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## Simultaneous switching of two different CO<sub>2</sub>-switchable amines in the same solution<sup>†</sup>

Matthew Sanger, Daniel Barker and Philip G. Jessop \*

Most CO<sub>2</sub>-responsive systems operate by using a base in water that is expected to be mostly deprotonated when under an atmosphere of air and mostly protonated under an atmosphere of CO<sub>2</sub>. This concept has led to the development of many different CO<sub>2</sub>-responsive materials such as solvents, polymers, surfactants, and solutes. As CO<sub>2</sub>-responsive materials research continues, more complex systems may be developed, including systems containing two different bases with different basicities. Understanding the influence each base has on the protonation equilibrium of the other base is important for designing systems in which effective deprotonation and protonation occur. This article presents a model that can predict the solution pH and the % protonation of two different bases at various concentrations under air and CO<sub>2</sub>. Experimental data was collected to demonstrate the successful simultaneous switching of two amines and to evaluate the accuracy of the predictive model. The simultaneous switching of two different CO<sub>2</sub>-switchable amines in the same solution was determined to be possible but only if the amine concentrations and basicities are within certain ranges, and only if the pK<sub>aH</sub> values of the two bases differ by no more than 3 units.

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### 1. Introduction

Stimuli-responsive or switchable materials have been a very active area of research in the past two decades as these materials offer the solution to processes that have time-separated conflicting requirements. For example, sunglasses should be dark when the wearer is outside, but light when they're inside. An ideal extraction solvent would dissolve the desired solute very well during the extraction stage but not at all when the solute and solvent subsequently need to be separated. Stimuli-responsive materials can address such conflicting requirements by reversibly altering their properties when a specific stimulus is added or removed. Different stimuli have been used including voltage, light, oxidants/reductants, acids/bases, and CO<sub>2</sub>.<sup>1</sup> Using CO<sub>2</sub> as a stimulus is particularly interesting as it provides some advantages over other stimuli such as easy removal with no residual salt accumulation, low toxicity, and no need for the material to be transparent or electrically conductive.<sup>2</sup> CO<sub>2</sub> is a cheap and effective trigger that can be used in many different industrial processes to allow for multiple properties to be changed on demand.

Many CO<sub>2</sub>-responsive materials use the acid–base reaction between a neutral organic base and hydrated CO<sub>2</sub> to form a charged bicarbonate salt<sup>3</sup> (eqn (1)). These are the simplest CO<sub>2</sub>-responsive materials and the most widely explored because bicarbonate salt formation can often be easily reversed under mild conditions ( $T \leq 60$  °C and/or sparging with a non-acidic gas like air). Tertiary amines are the most common choice of base for these reactions but any basic group with a free lone pair and suitable basicity such as amidines or guanidines can achieve this reaction. It is also possible with anionic bases such as carboxylate anions but that scenario is not considered in this paper.



The ability of an organic base to be CO<sub>2</sub>-switchable in water depends upon the organic compound having appropriate basicity. If it is too basic, then it will have a high % protonation under air and under CO<sub>2</sub>, so that its properties will be those of the bicarbonate salt regardless of whether CO<sub>2</sub> is present or absent. Such a system is not switchable. Similarly, if it is too weakly basic, then it will have a low % protonation under air and under CO<sub>2</sub>, so that its properties will be those of the neutral amine and again largely unaffected by the introduction or removal of CO<sub>2</sub>. Fortunately, if the basicity is in an appropriate range between these two extremes, the % protonation will be low under air and high under CO<sub>2</sub>, leading to a significant change in properties. Thus the pK<sub>aH</sub> (the pK<sub>a</sub> of the protonated base) must

Department of Chemistry, Queen's University, 90 Bader Lane, Kingston, Ontario, Canada K7L 2S8. E-mail: jessop@queensu.ca

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be within a range that is appropriate for the concentration, temperature, and pressure being used. For an amine of appropriate basicity, the majority of the amine in aqueous solution will be neutral under an atmosphere of air. However, upon the addition of  $\text{CO}_2$  (usually at 0.1 MPa) into the aqueous system, the amine will become mostly protonated.<sup>4</sup> Removal of the  $\text{CO}_2$  will cause the base to easily revert back to its neutral form. Thus the greatest switch in properties can only be achieved if an amine of the correct basicity is used.

Protonation of the chosen base depends on the solution's pH relative to the system midpoint, defined as the pH at which half of the base, regardless of its location in the system, is protonated. Here, and for the rest of the discussion, we will assume that all of the amine, regardless of the degree of protonation, remains in the aqueous phase. In that situation, the system midpoint is the same as the aqueous midpoint, defined as the pH at which the base located in the aqueous phase is 50% protonated. This occurs when the pH is equal to the  $\text{pK}_{\text{aH}}$ .

To achieve switching using  $\text{CO}_2$  as the trigger there are two key requirements or criteria (Scheme 1). First, the pH of the solution under air must be greater than the system midpoint, preferably at least one unit above, so that the base is no more than 10% protonated. The second requirement is that when the solution is under an atmosphere of  $\text{CO}_2$ , the pH must be lower than the midpoint, preferably at least one unit below so that at least 90% of the base is in its protonated form. The choices of 10 and 90% are somewhat arbitrary. One could argue that 15 and 85% might be adequate, if not as good. However, for the mathematical exercise it was convenient to choose specific limits.

