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# Interlayer structure and dynamic properties of CTMAB–montmorillonite: experiment and molecular dynamics

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The intercalation of cetyltrimethylammonium bromide (CTMAB) into montmorillonite will cause interlayer expansion and surface charge reversal. In this study, CTMAB–Mt is prepared by adding CTMAB with different multiples of montmorillonite cation exchange capacity (CEC), and the intercalated CTMAB structural arrangement, as well as the dynamics behavior, are investigated by combining molecular dynamics (MD) simulation with experimental characterization. According to RDF analysis of MD simulations, the interaction between CTMA<sup>+</sup> and the surface of montmorillonite is mostly electrostatic interaction and hydrogen bond production. At low loading ( $\leq 1.00\text{CEC}$ ), the XRD profile exhibits a peak value corresponding to one type of intercalation structure and interlayer spacing, but at high loading ( $> 1.00\text{CEC}$ ), two peaks are visible, each of which has a fixed value but a varied strength, corresponding to the existence of two types of expanded structures. The  $d$ -spacing ( $d_{001}$ ) values obtained from MD simulations are quite close to XRD values when CTMAB loading is lower than  $1.00\text{CEC}$ . Density distribution profiles obtained from MD analysis reveal that as loading increases, CTMA<sup>+</sup> is arranged in the interlayer from a monolayer to a bilayer and then to a pseudo-trilayer. At high loadings ( $> 1.00\text{CEC}$ ), due to the fact that the excess loading leads to inhomogeneous intercalation, XRD demonstrates the existence of two different arrangements: bilayer and pseudo-trilayer. The self-diffusion coefficients of MD simulations show that the dynamic behavior of CTMA<sup>+</sup> is influenced by both the interlayer space and the electrostatic interaction of the montmorillonite clay. The abrupt rise in interlayer spacing increases mobility, whereas the increased interaction between alkyl chains decreases mobility.

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## 1. Introduction

Clays and clay minerals in the environment can act as natural barriers, preventing toxic species from migrating.<sup>1</sup> Due to its low permeability, high ductility, adsorption, and cation exchange capacity (CEC), bentonite is often used in wastewater treatment and barrier systems to reduce pollutant emissions.<sup>2</sup> Montmorillonite is the main component of bentonite. High cation adsorption, swelling capacity, and self-healing properties are the main advantages of this mineral for its effective application in engineered barriers. Isomorphic substitution of octahedra and tetrahedra sheets makes montmorillonite layers negatively charged in nature. Negative charges are usually balanced by hydrated inorganic cations (usually Na<sup>+</sup> and Ca<sup>2+</sup>) between layers and surfaces.<sup>3</sup> Montmorillonite has a low adsorption capacity for anionic and non-polar compounds due

to its negatively charged surface and hydrophilicity.<sup>4</sup> Modification is necessary to improve the adsorption performance of these anionic or non-polar compounds by using different modifiers. So far, numerous attempts have been made to improve the adsorption efficiency of clay-based adsorbents, including organic modification,<sup>5</sup> acid activation,<sup>6</sup> calcination,<sup>7</sup> and magnetization supported by magnetic nanoparticles.<sup>8</sup>

Among all, organic modification has attracted considerable attention for eliminating organic and inorganic contaminants from wastewater.<sup>9</sup> The interlayer cations (usually Na<sup>+</sup>, K<sup>+</sup>, and Ca<sup>2+</sup>) of clay minerals can be easily exchanged by surfactants or polymers to synthesize organoclays with hydrophobic and organophilic characteristics. By selecting suitable organic surfactants and clay minerals and controlling the loading of organic modifiers, materials can be prepared with desired properties, such as increased retention capacity for anionic and non-polar compounds.<sup>3,10–12</sup> The adsorption capacity and surface properties of montmorillonite were greatly affected by different types of modifiers and the loading of modifiers. The exchange of interlayer cations leads to changes in the interlayer space dimension, surface charge and wettability, and swelling pressure. The modification not only changed the surface

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properties of the clay but also affected the arrangement of the clay mineral layers, the microstructure of the particles, and thus the characteristics of the pores. The addition of organic cations to the clay structure can significantly alter its physical and chemical properties (such as adsorption capacity, wettability, porosity, or diffusivity).<sup>13</sup> Quaternary ammonium cations (QACs) are the most widely used organic surfactants for clay modification.<sup>14</sup> Structural change is the essential factor that affects the properties of clay, such as the diffusion transport process, which is affected by the surface composition and properties of materials in the clay barrier with low hydraulic conductivity.<sup>15</sup> Therefore, it is an important issue to study the interfacial interaction and structural arrangement of organic clay at the nanoscale in the application of organic clay to environmental protection.

Due to the fine particle size and complex chemical composition of clays, it is difficult to obtain detailed information on the interlayer structure and the atomic local environment of organoclays from experimental measurements. Most of the experimental studies on organoclay have focused on its properties and structures, especially the changes in the interlayer structure. Advanced microscopy techniques such as scanning electron microscopy (SEM) and atomic force microscopy (AFM) are used for the detailed morphological characterization of organoclays.<sup>16</sup> X-ray diffraction measurements have shown that the interlayer microstructure is affected by both the charge density of the clay layers and the alkyl chain length of the alkylammonium ions.<sup>17,18</sup> Based on an all-trans configuration of surfactant after intercalation, monolayer, bilayer, pseudo-trilayer, and paraffin-monolayer and paraffin-bilayer<sup>19–21</sup> are unrealistic. Vaia *et al.*<sup>20</sup> showed on the basis of Fourier transform infrared spectroscopy (FTIR) that alkyl chains can vary from liquid like phase to solid like phase, while constrained amine chains are in varying degrees of ordered conformations. Furthermore, <sup>13</sup>C magic-angle spinning nuclear magnetic resonance (<sup>13</sup>C MAS NMR) demonstrates that there is an extensive coexistence of gauche and trans conformers and that the complete liquidlike state does not exist.<sup>22</sup> So the results of microscopic characterization only provide an average state of molecular arrangement and interlayer structure and cannot accurately describe the microscopic mechanism of interlayer structure and the interaction between the surfactant and the clay surface.

In recent years, molecular simulations have been widely used in the study of organoclays to explore detailed information on molecular arrangements and layering structures. The simulation results not only provide complementary evidence to the experimental results but also provide new insights into the microstructure of organoclays, especially thermodynamic and dynamic information at the atomic level.<sup>23–25</sup> In addition to the

monolayer, bilayer, and pseudo-trilayer structures proposed by the structural model, a pseudo-tetralayer structure was observed by MD simulations in the double alkyl chain modified organoclays,<sup>26</sup> which were not discussed in previous experimental results. This means that the real structure of the organoclay is probably a lot more complicated than the model that was made based on measurements.

In this paper, cetyltrimethylammonium bromide (CTMAB) is selected as one of the most easily available QACs surfactants to synthesize organoclay, and the intercalated CTMAB structural arrangement and dynamics behavior are investigated. Characterization analysis and MD simulations will be carried out to investigate the modification mechanism, interlayer structure arrangement, and diffusion characteristics of interlayer species. MD simulations consider the effects of different loading on interface interactions and interlayer structure arrangement, providing atomic-level structural and dynamic information for CTMAB–Mt and establishing its basic structure as an effective adsorbent for pollutants.

## 2. Materials and methods

### 2.1. Materials

The montmorillonite (Na–Mt) was purchased from Liancheng, Fujian Province, P. R. China (primary Na form, purity >75%). The cation exchange capacity (CEC) is 83.69 cmol kg<sup>−1</sup>. The main chemical components are shown in Table 1. Cetyltrimethylammonium bromide (C<sub>19</sub>H<sub>42</sub>BrN, CTMAB) was of analytical grade and obtained from Shanghai Chemical Co., China. The structure of CTMAB is shown in Fig. 1.

