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A trick of the tail: computing the entropic contribution to the energetics of quinone-protein unbinding†

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We estimate the entropic contributions to the free energy of quinone unbinding in bacterial and mitochondrial respiratory chains using molecular dynamics (MD) and Monte Carlo (MC) computer simulations. For a varying length of the isoprenoid side chain, MD simulations in lipid bilayers and in unpolar solvents are used to assess the dihedral angle distributions along the chain. These form the basis of a MC estimate of the number of molecular structures that do not exhibit steric self-overlap and that are confined to the bilayer. We obtain an entropy drive of $T\Delta S = 1.4 \text{ kcal mol}^{-1}$ for each isoprene unit, which in sum is comparable to the redox potential differences involved in respiratory chain electron transfer. We postulate an entropy-driven zipper for quinone unbinding and discuss it in the context of the bioenergetics and the structure of complex I, and we indicate possible consequences of our findings for MD-based free energy computations.

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1. Introduction

The appropriately named ubiquinones play a central role in the respiratory chain of many organisms^{1–4} They can be reduced by accepting two electrons and two protons, with semiquinone as an intermediate. In the respiratory protein complex I, the redox potential difference between the NADH/NAD⁺ redox pair and a quinone/hydroquinone acceptor drives conformational changes that enable the complex to transfer protons against a proton gradient as the first step in the biosynthesis of ATP.⁵ Ubiquinone also acts as an electron shuttle between the respiratory complexes I, II and III and is the namesake of the Q cycle in the latter protein complex⁶

Ubiquinones have 1,4-benzoquinone as a structural basis, which is substituted at the positions 5 and 6 by methoxy groups. These molecules carry an isoprenoid side chain at position 3 and a methyl group at position 2. Ubiquinones are classified according to the degree of polymerization of the side chain, n , as UQ n . In human mitochondria, UQ10 is operative as an electron and proton carrier, rodents have UQ9 and yeast UQ6.

Menaquinones are electron carriers used primarily by bacteria. Here, the methoxy groups attached to the positions 5 and 6 are replaced by a benzyl ring, *cf.* Fig. 1 (note that the number

of atom 6 changes to 10). The introduction of methoxy groups makes the head group of the quinone slightly more demanding from a steric point of view, and also slightly more hydrophobic.

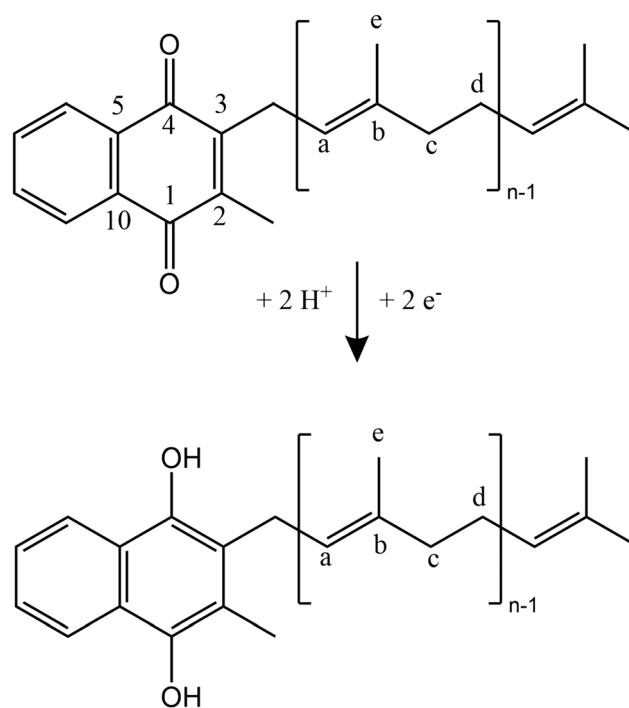


Fig. 1 Structure formulae of menaquinone and menaquinol, with the enumeration of atoms as used in the text.

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Menaquinones are found in the inner membrane of bacteria and are involved in the transfer of electrons in cellular respiration and other metabolic processes. Examples include *Bacillus subtilis*, *Streptococcus pneumoniae* and *Mycobacterium tuberculosis*.