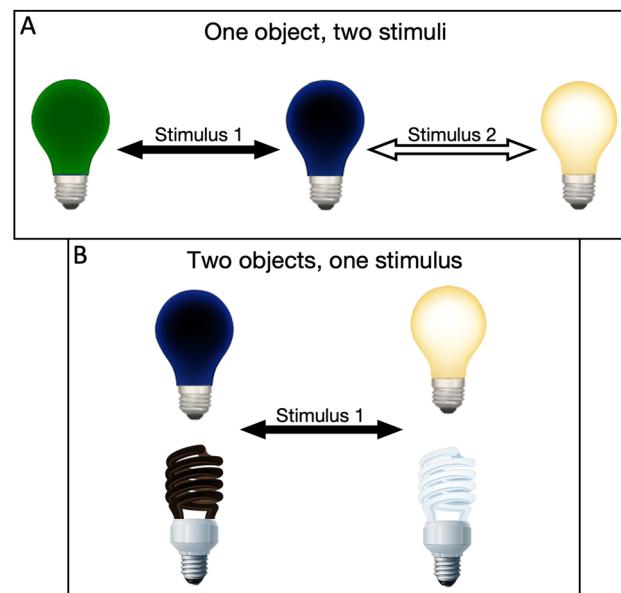
As research into stimuli-responsive materials continues to expand, increasingly complex systems are being designed. Many authors have reported a material that responds to two or more stimuli (Scheme 2A) such as  $\text{CO}_2$  and temperature.<sup>5–8</sup> On the other hand, there has been less attention paid to the reverse situation: using one stimulus to simultaneously switch two or more materials (Scheme 2B). In one example, Yan *et al.* showed that a local temperature rise triggered responses simultaneously in two thermoresponsive polymers in a bilayer structure.<sup>9</sup> In our own research on  $\text{CO}_2$ -switchable systems, we have found it useful to simultaneously switch two different chemicals at the same time.

Having two or more species in a system respond to  $\text{CO}_2$  increases the complexity, with the risk that one switchable chemical may interfere with the switching of the other. An example of a more complex system is the polymerization of a  $\text{CO}_2$ -switchable monomer using a  $\text{CO}_2$ -responsive initiator while in the presence of carbonated water. The monomer and

**Criterion #1.** Under air, < 10% of the base is protonated

**Criterion #2.** Under  $\text{CO}_2$ , > 90% of the base is protonated

**Scheme 1** The two criteria for  $\text{CO}_2$ -responsive materials to be effectively switched using  $\text{CO}_2$ .



**Scheme 2** Complex stimuli responsive systems. (A) A single object that can respond to two different stimuli. (B) Two objects that can respond to the same stimulus simultaneously.

initiator may have different basicities and different concentrations, with the monomer being at much higher concentration. Understanding the monomer's influence on the initiator's ability to switch, and *vice versa*, is important for designing the system. The initiator may need to be protonated, in order for it to sufficiently rapidly generate radicals at the reaction temperature.

The monomer may also need to be protonated, or it will not adequately dissolve. Similar arguments apply once the  $\text{CO}_2$  is removed; if both the initiator (or its residues at the chain ends) and the monomer repeat units in the polymer chain are to be  $\text{CO}_2$ -switchable, then they must switch to largely unprotonated when the  $\text{CO}_2$  is removed. The basicity and concentration of each base in an aqueous solution will influence its own equilibrium as well as the other base's equilibrium in a predictable way. Understanding this, and being able to make predictions mathematically can lead to the design of complex  $\text{CO}_2$ -switchable systems that operate correctly when under air or  $\text{CO}_2$ .

Previous work in our group developed a model for single base  $\text{CO}_2$ -switchable systems and their behaviour in water under air and under an atmosphere of  $\text{CO}_2$ .<sup>1</sup> Two equations were derived allowing for the prediction of  $[\text{H}_3\text{O}^+]$  and therefore the pH of different base solutions at various concentrations under air and under  $\text{CO}_2$  (eqn (2) and (3) respectively). Once the pH of the solution is known, the % protonation of the base in solution can be predicted with eqn (4).

In these equations,  $[\text{B}]_0$  is the nominal concentration of base, so that  $[\text{B}]_0 = [\text{B}] + [\text{BH}^+]$ . Because these equations use molarities rather than activities, they are not accurate at higher concentrations. However, comparisons to experimental data showed them to predict pH values within 0.3 units of the observed pH at concentrations up to 1 M.<sup>1</sup>

$$0 = [\text{H}_3\text{O}^+]^3 + (K_{\text{aH}} + [\text{B}]_0)[\text{H}_3\text{O}^+]^2 - K_{\text{W}}[\text{H}_3\text{O}^+] - K_{\text{W}}K_{\text{aH}} \quad (2)$$

$$0 = [\text{H}_3\text{O}^+]^3 + (K_{\text{aH}} + [\text{B}]_0)[\text{H}_3\text{O}^+]^2 - (K_{\text{a1}}^* K_{\text{H}} P_{\text{CO}_2} + K_{\text{W}})[\text{H}_3\text{O}^+] - (K_{\text{a1}}^* K_{\text{H}} P_{\text{CO}_2} + K_{\text{W}})K_{\text{aH}} \quad (3)$$

$$\text{Percent protonation} = \frac{[\text{H}_3\text{O}^+]}{(K_{\text{aH}} + [\text{H}_3\text{O}^+])} \times 100\% \quad (4)$$

The concentration of  $\text{CO}_2$  in solution is governed by the Henry's law constant ( $K_{\text{H}}$ ) and is highly temperature dependent.<sup>10</sup>  $\text{CO}_2$  is a weak acid and therefore only partially dissociates in water to bicarbonate ions in the pH range typical for  $\text{CO}_2$ -switching chemistry (pH 4 to 10). The observed equilibrium between dissolved  $\text{CO}_2$  and bicarbonate in solution is governed by the equilibrium constant  $K_{\text{a1}}^*$ . These two factors limit the lowest accessible pH of aqueous solutions saturated with  $\text{CO}_2$  to approximately 3.9 and 3.5 under 0.1 MPa and 1 MPa of  $\text{CO}_2$  respectively at 22 °C.