### 2.2. Preparation of CTMAB–Mt

The CTMAB–Mt was prepared as follows: 10.0 g of montmorillonite was dispersed in 100 mL of distilled water and sonicated for 10 min to dissolve completely. Then, based on the CEC value of the Mt, a certain amount of CTMAB was added to the montmorillonite suspensions at 40 °C. The suspensions were stirred at 60 °C for 2 h. Subsequently, the products were separated by centrifugation and washed with deionized water 3–5 times until free of bromide. All products were dried for 12 hours at 105 °C and triturated into fine powders through a 200-mesh sieve. The sample was labeled as *n*CTMAB–Mt (*n* represents a multiple of CEC, *n* = 0.33, 0.66, 1.00, 1.33, 1.66, 2.00, and 2.66).

### 2.3. Characterization

The chemical composition of the Na–Mt was determined by the X-ray fluorescence (XRF) method on the X-ray fluorescence spectrometer, Rigaku ZSX Primus. Small-angle X-ray diffraction

Table 1 The chemical composition of Na–Mt (%)

SiO <sub>2</sub>	Al <sub>2</sub> O <sub>3</sub>	Fe <sub>2</sub> O <sub>3</sub>	CaO	Na <sub>2</sub> O	MgO	K <sub>2</sub> O	TiO <sub>2</sub>	P <sub>2</sub> O <sub>5</sub>	SO <sub>3</sub>
62.839	16.337	5.817	5.399	3.614	3.224	1.331	1.331	0.255	0.136



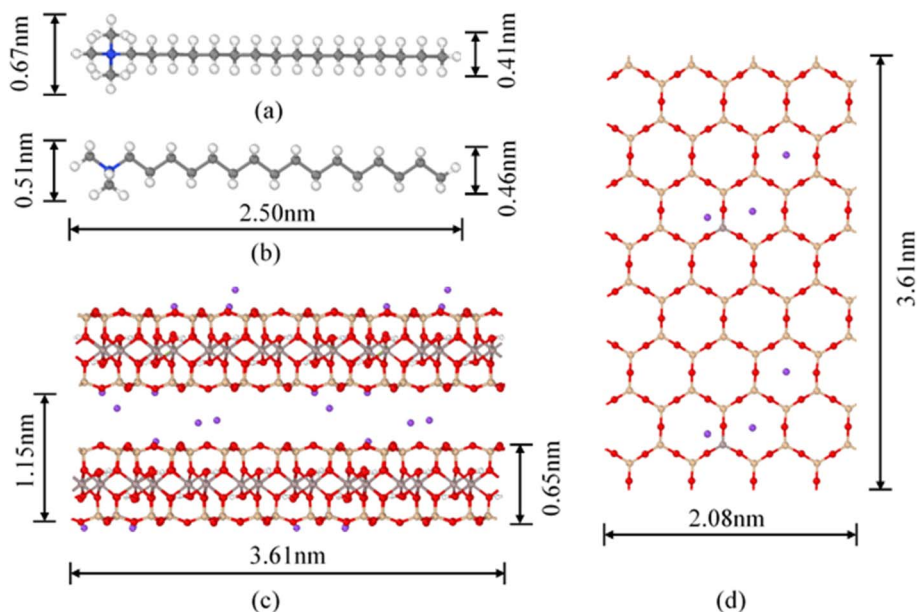


Fig. 1 Molecular conformation of CTMA<sup>+</sup> and montmorillonite structure ( $4 \times 4 \times 2$  supercell): (a) planform view of CTMA<sup>+</sup>; (b) side elevation of CTMA<sup>+</sup>; (c) side elevation of Na-Mt; (d) planform view of Na-Mt; blue spheres = N; grey spheres = C; white spheres = H; red spheres = O; purple spheres = Na<sup>+</sup>.

tests were carried out on a Rigaku Smartlab SE with a Cu-K $\alpha$  ( $\lambda = 0.154$  nm) X-ray source at 40 kV and 40 mA. The scanning test range is  $1.5^\circ$  to  $10^\circ$  ( $2\theta$ ), and the scanning rate is  $1^\circ \text{ min}^{-1}$ . FTIR spectra were recorded in the  $4000\text{--}400$   $\text{cm}^{-1}$  region on an Affinity-1S spectrophotometer using the KBr compression method. The surface morphology of the sample was observed under a scanning electron microscope (TESCAN MIRA LMS) after it was coated with gold thin films. The zeta values of Na-Mt and of CTMAB-Mt were obtained by using a Malvern Nano-ZS90.

### 3. Computational details

#### 3.1. Simulation model

Montmorillonite, the main component of bentonite, is a 2:1 octahedral phyllosilicate. The clay model used in our simulations is a Wyoming-type Montmorillonite, with the unit cell formula  $\text{Na}_{0.75}(\text{Si}_{7.75}\text{Al}_{0.25})(\text{Al}_{3.5}\text{Mg}_{0.5})\text{O}_{20}(\text{OH})_4$ .<sup>27</sup> The montmorillonite model has  $\text{Al}^{3+} \rightarrow \text{Mg}^{2+}$  and  $\text{Si}^{4+} \rightarrow \text{Al}^{3+}$  substitutions in the octahedral and tetrahedral layers, and the isomorphic substitutions obey the Loewenstein rule ( $-0.75$  e per unit cell). The theoretical cation exchange capacity (CEC) for this composition is  $103 \text{ cmol kg}^{-1}$ , which is comparable with the experimental CEC ( $83.69 \text{ cmol kg}^{-1}$ ) of the montmorillonite used in the organoclay preparation. The models used in MD simulations include a model of montmorillonite layers, CTMA<sup>+</sup> organic cations (Fig. 1) and Br<sup>−</sup>. The initial cell, used for the preparation of models, contains two montmorillonite layers based on a  $4 \times 4 \times 2$  supercell. Each slab contains 16 unit cells ( $4 \times 4 \times 1$ ) and  $-12$  e charges. In order to facilitate the insertion of CTMA<sup>+</sup> cations between the layers, the montmorillonite layers were extended by  $60 \text{ \AA}$ , which resulted in an expansion of

the simulation cell to  $20.80 \times 36.06 \times 143.1 \text{ \AA}$ . Considering the possible arrangement of CTMA<sup>+</sup> between layers, the structural model of the CTMA<sup>+</sup> organic cations was distributed between layers in an all-trans configuration with the lowest energy. Seven models of CTMAB-Mt organoclays were created to investigate the effect of the loading level intercalation structure. The CTMA<sup>+</sup> cations were perpendicular to the layer surface, with the head groups toward the montmorillonite surface, and distributed uniformly on the surface in a bilayer arrangement. In 1.00CTMAB-Mt, interlayer Na<sup>+</sup> cations were fully replaced by CTMA<sup>+</sup>. At other loading levels, the charge was balanced by introducing Na<sup>+</sup> or Br<sup>−</sup> ions between the layers. Table 2 shows the contents of interlayer species with different surfactant loading levels.

#### 3.2. Simulation details

The CLAYFF force field is a general force field for clay minerals that has been proven to be suitable for the simulation of

Table 2 Ion contents of the simulation system based on a  $4 \times 4 \times 2$  supercell under different loadings

Loading levels	$\text{Na}_{0.75}(\text{Si}_{7.75}\text{Al}_{0.25})(\text{Al}_{3.5}\text{Mg}_{0.5})\text{O}_{20}(\text{OH})_4$		
	Na <sup>+</sup>	CTMA <sup>+</sup>	Br <sup>−</sup>
0.33CEC	16	8	0
0.66CEC	8	16	0
1.00CEC	0	24	0
1.33CEC	0	32	8
1.66CEC	0	40	16
2.00CEC	0	48	24
2.66CEC	0	64	40



multicomponent mineral systems.<sup>28</sup> The most significant advantage of CLAYFF is the use of a more reasonable partial atomic charge calculated by the density functional to replace the complete atomic charge, which could adapt to the charge balance method and avoid generating excessive electrostatic potential. The CVFF is a generalized valence force field that can be used to model amino acids and small organic structure molecules.<sup>29</sup> To describe the interaction between the mineral surface and CTMAB, a combination of CLAYFF and CVFF force field was used. The combined force field maintained the structures of the different phases and also guaranteed flexibility and full interactions between the phases. It has been successfully used in the simulations of mineral–organic interfaces and validated in the simulations of alkylammonium intercalated montmorillonite.<sup>30</sup>

The total energy of the simulated system included coulombic interaction, van der Waals interaction, and bonded interaction. The total potential energy for the system can be calculated by eqn (1) (more details are in Table 3).

$$E_{\text{total}} = E_{\text{VDW}} + E_{\text{coulombic}} + E_{\text{bond\_stretch}} + E_{\text{angle\_stretch}} + E_{\text{torsion}} \quad (1)$$

The first two terms of the total energy contributed were the Lennard-Jones potential (12–6 potential) and coulombic potential energy terms, and the sum of them represented the noncovalent interaction that is universal for two atoms. These parameters for all nonbonding and bonding are collected in Tables 4–6.

