k}(r)$  of the interacting fragments presents the amount and the shape of the charge flow due to the orbital interactions (eqn (3)), and the associated energy term  $\Delta E_{\text{orb}}$  provides the size of stabilizing orbital energy originated from such interaction (eqn (4)) where  $F_{-k,-k}^{\text{TS}}$  and  $F_{k,k}^{\text{TS}}$  are the Fock matrix elements defined for the transition state electron density (the mid density between a molecule and fragments).<sup>25,26</sup>

$$\Delta \rho_{\text{orb}}(r) = \sum_k \Delta \rho_k(r) = \sum_{k=1}^{N/2} \nu_k [-\psi_{-k}^2(r) + \psi_k^2(r)] \quad (3)$$

$$\Delta E_{\text{orb}} = \sum_k \Delta E_{\text{orb}}^k(r) = \sum_k \nu_k [-F_{-k,-k}^{\text{TS}} + F_{k,k}^{\text{TS}}] \quad (4)$$

The EDA-NOCV approach was previously criticized because its results are allegedly path-dependent.<sup>32–34</sup> This was rebutted in a detailed discussion of the method.<sup>35</sup> More details about the EDA-NOCV method and its application are given in recent review articles.<sup>36–42</sup>

Upon request of one referee we carried out additional calculations for the analysis of the chemical bonds. We employed the local energy decomposition<sup>43–45</sup> (LED) method in conjunction with *ab initio* calculations at the DLPNO-CCSD(T)<sup>46–50</sup> level. DLPNO-CCSD(T) recovers >95% of triples contribution and 99.8% of correlation energy.<sup>49</sup> The LED approach decomposes the interaction energy between the frozen fragments into the Hartree–Fock and correlation interaction energies:

$$\Delta E_{\text{int}} = \Delta E_{\text{int}}^{\text{HF}} + \Delta E_{\text{int}}^{\text{C}} + \Delta E_{\text{el-prep}} \quad (5)$$

Hartree–Fock part of interaction energy consists of the electrostatic and exchange terms.

$$\Delta E_{\text{int}}^{\text{HF}} = \Delta E_{\text{elstat}} + \Delta E_{\text{exch}} \quad (6)$$

Correlation interaction energy on the other hand is decomposed into:

$$\Delta E_{\text{int}}^{\text{C}} = \Delta E_{\text{CT}(A \rightarrow B)}^{\text{C-SP}} + \Delta E_{\text{CT}(B \rightarrow A)}^{\text{C-SP}} + \Delta E_{\text{disp}}^{\text{C}} + \Delta E^{\text{C-WP}} + \Delta E^{\text{C-T}} \quad (7)$$

where  $\Delta E_{\text{CT}}^{\text{C-SP}}$  terms are the instantaneous strong-pair charge transfer terms,  $\Delta E_{\text{disp}}^{\text{C}} = \Delta E_{\text{disp}}^{\text{C-SP}} + \Delta E_{\text{disp}}^{\text{C-WP}}$  is a dispersion term, consisting of strong-pair and weak-pair interaction,  $\Delta E^{\text{C-WP}}$  is the rest of weak-pair interactions, while  $\Delta E^{\text{C-T}}$  is the triples correction.



## Geometries, energies and vibrational frequencies

Fig. 1 shows the calculated geometries of diatomic AeO and the triatomic anions  $\text{OAeF}^-$  at the CCSD(T)/def2-TZVPP and BP86/def2-TZVPP levels of theory. The calculated bond lengths for AeO are slightly longer than the experimental values,<sup>51</sup> especially for BP86/def2-TZVPP for the heavier species, but the differences are not a concern as we are mainly interested in the changes resulting from the binding of  $\text{F}^-$ . The lighter  $\text{OAeF}^-$  species with Ae = Be, Mg are predicted to have linear structures whereas the heavier anions with Ae = Sr, Ba possess a bent equilibrium geometry. The calcium species  $\text{OCaF}^-$  has a linear structure at the CCSD(T)/def2-TZVPP level. It has a bending angle of  $144.7^\circ$  at BP86/def2-TZVPP, but this is only  $0.5 \text{ kcal mol}^{-1}$  higher than for the linear form. The bent equilibrium structures of  $\text{OSrF}^-$  and  $\text{OBaF}^-$  are  $2.7 \text{ kcal mol}^{-1}$  and  $3.6 \text{ kcal mol}^{-1}$  lower in energy than the linear forms, which are transition states (number of imaginary modes 1) at the CCSD(T)/def2-TZVPP. The energy differences at BP86/def2-TZVPP are a bit higher, *i.e.*  $5.2 \text{ kcal mol}^{-1}$  for  $\text{OSrF}^-$  and  $8.6 \text{ kcal mol}^{-1}$  for  $\text{OBaF}^-$ . The anions  $\text{OAeF}^-$  are isoelectronic with the difluorides  $\text{AeF}_2$ , which have been studied before. Experimental and theoretical work suggest that the lighter molecules  $\text{BeF}_2$  and  $\text{MgF}_2$  have linear geometries but the heavier homologues  $\text{CaF}_2$ ,  $\text{SrF}_2$ ,  $\text{BaF}_2$  are strongly bent but with a soft bending potential between  $\sim 0.2 \text{ kcal mol}^{-1}$  ( $\text{CaF}_2$ ) and  $\sim 5 \text{ kcal mol}^{-1}$  ( $\text{BaF}_2$ ) which is similar to the calculated values for  $\text{OAeF}^-$  (Fig. 1).<sup>52,53</sup> A theoretical study suggested that d-orbital participation of the heavier Ae atoms Ca–Ba and core-polarization make major contributions to the bending.<sup>52</sup>

Fig. 1 shows that the Ae–O distances of the anions  $\text{OAeF}^-$  are longer than in diatomic AeO. The Ae–F bonds in  $\text{OAeF}^-$  are also longer than in  $\text{AeF}^-$  except for the magnesium species, where the calculated Mg–F distance in  $\text{OMgF}^-$  at both levels of theory is shorter than in  $\text{MgF}^-$  ( $1.840 \text{ \AA}$  at CCSD(T)/def2-TZVPP and  $1.847 \text{ \AA}$  at BP86/def2-TZVPP).<sup>54</sup> It is interesting that the Ae–O and Ae–F bonds in the bent structures of the heavier anions are shorter than in the linear form. This does not agree with the commonly assumed trend with respect to  $\text{sp}^n$  hybridization.

Table 1 gives the theoretically predicted vibrational frequencies and IR intensities of the molecules  $\text{OAeF}^-$  and for diatomic AeO and  $\text{AeF}^-$ , which will be useful to identify the anions. The frequency shift  $\Delta$  of the stretching modes between the diatomic and triatomic species shows some unexpected trends. The Ae–O stretching frequencies of  $\text{OBaF}^-$  and  $\text{OMgF}^-$  are predicted to possess a blue shift toward higher wave numbers compared with free BeO and MgO although the bond distances are clearly longer in the anions. In contrast, the heavier anions  $\text{OAeF}^-$  (Ae = Ca, Sr, Ba) exhibit a red shift to lower wavenumbers. The red shift at CCSD(T)/def2-TZVPP is much smaller for the calcium and strontium species than at BP86/def2-TZVPP. This does not seem to be related to the structures (curved or linear) of the anions. The linear form of  $\text{OCaF}^-$  at CCSD(T)/def2-TZVPP possess also a small red shift of the Ca–O stretching mode. The Ae–F stretching frequencies of all triatomic species  $\text{OAeF}^-$  are red-shifted toward lower wave numbers relative to diatomic  $\text{AeF}^-$ . The red shift is particularly large for  $\text{OBaF}^-$ .

Table 2 shows the calculated BDEs of the anions for breaking the bonds. The calculated BDE for the reaction  $\text{OBaF}^- \rightarrow \text{BaO} + \text{F}^-$  is very high at both theory levels and is  $D_e = 144.8 \text{ kcal mol}^{-1}$  at CCSD(T)/def2-TZVPP and  $D_e = 142.6 \text{ kcal mol}^{-1}$  at BP86/def2-

Ae	O–Ae	O–Ae–F <sup>−</sup> (linear)	<i>i</i>	O–Ae–F <sup>−</sup> (bent)	$\Delta E$
Be	1.331 1.349 <i>[1.346]</i>	1.386 1.460 <i>[1.391]</i> Be <i>[1.468]</i>	0 [0]	-	-
Mg	1.749 1.759 <i>[1.751]</i>	1.787 1.823 <i>[1.789]</i> Mg <i>[1.838]</i>	0 [0]	-	-
Ca	1.822 1.943 <i>[1.826]</i>	2.065 2.221 Ca	0 [1]	1.960 [144.7°] Ca [2.152]	- [0.5]
Sr	1.920 2.009 <i>[1.932]</i>	2.488 2.323 <i>[2.078]</i> Sr <i>[2.364]</i>	1 [1]	2.113 [126.7°] [2.067] Sr 2.255 [2.259]	2.7 [5.2]
Ba	1.940 2.084 <i>[2.007]</i>	2.244 2.646 <i>[2.128]</i> Ba <i>[2.570]</i>	1 [1]	2.218 [129.8°] [2.120] Ba 2.569 [2.402]	3.6 [8.6]

Fig. 1 Optimized geometries of  $\text{OAe}$  and  $\text{OAeF}^-$  (Ae = Be–Ba) at the CCSD(T)/def2-TZVPP [BP86/def2-TZVPP] level. Bond lengths in  $\text{\AA}$  and angles in degree. The experimental value for the Ae–O bond lengths given in italics are taken from ref. 51. Number of imaginary frequencies *i*. The linear structures of  $\text{OSrF}^-$  and  $\text{OBaF}^-$  are transition states at both levels of theory, the linear structure of  $\text{OCaF}^-$  is a transition state at BP86/def2-TZVPP.  $\Delta E$  gives the energy differences between the linear and bent geometries in  $\text{kcal mol}^{-1}$ .



**Table 1** Calculated vibrational frequencies  $\nu$  and frequency shifts  $\Delta$  with respect to AeO ( $\text{cm}^{-1}$ ) and IR intensities  $I$  ( $\text{km mol}^{-1}$ ) of  $\text{OAeF}^-$  and AeO (Ae = Be–Ba)

Molecule	CCSD(T)/def2-TZVPP [BP86/def2-TZVPP]			Ae–F stretch			O–Ae–F bent	
	Ae–O stretch $\nu$	$\Delta$	$I^b$	$\nu$	$\Delta$	$I^b$	$\nu$	$I^b$
BeO	1434.0 [1454.5]	—	[4.2]	—	—	—	—	—
BeF <sup>−</sup>	—	—	—	1028.0 [1007.2]	—	[14.3]	—	—
OBe–F <sup>−</sup>	1519.3 [1481.2]	+85.3 [+26.7]	[204.9]	683.8 [665.0]	−344.2 [−354.7]	[4.6]	396.0 <sup>a</sup> [385.3] <sup>a</sup>	[34.0]
MgO	783.7 [801.8]	—	[13.8]	—	—	—	—	—
MgF <sup>−</sup>	—	—	—	577.7 [540.8]	—	[37.7]	—	—
OMg–F <sup>−</sup>	847.2 [827.4]	+33.9 [+25.6]	[73.3]	524.4 [502.8]	−53.3 [−45.5]	[10.9]	171.4 <sup>a</sup> [170.1] <sup>a</sup>	[48.6]
CaO	589.3 [751.8]	—	[68.5]	—	—	—	—	—
CaF <sup>−</sup>	—	—	—	485.6 [511.6]	—	[44.5]	—	—
OCa–F <sup>−</sup>	584.8 [601.6]	−4.5 [−150.2]	[93.9]	401.0 [406.2]	−84.6 [−111.1]	[91.8]	54.3 <sup>a</sup> [74.5]	[51.8]
SrO	407.8 [657.3]	—	[74.5]	—	—	—	—	—
SrF <sup>−</sup>	—	—	—	410.6 [428.5]	—	[48.6]	—	—
OSr–F <sup>−</sup>	402.1 [526.5]	−5.7 [−130.8]	[87.9]	306.0 [356.4]	−104.6 [−76.4]	[133.0]	43.4 [112.3]	[26.9]
BaO	618.9 [641.9]	—	[129.6]	—	—	—	—	—
BaF <sup>−</sup>	—	—	—	408.3 [409.1]	—	[56.9]	—	—
OBa–F <sup>−</sup>	485.6 [517.3]	−133.3 [−124.6]	[50.4]	319.7 [317.8]	−88.6 [−93.9]	[134.5]	88.8 [116.3]	[13.2]

<sup>a</sup> Degenerate. <sup>b</sup> Intensities are not available at CCSD(T).

