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# Chemical recycling to monomer: thermodynamic and kinetic control of the ring-closing depolymerization of aliphatic polyesters and polycarbonates†

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The thermodynamic equilibrium between ring-opening polymerization and ring-closing depolymerization is influenced by monomer–solvent–polymer interactions, an effect that can be utilized to promote chemical recycling to monomer. Here, the influence of monomer structure on this solvent effect has been investigated, showing that the chemical structure of the monomer influences the power of the solvent to suppress the ceiling temperature. The study also demonstrates how catalyst selectivity can be utilized to obtain selective ring-closing depolymerization of one component of a polymer blend, even when the thermodynamics dictate otherwise.

Ring-opening polymerization (ROP) and the reverse ring-closing depolymerization (RcDP) has received a great deal of attention in terms of chemical recycling and the design of closed-loop monomer–polymer systems.<sup>1–3</sup> The reversible nature of ROP opens up for chemical recycling to monomer (CRM),<sup>1</sup> which is envisioned to play an important role in the future circular polymer economy.<sup>2,4,5</sup> However, the thermodynamic control of the equilibrium between monomer and polymer makes the design of polymers for CRM *via* ROP and RcDP a constant balance between polymerizability, thermal stability and recyclability. The ROP of smaller cyclic monomers is often enthalpy driven, *i.e.* although there is an unfavourable decrease in entropy upon polymerization ( $\Delta S_p$ ), the reaction is continuous due to a favourable decrease in enthalpy ( $\Delta H_p$ ).<sup>6–8</sup> Hence, as long as the monomer concentration  $[M]$  can decrease with the total change in Gibb's free energy  $\Delta G_p < 0$ ,

$$\Delta G_p = \Delta H_p - T \left( \Delta S_p + R \ln \frac{[M]}{[M]_0} \right) \quad (1)$$

the polymerization is thermodynamically favoured and will continue to progress. When  $\Delta G_p = 0$ , the system has reached equilibrium and  $[M] = [M]_{eq}$ . With both  $\Delta H_p$  and  $\Delta S_p$  being negative,  $[M]_{eq}$  will decrease with an increasing temperature, and the temperature at which  $[M]_{eq} = [M]_0$  is therefore called the ceiling temperature ( $T_c$ ),<sup>6</sup>

$$T_c = \frac{\Delta H_p}{\Delta S_p} \quad (2)$$

Hence, for CRM *via* complete RcDP in a closed system,  $T_c$  can be considered the lowest possible recycling temperature for complete RcDP. The  $T_c$  is closely related to the structure of the monomer, and monomers with a low or moderate  $T_c$  are desirable for selective and energy efficient CRM.<sup>2,3,9</sup> One strategy when developing polymers for CRM is, therefore, to design the chemical structure of the monomer in a way that generates a desirable  $T_c$ . Some examples of when this has been utilized are the development of different fused<sup>10–12</sup> or bridged<sup>13</sup> bicyclic structures with  $\gamma$ -butyrolactone, the synthesis of  $\delta$ -lactones with different substituents,<sup>14–19</sup> or the benzyl-fused ether/thia- $\epsilon$ -lactones.<sup>20–22</sup> In the cases of the bicyclic  $\gamma$ -lactones, the ring-closed substituents function as strain inducing elements that increase the  $T_c$ . As an example, the bridged  $\gamma$ -lactone 6-oxabicyclo[3.2.1]oct-3-en-7-one has a  $T_c$  (at  $[M]_0 = 1$  M) more than 250 °C higher (118 °C)<sup>13</sup> compared to the non-substituted  $\gamma$ -butyrolactone (–136 °C).<sup>23</sup> The higher  $T_c$ , thus, enhances the polymerizability, while the recyclability is maintained. However, substitution may also be used to decrease the  $T_c$ , and thereby improve the recyclability, which is the case for the aforementioned  $\delta$ -lactones and benzyl-fused ether/thia- $\epsilon$ -lactones. Yet, to meet other material requirements without compromising the CRM, a large library of chemically recyclable polymers with varying properties has to be developed. This requires both clever monomer designs, as well as an array of RcDP methodologies. One such strategy could be to utilize external factors, factors other than the monomer structure, to manipulate the  $T_c$ .