From the models derived from eqn (2)–(4) it was observed that the  $\text{p}K_{\text{aH}}$  of a base and its concentration in solution are critical factors that determine whether it can be effectively switched with an atmosphere of  $\text{CO}_2$  (Fig. 1).<sup>1</sup> To meet criterion #1 (<10% protonation under air), a minimum concentration of base in solution is required, as indicated by the turquoise dashed line in Fig. 1. This is due to partial protonation of the base by water forming the hydroxide salt  $[\text{BH}^+][\text{OH}^-]$ . As the  $\text{p}K_{\text{aH}}$  of a base increases a larger fraction is protonated by water, raising the minimum concentration required to meet criterion #1. On the other hand, as the concentration of base in solution increases it becomes harder for weaker bases ( $\text{p}K_{\text{aH}} \leq 8$ ) to be >90% protonated under 0.1 MPa of  $\text{CO}_2$  (Criterion #2). This is due to the pH of the system approaching the  $\text{p}K_{\text{aH}}$  of both the

base and bicarbonate ( $\text{p}K_{\text{a1}}^* = 6.36$  at 25 °C)<sup>10</sup> creating a buffer. The solution will become saturated with  $\text{CO}_2$  before the buffer is consumed preventing complete protonation of the base in solution. This paper describes the factors that influence the behaviour of aqueous  $\text{CO}_2$ -responsive systems containing two different bases. We assume that the system is being designed in the hope that both bases will be  $\text{CO}_2$ -switchable and therefore that both  $\text{p}K_{\text{aH}}$  bases affect each other under air and under  $\text{CO}_2$  with varying concentrations of each amine. Predictions from this model were then compared to experimental data to evaluate the accuracy and consistency of the model.

## 2. Results and discussion

### 2.1. Predictions of the mathematical model

To effectively predict the  $[\text{H}_3\text{O}^+]$  and pH of aqueous solutions of two bases, eqn (2) and (3) must be modified to account for the second base present. There are now two bases: X and Y that have their own unique  $K_{\text{aH}}$  constants  $K_X$  and  $K_Y$  respectively. For the purposes of this paper, the  $\text{p}K_{\text{aH}}$  of base X is always equal to or less than the  $\text{p}K_{\text{aH}}$  of base Y. Adding in the new terms for the second base we get eqn (5) and (6) for the  $[\text{H}_3\text{O}^+]$  (and therefore pH) of two base solutions under air and  $\text{CO}_2$  respectively (derivations shown in the ESI†).

$$0 = [\text{H}_3\text{O}^+]^4 + (K_X + K_Y + [\text{Y}]_0 + [\text{X}]_0)[\text{H}_3\text{O}^+]^3 + (K_Y[\text{X}]_0 + K_X[\text{Y}]_0 + K_X K_Y - K_{\text{W}})[\text{H}_3\text{O}^+]^2 - (K_{\text{W}} K_X + K_{\text{W}} K_Y)[\text{H}_3\text{O}^+] - K_{\text{W}} K_X K_Y \quad (5)$$

$$0 = [\text{H}_3\text{O}^+]^4 + (K_X + K_Y + [\text{X}]_0 + [\text{Y}]_0)[\text{H}_3\text{O}^+]^3 + (K_X K_Y + K_Y[\text{X}]_0 + K_X[\text{Y}]_0 - K_{\text{W}} - K_{\text{a1}}^* K_{\text{H}} P_{\text{CO}_2})[\text{H}_3\text{O}^+]^2 - (K_{\text{W}} K_X + K_{\text{W}} K_Y + K_{\text{a1}}^* K_{\text{H}} P_{\text{CO}_2} K_X + K_{\text{a1}}^* K_{\text{H}} P_{\text{CO}_2} K_Y)[\text{H}_3\text{O}^+] - K_{\text{a1}}^* K_{\text{H}} P_{\text{CO}_2} K_X K_Y - K_{\text{W}} K_X K_Y \quad (6)$$

As these are both quartic equations there will be four possible  $x$ -intercepts for these equations, but only one of those answers should be reasonable and therefore the real pH of solution. With the predicted  $[\text{H}_3\text{O}^+]$  of these solutions, the % protonation of each base can be calculated using eqn (7) and (8).

$$\text{Percent protonation of base X} = \frac{[\text{H}_3\text{O}^+]}{K_X + [\text{H}_3\text{O}^+]} \times 100\% \quad (7)$$

$$\text{Percent protonation of base Y} = \frac{[\text{H}_3\text{O}^+]}{K_Y + [\text{H}_3\text{O}^+]} \times 100\% \quad (8)$$

Using the above equations, we are able to accurately predict both the pH and % protonation of 2 bases in solution under air and under an atmosphere of  $\text{CO}_2$ . These predictions were verified by comparing experimental pH values to the predicted values. We are able to predict the effective range of concentrations in which two bases of different basicity both meet the required criteria and therefore can be effectively switched using

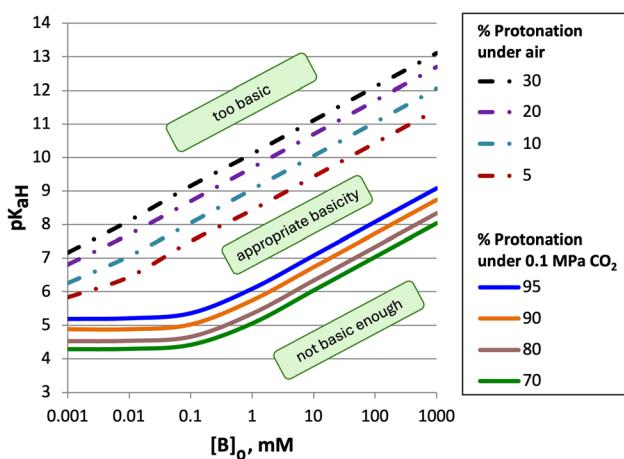


Fig. 1 The  $\text{p}K_{\text{aH}}$  required of a base to have a specific percent protonation when mixed with water or carbonated water at 25 °C. Dashed lines represent the  $\text{p}K_{\text{aH}}$  required to achieve the specific percent protonation under air. Solid lines represent the  $\text{p}K_{\text{aH}}$  required to achieve the specific percent protonation of a base under an atmosphere of  $\text{CO}_2$ . A base having a  $\text{p}K_{\text{aH}}$  value between the dashed lines and the solid lines has appropriate basicity to be an effective  $\text{CO}_2$ -switchable compound, as it satisfies both criteria at the indicated concentration.<sup>1</sup>

$\text{CO}_2$  as the stimulus. Scenarios where the two bases in solution had the same concentration, and where they had differing concentrations were both explored.