In this study, all MD simulations were performed with the Large-scale Atomic/Molecular Massively Parallel Simulator (LAMMPS) software.<sup>32</sup> Periodic boundary conditions were imposed on the three dimensions so that clay minerals basal surfaces were in contact with the organic cations. To obtain the trajectories, the Newton equations of motion were integrated numerically using the velocity Verlet algorithm with a time step of 1.0 fs. The short-range van der Waals and coulombic interactions were truncated using 10.0 Å and 12.0 Å cutoffs, respectively. Long-range coulombic electrostatic interactions were computed using Ewald<sup>33</sup> summation. During the simulations,

Table 3 Energy terms of combined force field<sup>a</sup>

Energy term	Potential term	Equation	Interacting atoms	Applied to
van der Waals	Lennard-Jones (12–6)	$E_{\text{VDW}} = 4\epsilon_{ij} \sum_{i \neq j} \left[ \left( \frac{\sigma_{ij}}{r_{ij}} \right)^{12} - \left( \frac{\sigma_{ij}}{r_{ij}} \right)^6 \right]$	2	Any 2 atoms
Coulombic	Coulombic	$E_{\text{coul}} = \frac{e^2}{4\pi\epsilon_0} \sum_{i \neq j} \frac{q_i q_j}{r_{ij}}$	2	Any 2 pairs
Bond stretch	Harmonic	$E_{\text{bond-stretch}} = k_1 (r_{ij} - r_0)^2$	2	O–H bond; CTMA <sup>+</sup>
Angle bend	Harmonic	$E_{\text{angle-bond}} = k_2 (\theta_{ijk} - \theta_0)^2$	3	CTMA <sup>+</sup>
Torsional	Harmonic	$E_{\text{torsion}} = k_3 [1 + d \cos(n\phi)]$	4	CTMA <sup>+</sup>

<sup>a</sup> Where:  $\sigma_{ij}$  and  $\epsilon_{ij}$  are the Lennard-Jones size parameters and well-depth, respectively. Lorentz-Bertholet combining rule is used in the Lennard-Jones parameters calculation;<sup>31</sup>  $e$  is the charge of electron;  $\epsilon_0$  is dielectric permittivity of vacuum;  $q_i$  and  $q_j$  are the partial charges of atom  $i$  and  $j$ ;  $r_{ij}$  is the distance between atoms  $i$  and  $j$ .  $r_0$  and  $\theta_0$  are the equilibrium values of radius and angle;  $k_1$ – $k_3$  are the prefactors;  $d = \pm 1$ ,  $n$  is an integer.

Table 4 Lennard-Jones parameters applied in this work

Species	Symbol	Charge ( $e$ )	$D_0$ (kcal mol <sup>−1</sup> )	$\sigma_0$ (Å)
Hydroxyl hydrogen	Ho	0.425		
Hydroxyl oxygen	Oh	−0.95	0.1554	3.1655
Bridging oxygen	Os	−1.05	0.1554	3.1655
Bridging oxygen with octahedral substitution	Obos	−1.1808	0.1554	3.1655
Bridging oxygen with tetrahedral substitution	Obts	−1.1688	0.1554	3.1655
Bridging oxygen with double substitution	Obss	−1.2996	0.1554	3.1655
Hydroxyl oxygen with substitution	Ohs	−1.0808	0.1554	3.1655
Tetrahedral silicon	St	2.1	$1.8405 \times 10^{-6}$	3.3020
Octahedral aluminum	Ao	1.575	$1.3298 \times 10^{-6}$	4.2712
Tetrahedral aluminum	At	1.575	$1.8405 \times 10^{-6}$	3.3020
Octahedral magnesium	Mgo	1.36	$9.0298 \times 10^{-7}$	5.2643
Sodium ion	Na	1	0.1301	2.3500
Ammonium N	N	−0.68	0.1670	3.5012
Methyl carbon–CH <sub>3</sub>	C3	(−0.3, 0.12)	0.0390	3.8754
Organic hydrogen	H	0.1	0.0380	2.4500
Alkyl carbon–CH <sub>2</sub>	C2	(−0.2, 0.22)	0.0390	3.8754
Bromide	Br	−1	0.09	4.6238



**Table 5** Bond stretch and angle bend parameters of harmonic potential applied in this work

Bond stretch				
Species <i>i</i>	Species <i>j</i>		$k_1$ (kcal mol <sup>−1</sup> Å <sup>−2</sup> )	$r_0$ (Å)
Oh	Ho		554.1349	1
Oh	Ho		554.1349	1
N	C3		356.5988	1.47
N	C2		356.8988	1.47
C3	H		340.6175	1.105
C2	C2		322.7158	1.526
C2	H		340.6175	1.105
C3	C2		322.7158	1.526
Angle bend				
Species <i>i</i>	Species <i>j</i>	Species <i>k</i>	$k_2$ (kcal mol <sup>−1</sup> rad <sup>−2</sup> )	$\theta_0$ (deg)
C3	N	C3	86.3	112
C3	N	C2	86.3	112
N	C3	H	57.3	109.5
H	C3	H	39.5	106.4
N	C2	C2	50	109.5
N	C2	H	57.3	109.5
C2	C2	H	44.4	110
H	C2	H	39.5	106.4
C2	C2	C2	46.6	110.5
C3	C2	C2	46.6	110.5
C3	C2	H	44.4	110
C2	C3	H	44.4	110

**Table 6** Torsional parameters of harmonic potential applied in this work

Torsional						
Species <i>i</i>	Species <i>j</i>	Species <i>k</i>	Species <i>l</i>	<i>K</i> (kcal mol <sup>−1</sup> )	<i>d</i>	<i>n</i>
C3	N	C3	H	0.0889	1	3
C2	N	C3	H	0.0889	1	3
C3	N	C2	C2	0.0889	1	3
C3	N	C2	H	0.0889	1	3
N	C2	C2	C2	0.1581	1	3
N	C2	C2	H	0.1581	1	3
C2	C2	C2	H	0.1581	1	3
H	C2	C2	H	0.1581	1	3
C2	C2	C2	C2	0.1581	1	3
C3	C2	C2	C2	0.1581	1	3
C3	C2	C2	H	0.1581	1	3
H	C3	C2	C2	0.1581	1	3
H	C3	C2	H	0.1581	1	3

the montmorillonite slab was kept rigid and only the inner hydroxyl groups were allowed to move to reduce the errors caused by the “frozen” approach. After the initial configurations, energy minimization was performed using the conjugate gradient method to eliminate unreasonable contacts. The temperature and pressure were controlled using the Nose–Hoover<sup>34</sup> thermostat and Hoover<sup>35</sup> barostat method, respectively. First, the microcanonical ensemble (NVE) was performed

for 0.1 ns at 298 K to relax the system. Then isothermal-isobaric ensemble (NPT) simulations were performed to achieve equilibrium in 2.5 ns and the last 0.5 ns to record the basal spacing at 298 K and 1 atm. Finally, a further 1 ns canonical ensemble (NVT) simulation was performed following the previous 2.5 ns NPT simulation to obtain the interlayer space structures and dynamics properties at 298 K.