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It is well established that the  $T_c$  decreases with a decreased  $[M]_0$ , since the entropy of the system scales with the concentration. Consequently, RCDP can be promoted by dilution. For long, this has been considered a pure effect of concentration, and cases where solvent properties have shown to influence the polymerization thermodynamics have often been treated as individual exceptions rather than a general trend. Although previous observations have indicated otherwise,<sup>24</sup> and a relationship between  $\Delta H_p$  and  $\Delta S_p$  and solvent interactions was derived over 50 years ago,<sup>25,26</sup> this has been poorly utilized in ROP, and its potential in terms of CRM is fairly unexploited. However, we were recently able to demonstrate how the solvent effects the  $T_c$ , where strong monomer–solvent interactions favoured a decrease in  $T_c$ .<sup>27</sup> This could be utilized to lower the recycling temperature of polylactide (PLA), enabling RCDP to lactide (LA) with high yield and high selectivity, suppressing unwanted side reactions like epimerization to a minimum. We have also exploited RCDP in solution for the design of chemically recyclable A–B–A block copolymers.<sup>28</sup> To create a broader and clearer picture of the solvent effect and its potential in terms of CRM, we have here analyzed the influence of solvent on the  $T_c$  of three monomers with different chemical features:  $\delta$ -valerolactone ( $\delta$ VL), trimethylene carbonate (TMC) and LA (Scheme 1). The results for TMC in propylene carbonate (PrC), and for LA in dimethyl sulfoxide (DMSO), dimethylformamide (DMF),  $\gamma$ -valerolactone (GVL), 1,4-dioxane (DX) and chlorobenzene (PhCl), were obtained in earlier studies and have previously been presented elsewhere.<sup>27,28</sup> All three monomers are six-membered cyclic structures, but with varying in-ring functionalities: carbonate (TMC), ester ( $\delta$ VL) and diester (LA). Due to their different structural features, their initial polymeriz-

ation thermodynamic properties are different. However, we hypothesized that the chemical structure of the monomer would influence its ability to interact with the surrounding solvent and, consequently, have an impact on how much the  $T_c$  is affected by the solvent properties.

The polymerization thermodynamic parameters  $\Delta H_p$  and  $\Delta S_p$  of  $\delta$ VL were calculated from equilibrium polymerizations in DMSO, DMF, GVL, DX and toluene (PhMe) (Fig. 1), and for TMC in DMSO, DMF, DX and chlorobenzene (PhCl) (Fig. 2). All reactions were performed at  $[M]_0 = 0.5$  M with 2 mol% 1,5,7-triazabicyclo[4.4.0]dec-5-ene (TBD) as catalyst (Table S1 and S2 in ESI†). The catalyst was selected based on its activity towards the monomer–polymer system,<sup>29–31</sup> to ensure the equilibrium was reached, and should not have an influence on the polymerization thermodynamics. Similar to what was previously observed for LA, the  $T_c$  of both  $\delta$ VL and TMC were highly influenced by the solvent: the  $T_c$  of  $\delta$ VL was decreased from 160 °C in PhMe (Fig. 1e) to 51 °C in DMSO (Fig. 1c) and the  $T_c$  of TMC changed from 422 °C in PhCl (Fig. 2e) to 146 °C in DMSO (Fig. 2b). Thus, the results suggest that the solvent effect on the thermodynamic equilibrium between monomer and polymer cannot be regarded as isolated cases, but rather as a general factor that influences the equilibrium conversion and should, therefore, be considered in the design of both ROP and RCDP systems. This solvent effect on the polymerization thermodynamic equilibrium was described already in the 1960s, when the Flory–Huggins solution theory,<sup>32</sup> and the interaction parameters  $X_{ms}$ ,  $X_{sp}$  and  $X_{mp}$ , were used to derive a relationship between the monomer–polymer equilibrium and the secondary interactions between monomer–solvent–polymer.<sup>25,26</sup> In the resulting Ivin–Léonard equation,

$$\frac{\Delta H_p^\circ}{RT} - \frac{\Delta S_p^\circ}{R} = \ln \phi_m + 1 + \left( X_{ms} - X_{sp} \left( \frac{V_m}{V_s} \right) \right) \phi_s + X_{mp} (\phi_p - \phi_m) \quad (3)$$