In photosynthesis, plastoquinones play a similar role. They are located in the thylakoid membrane of chloroplasts and are involved in the transfer of electrons from photosystem II to photosystem I. This electron transfer is part of the reactions that generate ATP and NADPH, which are used in the light-independent reactions of photosynthesis. Plastoquinones do not carry a methyl group in position 2, but a simple hydrogen. The two methoxy moieties become methyl groups.

Ubiquinone is involved in several human diseases and disorders. Q10 levels are often low in individuals with cardiovascular disease^{7,8} and diabetes,⁹ although cause and effect are not always clear. As ubiquinone is vital to the respiratory chain, deficiencies can lead to mitochondrial disorders such as mitochondrial encephalomyopathy.¹⁰

We identify the quinones by their chemical structure (menaquinone MK, ubiquinone UQ or plastoquinone PQ), state of reduction (the respective hydroquinones or quinols are referenced as MHK, UHQ and PHQ) and the chain length, which will be added to the identifier as an integer. We focus on MKn with $n = 4, 6$ and 8 in the MD simulations described below, and on $n = 2$ to 10 in the MC approach.

In the last years considerable effort has been devoted to investigate the exact mechanism of the respiratory complex I. Mechanistically and structurally, the complex can be divided into two domains. In the hydrophilic part, electrons are transferred from NADH to FMN, which transfers them to ubiquinone *via* FeS clusters.^{11,12} In the membrane part, four protons are then translocated to the periplasmic side. The interplay of both mechanisms is referred to as proton coupled electron transfer, although proton pumping is still not fully understood. Due to the availability of high resolution structures and the advances in computing power, molecular dynamics simulations have been widely used to investigate the exact mechanism of respiratory complex I.^{13,14} Varying proposals for the proton-pumping mechanism have been reported.^{15–17} In combination with biochemical data the reduction of quinone activates a reaction cascade combined of electrostatic and conformational changes that lead to the proton transfer.¹⁶

Complementary to these large-scale MD simulations, we focus on a single aspect of the bioenergetics of quinones, the contribution of the conformational entropy of the isoprenoid side chain to the free energy of protein–hydroquinone unbinding. We consider the confining environment of a lipid bilayer and assume that the number of conformations in the quinone binding pocket of the protein is small compared to those within the layer. In this way, we are able to estimate a lower boundary to the entropy.

The remaining part of the article is organized as follows. In the next section we describe molecular dynamics simulations of menaquinones embedded in a lipid bilayer and in *n*-hexane. The resulting dihedral angle distributions of the

menaquinones' oligoisoprene chain and the concentration profiles are used as the input to a Monte Carlo microcanonical computation of the entropic contributions to ubiquinone unbinding. We discuss our findings and draw conclusions in the final section of this paper.

2. Molecular dynamics

2.1. Methods

System preparation. The AMBER program package was used for system preparation and simulation.^{18–20} Menaquinone-4, -6 and -8 were embedded into a lipid-bilayer membrane composed of a 1:1 ratio of POPC and POPE. The membrane was created with packmol-memgen. Each $146 \times 146 \times 150$ Å simulation box contains, besides the menaquinol, 65361 water and 1932 lipid molecules. Additional simulations were performed in a uniform hydrophobic environment, where menaquinol-6 was centered in a $100 \times 100 \times 100$ Å simulation box with 4100 *n*-hexane molecules as solvent using the packmol program. The partial charges for the different menaquinones were calculated using the RESP method on the R.E.D. server.^{21,22} The remaining missing menaquinone parameters were completed using the general AMBER force field version 2 (gaff2). For lipid and water molecules the lipid14 force field²³ and the TIP3P model²⁴ were used, respectively.

Molecular dynamics simulations. The same simulation protocol was applied to all systems. First the simulation box was minimized using steepest descent and conjugate gradient algorithm. Periodic boundary conditions (PBC) were applied. Then the system was gradually heated up to 303 K. The heating was performed, using positional restraints on all atoms except water molecules. The force constant for the harmonic restraint potential was set to $5.0 \text{ kcal mol}^{-1} \text{ \AA}^{-2}$. The system was equilibrated in the NPT-Ensemble with semiisotropic pressure scaling using a Berendsen barostat at 1 bar. Temperature control was achieved using a Langevin dynamics thermostat. The main production simulation was done for 2000 ns with anisotropic pressure scaling. For all steps, except the minimization, the CUDA version of Amber was used.^{25–27}

Analysis. Cpptraj was used for data post-processing.^{28,29} The dihedral angles in the isoprenoid sidechain of the menaquinone species were calculated for every production simulation frame. The dihedral angle distribution was calculated using the matplotlib and numpy libraries in Python 3.8.