TZVPP. To our knowledge, this is the highest value for the BDE of a donor–acceptor bond between two closed-shell species for main group compounds and transition metal complexes that has been reported so far. The alternative electron-sharing rupture of the  $\text{OBeF}^-$  bond toward  $\text{BeO}^- + \text{F}$  has an even higher BDE, because the calculated electron affinity of BeO (1.99 eV) is clearly lower than the electron affinity of fluorine (3.33 eV).<sup>55</sup> The BDEs for the reaction of the heavier homologues  $\text{OAeF}^- \rightarrow \text{AeO} + \text{F}^-$  (Ae = Mg–Ba) are significantly smaller than for the beryllium anion. Unlike the diatomic anions  $\text{AeF}^-$ ,<sup>1,2</sup> the triatomic anions  $\text{OAeF}^-$  exhibit a continuously decreasing trend  $\text{Be} > \text{Mg} > \text{Ca} > \text{Sr} > \text{Ba}$ , which concurs with the common trend of electron-sharing bonds of main-group compounds, typically becoming weaker for heavier-row atoms.

Table 2 gives also the BDEs for breaking the O–AeF<sup>−</sup> bonds. The bond rupture yielding the electronic ground state of the fragments O (<sup>3</sup>P) and AeF<sup>−</sup> (<sup>1</sup>Σ<sup>+</sup>) at CCSD(T)/def2-TZVPP has slightly higher  $D_e$  values for the bonds O–BeF<sup>−</sup> (150.1 kcal mol<sup>−1</sup>), O–SrF<sup>−</sup> (75.7 kcal mol<sup>−1</sup>) and O–BaF<sup>−</sup> (70.3 kcal mol<sup>−1</sup>), smaller  $D_e$  values for O–MgF<sup>−</sup> (97.5 kcal mol<sup>−1</sup>) and a comparable  $D_e$  value for

O–CaF<sup>−</sup> (83.5 kcal mol<sup>−1</sup>) than for the respective  $\text{OAe–F}^-$  bonds. Both sets of O–AeF<sup>−</sup> and  $\text{OAe–F}^-$  bonds have the same regular trend of the BDEs  $\text{Be} \gg \text{Mg} > \text{Ca} > \text{Sr} > \text{Ba}$ , which underlines the peculiar feature of the diatomic anions  $\text{AeF}^-$ .<sup>1,2</sup> But the bond dissociation reaction  $\text{OAeF}^- (\text{singlet}) \rightarrow \text{O} (^3\text{P}) + \text{AeF}^- (^1\Sigma^+)$  is spin-symmetry forbidden. The spin-symmetry allowed formation of O (<sup>1</sup>D) + AeF<sup>−</sup> (<sup>1</sup>Σ<sup>+</sup>) is thermodynamically 45.3 kcal mol<sup>−1</sup> higher in energy. The BDE for the dissociation reaction  $\text{OAeF}^- (\text{singlet}) \rightarrow \text{AeF} (^2\Sigma^+) + \text{O} (^2\text{P})$  is higher at CCSD(T)/def2-TZVPP than for the reaction yielding O (<sup>3</sup>P) and AeF<sup>−</sup> (<sup>1</sup>Σ<sup>+</sup>), whereas BP86/def2-TZVPP gives slightly lower values for Ae = Ca–Ba. Thus, the strong  $\text{OAe–F}^-$  bonds are the lowest energy symmetrically allowed reaction channels for fragmentation. All triatomic anions are thermodynamically very stable species.

## Bonding analysis

We analyzed the electronic structure and bonding situation in the triatomic anions  $\text{OAeF}^-$  with a variety of methods. Table 3

**Table 2** Calculated bond dissociation energies  $D_e$  of the  $[\text{OAeF}]^-$  (Ae = Be–Ba) species

	$[\text{OAeF}]^- (\text{S}) \rightarrow \text{Oe} (\text{S}) + \text{F}^- (\text{S})$		$[\text{OAeF}]^- (\text{S}) \rightarrow \text{Oe}^- (\text{D}) + \text{F} (\text{D})$		$[\text{OAeF}]^- (\text{S}) \rightarrow [\text{AeF}]^- (\text{S}) + \text{O} (\text{T})$		$[\text{O} (\text{S})]^a$		$[\text{OAeF}]^- (\text{S}) \rightarrow \text{AeF} (\text{D}) + \text{O}^- (\text{D})$	
	CCSD(T)/def2-TZVPP	BP86/def2-TZVPP	CCSD(T)/def2-TZVPP	BP86/def2-TZVPP	CCSD(T)/def2-TZVPP	BP86/def2-TZVPP	CCSD(T)/def2-TZVPP	BP86/def2-TZVPP	CCSD(T)/def2-TZVPP	BP86/def2-TZVPP
$[\text{OBeF}]^-$	144.8	142.6	158.2	163.1	150.1 [201.3]	164.7 [229.8]	157.8	161.0		
$[\text{OMgF}]^-$	113.1	114.9	142.9	143.2	97.5 [148.7]	113.3 [178.3]	111.4	116.5		
$[\text{OCaF}]^-$	84.6	78.4	125.8	129.9	83.5 [134.7]	108.3 [173.4]	95.0	102.4		
$[\text{OSrF}]^-$	72.6	72.1	118.6	125.1	75.7 [127.0]	101.5 [166.5]	94.4	95.7		
$[\text{OBaF}]^-$	60.0	62.5	111.9	120.9	70.3 [121.5]	108.7 [173.8]	74.5	100.3		

<sup>a</sup> Using the experimental value for the <sup>3</sup>P → <sup>1</sup>D excitation energy of oxygen atom 45.3 kcal mol<sup>−1</sup>; Kramida, A., Ralchenko, Yu., Reader, J., and NIST ASD Team (2022). NIST Atomic Spectra Database (ver. 5.10), [Online]. Available: <https://physics.nist.gov/asd> [2023, August 21]. National Institute of Standards and Technology, Gaithersburg, MD. DOI: <https://doi.org/10.18434/T4W30F>.



**Table 3** Calculated partial charges ( $q$ ) and bond orders  $P$  of the  $\text{OAE-F}^-$  ( $\text{Ae} = \text{Be-Ba}$ ) species at the respective equilibrium geometries

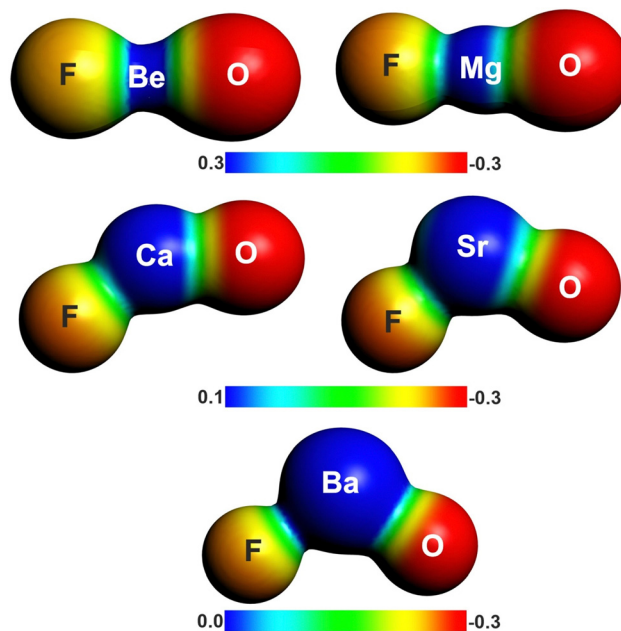
CCSD/def2-TZVPP [BP86/def2-TZVPP]					$P(\text{Ac-F}^-)$		
$q$					Bond	Wiberg <sup>a</sup>	Mayer <sup>b</sup>
Atoms	NBO <sup>a</sup>	Hirshfeld <sup>a</sup>	Voronoi <sup>b</sup>	CM5 <sup>a</sup>			
O	-1.66 [-1.67]	-0.75 [-0.69]	-0.81 [-0.75]	-0.96 [-0.90]	OBe-F <sup>-</sup>	0.18 [0.22]	0.74 [0.87]
Be	1.54 [1.55]	0.14 [0.05]	0.19 [0.11]	0.48 [0.40]			
OBe	-0.12 [-0.12]	-0.61 [-0.64]	-0.62 [-0.64]	-0.48 [-0.51]	O-BeF <sup>-</sup>	0.50 [0.60]	1.84 [2.08]
F	-0.88 [-0.88]	-0.39 [-0.36]	-0.39 [-0.36]	-0.52 [-0.49]			
O	-1.62 [-1.58]	-0.82 [-0.74]	-0.99 [-0.90]	-0.97 [-0.89]	OMg-F <sup>-</sup>	0.10 [0.15]	0.53 [0.68]
Mg	1.55 [1.50]	0.34 [0.21]	0.49 [0.38]	0.58 [0.47]			
OMg	-0.07 [-0.08]	-0.48 [-0.53]	-0.50 [-0.52]	-0.39 [-0.43]	O-MgF <sup>-</sup>	0.53 [0.74]	1.64 [1.93]
F	-0.93 [-0.92]	-0.51 [-0.47]	-0.50 [-0.48]	-0.61 [-0.57]			
O	-1.62 [-1.56]	-0.88 [-0.76]	-1.05 [-0.90]	-1.05 [-0.99]	OCa-F <sup>-</sup>	0.08 [0.13]	0.36 [0.54]
Ca	1.61 [1.49]	0.50 [0.29]	0.59 [0.39]	0.76 [0.62]			
OCa	-0.01 [-0.07]	-0.38 [-0.47]	-0.46 [-0.51]	-0.29 [-0.37]	O-CaF	0.50 [0.82]	1.41 [1.82]
F	-0.99 [-0.93]	-0.62 [-0.53]	-0.55 [-0.48]	-0.71 [-0.63]			
O	-1.58 [-1.49]	-0.85 [-0.73]	-1.00 [-0.85]	-1.09 [-1.00]	OSr-F <sup>-</sup>	0.07 [0.15]	0.31 [0.52]
Sr	1.53 [1.41]	0.46 [0.26]	0.50 [0.33]	0.81 [0.66]			
OSr	-0.05 [-0.08]	-0.39 [-0.47]	-0.50 [-0.52]	-0.28 [-0.34]	O-SrF <sup>-</sup>	0.59 [0.91]	1.40 [1.77]
F	-0.95 [-0.92]	-0.60 [-0.53]	-0.50 [-0.48]	-0.72 [-0.66]			
O	-1.64 [-1.50]	-0.87 [-0.72]	-1.00 [-0.79]	-1.13 [-1.04]	OBa-F <sup>-</sup>	0.06 [0.16]	0.24 [0.49]
Ba	1.58 [1.42]	0.50 [0.26]	0.50 [0.24]	0.85 [0.70]			
OBa	-0.06 [-0.08]	-0.37 [-0.46]	-0.50 [-0.55]	-0.28 [-0.34]	O-BaF <sup>-</sup>	0.64 [0.90]	1.42 [1.74]
F	-0.94 [-0.92]	-0.64 [-0.54]	-0.51 [-0.45]	-0.71 [-0.66]			

<sup>a</sup> Obtained at the CCSD/def2-TZVPP (density = current) level with Gaussian program. <sup>b</sup> Obtained at the CCSD/def2-TZVPP (density = current) level with Multiwfn program.

shows the atomic partial charges calculated with four different methods. It was previously found in our study of  $\text{AeF}^-$  that the charge distribution suggested by the popular NBO method is not reasonable, because the (n)p valence AOs of Ae are not treated as genuine valence orbitals, which leads to a negligible charge donation  $\text{Ae} \leftarrow \text{F}^-$ .<sup>1,2</sup> The data in Table 3 show that the same problematic results occur for  $\text{OAEF}^-$ . The NBO method gives a miniscule charge donation  $\text{OAE} \leftarrow \text{F}^-$  between 0.01–0.12e, whereas the other three methods suggest a much larger charge donation between 0.28–0.62e. Since a significant charge donation is supported by further analysis of the electronic structure, we think that the NBO charges are not a reliable indicator of the charge distribution in these molecules.