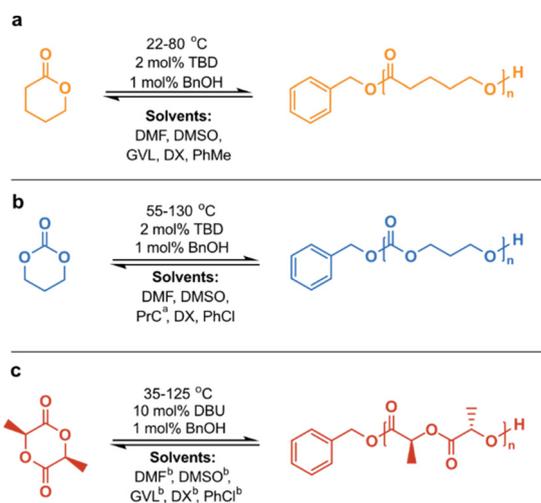
where  $V$  denotes the molar volumes, the monomer–polymer equilibrium is described by the equilibrium volume fractions  $\phi_m$  and  $\phi_p$ , while the concentration is given by their relation to the volume fraction of the solvent  $\phi_s$ ,

$$\phi_m + \phi_p + \phi_s = 1 \quad (4)$$

Thereby, to illustrate the influence of the solvent on the  $T_c$  (*i.e.*  $\phi_p = 0$ ), (4) can be rewritten accordingly,

$$T_c = \frac{\Delta H_p^\circ}{\Delta S_p^\circ + R \left( \ln \phi_m + 1 + \left( X_{ms} - X_{sp} \left( \frac{V_m}{V_s} \right) \right) (1 - \phi_m) - X_{mp} \phi_m \right)} \quad (5)$$

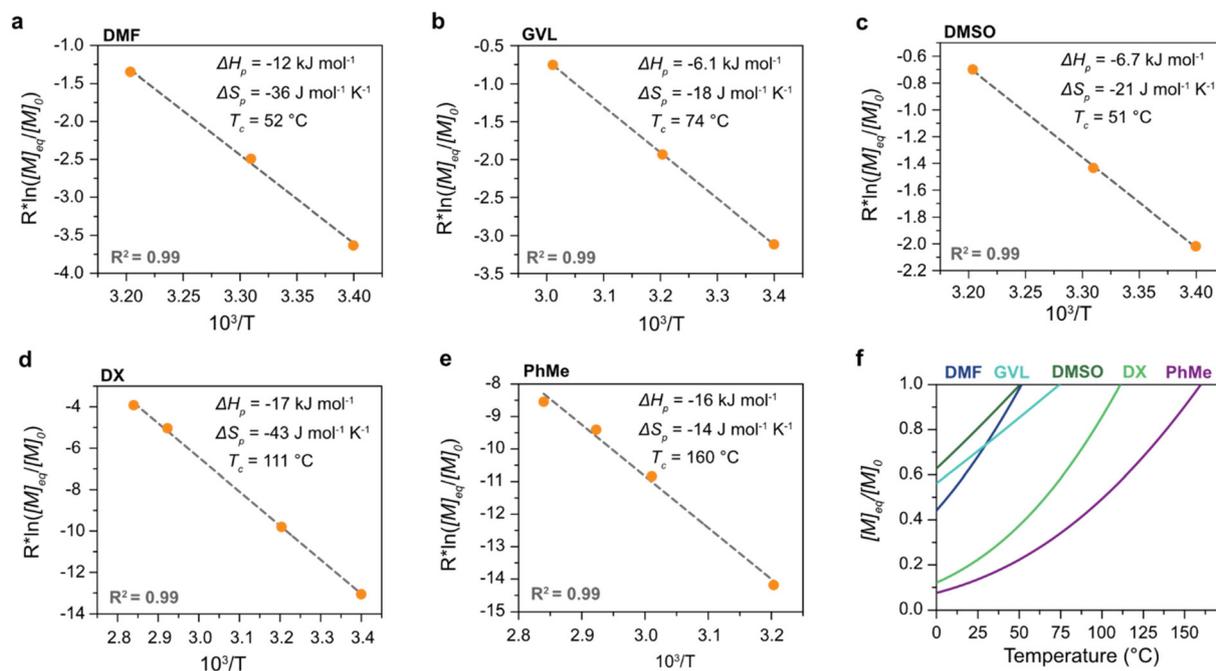
It is worth noting that  $\Delta H_p^\circ$  and  $\Delta S_p^\circ$  denote the change in enthalpy and entropy at standard conditions ( $[M]_0 = 1$  M, 1 atm, 25 °C), *i.e.* in an ideal environment where all secondary interactions are neglectable. Hence,  $\Delta H_p^\circ$  and  $\Delta S_p^\circ$  will deviate from  $\Delta H_p$  and  $\Delta S_p$ , which are determined experimentally from (1),