### 3.3. MD calculations

The spatial distribution of interlayer species is represented by the atomic density profiles along the *z* direction, which are averaged over the NVT trajectories. By taking the plane defined by the average bottom surface O positions as the origin of *z*, the  $\rho(z)$  for the system can be calculated by eqn (2).

$$\rho(z) = M \frac{(z - \Delta z/2, z + \Delta z/2)}{\Delta z \times S} \quad (2)$$

where  $M(z - \Delta z/2, z + \Delta z/2)$  is the average mass of atoms occurring in the interval of  $(z - \Delta z/2, z + \Delta z/2)$  ( $\Delta z = 0.25$  Å in this study).

Radial distribution function (RDF) can provide structural information about ions between interlayers, which is beneficial to understanding the aggregation state of substances. The bonding behaviors of the interlayer species in the CTMAB–Mt can be explored based on their RDF and coordination numbers (CN). It was calculated according to eqn (3).

$$g_{ij}(r) = \frac{1}{4\pi\rho^2} \frac{dN}{dr} \quad (3)$$

where  $\rho$  = number density of species *j*,  $dN$  = average number of *j* in the range of *r* to *r* + *dr* from *i*. The average number of atoms in this coordinated shell (CN) of atoms of type *j* at a distance around atoms of type *i* is given by the area under the peak and is obtained by integrating  $g_{ij}(r)$  immediately from before to after the peak.

As an important parameter for kinetic analysis, the motion characteristics of the ions and solvent molecules are usually evaluated by the mean square displacement (MSD) evolution, which is the statistical mean of the particle trajectory with time. Using the mean square displacement, the self-diffusion coefficient can be calculated from the following Einstein relation:<sup>36</sup>

$$D_a = \frac{1}{6t} [\vec{r}_i(t) - \vec{r}_i(0)]^2 \quad (4)$$

where  $D_a$  is the self-diffusion coefficient of atom *i*,  $\vec{r}_i(t)$  is the centroid position of atom *i* at the time of *t*, and  $\vec{r}_i(0)$  is the centroid position of atom *i* at the time of 0. The self-diffusion coefficient could be calculated from the slope of a linear regression between MSD and time.

## 4. Results and discussions

### 4.1. CTMA–Mt modification mechanism

The morphological characteristics of montmorillonite particles are extremely influenced by the inhibitive potential of their environment. It is generally proved that Na–Mt layers normally aggregate face-to-face before hydrating. Na–Mt (Fig. 2a) has





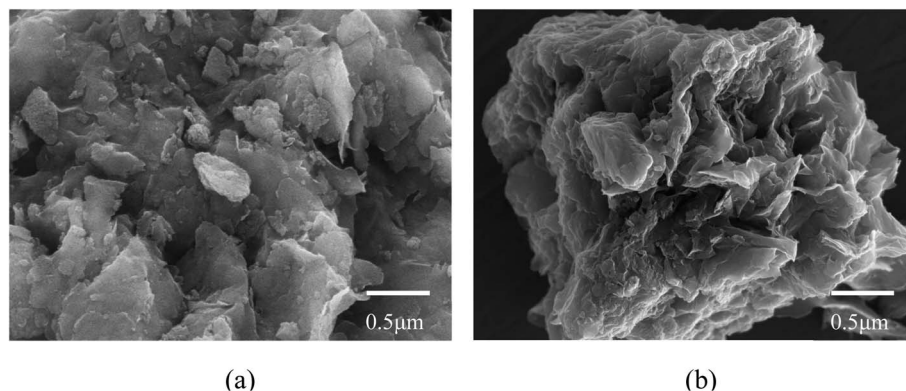


Fig. 2 The SEM images of montmorillonite and CTMAB-Mt: (a) Na-Mt; (b) 1.00CTMAB-Mt.

a smooth lamellar structure. In contrast, the CTMAB-Mt (Fig. 2b) has obvious layered curls and folds, which may affect the adsorbability.

Zeta potential can show the charges at the interface of montmorillonite particles and their corresponding aqueous solution. It can be seen from Fig. 3 that Na-Mt has a zero electrical potential (Pzc) at pH = 2 and remains negatively charged at other pH values due to the large number of isomorphic substitutions in octahedral and tetrahedral sheets. Due to the CTMAB modification, the surface charge is reversed to positive at acidic conditions for CTMAB-Mt when compared to Na-Mt. While at alkaline condition, the CTMAB-Mt pose a negatively charge surface, but with a lower charge density than that for Na-Mt. The Pzc of CTMAB-Mt is between pH = 6 and 8, and the zeta potential of CTMAB-Mt changes from a negative value (−11.43 mV) to a positive value (6.56 mV) at pH = 6. That is because the surface and interlayer cations of montmorillonite are exchanged by CTMA<sup>+</sup> cations, and the large potential difference is mainly dependent on the cation exchange between layers. The positive zeta potential of CTMAB-Mt increased the

adsorption capacity of anions. The zeta potential of montmorillonite is determined by both the permanent negative surface charge and the pH-dependent edge charge. The zeta potential of Na-Mt and CTMA-Mt gradually decreases with the increase in pH value due to the edge charge of clay changes from positive to negative as the pH increases. The hydroxyl group (Al/Si-OH) present at the edge of the montmorillonite particle can gain or lose a proton, which creates an additional pH-dependent contribution to the surface charge.<sup>37,38</sup>

The FTIR spectra of Na-Mt and CTMAB-Mt clearly confirm the successful intercalation of CTMAB chains into the interlayer space of montmorillonite (Fig. 4). Characteristic absorption bands appear in the Na-Mt and CTMAB-Mt sample at 3627 cm<sup>−1</sup> (−OH stretching of Al, Mg(OH)), 1033 cm<sup>−1</sup> (stretching vibration of Si-O-Si), and 518 cm<sup>−1</sup> (bending vibration band of Si-O). The existence of the above three peaks indicates that the crystalline structure of Na-Mt has not changed after modification. The broad absorption bands at 1644 cm<sup>−1</sup> and 3420 cm<sup>−1</sup> are assigned to the −OH bending vibration and stretching vibration of water absorbed by the Na-Mt interlayer. Peak weakening at 3420 cm<sup>−1</sup> is observed in the FTIR spectra (Fig. 4a) of CTMAB-Mt, suggesting the surface properties of Na-Mt had been changed from hydrophilic to hydrophobic by modifying it with CTMAB. All CTMAB-Mt samples show additional absorption bands at 2926 and 2853 cm<sup>−1</sup> (asymmetric and symmetric stretching vibrations of −CH<sub>2</sub>−) and at 1473 cm<sup>−1</sup> (bending vibrations of C-H of the methyl group of the ammonium groups), evidencing the incorporation of CTMAB into the structure of the clay. With increasing the CTMAB loading, the peak intensity and peak area of the CTMAB-Mt related absorption bands at 2926 and 2853 cm<sup>−1</sup> shift toward lower frequencies (Fig. 4b), suggesting a transition from a disordered liquid like conformation of CTMAB alkyl chains at low loadings to a more ordered state at high loadings where the modifier alkyl chains exhibit well-aligned trans conformations.<sup>39</sup>

The interactions between CTMAB and Na-Mt surfaces in the CTMAB-Mt can be quantified based on their radial distribution functions (RDF) and coordination numbers (CN). Fig. 5 illustrates the curves of the RDF of the surface Os of the clay silicate layer around ammonium N, surface Os around alkyl C2, surface

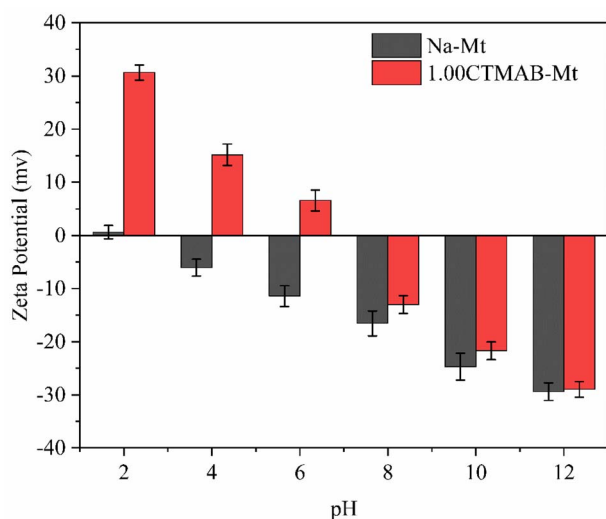


Fig. 3 The zeta potential of Na-Mt and 1.00CTMAB-Mt at different pH values.