## 2.2. Scenario 1: two bases with the same concentration: $[\text{X}]_0 = [\text{Y}]_0$

To illustrate the approach to the problem, we will first discuss the example of two bases X and Y, where X is the weaker base ( $\text{p}K_{\text{X}} = 8.0$ ) and Y is the stronger ( $\text{p}K_{\text{Y}} = 10.0$ ), and where they are both at the same nominal concentration ( $[\text{Y}]_0 = [\text{X}]_0$ ). Several assumptions were made in this model: bases X and Y are infinitely soluble in both their neutral and bicarbonate salt forms; the pH never rises high enough that significant amounts of carbonate ions are formed or present in solution; the solutions containing  $\text{CO}_2$  are completely saturated;  $T = 25$  °C; and  $P_{\text{CO}_2} = 0.1$  MPa. For a given nominal concentration of the two bases in water under air, eqn (5) was used to predict the  $[\text{H}_3\text{O}^+]$ . This was repeated for nominal concentrations ranging from 1  $\mu\text{M}$  to 10 M. Using the predicted  $[\text{H}_3\text{O}^+]$  of these different solutions, the percent protonation of each base was calculated using eqn (7) and (8). The % protonation of bases X and Y under air was then plotted against their nominal concentration in solution (Fig. 2A). From this graph it is clear that above 10 mM, both bases are <10% protonated, which satisfies the first criterion for  $\text{CO}_2$  switching.

Next, we wanted to determine the percent protonation of the same two bases X and Y at various nominal concentrations under an atmosphere of  $\text{CO}_2$ . To achieve this, the  $[\text{H}_3\text{O}^+]$  of the different solutions was predicted using eqn (6). From these predictions, eqn (7) and (8) were used to determine the percent

protonation of bases X and Y at concentrations from 1  $\mu\text{M}$  to 1 M. In Fig. 2B, it is evident that the maximum concentration where both bases are >90% protonated under an atmosphere of  $\text{CO}_2$  is 100 mM. Therefore, from the data shown in Fig. 2A and B, we can conclude that these two bases are both  $\text{CO}_2$ -switchable only if their nominal concentrations fall in the range of 10 to 100 mM. That is a fairly narrow range, which might restrict the applications of solutions containing these two  $\text{CO}_2$ -switchable amines.

What would happen if  $\Delta\text{p}K_{\text{aH}}$ , meaning the difference between the  $\text{p}K_{\text{aH}}$  values of the two amines, was larger or smaller than 2? Would that affect the range of viable concentrations?

To evaluate this question, we retained the assumptions that Y has a  $\text{p}K_{\text{Y}}$  of 10 and that the bases have equal nominal concentrations. However, we allowed the  $\text{p}K_{\text{X}}$  of base X, and therefore also  $\Delta\text{p}K_{\text{aH}}$ , to vary. With the data above, we plotted the minimum and maximum concentrations whereby both criteria are simultaneously met for both bases. In other words, both bases (X and Y) are <10% protonated under air and >90% protonated under an atmosphere of  $\text{CO}_2$ . These minimum and maximum concentrations are plotted against  $\Delta\text{p}K_{\text{aH}}$  (Fig. 2C). This graph shows the effective concentration range where both bases can be effectively switched using  $\text{CO}_2$  at atmospheric pressure.

Between the two lines (the green triangle) is considered the “Goldilocks zone” where both bases satisfy both criteria for effective switching. At concentrations above the effective range the bases are too concentrated and at least one of them will be <90% protonated under 0.1 MPa of  $\text{CO}_2$  (*i.e.* criterion #2 is not satisfied). Conversely if the concentration of the bases is below the effective range at least one base will be >10% protonated under air (*i.e.* criterion #1 is not satisfied). Evidently, having a smaller  $\Delta\text{p}K_{\text{aH}}$  expands the range of concentrations in which both amines are  $\text{CO}_2$ -switchable. However, having a  $\Delta\text{p}K_{\text{aH}}$  greater than 3 makes it impossible for both amines to be switchable, at any concentration.

Similar wedge-shaped diagrams were obtained for the situations where the stronger base has a  $\text{p}K_{\text{Y}}$  of 8, 9, 10, or 11 (Fig. 3). Solutions with base concentrations that fall between the two lines will satisfy both requirements to be considered effectively switched from mostly protonated to mostly deprotonated. For every unit decrease in  $\text{p}K_{\text{Y}}$ , both the minimum and maximum effective concentrations decrease by 10-fold. In other words, weaker base pairs must be used in lower concentrations to achieve effective switching. As the  $\Delta\text{p}K_{\text{aH}}$  increases the effective range of concentrations for switching decreases. On the other hand, with two bases of the same  $\text{p}K_{\text{aH}}$  we can see that the accessible concentration range for effective switching is quite large (approx. 0.5 mM to 1.0 M for base Y  $\text{p}K_{\text{aH}} = 9$ ) as was predicted for single base systems. For every increase in  $\Delta\text{p}K_{\text{aH}}$  by 1 the range for effective switching decreases by a factor of  $\sim 10$ . Once  $\Delta\text{p}K_{\text{aH}} \simeq 3$  is reached, the effective range is predicted to shrink to a single concentration. At  $\Delta\text{p}K_{\text{aH}} > 3$ , there are no concentrations at which the criteria are satisfied. Thus,  $\text{CO}_2$ -switching of two bases of very different basicities is not possible.