2.2. Results

From the molecular dynamics simulations, we obtain two main results. First, snapshots of the simulation permit the calculation of density profiles, which indicate the position of the benzoquinone head group in the membrane, which is also required for the microcanonical entropy estimates. In addition, the profiles already hint at the structure of the isoprenoid side chain and possible spatial constraints. Second, we get the distribution of the dihedral angles, which constitute the input



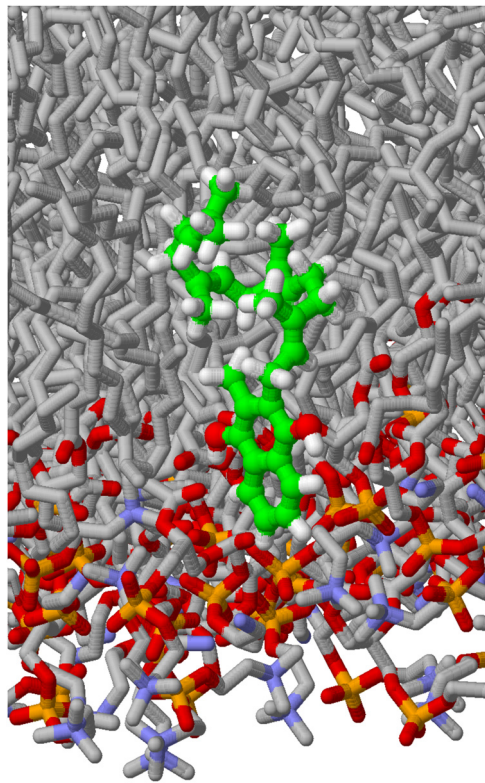


Fig. 2 A snapshot of the molecular dynamics simulation of lipid molecules and a MHK4 menaquinol. MHK4 is shown as a ball and stick model with CPK coloring and green carbons, lipid molecules as stick models and CPK coloring, lipid hydrogens are not shown. Water molecules have been omitted for convenience. Horizontally, the figure extends to one half of the lipid bilayer.

of the microcanonical calculation of the entropy, as described below. A simulation snapshot is shown in Fig. 2.

As described above, molecular dynamics simulations have been performed for MHK4, MHK6 and MHK8 in a lipid bilayer, which is embedded into an aqueous environment. To address the question to which extent geometrical constraints play a role, MHK6 was also simulated in *n*-hexane as a hydrophobic solvent. Test simulations have also been performed for the oxidized quinones, we find no significant differences to the hydroquinones.

Concentration profiles for the MHK8 menaquinol simulations within a lipid bilayer are shown in Fig. 3. The arrangement of lipid and water molecules shows the familiar picture of a lipid double layer in contact with the aqueous phase *via* the hydrophobic head groups and a hydrophobic core formed by a double layer of the hydrophobic lipid tails. For the quinone, we find a binodal profile. The first maximum – representing the quinone head group – is embedded in a neighbourhood of lipid molecule head groups and water molecules. The second, corresponding to the oligoisoprene chain, is slightly broader and is located ~ 7 Å deeper within the bilayer, *i.e.* in a purely hydrophobic environment. It does not show any overlap with the water or the hydrophilic head group profile. As a consequence, we consider the isoprenoid side chain of MHK8 to be