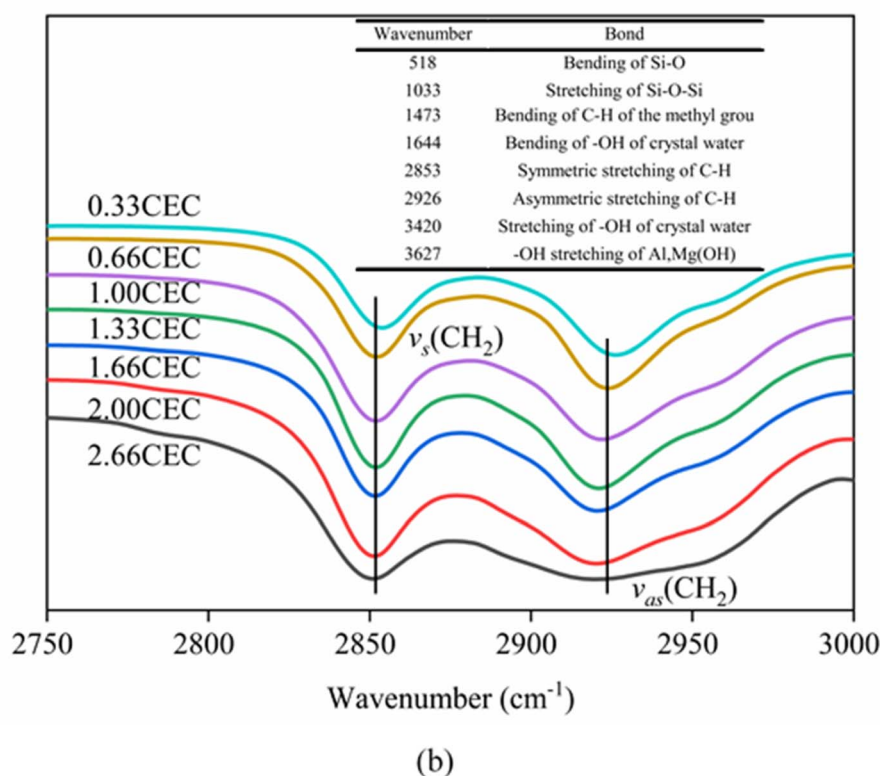
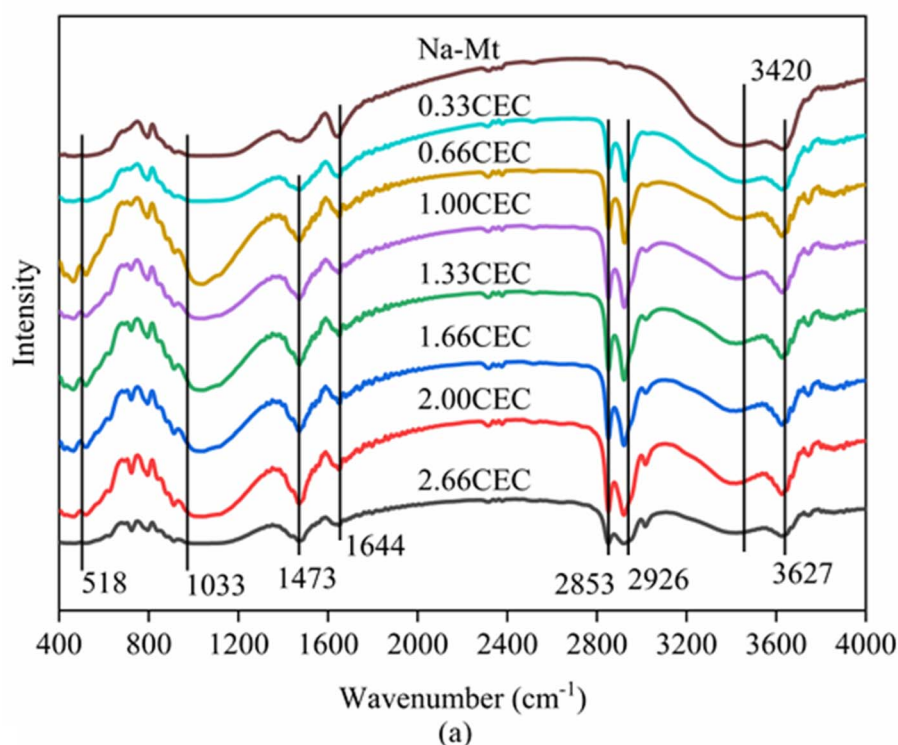


Fig. 4 FTIR spectra of Na-Mt and CTMAB-Mt: (a) the region of 400–4000  $\text{cm}^{-1}$ ; (b) the region of 2750–3000  $\text{cm}^{-1}$ .

Os around methyl C3 and surface Os around hydrogen. The  $g_{\text{N-Os}}(r)$  curves show the first peak at near 4.1–4.62 Å in all loadings and the average CN of N–Os are about 12 in 0.33CEC and 6 in other loadings, indicating that ammonium N all locate above

the surface six-member rings and coordinate with surface Os (Fig. 6). Because methyl C3 is attached to ammonium N as the entire head group, the RDF for C3–Os is similar to that of N–Os, with the first peak located near 3.54–3.66 Å in all loadings. The