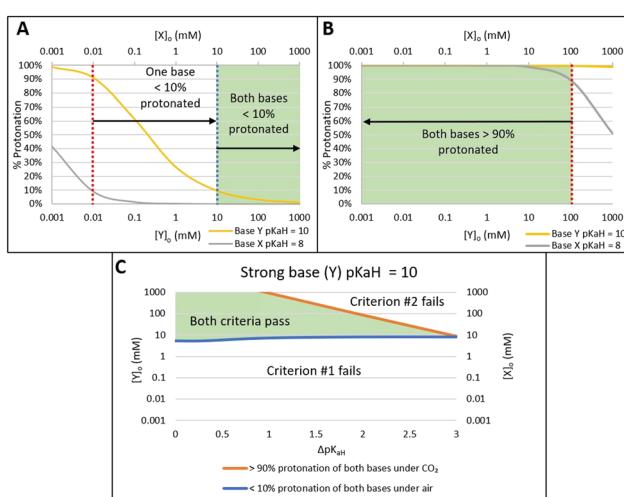
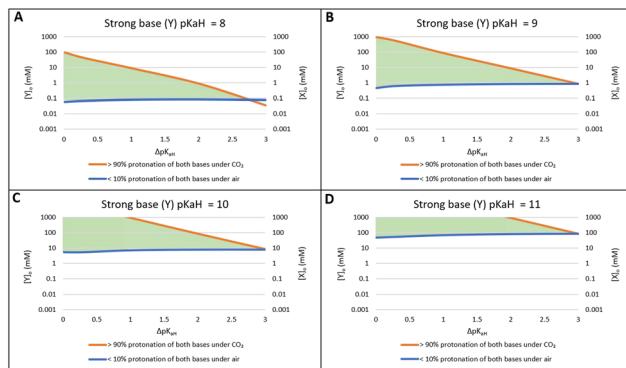


Fig. 2 Results for the example case of two bases X and Y, where the nominal concentrations of the bases are identical and the  $\text{p}K_{\text{aH}}$  values are 8 and 10, respectively. (A) Predicted percent protonation of bases X and Y under air. In the shaded area both bases are <10% protonated under air. (B) Predicted percent protonation of bases X and Y under an atmosphere of  $\text{CO}_2$ . In the shaded area both bases are >90% protonated under an atmosphere of  $\text{CO}_2$ . (C) Wedge graph indicating the conditions in which both bases meet both criteria. The basicity of the stronger base is again fixed at  $\text{p}K_{\text{Y}} = 10$ , but the weaker base ( $\text{p}K_{\text{X}}$ ) is allowed to vary in basicity.



**Fig. 3** The minimum and maximum effective concentrations to achieve  $<10\%$  protonation under air and  $>90\%$  protonation under  $\text{CO}_2$  with the basicity  $pK_X$  of the weaker base being allowed to vary but the basicity  $pK_Y$  of the stronger base remaining fixed at = (A) 8.0 (B) 9.0 (C) 10 and (D) 11.

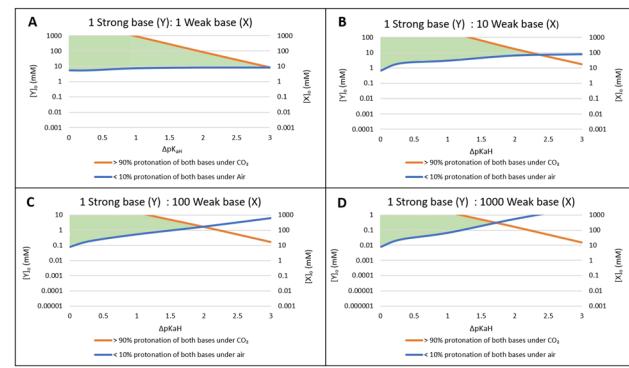
These predictions show that increasing the  $\Delta pK_{\text{aH}}$  of two base systems in water will have little effect on the minimum concentration to achieve  $<10\%$  protonation under air while having a significant effect on the maximum allowable concentration for  $>90\%$  protonation under  $\text{CO}_2$ . The minimum concentration changes very little with  $\Delta pK_{\text{aH}}$  due to the stronger base always deprotonating last, negating any influence of the weaker base. At higher concentrations of base under  $\text{CO}_2$ , the stronger base raises the pH to a point near or above the  $pK_{\text{aH}}$  of the weaker base preventing it from achieving the  $>90\%$  protonation requirement. As the  $\Delta pK_{\text{aH}}$  between the two bases increases this effect becomes more pronounced to where at  $\Delta pK_{\text{aH}} > 3$  the allowable range of concentrations for the two bases has disappeared.

### 2.3. Scenario 2: two base systems with different concentrations of bases X and Y: $[X]_0 < [Y]_0$ and $[X]_0 > [Y]_0$

All concentrations referenced in the following text and graphs are those of the stronger base Y. In the previous scenario where both bases had the same concentration, this distinction was not necessary.

We first investigated what effect increasing the amount of weaker base (X) relative to the stronger base had on the minimum and maximum concentrations for effective switching. In these scenarios the  $pK_{\text{aH}}$  of base Y in the two base system was set to 10 and the  $\Delta pK_{\text{aH}}$  was 0, 0.3, 1, 2 and 3 units. Increasing the amount of weak base (X) relative to strong base (Y) has a significant impact on both the minimum and maximum concentration for effective switching. With every 10-fold increase in the concentration of X relative to Y, the maximum  $[Y]_0$  for  $>90\%$  protonation under  $\text{CO}_2$  decreases by a factor of 10 (red line in Fig. 4).