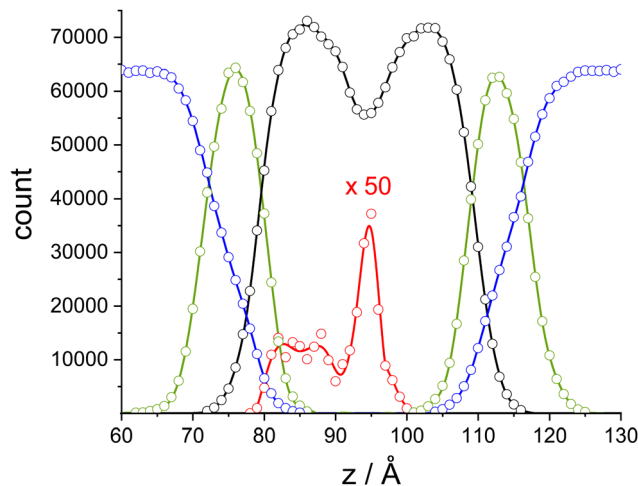


Fig. 3 Concentration profile of a molecular dynamics simulation of the MHK8 menaquinol embedded into a lipid bilayer and water environment. We display nonhydrogen atom counts as a function of the *z* coordinate, which is orthogonal to the bilayer. Water (blue), lipid head groups (green), lipid tail groups (black) and menaquinol (red). Symbols correspond to counts with histogram bins of 1 Å, the lines serve as a guide to the eye. Note the altered scale for the menaquinol profile.

confined to the hydrophobic core of the lipid bilayer. The side chain is attached to a naphthoquinone that is localized in an amphiphilic environment between the head and the tail groups of the lipid. We will use this information as input to the Monte Carlo model described below. Throughout the simulations, no flips of the quinone molecules have been observed. The side chain profile is typical of large-chain polymers confined to two dimensions, where the probability distribution strongly peaks at the center.³⁰

In the following, we focus on the dihedral angles of the isoprenoid chain beyond the first double bond. Within the accuracy of the simulations and the analysis, they reflect the periodicity of the chemical structure. Sample distributions are displayed in Fig. 4. The complete side chain distributions are supplied as ESI.† As expected, the conformational space of the molecules is not fully explored for all but the smallest side chains, an effect that has also been described for proteins.³¹ On the time scale of the simulation, phase space is not sampled properly, a phenomenon sometimes referred as ergodicity breaking. This behaviour is evident from the number of unique dihedral angle conformations as a function of the simulation time, as presented in the ESI.† This finding is part of our motivation for switching from molecular dynamics to Monte Carlo simulations.

The first dihedral angle, ϕ_{dcba} , always exhibits two maxima at ~ 80 and ~ 272 degrees. Regardless of the environment – lipid or *n*-hexane – an additional maximum shows up at zero degrees for MHK6 and MHK8, which is missing for MHK4. As the latter dihedral angle corresponds to a U turn of the chain, we assume that its introduction to a small chain is sterically prohibited, while it can evade this situation for longer chains. We are mainly interested in the energetics of the larger chains,



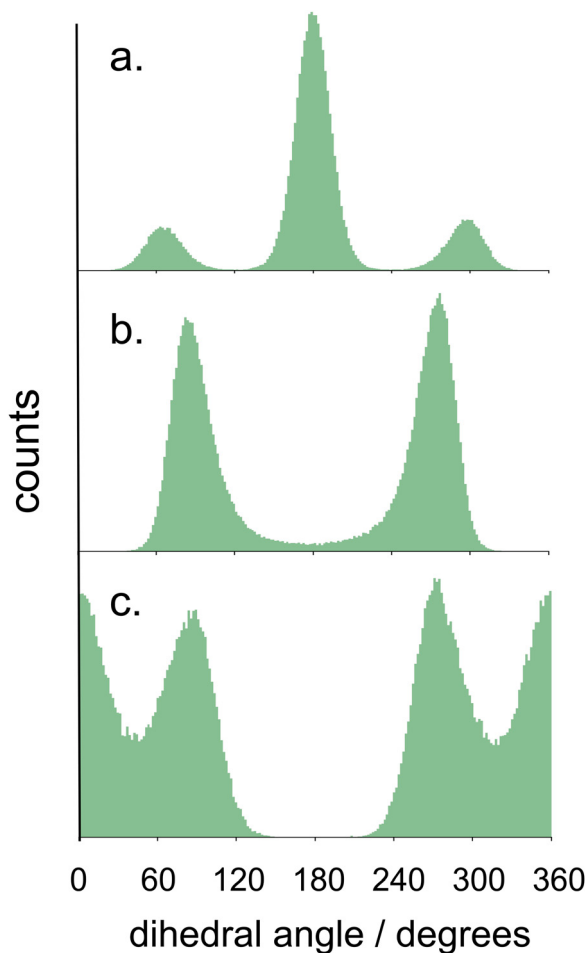


Fig. 4 Distributions of the dihedral angles ϕ_{adcb} (a), ϕ_{badc} (b) and ϕ_{dcba} (c) from the simulation of MHK6. The distributions are drawn as histograms with a binning of one degree, and the analysis has been performed for the second isoprene unit of the chain.

and will consequently use all three dihedral angles $\phi_{dcba} \in \{0,86,272\}$ in the Monte Carlo setup. As the maxima are all of a similar height, we can safely assume that they belong to isoenergetic minima of the dihedral angle potential energy surface.