There is another interesting result concerning the charge distribution in the anions  $\text{OAEF}^-$ . All four methods suggest that the oxygen atom carries a higher negative partial charge than fluorine, which does not agree with the electronegativity of the atoms. The difference between the negative charges at the terminal atoms towards oxygen is very large. The result is not an artefact of the partitioning procedures for calculating partial charges. Fig. 2 shows the molecular electrostatic potential (MEP) of the molecules, which shows clearly that the oxygen atom carries a larger negative charge than fluorine. It has been shown before that the MEP results are the physically most reliable data for giving the charge distribution in a molecule.<sup>56</sup> The MEP result does not depend on the chosen value for the contour line. Fig. 2 is obtained with a value of 0.02 a.u. Fig. S2 of ESI,<sup>†</sup> shows the MEP with a much smaller value of 0.001 a.u. for the contour line. It also shows that oxygen carries a higher negative charge than fluorine.

The seemingly paradoxical result can be understood when one realizes that the common scales for atomic electronegativities are average values derived from compounds in standard electronic states. The electronegativity of an atom is the power



**Fig. 2** Plot of the electrostatic potentials of  $\text{OAEF}^-$  at the BP86/def2-TZVPP level. Computed with value of 0.001 a.u. for the contour of the electronic density.



to attract electronic charge from another atom in a chemical bond, but it is affected by the actual bonding situation. A recent example concerns the carbon atom in the compound class of carbones  $CL_2$  where the C atom has a  $^1D$  ( $2s^2 2p^2$ ) reference state. There are dative bonds  $L \rightarrow C \leftarrow L$  where the ligands L donate electronic charge into the vacant  $2p$  AOs of carbon. The bonding situation makes the carbon atom in carbones to have a much higher electronegativity than in standard organic molecules.<sup>41,42,57–61</sup> There have been early studies where different values for the electronegativity of the valence orbitals in an atom were proposed, but they are hardly ever used and it seems that this approach is forgotten.<sup>62,63</sup> The present results suggest that the charge distribution in  $O Ae F^-$  is affected by the different nature of the two bonds, *i.e.* electron-sharing interactions between oxygen and Ae *versus* dative interactions between fluorine and Ae.

Table 3 gives also the bond order of the molecules using the frequently chosen Wiberg method<sup>64</sup> as well as the Mayer bond orders.<sup>19,65</sup> The Wiberg bond orders (WBOs) are originally derived from semiempirical CNDO/2 calculations, which neglect the orbital overlap. It has been shown that this can lead to misleading values particularly for polar bonds<sup>66–68</sup> The data in Table 3 show that the WBO values are much smaller than the bond orders suggested by the Mayer partitioning method, which explicitly considers the interatomic overlap. The Mayer bond orders (MBOs) are significantly higher than the WBO data for the very polar  $O Ae F^-$  and particularly for the  $O-Ae F^-$  bonds. The MBO values indicate for the latter bonds a

substantial multiple bond character whereas the WBO values are always  $< 1$ . But we want to point out that the bond order values of polar bonds may not be directly taken as measure for the bond multiplicity. Polar bonds have lower bond orders  $< 1$  for an electron-pair single bond due to the smaller overlap than non-polar bonds.<sup>68</sup> A polar triple bond can have an MBO value significantly smaller than 3 and yet it may possess three bonding electron pairs. This holds in particular for very polar bonds which were found in  $Ae F^-$  (ref. 1 and 2) and which are present in  $O Ae F^-$ . More sophisticated methods are needed to provide a meaningful answer to the question of bond multiplicity.

Much insight is gained by examination of the difference density maps where the charge distribution of free  $O Ae$  and  $F^-$  is subtracted from the charge in  $O Ae F^-$ . This is shown in Fig. 3 for  $O Be F^-$  using four different values for the isosurface, which gives interesting information about the charge flow. The difference density map of the rather diffuse charge with the isosurface value of  $0.001 e \text{ a.u.}^{-3}$  in Fig. 3 shows charge depletion from  $F^-$  and Be and charge enhancement in the  $F^-$ -BeO bonding region and at oxygen atom. More interesting information comes from Fig. 3b and c which displays the charge flow in the areas of higher charge density, which are directly associated with the formation of the  $F^-$ -BeO bond and the change in the O-Be bond. There is clearly an increase in the electronic charge between  $F^-$  and BeO as well as between O and  $Be F^-$ . The red and blue areas of decrease and increase of charge at Be nicely illustrate the  $2s \rightarrow 2p_\sigma$  hybridization at Be. Note that the

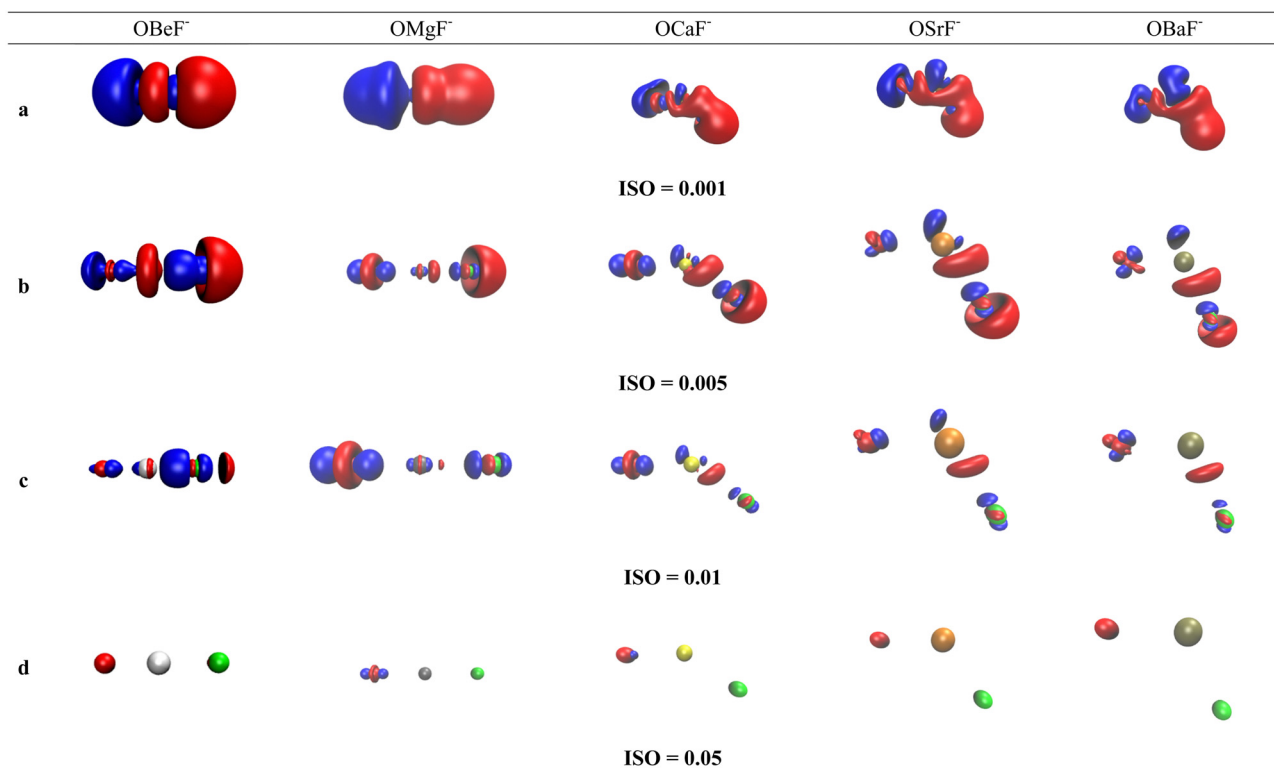


Fig. 3 Charge density difference maps at the BP86/def2-TZVPP level.  $O Ae F^-$  and the fragments  $O Ae + F^-$  ( $Ae = Be-Ba$ ) with different values for the isodensity surfaces Iso given in  $e \text{ a.u.}^{-3}$ . The direction of the charge flow is red  $\rightarrow$  blue.



difference density maps do not distinguish between charge in the  $\sigma$  and  $\pi$  bonding regions, because the degenerate  $\pi$  bonds are rotationally symmetric. The variation in information revealed by using different values for the isosurface is a warning against the indiscriminate use of isodensity plots at a given value.

The difference density maps of  $\text{OMgF}^-$  show similar features as for  $\text{OBeF}^-$  but there are interesting changes in the AO shell alterations of the atoms. There is a  $2s \rightarrow 2p_\sigma$  hybridization at oxygen which is still visible at the iso value  $0.05e \text{ a.u.}^{-3}$  for  $\text{OMgF}^-$  but not for  $\text{OBeF}^-$ . The density difference maps of the heavier homologues with bent geometries show nicely the appearance of charge concentration in the region with lone-pair character at  $\text{Ae} = \text{Ca}, \text{Sr}, \text{Ba}$ , which comes from the polarization of the rather soft valence electrons of the metal. This mechanism has already been pointed out by Kaupp *et al.* in their theoretical study of  $\text{AeX}_2$  ( $\text{X} = \text{halogen}$ ).<sup>52</sup> There is charge accumulation in the lone-pair region of the three heavy  $\text{Ae}$  atoms in the diffuse areas with isovalues  $0.001e \text{ a.u.}^{-3}$  and  $0.005e \text{ a.u.}^{-3}$  shown in Fig. 3b and c. It disappears for  $\text{Ba}$  in the area with an isovalue of  $0.01e \text{ a.u.}^{-3}$  shown in Fig. 3d, because of the more dispersed valence charge.

A very detailed information about the nature of the bonding interaction and the associated charge flow is available from EDA-NOCV calculations. The EDA provides a quantitative estimate of the attractive (covalent and electrostatic) and repulsive (Pauli repulsion) contributions to the interatomic interactions. The NOCV component partitions the covalent (orbital) interactions into pairwise contributions, relating the results to the frontier orbital model of Fukui<sup>69</sup> and the orbital symmetry rules of Woodward and Hoffman.<sup>70</sup> A nice feature of the EDA-NOCV approach is that the individual orbital interactions can be graphically represented by the associated deformation densities and the connected orbitals. The aim of the EDA-NOCV calculations is a detailed and quantitative analysis of the electronic interactions that lead to the unusual chemical bonds in the molecules described in this work.

Table 4 shows the numerical results for the anions  $\text{OAeF}^-$  using  $\text{AeO}(\text{S})$  and  $\text{F}^-(\text{S})$  in the electronic singlet states as interacting fragments at the BP86/def2-TZVPP optimized

equilibrium geometries. The intrinsic interaction energies  $\Delta E_{\text{int}}$  have very similar values and the same trend  $\text{Be} > \text{Mg} > \text{Ca} > \text{Sr} > \text{Ba}$  as the BDE values shown in Table 2, because the only relaxation of the fragments comes from the change in the  $\text{AeO}$  bond lengths. Inspection of the various energy terms suggest that the  $\text{OAe-F}^-$  binding comes mainly from the electrostatic attraction  $\Delta E_{\text{elstat}}$  which provides between 74.3% ( $\text{Ae}=\text{Be}$ ) and 59.3% ( $\text{Ae}=\text{Ba}$ ) to the total attraction. The EDA-NOCV analysis shows that the covalent character of the  $\text{OAe-F}^-$  bonds given by the percentage contribution of the orbital term  $\Delta E_{\text{orb}}$  increases steadily from  $\text{Be}$  to  $\text{Ba}$ .