The minimum concentration also decreases with every 10-fold increase in X relative to Y (Fig. 5). This relationship is far less linear than the observed effect on maximum concentration. Once again, this effect can be attributed to the final pH of the two-base solution. As the concentration of both bases in solution increases so too does the pH. As the pH rises closer to the  $pK_{\text{aH}}$  of the weaker base the protonation of that base decreases and it will fall below the  $>90\%$  protonation requirement.

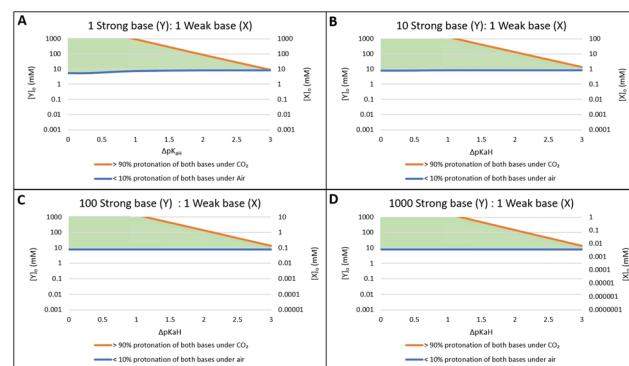


**Fig. 4** The minimum and maximum effective concentrations to achieve  $<10\%$  protonation under air and  $>90\%$  protonation under  $\text{CO}_2$  the basicity  $pK_X$  of the weaker base being allowed to vary but the basicity  $pK_Y$  of the stronger base remaining fixed at = 10. The  $[X]_0$  was increased to observe the changes in the acceptable concentration ranges.  $[Y]_0:[X]_0 =$  (A) 1:1, (B) 1 : 10, (C) 1 : 100, and (D) 1 : 1000.

As shown in Fig. 5, increasing the ratio of strong to weak base has little effect on the acceptable range of concentrations. Increasing the  $[Y]_0:[X]_0$  ratio from 1:1 to 10:1 slightly lowers the maximum and minimum concentrations, and further increases in the ratio have no significant effect.

## 3. Experimental confirmation of predictive model

To test the validity of these predictions, 12 discrete combinations of  $\Delta pK_{\text{aH}}$  and  $[Y]_0:[X]_0$  mole ratio were tested experimentally (Table 1). Solutions of two bases in water were prepared for each of the 12 combinations, in triplicate, and tested under air and under  $\text{CO}_2$  at 0.1 MPa. Tertiary amine small molecules were chosen as the bases for use in this study as they can only form bicarbonate salts with  $\text{CO}_2$  in water, not carbamate salts.



**Fig. 5** The minimum and maximum effective concentrations to achieve  $<10\%$  protonation under air and  $>90\%$  protonation under  $\text{CO}_2$  with the basicity  $pK_X$  of the weaker base being allowed to vary but the basicity  $pK_Y$  of the stronger base remaining fixed at 10. The ratio of  $[Y]_0:[X]_0$  was increased to observe the changes in the acceptable concentration ranges. (A) 1:1, (B) 10 : 1, (C) 100 : 1, and (D) 1000 : 1. Strong base Y, being simultaneously stronger and at higher concentrations than X, determines the acceptable concentration range.

**Table 1** Combinations of different  $\Delta pK_{aH}$  and concentrations explored in a two-base system

Concentration	$pK_{aH}$ difference between amines			
Equal	0.5	1	2	3
10× excess stronger base	0.5	1	2	3
10× excess weaker base	0.5	1	2	3

The amines chosen for this study (Table 2) were selected for their solubility in water in both their neutral and bicarbonate forms. Under both air and  $\text{CO}_2$  these solutions will remain monophasic, eliminating complications due to phase separation of the neutral organic base.

Each combination was analyzed under air and  $\text{CO}_2$  by  $^1\text{H}$  NMR spectroscopy to determine the % protonation of each amine in the solution. To determine % protonation, the chemical shift (ppm) of the protons alpha to the nitrogen was measured. This value was compared to calibration spectra of the same amine with 0 and 100% protonation. These calibration values were determined by adding the amine to either a 1 M KOH or HCl solution. For a given amine pair, the chemical shifts of key protons in both amines were observed and then compared against the values obtained in HCl and KOH solutions.

The % protonation of an amine under air and under  $\text{CO}_2$  is expressed as eqn (9), where  $\text{ppm}_{\text{obs}}$  is the chemical shift observed under either air or  $\text{CO}_2$ .

$$\% \text{ Protonation} = \frac{\text{ppm}_{\text{obs}} - \text{ppm}_{\text{KOH}}}{\text{ppm}_{\text{HCl}} - \text{ppm}_{\text{KOH}}} \times 100\% \quad (9)$$

### 3.1. Equal concentration results

To isolate the effect of  $\Delta pK_{aH}$  on % protonation, solutions were prepared with equal concentrations of the stronger and weaker bases. The pH and % protonation were first determined under air; both amines were weighed into the same vial and dissolved into Millipore<sup>®</sup> water. After the dissolution of the amines, the pH of the samples was immediately analyzed in triplicate. This was done to minimize the effects of atmospheric  $\text{CO}_2$  interacting with the sample. The measured pH values for each  $\Delta pK_{aH}$  pair

**Table 2** Amines and their reported  $pK_{aH}$  used in the preparation of the 2-base solutions

Amine	Structure	Reported $pK_{aH}$
4-Methylmorphine (MM)		7.38 <sup>11</sup>
Triethanolamine (TEA)		7.85 <sup>12</sup>
2-(Dimethylamino)ethanol (DMAE)		9.31 <sup>13</sup>
3-Diethylamino-1-propanol (DEAP)		10.39 <sup>14</sup>

agree with the predictive model, indicating some preliminary validity to the model (Table 3).