For ϕ_{adcb} , we find three well-separated maxima of the angle probability distribution at ~ 62 , ~ 178 and ~ 295 degrees with a dominant peak at 178 degrees. As the maxima exhibit different heights, we have to check whether this non-uniformity stems from a steric overlap that is also taken into account in the Monte Carlo model, or whether it has a different origin. As we will demonstrate below, the first assumption is valid, and we consistently recover the weights of the maxima in the Monte Carlo simulations. Hence, we can use all three dihedral angles, idealized as $\phi_{adcb} \in \{60,180,300\}$ in the microcanonical Monte Carlo setup with an equal weight.

For the dihedral angle ϕ_{badc} , we observe two maxima at ~ 80 and ~ 272 degrees for MHK6 (lipid bilayer and *n*-hexane environment) and MHK8. Only for MHK4, an additional maximum around 180 degrees can be observed. For larger chains,

vestiges can be found as a small nonzero contribution to the dihedral angle distribution, which renders the dominant parts asymmetric. Focussing on the larger chains, we can conservatively use idealized angles $\phi_{badc} \in \{90,270\}$ in the Monte Carlo setup.

The dihedral angle ϕ_{cbad} is always fixed due to the presence of a double bond. For the same reason, any dihedral angle involving e is also fixed, such as ϕ_{ebad} .

3. Monte Carlo simulations

3.1. Methods

Inspecting the degrees of freedom of an isoprenoid side chain, we find two fixed, well-defined dihedral angles per isoprene unit, which reflect the fact that no thermally activated rotations around double bonds exist. For each of the three remaining dihedral angles, either three (ϕ_{dcba} , ϕ_{adcb}) or two ϕ_{badc} maxima in the probability distribution can be observed. To prevent immediate overlap with the benzoquinone moiety, we fix the first two dihedral angles at 60 and 180 degrees, and note that a variation of the final dihedral angle in the chain from one minimum in the potential energy to another does not lead to new entropically relevant conformations. With reference to the maxima of the distributions – or the minima of the free energy surface of dihedral angle rotation – we have $3 \times 3 \times 2$ conformations per isoprene unit, leading to a total of $m = 18^{n-1}$ conformations. For the largest biologically relevant $n = 10$, we have $m \simeq 10^{11}$ individual conformations to be studied, a task clearly out of the range of today's computational capabilities. As a consequence, we have to resort to an approximate sampling method, which also requires an approximate geometrical model of the molecule and its environment. We note that simplified dihedral angle rotational models, as described below, are frequently used in molecular modeling, e.g. in the widespread AutoDock Vina program^{32,33}

As a model for the molecule, we use a rigid benzoquinone as a basis to randomly grow a chain. Motivated by the localization patterns obtained from the MD simulations, we place the two oxygens in the *x*-*y*-plane, which we define as separating the hydrophilic head and the hydrophobic tail groups of the lipids. The minor axis of rotation is oriented along the *z* axis, with the methyl group and the chain pointing towards negative *z* values. This orientation is motivated by our analysis of the MD simulations for MHK4, where we find a direction cosine of the minor rotational axis of $z/r = 0.92 \pm 0.02$. To grow the chain, we make use of standard single (1.54 Å) and double (1.34 Å) bond lengths and idealized sp^2 and sp^3 bond angles of 120 and 109.45 degrees, respectively. For each carbon atom added to the chain, the dihedral angle is either fixed (if involving a double bond) or randomly drawn from a set of two or three values. They stem from our analysis of the MD simulations and are – again idealized – given by $\phi_{dcba} \in \{0,90,270\}$, $\phi_{adcb} \in \{60,180,300\}$ and $\phi_{badc} \in \{90,270\}$ degrees. The geometries are built making use of the xyzatm subroutine of the TINKER molecular modeling program package.³⁴ Hydrogen positions