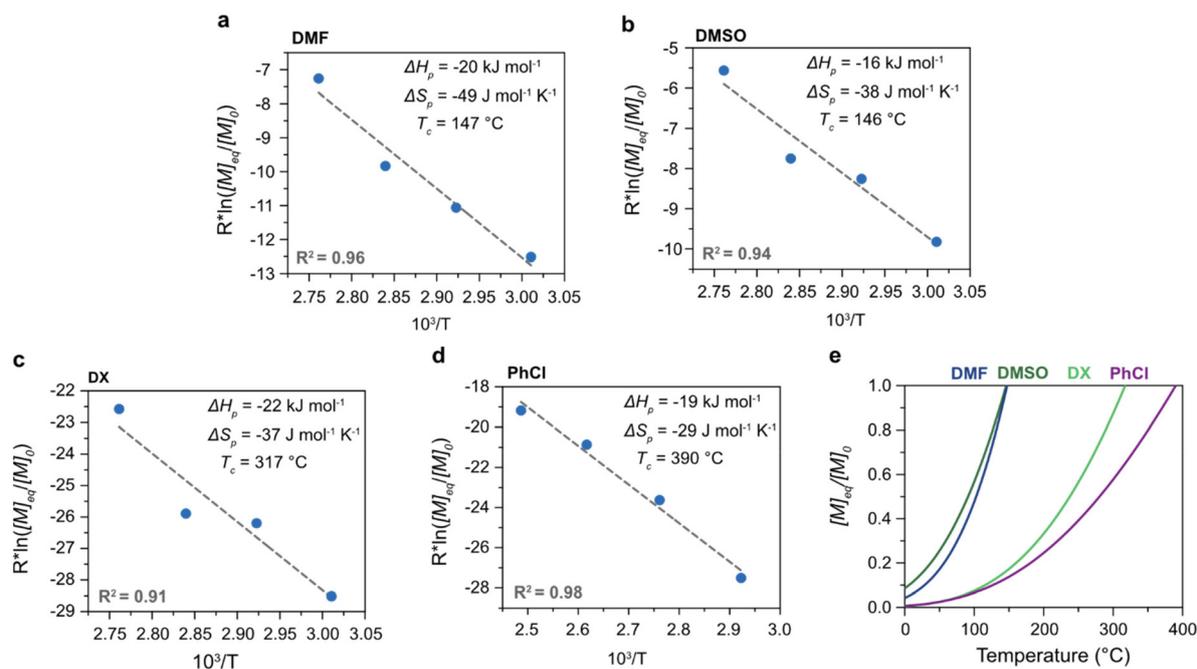
<sup>a</sup>Data previously presented elsewhere.<sup>28</sup>  
<sup>b</sup>Data previously presented elsewhere.<sup>27</sup>

**Scheme 1** Reaction scheme for the calculation of polymerization thermodynamic parameters at  $[M]_0 = 0.5$  M of (a)  $\delta$ VL in DMF, DMSO, GVL, DX and PhMe; (b) TMC in DMF, DMSO, PrC, DX and PhCl; (c) LA in DMF<sup>a</sup>, DMSO<sup>b</sup>, GVL<sup>b</sup>, DX<sup>b</sup> and PhCl<sup>b</sup>. <sup>a</sup>Data previously presented elsewhere.<sup>28</sup> <sup>b</sup>Data previously presented elsewhere.<sup>27</sup>





**Fig. 1** Polymerization thermodynamics of  $\delta$ VL in (a) DMF, (b) GVL, (c) DMSO, (d) DX, and (e) PhMe, all at  $[M]_0 = 0.5$  M. (f) Theoretical equilibrium behaviour of  $([M]_{\text{eq}}/[M]_0)$  in relation to temperature ( $[M]_0 = 0.5$  M).