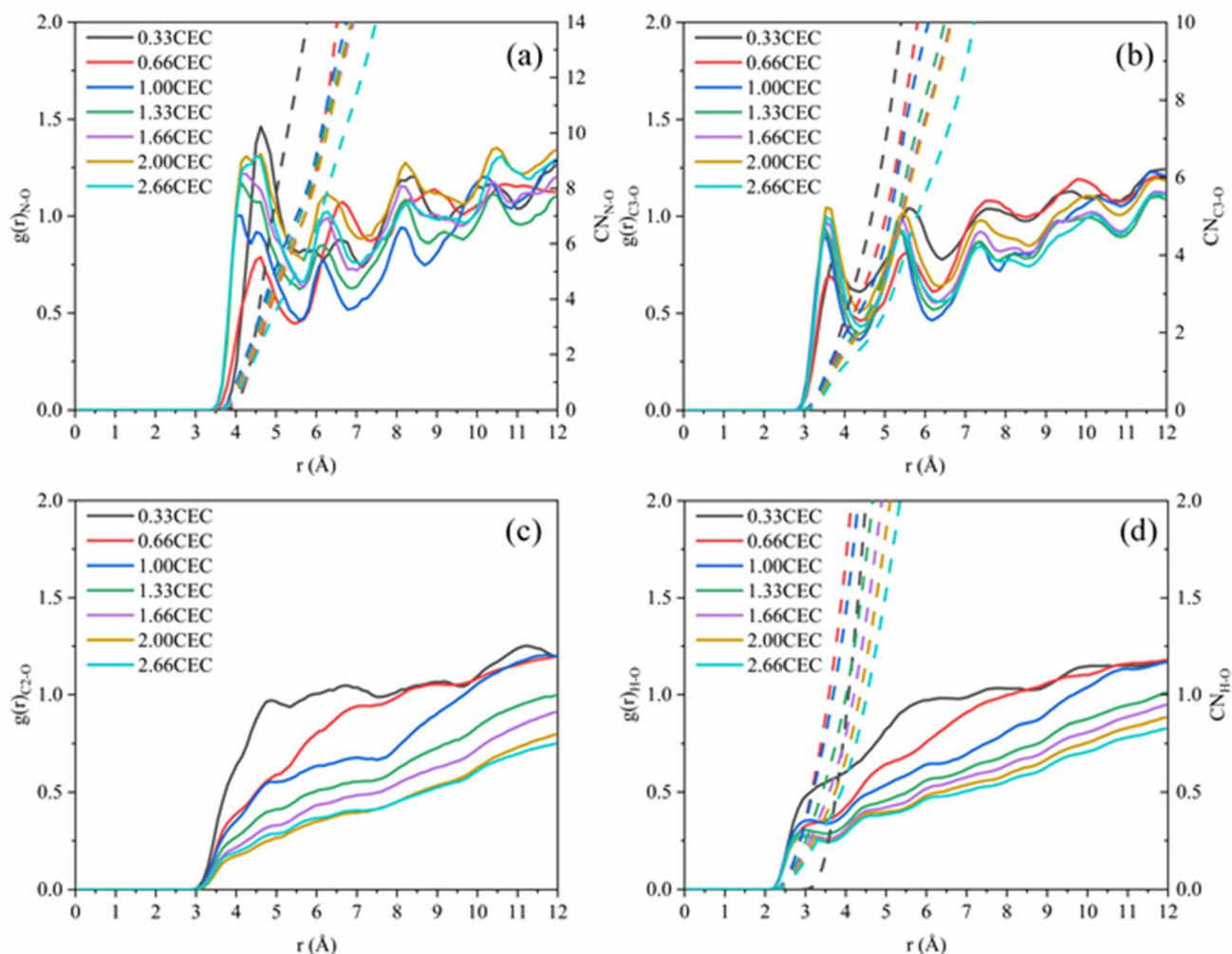


Fig. 5 Radial distribution functions: (a)  $g(r)_{N-Os}$ ; (b)  $g(r)_{C3-Os}$  ( $-CH_3$ ); (c)  $g(r)_{C2-Os}$  ( $-CH_2$ ); (d)  $g(r)_{H-Os}$ .

$g(r)_{C2-Os}$  curves only show one peak at 0.33CEC and no peaks at other loading levels. It can be inferred that  $CTMA^+$  organic cations are strongly affected by the upper and lower silicate surfaces, and the migration between layers is mainly horizontal. The limitation of longitudinal displacement allows the coordination to peak at 4.86 Å. The RDF for H-Os in CTMAB has no distinct peaks at 0.33 and 0.66CEC, while the first peak appears at 3.06 Å at other loadings. At 0.33 and 0.66CEC,  $CTMA^+$  is strongly attracted by the upper and lower silicate surfaces, which makes the  $CTMA^+$  farther away from the surface of

montmorillonite than other loadings. It is consistent with the  $g_{N-Os}(r)$  results which the first peak appears at 4.62 Å at 0.33 and 0.66CEC, and at about 4.14 Å for other loadings. In general,  $CTMA^+$  and montmorillonite are mainly combined by electrostatic interaction at 0.33 and 0.66CEC, and stabilized in the interlayer by both electrostatic interaction and hydrogen bond when the loading exceeds 0.66CEC.

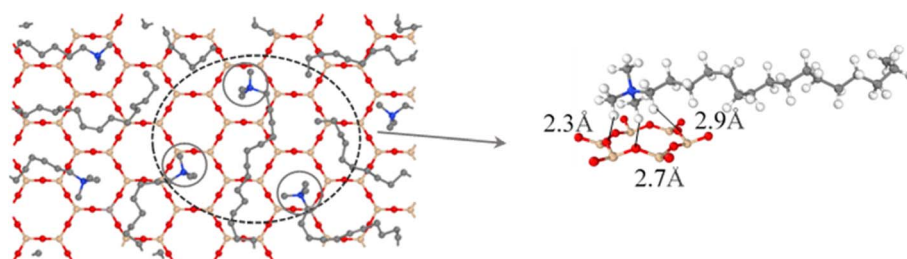


Fig. 6 Top view of the interlayer snapshot at 1.00CEC. On the left, H atoms have been removed for a better view of the head group position.



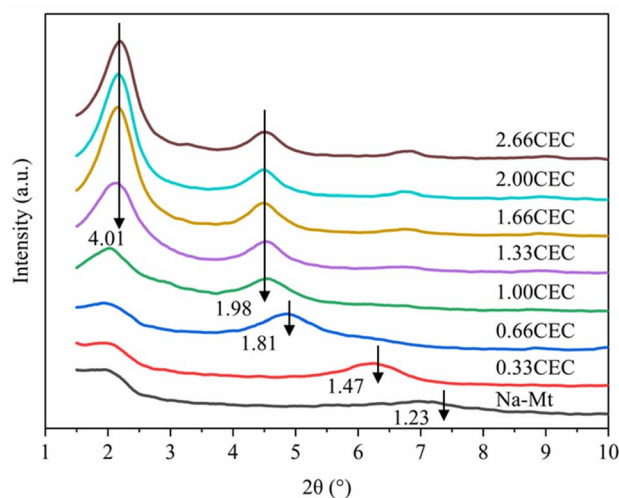


Fig. 7 XRD patterns of Na-Mt and CTMAB-Mt.

#### 4.2. Structural characterization

The X-ray diffraction results of Na-Mt and CTMAB-Mt are shown in Fig. 7. For Na-Mt, a broad peak is observed at  $2\theta = 7.17^\circ$ , corresponding to an interlayer spacing ( $d_{001}$ ) of 1.23 nm. With the addition of CTMAB, the peak positions shift gradually to lower angles, implying that the  $d_{001}$  of the CTMAB-Mt is gradually expanded with increased CTMAB loading. When CTMAB loading approaches and exceeds 1.00CEC, the XRD patterns show much sharper basal reflections and twin peaks, which indicates that the over intercalation of CTMAB resulted in two types of expanded structures with  $d_{001}$  of 1.98 nm and 4.01 nm, respectively. The peak of  $d_{001} = 1.98$  nm does not change with the increase of modifier, but the peak of  $d_{001} = 4.01$  nm becomes stronger with the increased loading. Only one peak in the XRD patterns is observed when the loading of CTMAB is below 1.00CEC, indicating that the intercalation is homogenous. Compared with lower loadings ( $\leq 1.00$ CEC), the intensity of the first peak with high loadings ( $> 1.00$ CEC) is significantly higher than the second peak, indicating a well-developed crystal structure has been formed.

The  $d_{001}$  of the experimental and simulated CTMAB-Mt are shown in Table 7. The simulation results are basically the same as the experimental results at the loading ( $\leq 1.00$ CEC). When the loading exceeds 1.00CEC, the  $d_{001}$  of the experimental