are not generated explicitly, as we consider these atoms in the frame of a united atom approach. They are characterized by fused parameters with the carbon atoms, and they share their positions. For each fully grown chain we check for a steric overlap within the chain or of the chain and the benzoquinone. Optionally, we record whether a chain atom is located within a layer of $-20 \text{ \AA} < z < 0$, corresponding to a very conservative estimate of the size of the hydrophobic core of the lipid bilayer, cf. Fig. 3. As an overlap criterion, we take a united atom carbon-hydrogen van der Waals diameter of 3.5 \AA , as for example used in the OPLS/UA force field.³⁵ Overlaps up to and including 1–4 interactions are not taken into account.

We assume that all non-overlapping chains have the same energy. This implies that – within statistical inaccuracies – all dihedral angle distributions originating from the MD simulations have pronounced maxima of the same height (or that non-uniform distributions are self-consistently recovered), that the dihedral angles are uncorrelated and that details of the interactions do not play a significant role. In this regime, we have two energies, one that is identical for all non-overlapping conformations and can be set to the zero of the energy scale, and one that is infinite for all overlapping conformations. As a consequence, the system can be described thermodynamically by a microcanonical ensemble of Ω non-overlapping microstates, and the entropy is given by the Boltzmann expression $S = k_B \ln \Omega$. Due to the large number of states, this expression can not be evaluated directly, but we have to resort to sampling a randomly generated subset. We make use of a simple hit-and-miss approach³⁶ with m_{shot} attempts to create a chain, which leads to m_{hit} chains that are accepted w.r.t. to the criteria listed above. We can then estimate $\Omega \simeq m \times m_{\text{hit}}/m_{\text{shot}}$ or

$$\ln \Omega \simeq (n - 1) \ln 18 + \ln m_{\text{hit}} - \ln m_{\text{shot}} \quad (1)$$

Self-overlapping configurations and those protruding out of the hydrophobic core of the lipid bilayer do not contribute to m_{hit} , and we are confident that to reject them is correct, as none of these are encountered in the MD simulations, either.

A sample realization of a hit-and-miss algorithm is provided by Allen and Tildesley as a Fortran program (code 4.1.).³⁶ Applications of hit-and-miss methods date back to Lazzarini's experimental approach to Buffon's needle problem, a geometrical problem related to the determination of the number π .³⁷ Apocryphally, Ulam's idea to use a hit and miss method to estimate the number of decks that lead to a successful solution of the solitaire card game has initialized Monte Carlo methods on electronic computers.³⁸

3.2. Results

For each chain length n , we have made $m_{\text{shot}} = 5 \times 10^6$ attempts to grow a chain. For chains that fulfill the requirement of being embedded in the hydrophilic core of the lipid bilayer, the numerical results are listed in Table 1. Entropies are converted to free energies at room temperature (298 K) and are given in kcal mol⁻¹. We note that for small chains, all conformations

Table 1 Entropic contributions to the free energies as a function of the number of side chain isoprene units. Number of side chain units n , number of non-overlapping realizations m_{hit} (out of 5×10^6) confined to the bilayer, entropic part of the free energy

n	m_{hit}	$-TS$ (kcal mol ⁻¹)
2	2221080	-1.49
3	955493	-2.96
4	399675	-4.42
5	149060	-5.80
6	56240	-7.19
7	20620	-8.57
8	7757	-9.96
9	2913	-11.35
10	1129	-12.76

can be generated deterministically, and we have $m_{\text{shot}} = m$ without the noise inherent to the Monte Carlo procedure.

A least squares linear regression analysis assuming $-k_B TS = a - bn$ leads to $a = 1.24 \pm 0.03$ kcal mol⁻¹ and $b = 1.402 \pm 0.005$ kcal mol⁻¹. As expected, the entropy vanishes for a chain consisting of a single isoprene unit, as we fix the first two and the final dihedral angle of each chain. As an entropic contribution to the free energy of quinone unbinding from a situation in which all dihedral angles are fixed, we observe a gain of 1.4 kcal mol⁻¹ per isoprene unit. The analysis is shown in the ESI,[†] including the theoretical limit of a model that permits overlap and is not confined.