**Fig. 2** Polymerization thermodynamics of TMC in (a) DMF, (b) DMSO, (c) DX, and (d) PhMe, all at  $[M]_0 = 0.5$  M. (e) Theoretical equilibrium behaviour of  $([M]_{\text{eq}}/[M]_0)$  in relation to temperature ( $[M]_0 = 0.5$  M).

depending on the strength of the actual intermolecular forces that are present in the system. In addition, the interactions between solvent and polymer ( $X_{\text{sp}}$ ) have shown a significant variation with concentration.<sup>33,34</sup> Thus, dilution is not a pure entropic effect, which one should be aware of when using thermo-

dynamic experimental data obtained at one  $[M]_0$  to explain an equilibrium behaviour at a completely different concentration. Consequently, the thermodynamic data that were utilized in this study originate from equilibrium polymerization experiments all performed at the same initial monomer concentration  $[M]_0$ .



Since a small value of, *e.g.*,  $X_{ms}$  indicates strong secondary interactions between monomer–solvent, it can be seen from (5) that the  $T_c$  of a specific monomer–polymer system, at a constant  $[M]_0$  (or  $\phi_s$ ), is decreasing with stronger monomer–solvent interactions and weaker solvent–polymer interactions. However, the variations in  $X_{ms}$  with solvent are usually larger compared to  $X_{sp}$ , related to the different mixing processes of small monomers *vs.* long polymer chains. This is why the monomer–solvent interactions dominate the impact on  $T_c$ .<sup>35</sup> This was verified by the results from our previous study on LA, where we also showed that the relationship between the Hildebrand solubility parameters of the monomer and solvent  $(\delta_m - \delta_s)^2$  and solvent and polymer  $(\delta_s - \delta_p)^2$  could be used as valid representations of  $X_{ms}$  and  $X_{sp}$ , resulting in (6),<sup>27</sup>

$$T_c = A(\delta_m - \delta_s)^2 + B(\delta_s - \delta_p)^2 + C \quad (6)$$

Since  $\delta_m$  and  $\delta_p$  are constant for a specific monomer–polymer system, the influence of  $\delta_s$  on the  $T_c$  (at a constant  $[M]_0$ ) can be described by (7) (see ESI† for derivation), where the second derivative (8) can be interpreted as the power of the solvent effect,

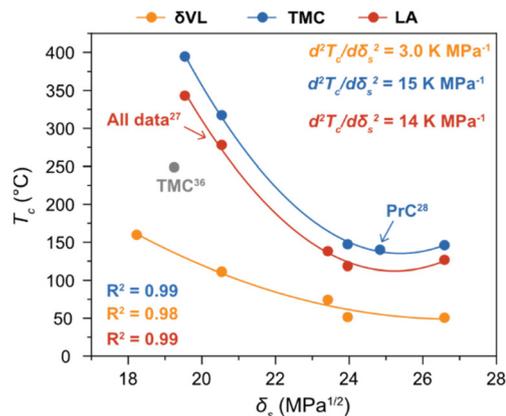
$$T_c = a\delta_s^2 + b\delta_s + c \quad (7)$$

$$d^2T_c/d\delta_s^2 = 2a \quad (8)$$

Since (8) is independent  $\delta_s$ , the size of  $d^2T_c/d\delta_s^2$ , *i.e.* how large is the impact of solvent interactions on the polymerization equilibrium, should be a unique property of the monomer–polymer system. It is, hence, reasonable to assume that  $d^2T_c/d\delta_s^2$  may vary with the chemical structure of the monomer.

As previously reported, the change in  $T_c$  of LA with  $\delta_s$  was fitted to (7) almost perfectly,<sup>27</sup> a trend that, here, was confirmed by the thermodynamic behaviour of  $\delta$ VL and TMC in the different solvents (Fig. 3). To illustrate the importance of using experimental data obtained at the same  $[M]_0$ , a literature value for TMC in THF,<sup>36</sup> recalculated to  $[M]_0 = 0.5$  M from experiments performed at  $[M]_0 = 0.03$  M, was added to Fig. 3. The calculations are based on the assumption that the influence of concentration is purely entropic, a well-established methodology for calculating and presenting polymerization thermodynamic data. However, as previously mentioned, the  $X_{sp}$  is not independent of concentration, and it has shown to increase with dilution.<sup>33,34</sup> Thus, considering (5) and the decreasing effect that a higher  $X_{sp}$  has on the  $T_c$ , to calculate a  $T_c$  at a certain concentration based on experiments performed at a lower  $[M]_0$  would lead to an underestimation of the actual  $T_c$ . This could, hence, explain the discrepancy that can be observed between the literature data for TMC and the results obtained from this study (Fig. 3).<sup>36</sup>