The breakdown of the total orbital term  $\Delta E_{\text{orb}}$  into pairwise contributions gives deep insight into the formation of the covalent bonds. There are four occupied AOs of  $\text{F}^-$  which can serve as donor orbitals into the four vacant acceptor orbitals of  $\text{AeO}$ . For the lighter systems we found that there are indeed four pairwise contributions  $\Delta E_{\text{orb}1} - \Delta E_{\text{orb}4}$  which provide  $> 90\%$  to  $\Delta E_{\text{orb}}$  in the linear equilibrium structures of  $\text{OAeF}^-$  ( $\text{Ae} = \text{Be}, \text{Mg}$ ). Fig. 4 shows the deformation densities  $\Delta\rho$  and the associated most important interacting MOs of  $\text{OBeF}^-$ . The strongest orbital term  $\Delta E_{\text{orb}1}$  comes from the  $\sigma$  donation  $\text{OBe}(\text{LUMO}) \leftarrow \text{F}^-(2p_\sigma, 2s)$  with some further small mixing of  $\text{OBe}$  orbitals where the contribution of the fluorine  $2s$  AO is small but important, because it allows a second albeit weak  $\sigma$  donation  $\Delta E_{\text{orb}4} \text{ OBe}(\text{LUMO}+2) \leftarrow \text{F}^-(2p_\sigma, 2s)$ . The stabilization due to the formation of the  $\sigma$ -bonding  $\text{HOMO}-1$  of  $\text{OBeF}^-$  comes from the bonding overlap of the  $2p_\sigma$  AO of  $\text{F}^-$  with the small inside green area at  $\text{Be}$  atom of  $\text{OBe}$ , which is hidden by the diffuse shaped green area. It becomes visible by inspection of the  $\text{HOMO}-1$  of  $\text{OBeF}^-$  with different isodensity values, which are displayed in Fig. 5 along with the  $\text{HOMO}-1$  of  $\text{OMgF}^-$ . The figure shows on top the 3D surfaces of the orbital with an isovalue of  $0.05e \text{ a.u.}^{-3}$ . Below are the contour line diagrams with different isovalues in the plane that contains the bond axis. The latter figure nicely shows the attractive interference of the fragment orbitals which lead to a stabilization of  $\Delta E_{\sigma 1} = 24.4 \text{ kcal mol}^{-1}$  ( $\text{OBeF}^-$ ) and  $\Delta E_{\sigma 1} = 29.1 \text{ kcal mol}^{-1}$  ( $\text{OMgF}^-$ ). A peculiar feature of the orbital mixing between the  $\text{OAe}$  and  $\text{F}^-$  fragments is the sign reversal in the  $\text{Ae-F}$  region. There is a

**Table 4** EDA-NOCV results of  $\text{OAeF}^-$  using  $\text{OAe}(\text{S})$  and  $\text{F}^-(\text{S})$  in the electronic singlet states as interacting fragments. All molecules are calculated at the equilibrium geometries except for the linear structure of  $\text{OBaF}^-$ . The calculations were carried out at the BP86/DZP level using BP86/def2-TZVPP optimized geometries. Energy values are given in  $\text{kcal mol}^{-1}$

Fragments	<u>OBe (S) + F<sup>-</sup> (S)</u>	<u>OMg (S) + F<sup>-</sup> (S)</u>	<u>OCa (S) + F<sup>-</sup> (S)</u>	<u>OSr (S) + F<sup>-</sup> (S)</u>	<u>OBa (S) + F<sup>-</sup> (S)</u>	<u>OBa (S) + F<sup>-</sup> (S)</u>
Structure	Linear	Linear	Bent	Bent	Bent	Linear
$\Delta E_{\text{int}}$	-147.5	-113.5	-79.5	-73.7	-69.8	-62.3
$\Delta E_{\text{Pauli}}$	57.3	64.4	53.8	47.8	48.6	41.9
$\Delta E_{\text{elstat}}^a$	-152.2 (74.3%)	-129.9 (73.0%)	-89.7 (67.3%)	-79.5 (65.4%)	-70.2 (59.3%)	-57.4 (55.1%)
$\Delta E_{\text{orb}}^a$	-52.7 (25.7%)	-48.0 (27.0%)	-43.6 (32.7%)	-42.0 (34.6%)	-48.2 (40.7%)	-46.8 (44.9%)
$\Delta E_{\text{orb}1}^b$	-24.4 (46.3%)	-29.1 (60.6%)	-19.3 (44.3%)	-12.7 (30.2%)	-21.0 (43.6%)	-18.3 (39.1%)
$\Delta E_{\text{orb}2}^b$	-10.1 (19.2%)	-6.8 (14.2%)	-8.5 (19.5%)	-12.4 (29.5%)	-10.8 (22.4%)	-10.1 (21.6%)
$\Delta E_{\text{orb}3}^b$	-10.1 (19.2%)	-6.8 (14.2%)	-6.3 (14.4%)	-9.0 (21.4%)	-10.8 (22.4%)	-10.1 (21.6%)
$\Delta E_{\text{orb}4}^b$	-4.9 (9.3%)	-3.0 (6.3%)	-4.5 (10.3%)	-3.6 (8.6%)	-1.5 (3.1%)	-5.1 (10.9%)
$\Delta E_{\text{rest}}^b$	-3.2 (6.0%)	-2.0 (4.7%)	-5.0 (11.5%)	-4.3 (10.3%)	-4.1 (8.5%)	-3.1 (6.7%)

<sup>a</sup> The values in parentheses give the percentage contribution to the total attractive interactions  $\Delta E_{\text{elstat}} + \Delta E_{\text{orb}}$ . <sup>b</sup> The values in parentheses give the percentage contribution to the total orbital interactions  $\Delta E_{\text{orb}}$ .



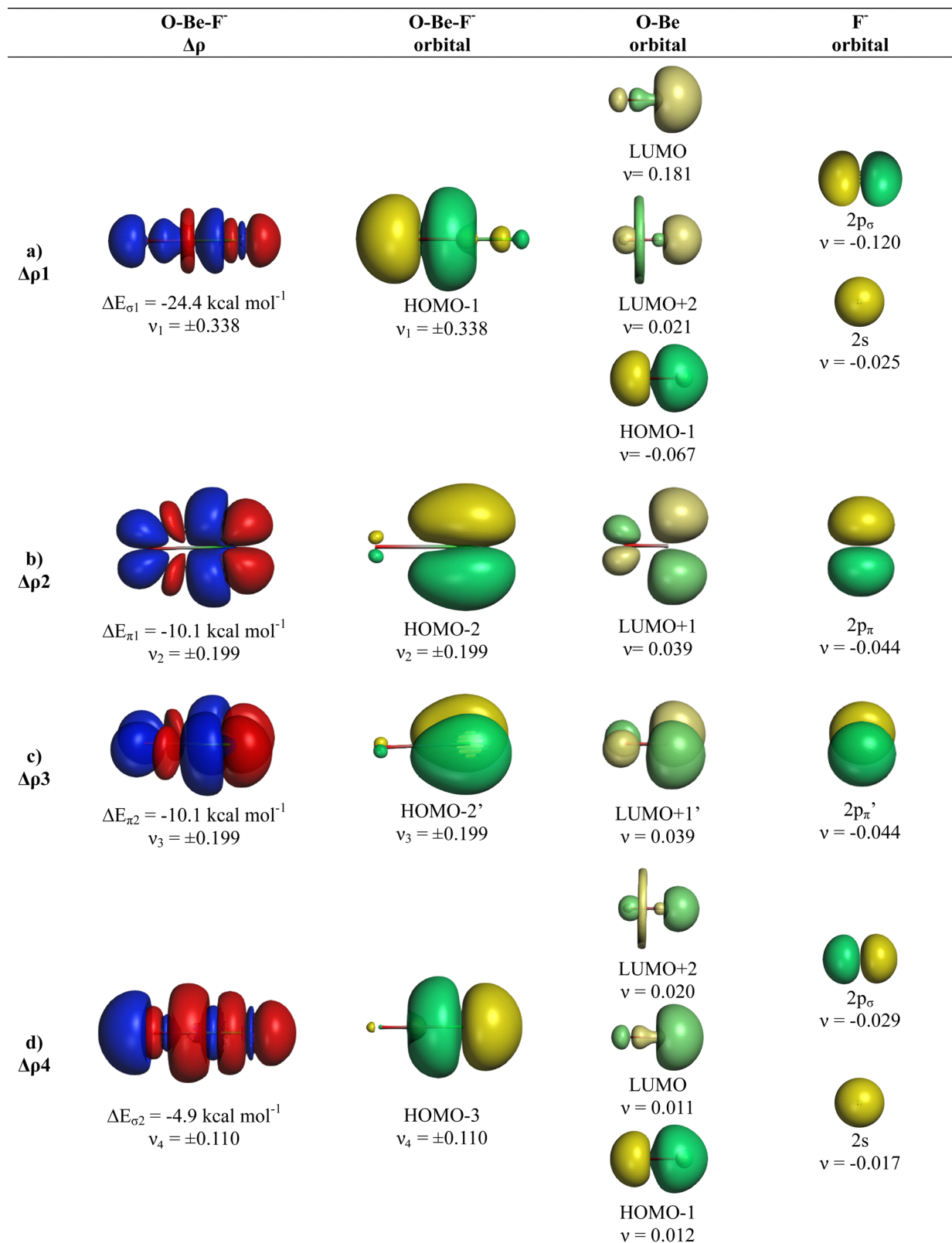


Fig. 4 Plot of deformation densities  $\Delta\rho$  of OBeF<sup>-</sup>. The pairwise orbital interactions and the associated interaction energies ( $\Delta E_{orb}$ ) between fragments OBe (S) and F<sup>-</sup> (S) in OBeF<sup>-</sup> at the equilibrium structure as well as the shape of the most important interacting MOs. The direction of the charge flow is red → blue. (Isovalue 0.03e a.u.<sup>-3</sup>).



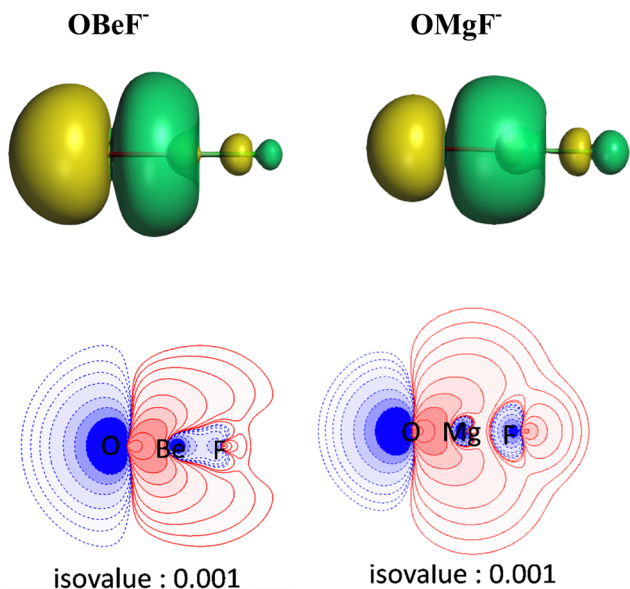


Fig. 5 (Top) Plot of the 3D shape of the HOMO-1 orbitals with an isovalue of  $0.03e \text{ a.u.}^{-3}$  of OBeF<sup>-</sup> and OMgF<sup>-</sup> and (bottom) contour line plot of the same orbital HOMO-1 in the plane containing the bond axis with different isovalues at the BP86/def2-TZVPP level. The isovalue below each plot represents the value of the outermost contour in the graph, and the values for the contour settings are in the order of 0.001, 0.002, 0.004, 0.008, 0.02, 0.04, 0.08, 2.0,  $4.0e \text{ a.u.}^{-3}$ .

diffuse bonding region (red lines) away from the Be-F axis and a blue bonding region close to the axis. The latter blue region is even interrupted by the red region, which does not affect the overall positive interference (bonding interaction) of the orbitals.