Using the pH of an aqueous solution containing 2 different amines is insufficient to confirm the model's predictive ability of an individual amine's contribution. Analysis by  $^1\text{H}$  NMR spectroscopy was used to compare the predicted % protonation to the experimental % protonation of each amine in solution (90%  $\text{H}_2\text{O}$ , 10%  $\text{D}_2\text{O}$ ).

Under air, it is predicted that all the  $\Delta pK_{aH}$  combinations would be mostly deprotonated, <10%. The  $^1\text{H}$  NMR analysis confirmed that all the amines did not exceed 10% protonation under air (Table 3). The higher  $pK_{aH}$  amines were more protonated than the lower  $pK_{aH}$  amines, as expected. At low  $\Delta pK_{aH}$ , the lower  $pK_{aH}$  amine does become slightly protonated but after a difference of about 2 units, the lower  $pK_{aH}$  amine remains completely deprotonated. This trend agrees with the model's prediction; a difference in  $pK_{aH}$  of 2 or more units will lead to a lower % protonation to the less basic amine when at the same concentration.

Upon completion of the analysis under air, the four samples were sparged with  $\text{CO}_2$  gas to saturate the solutions with  $\text{CO}_2$ . The rate-limiting step for the dissolution of  $\text{CO}_2$  is the mass transfer of  $\text{CO}_2$  into the water, so the samples were sparged for 4 h to ensure saturation was achieved. While a glass fritted sparging tube would have a better mass transfer of gas into solution, a stainless steel needle was used instead because the sample could be nearly completely sealed with only a small gauge needle for venting. Slow sparging by this method helps to prevent significant water loss.

After 4 h of sparging with  $\text{CO}_2$ , the pH and % protonation of the solutions were determined. The predicted values of the pH were around 7 which was observed for 3 out of the 4 solutions (Table 3). The sample(s) with  $\Delta pK_{aH}$  of 1.08 was 0.3 pH units lower than predicted but this lower pH had no significant influence on the % protonation as both bases had already approached 100% protonation by the predicted pH. Neutralizing a solution to exactly pH 7 with no buffer can be

**Table 3** Predicted and measured pH and % protonation of solutions with 0.1 M concentrations of stronger and weaker base under air and  $\text{CO}_2$ 

$\Delta pK_{aH}$	Amines in solution	Under air		Under $\text{CO}_2$	
		pH <sup>ac</sup>	% protonation <sup>bc</sup>	pH <sup>ac</sup>	% protonation <sup>bc</sup>
0.47	MM	10.5 (10.6)	0 (0)	7.0 (7.0)	71 (72)
	TEA		0 (4)		88 (89)
1.08	DMAE	11.7 (11.8)	1 (3)	7.1 (6.8)	99 (99)
	DEAP		5 (4)		100 (100)
1.93	MM	11.2 (11.3)	0 (0)	7.0 (6.9)	71 (70)
	DMAE		1 (4)		100 (100)
3.01	MM	11.7 (11.7)	0 (0)	7.0 (6.9)	71 (70)
	DEAP		5 (4)		100 (100)

<sup>a</sup> Measured at 20 °C,  $\delta \pm 0.1$  pH unit. <sup>b</sup> Measured at 26 °C in a Bruker NEO 500 MHz NMR instrument,  $\delta \pm 1\%$ . <sup>c</sup> Data in brackets are the observed values.

experimentally challenging. The concentrations of  $[\text{H}_3\text{O}^+]$  and  $[\text{OH}^-]$  are tiny, so any slight change in conditions will measurably change the pH.

The data obtained from the experimental pH and % protonation under air and  $\text{CO}_2$  analysis using equal concentrations of amines match the predictions, within reasonable experimental error. These experiments also prove that it is certainly possible to switch two amines with significantly different basicities at the same time using  $\text{CO}_2$  as the trigger. Under air, criterion #1 was met as all the amines remained  $<10\%$  protonated. The weakest amine, MM struggled to reach  $>90\%$  protonation simply because of its low  $\text{p}K_{\text{aH}}$  but the other 3 amines all achieved criterion #2 which  $>90\%$  protonation under  $\text{CO}_2$  in the presence of another amine.

### 3.2. Results with solutions containing an excess of the stronger base

With the effects of  $\text{p}K_{\text{aH}}$  difference established at equal concentrations, four new solutions were prepared with a 10 times excess of stronger base to observe how changing the  $\text{p}K_{\text{aH}}$  and concentration of stronger base affects each solution's pH and % protonation values. The solutions had a concentration of 0.1 M of stronger amine and 0.01 M of weaker amine and were prepared using the same method as the equal-concentration solutions. The pH of each solution was measured in triplicate immediately after preparation. The predicted and measured pH values for each solution were identical, which indicated that the model was accurate at predicting the pH these solutions under air (Table 4).

Under air, with 10 times excess of stronger amine, both amines were predicted to be mostly deprotonated in all  $\Delta\text{p}K_{\text{aH}}$  cases. The  $^1\text{H}$  NMR analysis of each solution confirmed that all solutions were below the 10% protonation cut-off; in some cases, the weaker amine was completely deprotonated as predicted (Table 4). The stronger amine in a 10 times excess dominates the solution, hindering the weaker amine's ability to become measurably protonated in some cases. The 0.1 M concentration of the stronger amine remained unchanged from the equal concentration testing and produced % protonation values similar to those samples. The experimental data matches the exact trends observed in the predictive model; an excess of the stronger amine produces a solution with an almost completely deprotonated weaker amine and mostly deprotonated stronger amine.

The 4 samples were sparged then with  $\text{CO}_2$  for 4 h using the previously established method. The pH measurements of the 10 times excess stronger base samples showed similar results to the equal concentration samples. The observed pH of each sample was within 0.1 units of the predicted values.  $^1\text{H}$  NMR spectra of the  $\text{CO}_2$  sparged samples confirmed that the experimental % protonation was similar to the predicted % protonation.