As hypothesized, the power of the solvent effect varied between the different monomer–polymer systems, where the  $d^2T_c/d\delta_s^2$  for LA (14 K MPa<sup>-1</sup>) and TMC (15 K MPa<sup>-1</sup>) were quite similar, while the  $d^2T_c/d\delta_s^2$  for  $\delta$ VL was substantially lower (3.0 K MPa<sup>-1</sup>). Since previous data have shown that the monomer–solvent interactions are the predominant contri-



**Fig. 3** Ceiling temperature ( $T_c$ ) in relation to  $\delta_s$  at  $[M]_0 = 0.5$  M of  $\delta$ VL (—●—) (solvents: DMSO (26.6 MPa<sup>1/2</sup>), DMF (24.0 MPa<sup>1/2</sup>), GVL (23.4 MPa<sup>1/2</sup>), DX (20.5 MPa<sup>1/2</sup>) and PhMe (18.2 MPa<sup>1/2</sup>), TMC (—●—) (solvents: DMSO, DMF, PrC (24.8 MPa<sup>1/2</sup>), DX and PhCl (19.5 MPa<sup>1/2</sup>)) and LA (—●—) (solvents: DMSO, DMF, GVL, DX and PhCl). All data for LA,<sup>27</sup> and the data for TMC in PrC<sup>28</sup> were originally presented elsewhere. The literature data for TMC (●) is recalculated from equilibrium polymerization experiments performed at  $[M]_0 = 0.03$  M in THF (19.2 MPa<sup>1/2</sup>).<sup>36</sup>

bution to the solvent effect,<sup>35</sup> the proposed explanation to these differences will emanate from the mixing process of monomers in solution. In order for the monomer to form secondary interactions with the solvent ( $w_{ms}$ ) and, thereby, dissolve, the intermolecular bonds between monomer–monomer ( $w_{mm}$ ) and solvent–solvent ( $w_{ss}$ ) have to be broken. This process usually entails an increase in energy, which is proportional to the enthalpy of mixing,<sup>37</sup>

$$\Delta w = w_{ms} - 0.5(w_{mm} + w_{ss}) \propto \Delta H_{mix} \quad (9)$$

The unfavourable increase in  $\Delta H_{mix}$  is compensated by an increased entropy, though, the larger the  $\Delta H_{mix}$  is the lower is the solubility of the monomer in the specific solvent. Consequently, monomers with stronger intermolecular forces between monomer–monomer (large negative  $w_{mm}$ ) show a larger variation in solubility depending on the secondary monomer–solvent interactions. This would explain, why the power of the solvent effect ( $d^2T_c/d\delta_s^2$ ) is stronger for the two more polar monomers LA and TMC, as compared to  $\delta$ VL. Consequently, although it is likely that the solvent effect on the thermodynamic equilibrium between monomer–polymer is present in all equilibrium polymerization systems, its relevance and, thereby, potential in terms of CRM depends on the chemical structure of the monomer. This could potentially be utilized in the design of monomers for closed-loop polymer systems.