The orbital interactions  $\Delta E_{\text{orb}2}$  and  $\Delta E_{\text{orb}3}$  are due to the degenerate  $\pi$  donation OBe (LUMO+1)  $\leftarrow$  F<sup>-</sup> ( $2p_{\pi}$ ). Although the stabilization of  $\Delta E_{\text{orb}4}$  in OBeF<sup>-</sup> is rather small, it contributes 9.3% to the covalent bonding and it builds up a different orbital (HOMO-3) than the  $\sigma$  interaction  $\Delta E_{\text{orb}1}$  which leads to HOMO-1. The remaining orbital interactions  $\Delta E_{\text{rest}}$  come from atomic polarization and O-Be interactions and they are not relevant for the OBe-F<sup>-</sup> bond. The HOMO of OBeF<sup>-</sup> is a degenerate  $\pi$  orbital located mainly at oxygen atom which is only spuriously affected by the bonding interaction with F<sup>-</sup>. The five energetically highest lying orbitals of OBeF<sup>-</sup> along with those of the other OAeF<sup>-</sup> anions are shown in Fig. S1 of ESI.†

It is amazing that four bonding orbitals between two main-group atoms of the first octal row elements can be formed. It was previously suggested that C<sub>2</sub> has a quadruple bond,<sup>71-73</sup> but this claim was disputed by several workers.<sup>74-78</sup> As mentioned in the introduction, a quadruple bond was suggested for AeF<sup>-</sup> (Ae = Ca, Sr, Ba) because the heavier alkaline atoms use valence d-orbitals for covalent bonding. Although there are four bonding orbitals between OBe and F<sup>-</sup> we do not think that OBeF<sup>-</sup> has a genuine quadruple bond. One reason is that the OBe-F<sup>-</sup> bond comes mainly from electrostatic attraction. According to the EDA-NOCV results, only 25.7% of the bond

comes from covalent (orbital) interaction. Another reason is the fact that the chemical bonds in OAeF<sup>-</sup> are delocalized over three atoms and that a localized description is not appropriate for depicting the bonding situation. We refer to the chemical bonds in OCBBCO, which has a linear structure where all atoms are bonded by triple bonds.<sup>79</sup> The representation with a Lewis structure that has only triple bonds not only violates the octet rule, it also disregards the appearance of delocalized bonds. Bond delocalization over more than two atoms was not recognized by Gilbert Lewis and it limits the use of Lewis-type structures for describing chemical bonds.<sup>80</sup>

The deformation densities  $\Delta\rho$  and the interacting MOs of OMgF<sup>-</sup> are very similar to those of OBeF<sup>-</sup> and they are displayed in Fig. 6. The shape of the HOMO-1 hides like the HOMO-1 of OBeF<sup>-</sup> the bonding character of the orbital. The bonding nature of the HOMO-1 becomes visible by the contour line diagrams shown in Fig. 5 where the isovalues of OMg-F<sup>-</sup> appear blue in the high-density areas. A close examination of the deformation density reveals the accumulation of electronic charge in the bonding region between Mg and F<sup>-</sup> with concomitant polarization at fluorine. The numerical results in Table 4 show that the energy contribution of the fourth bond  $\Delta E_{\text{orb}4}$  provides only 6.3% of the total covalent bond, but the associated deformation density illustrates the accumulation of electronic charge in the OMg-F<sup>-</sup> bonding region, which is characteristic for a covalent interaction that comes from the interference of the wave functions.

The analysis of the bent equilibrium structures of OAeF<sup>-</sup> (Ae = Ca, Sr, Ba) is very interesting, because the heavier alkaline earth atoms use their (n)d functions as valence orbitals besides the (n)s orbitals in contrast to the lighter homologues which have (n)p valence orbitals. All three complexes have four pairwise orbital interactions  $\Delta E_{\text{orb}1} - \Delta E_{\text{orb}4}$  to the covalent OAe-F<sup>-</sup> bonding due to OAe  $\leftarrow$  F<sup>-</sup> charge donation like the linear structures of the lighter complexes, but the contribution of  $\Delta E_{\text{orb}4}$  to the orbital interactions decreases from the calcium adduct (10.3%) to the barium complex where it is only 3.1% of  $\Delta E_{\text{orb}}$  (Table 4). Fig. 7 shows that the orbital interactions  $\Delta E_{\text{orb}1}$ ,  $\Delta E_{\text{orb}2}$  and  $\Delta E_{\text{orb}4}$  in OCaF<sup>-</sup> come from donation of F<sup>-</sup> into vacant orbitals of CaO which involve mainly valence d AOs of Ca as acceptor orbitals. The LUMO+2 of CaO is mainly a Ca  $sd_{\sigma}$  hybridized orbital whereas the degenerate LUMO+1/LUMO+1' are  $sd_{\pi}$  hybridized orbitals. Since the molecule has a bent geometry there is only one genuine occupied  $\pi$  orbital (HOMO-4) whereas the other occupied valence orbitals that are formed by the interaction between CaO and F<sup>-</sup> (HOMO, HOMO-1, HOMO-3) are by definition  $\sigma$  orbitals. The shape of the HOMO-3 indicates that it can be considered as in-plane  $\pi$  interaction, although this is not a structurally correct assignment. The mixing of the HOMO of CaO in  $\Delta E_{\text{orb}3}$  and  $\Delta E_{\text{orb}4}$  indicates the concomitant polarization along with the bond formation due to the interference of the fragment wave functions. The five highest lying MOs of OCaF<sup>-</sup> are shown in Fig. S1 of ESI.†

The deformation densities  $\Delta\rho$  and the interacting MOs of OSrF<sup>-</sup> show interesting differences to those of OCaF<sup>-</sup> and are



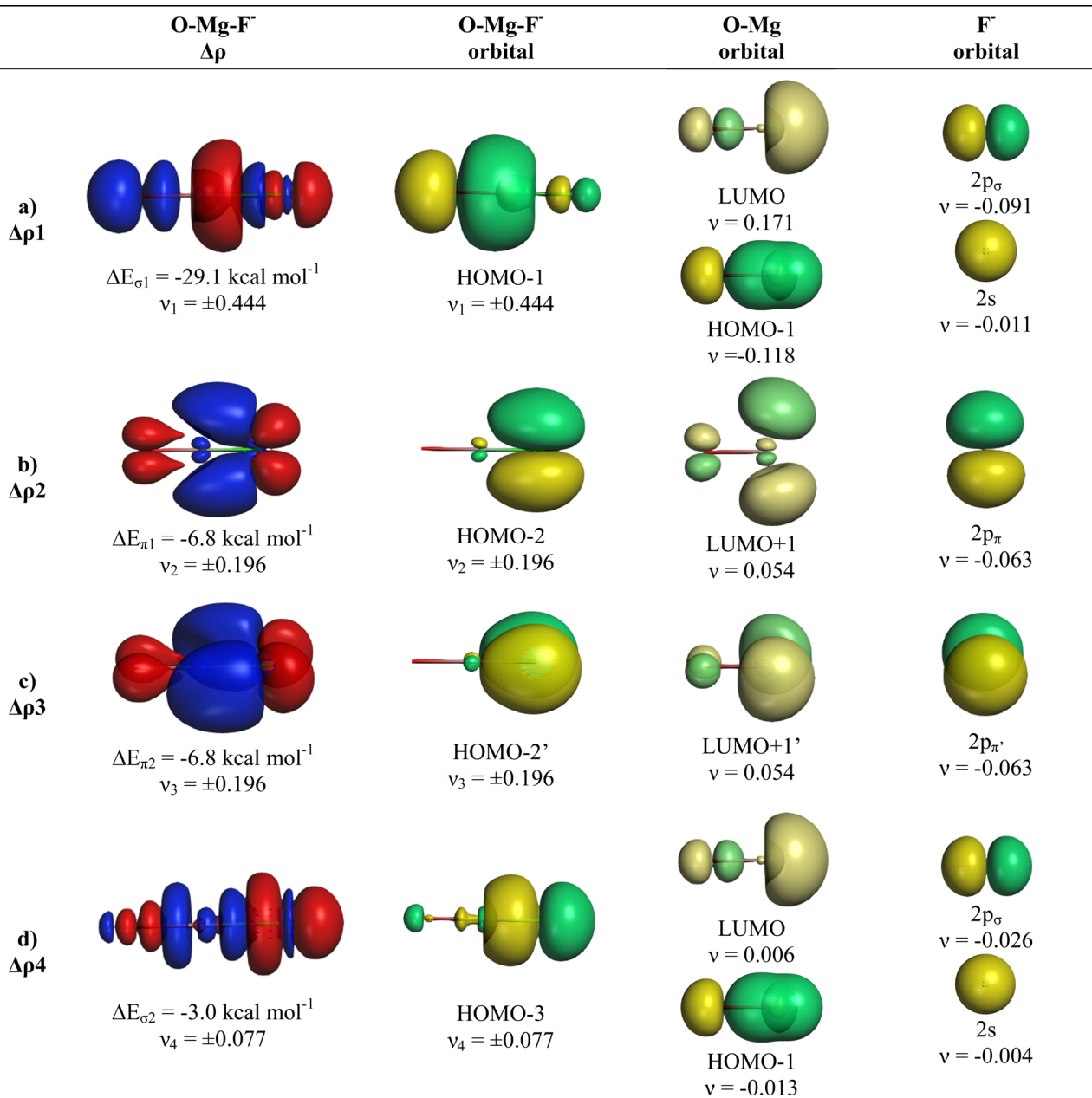


Fig. 6 Plot of deformation densities  $\Delta\rho$  of  $\text{OMgF}^-$ . The pairwise orbital interactions and the associated interaction energies ( $\Delta E_{\text{orb}}$ ) between fragments  $\text{OMg}$  (S) and  $\text{F}^-$  (S) in  $\text{OMgF}^-$  at the equilibrium structure, as well as the shape of the most important interacting MOs. The direction of the charge flow is red  $\rightarrow$  blue. (Isovalue  $0.03e \text{ a.u.}^{-3}$ ).

shown in Fig. 8. The  $\pi$ -orbital interaction  $\Delta E_{\text{orb}2}$  and the in-plane pseudo- $\pi$  interaction  $\Delta E_{\text{orb}3}$  of  $\text{OCaF}^-$  become  $\Delta E_{\text{orb}3}$  and  $\Delta E_{\text{orb}4}$  in  $\text{OSrF}^-$ . The significantly stronger bending in  $\text{OSrF}^-$  ( $123.0^\circ$ ) than in  $\text{OCaF}^-$  ( $144.7^\circ$ ) enhances the second  $\sigma$  interaction in the former anion, which is  $\Delta E_{\text{orb}4}$  in  $\text{OCaF}^-$  and becomes the second strongest orbital term  $\Delta E_{\text{orb}2}$  in  $\text{OSrF}^-$ , which is only slightly weaker ( $-12.4 \text{ kcal mol}^{-1}$ ) than  $\Delta E_{\text{orb}1}$  ( $-12.7 \text{ kcal mol}^{-1}$ ). Examination of the shape of the valence orbitals clearly shows that the d-AOs of Sr are the dominant acceptor orbitals of the metal.