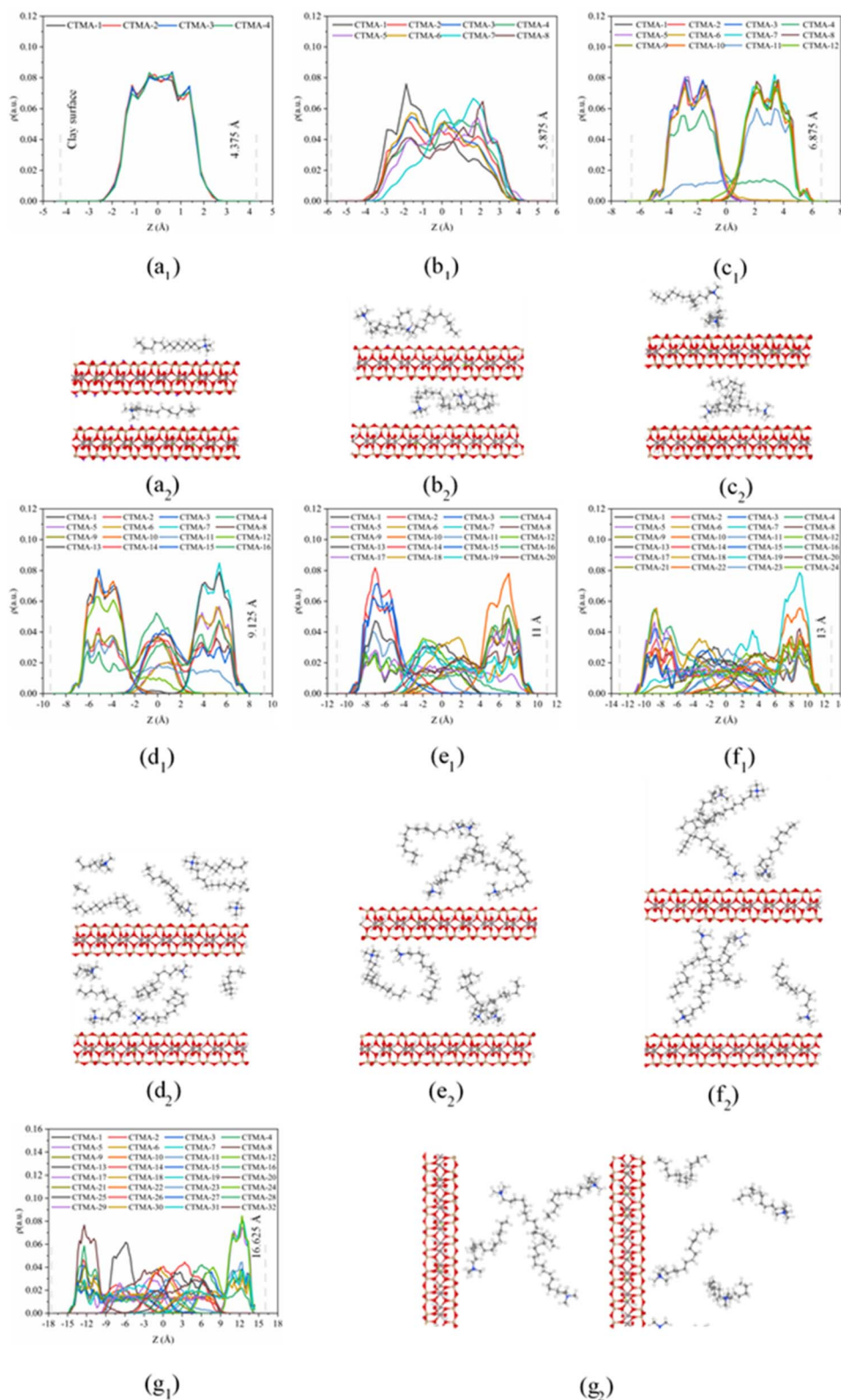
results corresponds to the simulation results under 1.00 and 2.66CEC system, which shows that CTMAB-Mt mainly exists as the interlayer loading of 1.00 and 2.66CEC. It can be seen that with the increase of the loading,  $d_{001}$  is a process of approximately linear growth from the simulation results, which is different from the experimental results at the loading ( $\geq 1.00$ CEC). That is because in the simulations, the intercalation of CTMAB was set in advance uniformly into the interlayer space of the montmorillonite. However, the amount of CTMAB intercalation between layers may not be uniform in the real intercalation process, which makes the simulation results slightly different.

On the basis of the measured basal spacing and the length of the alkyl chains, various arrangement models have been proposed for the intercalated surfactants, including monolayer, bilayer, pseudo-trilayer, paraffin-monolayer, and paraffin-bilayer.<sup>24</sup> These idealized models assume that the intercalated surfactants adopted an all-trans conformation after intercalation. To further clearly show the intercalated CTMAB structure arrangement at different loading levels, the density distribution profiles for CTMA<sup>+</sup> chains as a function of surface distance ( $Z-Z_0$ ) and the snapshots at different loading levels are shown in Fig. 8. The density distribution profiles along the  $z$  direction of CTMA<sup>+</sup> are statistically averaged under the last 0.5 ns NVT ensemble after the simulation is stabilized. There is only one clear peak for all CTMA<sup>+</sup> cations from the density distribution at 0.33CEC (Fig. 8a<sub>1</sub>), and the thickness between the occupied layers is about 5 Å, which is comparable to the thickness of the CTMA<sup>+</sup> (Fig. 1b), indicating that the CTMA<sup>+</sup> is monolayer arrangement and parallel to the silicate surface (Fig. 8a<sub>2</sub>). The CTMA<sup>+</sup> organic cations have two split peaks at 1.00CEC (Fig. 8c<sub>1</sub>), each with a width of about 5 Å, indicating that a bilayer arrangement has been formed. In addition to the CTMA<sup>+</sup> monolayer parallel to the silicate surface, it can also be observed that based on the monolayer, part of the long chain is distributed in the other layer (Fig. 8c<sub>2</sub>). The CTMA<sup>+</sup> starts to split slightly (Fig. 8b<sub>1</sub>), and the thickness increases to about 8 Å indicating that there is a transition state between monolayer and bilayer (Fig. 8b<sub>2</sub>). When the loading exceeds 1.00CEC, the CTMA<sup>+</sup> is arranged as a pseudo-trilayer. Three peaks can be clearly seen on the density distribution profiles (Fig. 8d<sub>1</sub>–g<sub>1</sub>), and the methylene group is likely to jump to the middle layer because of the existence of the intermediate peak. It can also be observed that CTMA<sup>+</sup> cations begin to tilt to the silicate surface, and the tilt angle becomes larger and larger (Fig. 8d<sub>2</sub>–g<sub>2</sub>). In

Table 7 Simulated and experimental basal spacing for CTMAB intercalated Na-Mt at different loading levels

Loading level (this work)	Simulation (Å) (this work)	Experiment (Å) (this work)	Loading level <sup>40</sup>	Experiment <sup>40</sup> (Å)
0.33CEC	14.38	14.71	0.2CEC	14
0.66CEC	16.39	18.16	0.4CEC	16
1.00CEC	19.41	19.61	0.6CEC	18
1.33CEC	23.86	19.87/40.11	1.0CEC	21
1.66CEC	27.21	19.87/40.11	1.5CEC	19/38
2.00CEC	30.82	19.87/40.11	2.0CEC	19/38
2.66CEC	38.55	19.87/40.11	2.5CEC	19/38





**Fig. 8** Density distributions ( $z_1$ ) along  $z$  direction and snapshots ( $z_2$ ) from MD simulations of CTMA<sup>+</sup>-Mt: (a) 0.33CEC; (b) 0.66CEC; (c) 1.00CEC; (d) 1.33CEC; (e) 1.66CEC; (f) 2.00CEC; (g) 2.66CEC. Blue spheres = N; grey spheres = C; white spheres = H; red spheres = O. The vertical gray dotted line shows the position of the Os atoms. To clearly show the CTMA<sup>+</sup> arrangement, only part of the CTMA<sup>+</sup> cations are selected in the snapshot.

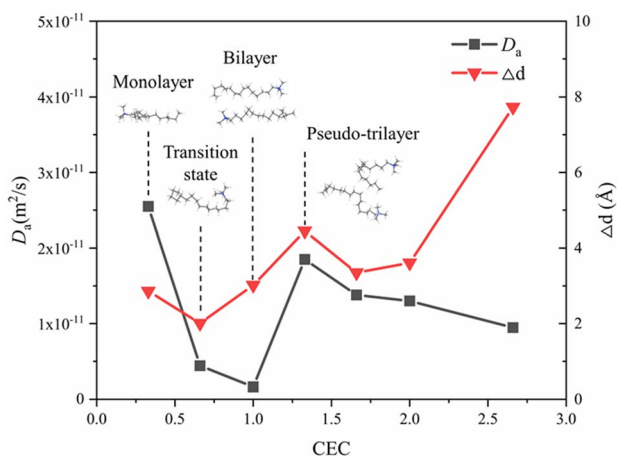


Fig. 9 Self-diffusion coefficients of CTMA<sup>+</sup> cations at different loading levels and variation of interlayer spacing of adjacent loading.

fact, there are also monolayer and paraffin type CTMA<sup>+</sup> cations in the pseudo-trilayer arrangement. With increasing addition loading, the proportion of monolayer CTMA<sup>+</sup> decreases and the paraffin type arrangement increases. Paraffin-monolayer (Fig. 8d<sub>2</sub>) and paraffin-bilayer (Fig. 8d<sub>2</sub>-g<sub>2</sub>) appear in the

pseudo-trilayer arrangement, so the pseudo-trilayer can also be considered a transition state from bilayer to paraffin type.