The confinement of the chain to the lipid bilayer has a small effect on the entropy. For $n = 10$ – the maximum chain length studied here – we observe $m_{\text{hit}} = 1129$ out of 5×10^6 configurations that do neither exhibit collisional overlap nor protrude out of the hydrophilic core of the membrane. Dispensing with confinement to the membrane, we find $m_{\text{hit}} = 3340$, which amounts to a free energy difference of 0.65 kcal mol⁻¹, which is close to $k_B T$ at room temperature.

We recover the non-uniform distribution of the dihedral angle ϕ_{adcb} in the number of ideal dihedral angles that contribute to successful realizations of the isoprenoid random walk model. For $n = 10$, we have 1168 hits for $\phi_{adcb} = 90$ degrees, 1142 hits for $\phi_{adcb} = 270$ degrees and 7851 hits for $\phi_{adcb} = 180$ degrees. We note that ϕ_{badc} is symmetric within the limit of fluctuations with 5151 hits for 90 degrees and 5010 hits for 270 degrees. Notably, for ϕ_{dcba} a zero dihedral angle can be less frequently observed (2616 hits) than those of 90 and 270 degrees (3855 and 3690 hits, respectively). On the other hand, the MD simulations show ϕ_{dcba} dihedral angle maxima of roughly equal height. Thus, the MC model exhibits less U turns than the MD simulations, which suggests that overlap is slightly penalized too strong in our MC model.

4. Discussion and conclusions

We have presented a simple model to estimate the entropic contributions to the free energy of menaquinol unbinding. We assume that bound quinone tightly fits into a protein binding pocket with a single, unique distribution of dihedral angles and an accordingly vanishing entropy. Upon reduction



and protonation, menaquinol is released into the lipid bilayer embedding the protein. We have investigated the latter situation using all-atom molecular dynamics simulations, which provide the input data for a Monte Carlo procedure *via* the distribution of dihedral angles of the quinol isoprenoid side chain and the position and orientation of the benzohydroquinone moiety. While there are many approaches to compute entropies from MD simulations,³¹ the procedure used here has been motivated by the sheer size of the conformational space ($\sim 10^{11}$ states for $n = 10$), of which only a very small subset is scanned during a MD simulation. Furthermore, spatial constraints can be easily varied and implemented, and the computations are efficient and transparent in each step.

Using a simple hit-and-miss algorithm, we have constructed and counted non-overlapping isoprenoid random walks confined to a lipid bilayer, thus counting the number of accessible dihedral angle microstates from a subset of all possible states. By the Boltzmann relation, we find a corresponding free energy release of $1.4 \text{ kcal mol}^{-1}$ per isoprenoid unit.

In the following, this number is compared to other energy scales relevant to charge transfer in complex I, *e.g.* the redox potential, which is proportional to the thermodynamic driving force, $-e\Delta E^0 = \Delta G^0 = \Delta H^0 - T\Delta S$, or to the strength of hydrogen bonds. From our calculations, we cannot provide a serious estimate of ΔH . This is due to the lack of an experimentally determined structure with a quinone localized within the protein binding pocket and its chemically specific interactions, and to the possible dissipation of energy along the electron transport chain.

In terms of the redox potential, the entropic contribution to quinone unbinding amounts to a substantial value of 61 mV per isoprene unit. Hence, quinone redox potentials in protein binding–unbinding reactions are not only affected by quinone–amino acid interactions, but also by a release of conformational entropy. Other factors may also play a role in reducing the number of conformations during the release of hydroquinones from a protein: the isoprenoid chain may overlap with atoms from the host protein, or other protein complexes from a hypothetical supercomplex. Consequently, our computations serve as an estimate of the entropy in a more complex environment.