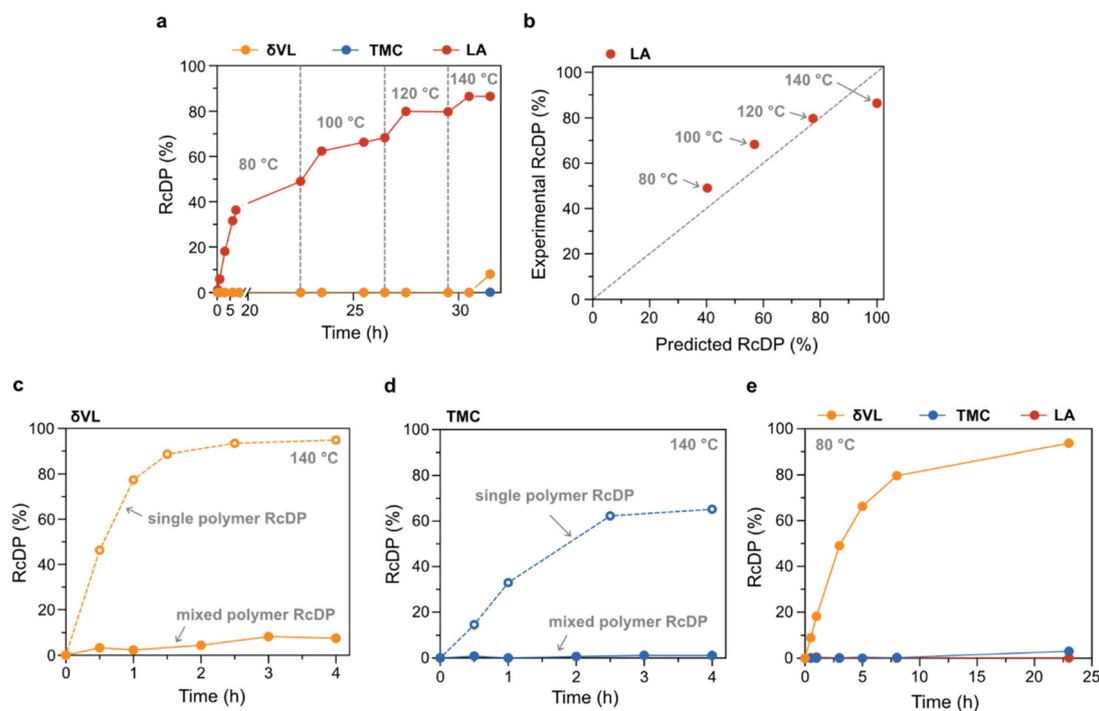
However, products and polymer waste streams rarely contain one single type of polymer, which adds further complexity to the RCDP system. In a previous study, we showed that PLA could be chemically recycled *via* solvent triggered RCDP in the presence of other common polymeric materials, like PP, PE, PET and PA6.6, without compromising with the selectivity.<sup>27</sup> Though, adding PC to the system resulted in both lower conversion and selectivity in RCDP of PLA to LA. Thus, CRM



*via* RcDP is not purely a matter of thermodynamics, and for RcDP of a mixture of polymers, the catalyst selectivity and kinetical differences can be powerful in terms of selective CRM of mixed polymer waste.

Due to its low toxicity and good performance in the RcDP of PLA, as previously reported,<sup>27</sup> GVL was selected as solvent for the mixed polymer RcDP. The RcDP of a mixture of P $\delta$ VL (26.9 kg mol<sup>-1</sup>,  $D = 1.82$ ), PTMC (20.9 kg mol<sup>-1</sup>,  $D = 1.97$ ) and PLA (15.0 kg mol<sup>-1</sup>,  $D = 1.25$ ) was studied in GVL ( $[M]_{0,\delta VL} = [M]_{0,TMC} = [M]_{0,LA} = 0.5$  M based on the repeating unit of each polymer, *i.e.*  $[M]_{0,tot} = 1.5$  M), in the presence of tin(II) 2-ethylhexanoate (SnOct<sub>2</sub>, [cat] = 0.05 M) as catalyst. This concentration was selected in order to mimic the conditions under which the polymerization thermodynamic parameters ( $[M]_0 = 0.5$  M) were calculated. The RcDP was started at 80 °C, and the temperature was, thereafter, increased stepwise by 20 °C up to 140 °C. Interestingly, the experiment resulted in selective RcDP of PLA up to 140 °C (Fig. 4a). The conversion to LA increased stepwise with the increase in temperature, in good agreement with the polymerization thermodynamics of LA in GVL (Fig. 4b). This indicates that the presence of the P $\delta$ VL and PTMC, and the higher total concentration ( $[M]_{0,tot} = 1.5$  M), did not have strong impact on the thermodynamic equilibrium between PLA and LA. In contrast to PLA, P $\delta$ VL was stable in the system, although RcDP should be thermodynamically promoted ( $T_c = 74$  °C in GVL). This result was rather unexpected,