We analysed in  $\text{OBaF}^-$  both using the linear structure and with the bent equilibrium geometry in order to identify the

driving force for bending. Table 4 shows the numerical EDA-NOCV results for both structures. The bent equilibrium structure encounters stronger Pauli repulsion  $\Delta E_{\text{Pauli}}$  than the linear form, but the total interaction energy  $\Delta E_{\text{int}}$  is clearly more attractive in the energy minimum form. This is mainly due to the larger Coulomb attraction  $\Delta E_{\text{elstat}}$  in the latter structure, which has a significantly shorter  $\text{OBa-F}^-$  bond than the former. But the orbital (covalent) interactions in the bent form are also slightly stronger than in the linear form. Stronger orbital interactions in the bent structure are found for  $\Delta E_{\text{orb}1} - \Delta E_{\text{orb}3}$  but not for  $\Delta E_{\text{orb}4}$ , which has a negligible contribution in the equilibrium geometry. This makes the assignment of a



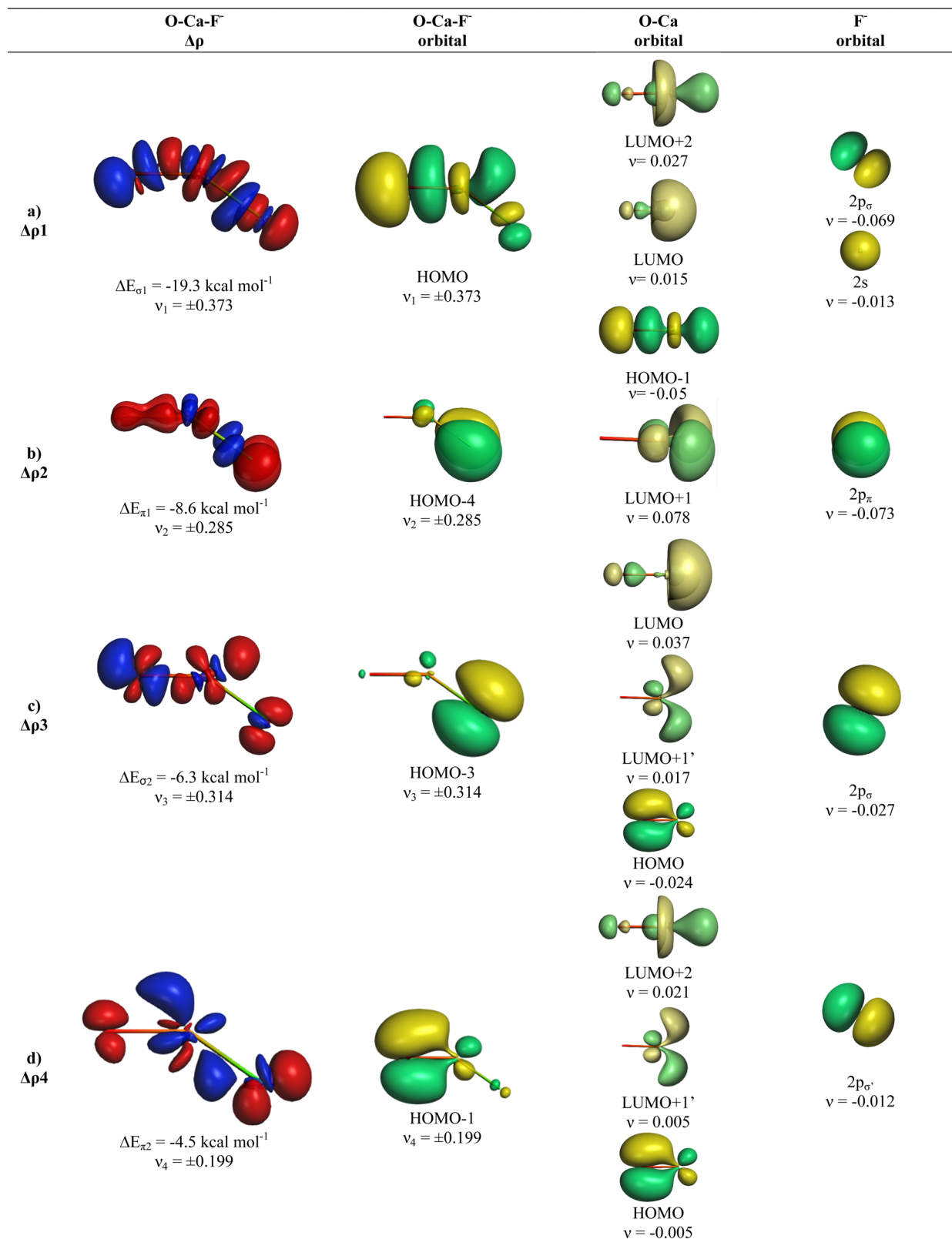


Fig. 7 Plot of deformation densities  $\Delta\rho$  of  $\text{OCaF}^-$ . The pairwise orbital interactions and the associated interaction energies ( $\Delta E_{\text{orb}}$ ) between fragments  $\text{OCa}$  (S) and  $\text{F}^-$  (S) in  $\text{OCaF}^-$  at the equilibrium structure, as well as the shape of the most important interacting MOs. The direction of the charge flow is red  $\rightarrow$  blue. (Isovalue  $0.03e \text{ a.u.}^{-3}$ ).



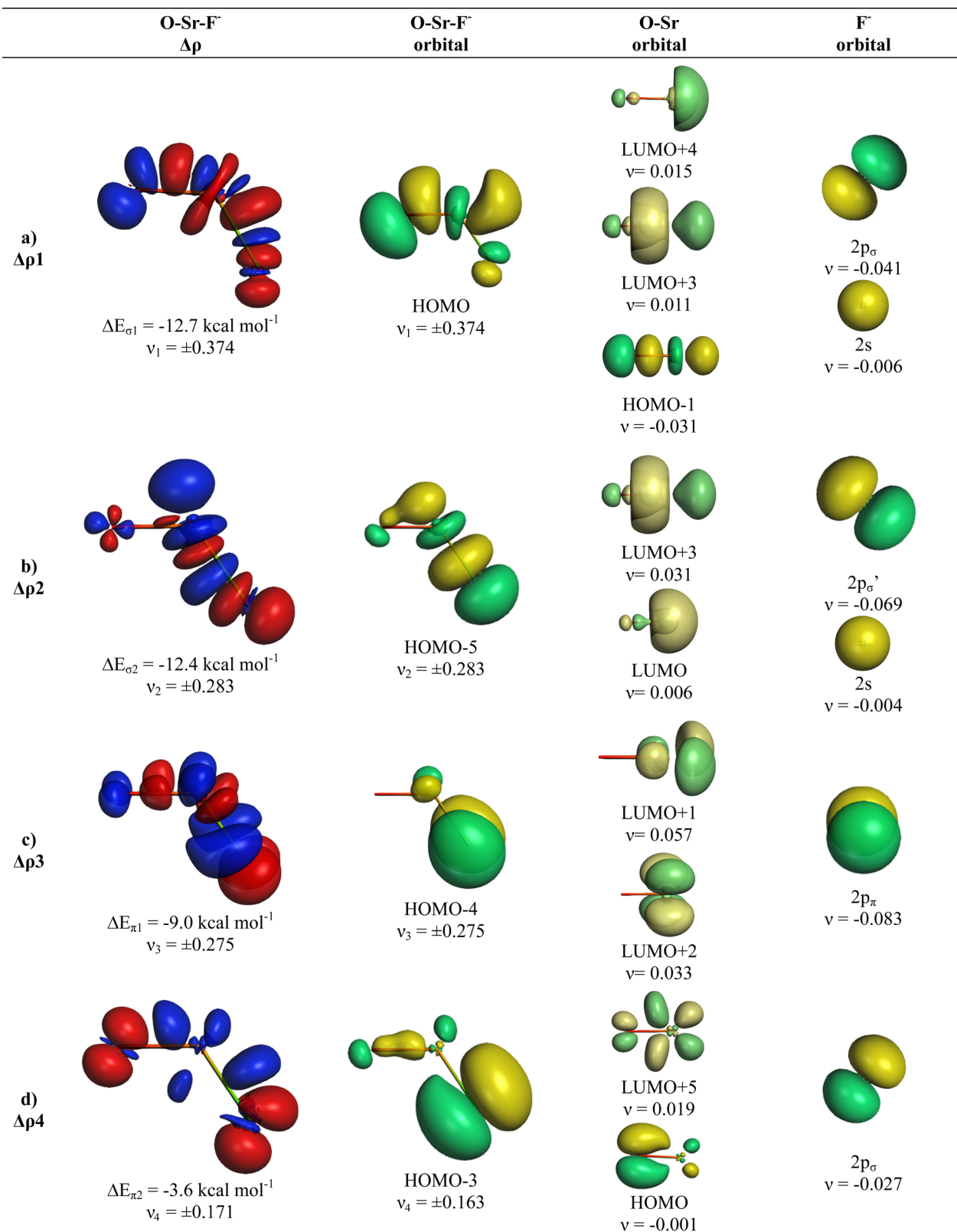


Fig. 8 Plot of deformation densities  $\Delta\rho$  of OSrF<sup>-</sup>. The pairwise orbital interactions and the associated interaction energies ( $\Delta E_{\text{orb}}$ ) between fragments OSr (S) and F<sup>-</sup> (S) in OSrF<sup>-</sup> at the equilibrium structure, as well as the shape of the most important interacting MOs. The direction of the charge flow is red  $\rightarrow$  blue. (Isovalue 0.03e a.u.<sup>-3</sup>).



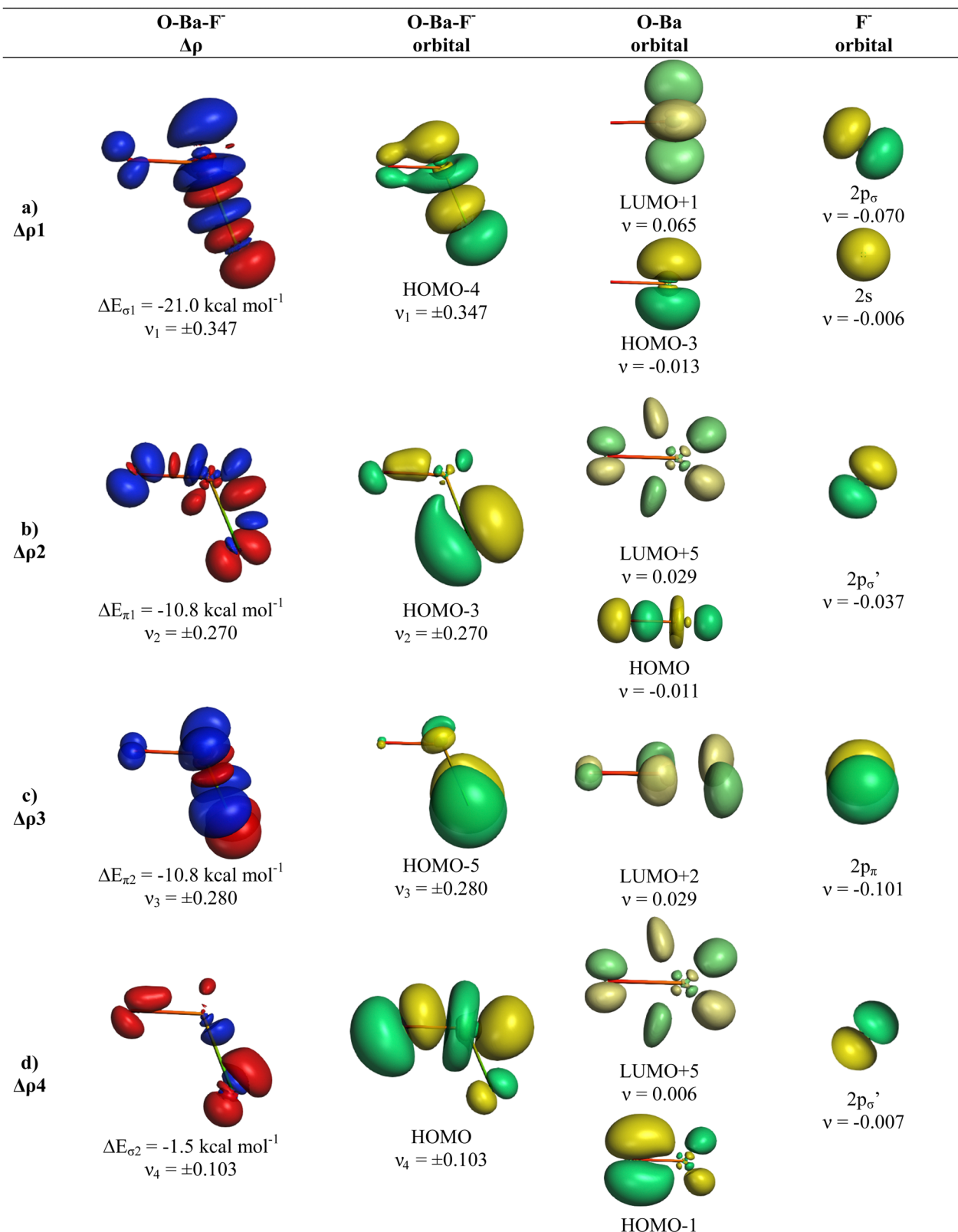


Fig. 9 Plot of deformation densities  $\Delta\rho$  of OBaF<sup>-</sup>. The pairwise orbital interactions and the associated interaction energies ( $\Delta E_{\text{orb}}$ ) between fragments Oba (S) and F<sup>-</sup> (S) in OBaF<sup>-</sup> of the bent equilibrium structure, as well as the shape of the most important interacting MOs. The direction of the charge flow is red → blue. (Isovalue 0.03e a.u.<sup>-3</sup>).



quadruple bond between  $F^-$  and BaO inappropriate. The same conclusion holds for the bent structures of the Ca and Sr homologues.