The model consistently estimates the correct pH and % protonation even when the concentration of stronger amine is 10 times greater than the weaker amine.

### 3.3. Results with solutions containing an excess of the weaker base

The model demonstrated excellent predictive accuracy with a 10 times excess of stronger amine, so the opposite scenario was

**Table 4** Predicted and measured pH and % protonation of solutions with a 10:1 ratio of stronger to weaker base under air and  $\text{CO}_2$

$\Delta\text{p}K_{\text{aH}}$	Amines in solution	Under air		Under $\text{CO}_2$	
		pH <sup>a</sup>	% protonation <sup>b</sup>	pH <sup>a</sup>	% protonation <sup>b</sup>
0.47	MM	10.4 (10.4)	0 (0)	6.8 (6.7)	80 (79)
	TEA		0 (3)		92 (93)
1.08	DMAE	11.7 (11.7)	0 (2)	6.9 (6.8)	100 (99)
	DEAP		5 (4)		100 (99)
1.93	MM	11.2 (11.2)	0 (0)	6.8 (6.8)	78 (77)
	DMAE		1 (3)		100 (100)
3.01	MM	11.7 (11.7)	0 (0)	6.8 (6.8)	78 (79)
	DEAP		5 (4)		100 (100)

<sup>a</sup> Measured at 20 °C,  $\pm 0.1$  unit. <sup>b</sup> Measured at 26 °C in a Bruker NEO 500 MHz NMR instrument,  $\pm 1\%$ . <sup>c</sup> Data in brackets is the observed value.

explored with a 10 times excess of the weaker amine to observe if the model could estimate this correctly. The 4 samples were prepared with a concentration of 0.1 M of weaker amine and 0.01 M of stronger amine using the established method. The pH of each sample was analyzed under air in triplicate and compared against the predicted value (Table 5). The observed pH again agreed with the predicted values.

With a lower concentration of stronger amine, some were predicted to have a higher than 10% protonation in some cases. At low amine concentrations, the amine's ability to become protonated increases, depending on its  $\text{p}K_{\text{aH}}$ ; in the 10 times excess of stronger amine samples, the elevated pH caused by the stronger amine prevented the weaker base from being protonated. In these excess weaker amine cases, the more strongly basic amines take priority in becoming protonated as they are more basic. The low concentration, combined with the higher  $\text{p}K_{\text{aH}}$  leads to a  $>10\%$  protonation under air (Table 5).

After the samples were sparged with  $\text{CO}_2$  for 4 h, the pH and % protonation of each solution was determined. Each of the 4

**Table 5** Predicted and measured pH and % protonation of solutions with a 1:10 ratio of stronger to weaker base under air and  $\text{CO}_2$

$\Delta\text{p}K_{\text{aH}}$	Amines in solution	Under air		Under $\text{CO}_2$	
		pH <sup>a</sup>	% protonation <sup>b</sup>	pH <sup>a</sup>	% protonation <sup>b</sup>
0.47	MM	10.3 (10.3)	0 (0)	6.8 (6.7)	81 (83)
	TEA		0 (1)		93 (92)
1.08	DMAE	11.3 (11.4)	1 (1)	6.9 (6.7)	100 (99)
	DEAP		11 (8)		100 (100)
1.93	MM	10.7 (10.7)	0 (0)	6.8 (6.7)	81 (83)
	DMAE		4 (4)		100 (100)
3.01	MM	11.2 (11.1)	0 (1)	6.8 (6.8)	81 (82)
	DEAP		15 (16)		100 (100)

<sup>a</sup> Measured at 20 °C,  $\pm 0.1$  unit. <sup>b</sup> Measured at 26 °C in a Bruker NEO 500 MHz NMR instrument,  $\pm 1\%$ . <sup>c</sup> Data in brackets is the observed value.

solutions again matched the predicted values for both pH and % protonation with reasonable accuracy. The model consistently estimates the correct pH and % protonation when the concentration of stronger amine is 10 times lower compared to the weaker amine.

## 4. Conclusions

Combining the protonation equilibrium expressions of 2 different bases, a new predictive model has been generated to predict the protonation of 2 different bases under air and under  $\text{CO}_2$  in water. Using the predictive model as a guide, the simultaneous  $\text{CO}_2$  switching of two different amines in aqueous solution was experimentally determined to be possible, but with limitations. The  $\Delta pK_{\text{aH}}$  of the 2 bases can be no larger than 3 units but even with a  $\Delta pK_{\text{aH}}$  of 2 units the % protonation of the weaker amine struggles to reach >90% protonated under  $\text{CO}_2$  even when in higher concentration. In cases where excess of the stronger amine is used, the % protonation of both amines will behave similarly to a solution that has equal concentrations of both the stronger and weaker bases; there is <10% protonation under air but slightly higher % protonation of the weaker amine under  $\text{CO}_2$ . An excess of weaker base leads to a slightly higher % protonation of stronger base under air but does not lead to increased % protonation of the weaker amine when under  $\text{CO}_2$ .

The model was consistent at predicting the pH and % protonation under air and under  $\text{CO}_2$  at equal and unequal concentrations of the two bases. The experimental data obtained at equal and unequal concentrations of each base proved the trends predicted by the model. This model provides a new method for predicting the behavior of a two-base system at any concentration of each base which will be beneficial to the design of more complex  $\text{CO}_2$ -switchable systems in the future.

## Author contributions

M. Sanger: methodology, formal analysis, investigation, writing – original draft, writing – review & editing, visualization. D. Barker: methodology, validation, investigation, writing – original draft, writing – review & editing. P. G. Jessop: conceptualization, formal analysis, resources, writing – review & editing, supervision, project administration, funding acquisition.

## Conflicts of interest

One of the authors (PGJ) is an inventor but not owner of several patents or patent applications that involve  $\text{CO}_2$ -switchable materials.

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