#### 4.3 Diffusion behavior of intercalated CTMA<sup>+</sup>

Fig. 9 shows the self-diffusion coefficient of CTMA<sup>+</sup> cations ( $D_a$ ) of different CTMAB-Mt systems and the change in interlayer spacing under adjacent loading. It can be seen that the loading of CTMA-Mt can affect the mobility of the CTMA<sup>+</sup> cations in the interlayer. From 0.33CTMAB-Mt to 1.00CTMAB-Mt, the self-diffusion coefficients of CTMA<sup>+</sup> cations gradually decrease because, when the loading is low, the number of CTMA<sup>+</sup> is small and CTMA<sup>+</sup> can diffuse freely, so the mobility is strong. Although the interlayer spacing increases as the loading increases, the CTMA<sup>+</sup> arrangement changes from monolayer to bilayer, but the interaction of the CTMA<sup>+</sup> alkyl chains is enhanced and the diffusion space is limited, so the self-diffusion coefficients decrease. The self-diffusion coefficients of CTMA<sup>+</sup> increase gradually from 1.00CTMAB-Mt to 1.33CTMAB-Mt. At this point, CTMA<sup>+</sup> interpass insertion causes the interlayer spacing to increase dramatically ( $\Delta d = 4.45 \text{ \AA}$ ). The arrangement of CTMA<sup>+</sup> changes from bilayer to pseudo-trilayer, and the diffusion space becomes larger. The self-diffusion coefficients decrease gradually from 1.33CTMAB-Mt to 2.66CTMAB-Mt because the decrease in the spacing between alkyl chains leads to an increase in dipole interaction in the

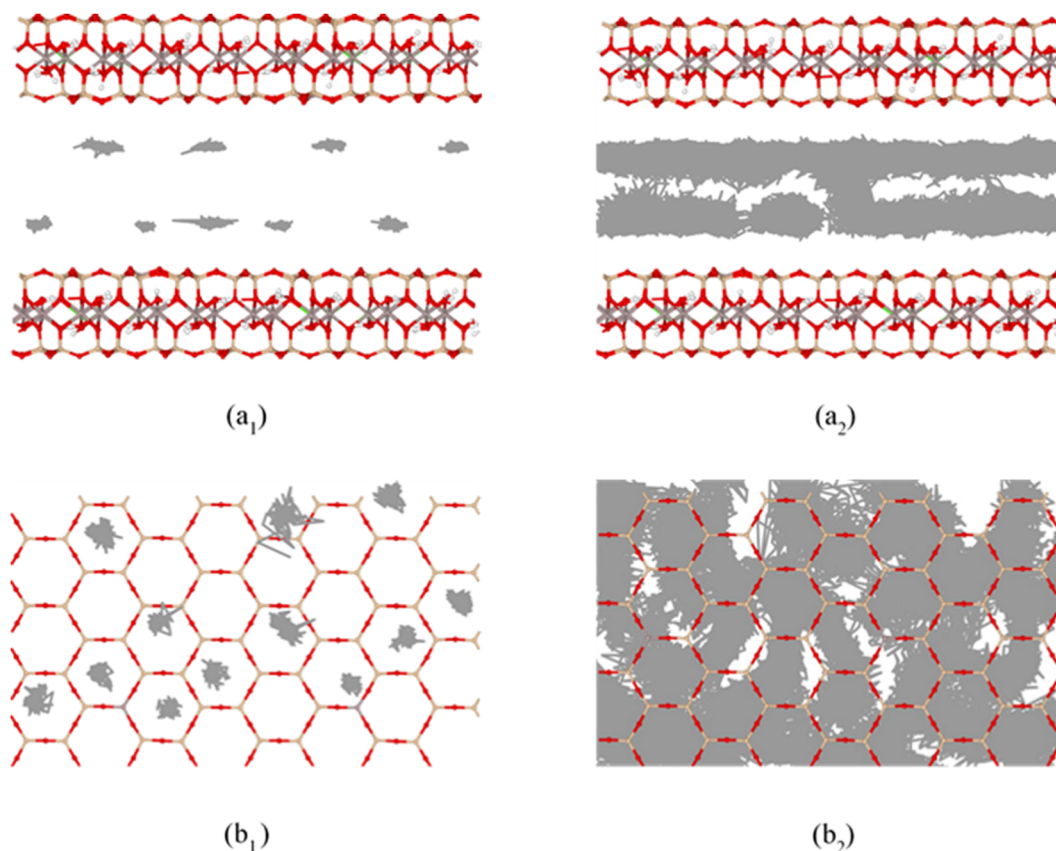


Fig. 10 Trajectories of amino N (\*<sub>1</sub>) and alkyl C2 (\*<sub>2</sub>) in CTMA<sup>+</sup> cations at 1.00CTMAB-Mt: (a) side view; (b) top view, entire trajectories trace the motion in the last 1 ns NVT ensemble.





pseudo-trilayer arrangement. The head group of CTMA<sup>+</sup> is preferentially adsorbed toward the near position of the montmorillonite surface with increasing loading because of strong electrostatic interaction. The head group of CTMA<sup>+</sup> is adsorbed to be stable on the silicate surface, while the alkyl chains have a higher mobility than the head group (Fig. 10). The head group is close to the center position above the surface six-member ring and has small mobility (Fig. 10a<sub>1</sub> and b<sub>1</sub>). The alkyl chains have a wider diffusion range in space (Fig. 10a<sub>2</sub> and b<sub>2</sub>). The organic phase formed by the aggregation of alkyl chains between layers can increase the compatibility of organic compounds. The above results show that the self-diffusion coefficient of CTMA<sup>+</sup> cations is the lowest in the bilayer arrangement. Under the pseudo-trilayer arrangement, the increase in CTMA<sup>+</sup> cations will slightly reduce the mobility.

## 5. Conclusions

Characterization techniques and MD simulations were used to investigate the intercalated CTMAB structural arrangement and dynamics behavior under different loading levels. The specific conclusions are as follows:

The successful loading of CTMAB will change the structure of montmorillonite, forming layered curls, folds, and rough particles, and the surface potential will reverse. The interaction between CTMA<sup>+</sup> and the surface of montmorillonite is mainly electrostatic interaction and hydrogen bond formation. CTMAB is successfully intercalated into the interlayer, and it is evenly intercalated into only one type of intercalated structure at low loading ( $\leq 1.00\text{CEC}$ ), while it has the existence of both bilayer and pseudo-trilayer structures at high loading ( $> 1.00\text{CEC}$ ), with  $d_{001}$  of 1.98 nm and 4.01 nm, respectively. The change in arrangement of CTMA<sup>+</sup> between layers includes monolayer, bilayer and pseudo-trilayer with increasing loading. Paraffin type CTMA<sup>+</sup> cations are found in the pseudo-trilayer arrangement. It can be considered that the pseudo-trilayer is a transition state from the bilayer to the paraffin type. The size of the diffusion space and the interaction of the alkyl chains affect the mobility of CTMAB.

## Author contributions

Wei Yang: investigation, data curation, writing – original draft, funding acquisition. Xiaohui Xia investigation, data curation, software, formal analysis, methodology, software, writing – original draft. Xueying Liu: investigation, data curation, software, formal analysis, methodology, writing – original draft. Shaoqiu Zhang: investigation, data curation, experiment.

## Conflicts of interest

The authors declare that they have no known competing financial interests or personal relationships that could have appeared to influence the work reported in this paper.

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