Fig. 9 and 10 show the deformation densities  $\Delta\rho$  and the interacting MOs for  $\Delta E_{\text{orb}1} - \Delta E_{\text{orb}4}$  of the two structures. The orbitals of the acceptor fragment BaO suggest that the d-AOs are the most important acceptor orbitals of the metal. The strongest orbital interaction  $\Delta E_{\text{orb}1}$  comes now from the donation of  $F^-$  into the  $5d_\pi$  AO and (with smaller contribution)  $6p_\pi$

AOs of Ba, which underline the strong contribution of the  $(n - 1)d$  AOs for covalent bond particularly for Ba. Close examination of the deformation densities in the linear and bent structures reveals the appearance of local charge accumulation at barium in the region of lone-pair, which comes from the charge donation into vacant d-AOs of the metal. This is clearly visible in the strong orbital interactions  $\Delta E_{\text{orb}1} - \Delta E_{\text{orb}3}$ . The results nicely agree with the finding of Kaupp *et al.* about the relevance of d-orbitals for the heavy alkaline earth atoms.<sup>52</sup> The

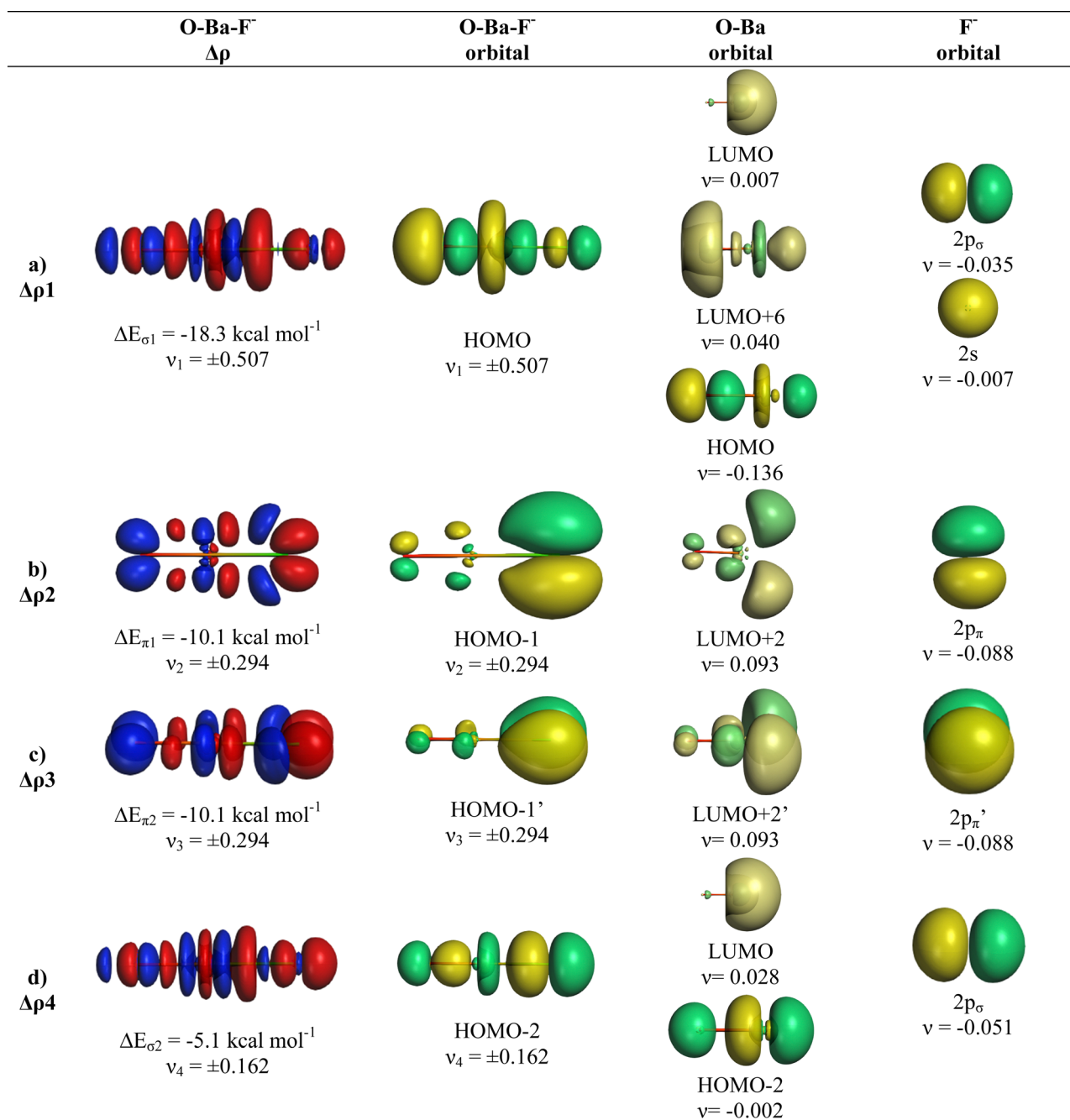


Fig. 10 Plot of deformation densities  $\Delta\rho$  of  $\text{OBaF}^-$ . The pairwise orbital interactions and the associated interaction energies ( $\Delta E_{\text{orb}}$ ) between fragments  $\text{OBa}$  (S) and  $F^-$  (S) in  $\text{OBaF}^-$  of the linear structure, as well as the shape of the most important interacting MOs. The direction of the charge flow is red  $\rightarrow$  blue. (Isovalue  $0.03e \text{ a.u.}^{-3}$ ).



accumulation negative charge toward the lone-pair area but away from the bonding region explains why the bent structure is mainly stabilized by electrostatic (Coulomb) interaction than by stronger covalent bonding. The detailed bonding analysis suggests that the  $\text{OAe-F}^-$  bonds have a higher electrostatic character than the  $\text{Ae-F}^-$  bonds in the diatomic anions.<sup>1,2</sup> The covalent contributions to the  $\text{OAe-F}^-$  bonds come from dative interactions which have multiple-bond character, but the assignment of a quadruple bond like in the heavier  $\text{AeF}^-$  anion with  $\text{Ae} = \text{Ca, Sr, Ba}$  is not reasonable. We suggest that the bonding situation is best described with a bond line  $\text{O-AeF}^-$  for the electron-sharing bond and an arrow  $\text{OAe} \leftarrow \text{F}^-$  for the dative bond where the line above Ae in the bent structures signals the accumulation of local charge in the lone-pair region, although the overall charge of Ae is positive (Fig. 11). The situation may be compared with CO, where the carbon atoms carries a positive partial charge but the chemical reactivity and the dipole moment are dominated by the local charge accumulation in the lone-pair region.

There is a common feature in the deformation densities associated with the orbital interactions  $\Delta E_{\text{orb}1}$  and  $\Delta E_{\text{orb}4}$  and the MOs of the AeO fragments. Fig. 4 and 6–10 show that an occupied orbital of AeO is involved in the dative interactions  $\text{OAe} \leftarrow \text{F}^-$  which suggests that there is concomitant polarization in the diatomic moiety. The mode of action between O Ae and  $\text{F}^-$  involves a charge induced interaction of the  $\text{F}^-$  ion on the O Ae moiety, which in turn yields a favorable hybridization of the vacant orbitals of Ae overlapping with the occupied AOs of  $\text{F}^-$  and leading to a stabilizing interference of the wave functions. This was already found in the diatomic anions  $\text{AeF}^-$ , where the charge induction of  $\text{F}^-$  leads to a polarization of the (n)s valence electrons of Ae and the formation of a vacant (n)sp( $\sigma$ ) AO. This is schematically shown in Fig. 12. A related mechanism is operative in  $\text{OAeF}^-$ .

Are the  $\text{OAe-F}^-$  bonds really dative bonds? The anion dissociates into the closed-shell species O Ae and  $\text{F}^-$ , but this does not necessarily indicate that the finally formed bond has dative character. For example, rupture of the carbon-carbon bond of many olefins like  $\text{F}_2\text{C}=\text{CF}_2$  gives carbenes  $\text{CF}_2$  in the  $^1\text{A}_1$  singlet state but the double bond comes from the interaction between  $\text{CF}_2$  in the  $^3\text{B}_1$  triplet state.<sup>81</sup> Likewise dissociate the  $\text{NaBH}_3^-$  Cluster into the closed-shell fragments  $\text{Na}^-$  and  $\text{BH}_3$  but the Na-B bond is better described as electron-sharing interactions between Na and  $\text{BH}_3^-$  both in their doublet state.<sup>82</sup> There is a curve crossing of the  $\Delta E_{\text{orb}}$  values along the



Fig. 11 Schematic representation of the bonding situation in the linear and bent structures of  $\text{OAeF}^-$ . The bonding line  $\text{O}^- \text{—} \text{Ae}^+ \text{F}^-$  indicates electron-sharing bonding and the arrow  $\text{O}^- \text{—} \text{Ae}^+ \leftarrow \text{F}^-$  indicates dative bonding both having multiple bond character. The line above Ae signals the accumulation of electronic charge in the lone-pair region in spite of the overall positive charge of Ae atom.

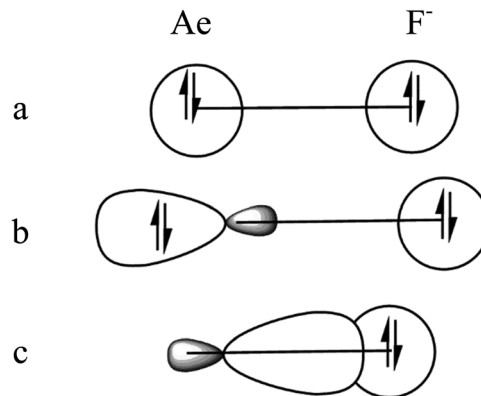


Fig. 12 Schematic representation of the  $\sigma$  bond formation in  $\text{AeF}^-$  in three steps. (a) Initial charge distribution in Ae atom and  $\text{F}^-$  where the arrows indicate the total electronic charge; (b) polarization of the valence electrons in Ae and (n)s<sup>2</sup>  $\rightarrow$  (n)s/p( $\sigma$ ) hybridization; (c) concomitant formation of the vacant orthogonal (n)s/p( $\sigma$ ) orbital at Ae atom which overlaps with the occupied  $\sigma$  orbitals of  $\text{F}^-$  which leads to a polar covalent  $\text{Ae-F}^-$  bond.

fragmentation pathway when the two sets of fragments are used in the EDA-NOCV calculations, which indicates that the fragments that provide the best description for the chemical bond in the molecule have a different electronic state than the fully separated fragments after dissociation. It could be envisaged that the charge donation  $\text{OAe} \leftarrow \text{F}^-$  at the equilibrium geometry leads to an electron-sharing interaction between  $\text{OAe}^-$  anion and neutral F in the doublet states. We analysed the anions  $\text{OAe-F}^-$  with the EDA-NOCV method using  $\text{OAe}^-$  and neutral F as interacting fragments. The numerical results are shown in Table S1 of ESI.† The calculated values for the orbital interactions  $\Delta E_{\text{orb}}$  are for all species at the equilibrium geometry significantly larger than using closed-shell fragments O Ae and  $\text{F}^-$ . Since the final dissociation products are also O Ae and  $\text{F}^-$  it becomes obvious that there is no curve crossing of the  $\Delta E_{\text{orb}}$ , which clearly indicates that the  $\text{OAe-F}^-$  bonds are really dative bonds. It has been shown in numerous previous studies using the EDA-NOCV method that the relative amount of  $\Delta E_{\text{orb}}$  is a useful indicator for the nature of the nature of the chemical bonds and for the best description of the interacting fragments.