and quite the opposite to the RcDP behaviour of P $\delta$ VL ( $[M]_0 = 0.5$  M in GVL, 0.05 M SnOct<sub>2</sub>) at 140 °C without the presence of other polymers in the system (Fig. 4c), where 95% conversion to  $\delta$ VL was reached within 4 h. A similar observation was made for PTMC (Fig. 4d), though the equilibrium conversion to  $\delta$ VL due to the higher  $T_c$  of TMC in GVL (165 °C, estimated from Fig. 3). These differences between single polymer RcDP and mixed polymer RcDP are similar to observations made for copolymerization systems of LA and  $\epsilon$ -caprolactone ( $\epsilon$ CL), and for LA and TMC, utilizing metal-based transesterification catalysts (*e.g.* aluminum triisopropoxide,<sup>38</sup> or magnesium,<sup>39</sup> zinc (II),<sup>40</sup> and calcium complexes<sup>41</sup>). In the case of LA and  $\epsilon$ CL, it has often been observed that the successful copolymerization *via* sequential addition is reliant on the order of addition, were the initiation of  $\epsilon$ CL from PLA often seems prohibited while the reverse (initiation of LA from P $\epsilon$ CL) is feasible.<sup>38-40</sup> Similarly, one-step copolymerization of LA and  $\epsilon$ CL (both monomers present from the beginning) resulted in homopolymerization of LA, while  $\epsilon$ CL stayed unreacted.<sup>40</sup> The copolymerization between LA and TMC show a similar, though not as extreme, behaviour, where the polymerization rate of TMC is substantially increased after all LA had been consumed, compared to when unreacted LA units were still left in the system.<sup>41</sup> To our knowledge, the reason for this behaviour of copolymerization systems with LA has, not yet, been eluci-



**Fig. 4** RcDP of polymer mixture of P $\delta$ VL, PTMC and PLA in GVL ( $[M]_{0,\delta VL} = [M]_{0,TMC} = [M]_{0,LA} = 0.5$  M). (a) RcDP of polymer mixture from 80–140 °C with SnOct<sub>2</sub> (0.05 M) as catalyst. (b) Relationship between experimentally obtained RcDP of PLA to LA during mixed polymer RcDP (SnOct<sub>2</sub> (0.05 M) as catalyst) in relation to the predicted RcDP of PLA to LA based on previously reported polymerization thermodynamic parameters.<sup>27</sup> (c) Comparison of mixed polymer RcDP and single polymer RcDP of P $\delta$ VL at 140 °C with SnOct<sub>2</sub> (0.05 M) as catalyst. (d) Comparison of mixed polymer RcDP and single polymer RcDP of PTMC at 140 °C with SnOct<sub>2</sub> (0.05 M) as catalyst. (e) RcDP of polymer mixture at 80 °C with DPP (0.05 M) as catalyst.



dated. Though, these previous observations could indicate that the catalyst coordinates to the PLA chain end in a way that inhibits or retards the catalysts activity towards ROP of other monomers. A behaviour that also seems to occur during the reverse RcDP. To further explain this interesting phenomenon should be the scope for future studies. Nevertheless, LA could be chemically recycled selectively from PLA (96% selectivity), even in a mixture with PδVL and PTMC, by the use of SnOct<sub>2</sub> as a catalyst at 140 °C in GVL. Furthermore, by changing the catalyst, from SnOct<sub>2</sub> to diphenyl phosphate (DPP), which has shown a catalytic activity towards ROP of the three monomers in the order δVL ≫ TMC ≫ LA,<sup>42,43</sup> the RcDP selectivity could be switched to target PδVL. This enabled selective RcDP to δVL (94% conversion, 97% selectivity) within 23 h at 80 °C (Fig. 4e).

## Conclusions

To conclude, this study showed that the power of the solvent effect and its efficiency in decreasing the  $T_c$  varies with the chemical structure of the monomer–polymer. The results also support that monomer–solvent–polymer interactions are general influencing factors that affect the thermodynamic equilibrium between ROP and RcDP. Interestingly, the  $T_c$  of monomers with a higher polarity show a stronger dependency on the solvent properties. Thus, in combination with the possibility to tune the  $T_c$  of cyclic monomers by introducing or reducing ring-strain, monomer structures may be designed to generate stronger monomer–solvent interactions, enabling more efficient  $T_c$  depression by the here studied solvent effect. In addition, catalyst selectivity can be utilized to obtain selective RcDP in mixed polyester and polycarbonate streams. Thus, the combination of thermodynamic and kinetic control, adds further possibilities to the design and development of chemically recyclable polymers and CRM systems.

## Author Contributions

L.C. was main responsible for the concept and methodology development, with contribution from K.O., M.H. and P.O. L.C. performed the experiments and the formal analysis. The work was supervised by K.O., M.H., and P.O. The original manuscript draft was written by L.C., and all authors contributed to the revised manuscript.

## Conflicts of interest

There are no conflicts to declare.

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