We have further investigated the nature of  $\text{OAe-F}^-$  bonds with a completely different approach which is based on the electronic structures that come from the *ab initio* calculations at the DLPNO-CCSD(T)/def2-TZVP level using geometries optimized at CCSD(T)/TZVP. The numerical result of the local energy decomposition (LED) method<sup>43–45</sup> are given in Table 5. The LED scheme breaks down the interaction energy between the fragments into different energy terms than the EDA-NOCV approach, but the main conclusion is the same. The electrostatic attraction  $\Delta E_{\text{elst}}^{\text{HF}}$  is the dominant term of the attraction. The correlation interaction energy  $\Delta E_{\text{int}}^{\text{C}}$  mostly covers here the charge-transfer term, which can be interpreted as the instantaneous ion pair formation. The most important information comes from the direction of the charge transfer terms  $\Delta E_{\text{CT}}$  which show that the dynamic charge transfer  $\text{OAe} \leftarrow \text{F}^-$  completely dominates while the opposite stabilization is



**Table 5** Local energy decomposition (LED) calculations of  $\text{OAE}^-$  anions fragmented into  $\text{OAE}$  (1) and  $\text{F}^-$  (2) singlet fragments. The calculations were carried out at the DLPNO-CCSD(T)/def2-TZVPP level using geometries optimized at CCSD(T)/TZVPP. Energy values are given in  $\text{kcal mol}^{-1}$

	[OBe][F <sup>-</sup> ]	[OMg][F <sup>-</sup> ]	[OCa][F <sup>-</sup> ]	[OSr][F <sup>-</sup> ]	[OBa][F <sup>-</sup> ]
$\Delta E_{\text{int}}$	-146.1	-113.3	-90.2	-77.4	-66.1
$\Delta E_{\text{el-prep}}$	176.0	173.0	130.7	122.9	96.7
$\Delta E_{\text{elst}}^{\text{HF}}$	-273.1	-248.0	-189.5	-162.9	-132.1
$\Delta E_{\text{exch}}^{\text{HF}}$	-10.5	-9.9	-11.1	-13.7	-11.3
$\Delta E_{\text{int}}^{\text{C}}$	-38.6	-28.5	-20.2	-23.7	-19.3
$\Delta E_{\text{CT}(1 \rightarrow 2)}^{\text{C-SP}}$	-0.3	-0.2	-0.8	-1.6	-1.4
$\Delta E_{\text{CT}(2 \rightarrow 1)}^{\text{C-SP}}$	-38.3	-30.3	-22.1	-21.3	-16.9
$\Delta E_{\text{disp}}^{\text{C}}$	-1.5	-0.9	-1.4	-2.0	-1.7
$\Delta E_{\text{C-WP}}^{\text{C}}$	-0.04	-0.06	-0.07	-0.07	-0.08
$\Delta E^{\text{C-T}}$	1.7	3.0	4.2	1.1	0.8

$$\Delta E_{\text{int}}^{\text{C}} = \Delta E_{\text{CT}(1 \rightarrow 2)}^{\text{C-SP}} + \Delta E_{\text{CT}(2 \rightarrow 1)}^{\text{C-SP}} + \Delta E_{\text{disp}}^{\text{C}} + \Delta E_{\text{C-WP}}^{\text{C}} + \Delta E^{\text{C-T}}$$

negligible. For the interpretation of the remaining terms we refer to the literature.<sup>43-45</sup> They are not important for this study.

We want to comment on the finding of the EDA-NOCV approach and the LED method that the stabilizing interactions of the  $\text{OAE-F}^-$  bonds comes mainly from electrostatic attraction, particularly in the lighter species where  $\text{Ae} = \text{Be, Mg}$ . This is sometimes referred as ionic contribution, which is misleading. Polar covalent bonds have a higher electrostatic character than nonpolar covalent bonds, because the accumulated charge in the bonding region is shifted towards the more electronegative atom where it encounters stronger nuclear attraction. It is a widespread misconception that the charge accumulation at the center of a bond is caused by the electrostatic attraction by two nuclei, which would be stronger than the attraction by only one nucleus. This is not correct, because the electrostatic attraction increases when the electronic charge moves closer to one nucleus and therefore, the contribution of the Coulomb attraction increases at polar bonds. It is the interference of the wave function which leads to a charge accumulation in the bonding region. This has been shown before in several theoretical studies<sup>83,84</sup> and it was nicely demonstrated with a qualitative model by Rioux.<sup>85</sup> The frequently used naming of ionic rather than electrostatic contribution comes from valence-bond (VB) calculation, which does not have a term for polar bonds. VB calculations give the electronic structure of a molecule with a mixture of two-center terms A-B which comprise the electron-sharing covalent term ( $\lambda_{\text{A}} - \lambda_{\text{B}}$ ) (“Heitler–London (HL)” term) and the two ionic terms ( $\lambda_{\text{A}} | - \lambda_{\text{B}}^+$ ) and ( $\lambda_{\text{A}}^+ \lambda_{\text{B}} | -$ ) as well as the mixing of the terms.<sup>86</sup> This is a mathematically valid approach, but the appearance of the ionic terms in the calculations must not be identified with ionic bonding. Ionic bonding is found in ionic solids and in solvents where the overlaps of the wave functions are negligible. Polar bonds in molecules are covalent bonds with higher electrostatic character but they are not ionic bonds. The widespread use of the VB model, which was strongly advocated by Pauling,<sup>87</sup> led to the still frequent use of the term “ionic contribution” although quantum chemical calculations employ in most cases MO or DFT methods. For a more detailed discussion we refer to recent publications of the topic.<sup>68,80,88,89</sup>

**Table 6** Electron affinities of atoms Ae and diatomic AeO (in  $\text{kcal mol}^{-1}$ )

Ae	Ae atom <sup>a</sup>	AeO <sup>b</sup>
Be	< 0	46.4
Mg	< 0	30.0
Ca	0.46	18.6
Sr	1.15	10.0
Ba	3.23	7.9

<sup>a</sup> Experimental value taken from ref. 91. <sup>b</sup> Calculated at CCSD(T)/def2-TZVPP.

The final question concerns the different trends of the BDE for  $\text{Ae-F}^-$  and  $\text{OAE-F}^-$ . We explained the increase of the bond strength in the diatomic anions  $\text{AeF}^-$  from  $\text{Ae}=\text{Mg}$  to  $\text{Ae}=\text{Ba}$  with the availability of the  $(n-1)d$  AOs of the heavier alkaline earth atoms as acceptor orbitals, which leads to a strengthening of the covalent interactions. It remains to explain why the diatomic oxides AeO show a decreasing order for the BDE when the Ae atoms become larger. Table 6 shows the electron affinities of Ae atoms and diatomic AeO. The experimentally known values for the atoms show that the heavier atoms have a slightly increasing trend for the heavier elements, whereas the trend of the oxides AeO has the opposite order. There is a clear decline of the electron affinity of AeO for the heavier Ae atoms, which exhibits the same order as the BDE values of  $\text{OAE-F}^-$ . Experimental values for the electron affinity of diatomic AeO are not available except for  $\text{MgO}$ .<sup>90</sup> The measured value of  $37.6 \text{ kcal mol}^{-1}$  is in reasonable agreement with the calculated value of  $30.0 \text{ kcal mol}^{-1}$ . We think that the trend of the calculated electron affinities in Table 6 is reliable. The data suggest that the Lewis acidity of AeO continuously decreases for the heavier atoms Ae whereas the acceptor ability of the atom Ae increases from Mg to Ba.

## Summary and conclusion

The results of this work are summarized as follows:

- The equilibrium structures of the anions  $\text{OAE}^-$  have linear geometries for  $\text{Ae} = \text{Be}$  and  $\text{Mg}$  but they are strongly bent for  $\text{Ae} = \text{Sr}$  and  $\text{Ba}$ . The calcium species is calculated at the CCSD(T)/def2-TZVPP level to have a linear geometry but at BP86/def2-TZVPP is has bending angle of  $144.7^\circ$  which is  $0.5 \text{ kcal mol}^{-1}$  below the linear form. The bending potential of the strontium and barium anions is rather low ( $< 10 \text{ kcal mol}^{-1}$ ).
- The calculated bond dissociation energies of the  $\text{OAE-F}^-$  bonds suggest a record-high BDE of  $D_e = 144.8 \text{ kcal mol}^{-1}$  for  $\text{OBeF}^-$  at the CCSD(T)/def2-TZVPP level, which is the strongest BDE for a dative bond that has been found so far. The BDE of the heavier homologues have a continuously decreasing order for Ae with  $\text{Be} > \text{Mg} (113.1 \text{ kcal mol}^{-1}) > \text{Ca} (84.6 \text{ kcal mol}^{-1}) > \text{Sr} (72.6 \text{ kcal mol}^{-1}) > \text{Ba} (60.0 \text{ kcal mol}^{-1})$ .
- The calculations suggest that the Ae–O distances in the anions  $\text{OAE}^-$  become a bit longer than in diatomic AeO. However, the Ae–O stretching mode of  $\text{OBeF}^-$  and  $\text{OMgF}^-$  is predicted at both levels of theory to have a blue shift towards higher wave numbers whereas the heavier homologues  $\text{OCaF}^-$ ,



OSrF<sup>-</sup> and OBaF<sup>-</sup> have a red shift for the Ae–O mode. The calculated Ae–O frequency shifts and the Ae–F stretching vibration are a guideline for the hitherto unknown anions OAeF<sup>-</sup>.

- The calculation of the charge distribution reveals a significant charge donation OAe ← F<sup>-</sup> with decreasing order for the heavier atoms Ae using the Hirshfeld, Voronoi and CM5 methods. In contrast, the NBO method suggests only negligible charge donation, which comes from the fact that only the (n)s but not the (n)p AOs of atoms Ae are treated as valence orbitals.

- The oxygen atom in OAeF<sup>-</sup> carries always a higher partial charge than the fluorine atom. This is suggested by all charge partitioning methods and by the molecular electrostatic map. The charge distribution contradicts the standard electronegativities of the atoms which assign fluorine to be more electronegative than oxygen. The surprising partial charges are explained with the bonding situation of the atoms in the actual electronic structure, which may lead to uncommon partial charges.

- The bonding analysis of the OAe–F<sup>-</sup> bonds using the EDA–NOCV method shows that the bonds have a much higher electrostatic character than the Ae–F<sup>-</sup> bonds in the diatomic anions. The dative interactions have three major and one minor component. The assignment of a quadruple bond for the heavier species with Ae = Ca, Sr, Ba is not reasonable. The driving force for the bent geometries is the accumulation of electronic charge in the lone-pair region at the Ae atoms, which enhances the electrostatic attraction with the other atoms. A reasonable description of the bonding situation is given by the formula O<sup>-</sup>–Ae<sup>+</sup> ← F<sup>-</sup>.

#### Note added in proof

The statement about the strongest dative bond refers to atoms heavier than hydrogen and helium. Proton affinities are dative bonds which can be much stronger than calculated in this work.<sup>92</sup>

## Data availability

The data supporting this article have been included as part of the ESI.†

## Conflicts of interest

The authors declare no conflict of interest.

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