The entropy contribution to the free energy generated by releasing menaquinols is considerably larger than the redox potential differences of the redox pair of NAD^+/NADH and MK/MHK. Although the exact numerical value of this difference in a complex biological environment is not yet known, it is safe to assume that it is close to the corresponding difference in the standard potentials.^{39–41} We have an electronic driving force of $\sim 400 \text{ meV}$ or $\sim 8 \text{ kcal mol}^{-1}$, a value slightly smaller than the dihedral angle entropy of the MHK10 isoprenoid chain. This implies that the release of conformational entropy has to be coupled to an endergonic process in the vicinity of the MK binding pocket, which has to occur almost simultaneously. Breaking the two hydrogen bonds between the menaquinol hydroxyl groups and their coordinating Nqo4 amino acids amounts to an estimated 12 kcal mol^{-1} , as we have a

$\text{O}\cdots\text{H}-\text{O}$ bond to Tyr87 and a $\text{O}\cdots\text{H}-\text{N}$ bond to His38 with ~ 7 and 5 kcal mol^{-1} , respectively.⁴²

There is, however, an additional angle, as the driving force is an entropic one. In each cycle of MK reduction, 2–3 protons are pumped against a pH gradient. These protons are in turn required to catalytically convert one ADP into an ATP, a reaction that stores $\sim 6 \text{ kcal mol}^{-1}$ and that takes place in a different enzyme. It is difficult to imagine that ATP synthesis is accompanied by a similar entropic waste generated by the MHK release from its binding pocket. Consequently, the MHK release has not only to fulfill a free energy balance, as outlined above, but also an entropic one. This is subject to the same criteria, *viz.* those of a spatial proximity and an immediate coupling in the chain of chemical reactions or structural rearrangements.

In their determination of the structure of the entire complex I of *Th. thermophilus*, Baradaran *et al.* have noted an unusual feature of the MK binding funnel:¹³ it is lined with amino acids that have a charged or strongly dipolar character: they find His34, Arg216, Glu223, Glu225, Glu248, Tyr249, Arg294 and Arg299, in the Nqo8 subunit and His1, Arg36 and Asp62 in the Nqo6 subunit of the complex (*cf.* Fig. 4(d) of ref. 13). The latter amino acid is not resolved in the protein database (PDB) entry 4HEA. These amino acids may be of some assistance in transiently binding to the MHK head group in an energetically downhill cascade while leaving the binding site. Their interaction with the hydrophobic tail, however, can only be assumed as weak, unspecific and non-directional. Only upon the release of MHK, they are likely to form pairs or other aggregates with a reduced number of degrees of freedom, simultaneously compensating the monomer-by-monomer entropy production of an oligomer chain leaving its binding pocket. We refer to this model as an entropic zipper, and its essential elements are illustrated in Fig. 5 as a cartoon model. Verification or

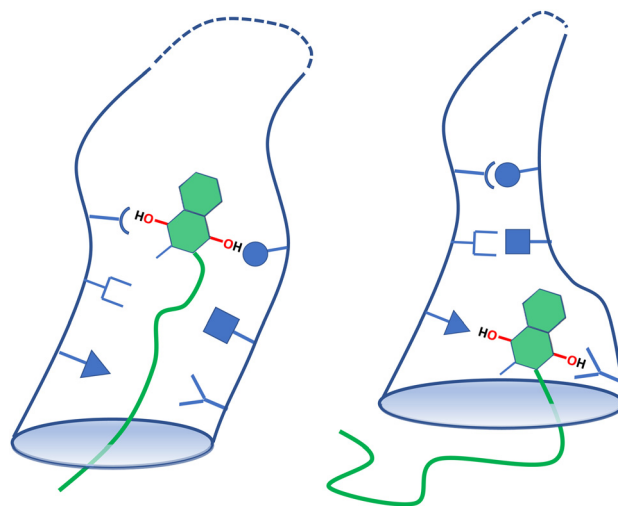


Fig. 5 Cartoon model of the postulated entropy-driven zipper mechanism of menaquinol release from its binding site. Left: Early stage of unbinding with a constrained low entropy oligoisoprene chain and a high entropy binding pocket lining. Right: Late stage of unbinding with a free high entropy oligoisoprene chain and a low entropy binding pocket coating.



falsification of this hypothesis has to await structural models that compare vacant binding pockets to those populated by long-chain quinones or comparable inhibitors.

Finally, we note that entropy – or heat – production is essential for endothermic organisms like mammals or birds, which may explain an evolutionary drive towards elongated isoprenoid chains for these classes of animals.

In molecular dynamics simulations, free energies can be computed by thermodynamic integration or umbrella sampling techniques. The latter requires the introduction of a potential – usually harmonic – to a subset of the atoms. In this way, an oligomer chain can be gradually pulled out of its binding pocket. It is crucial to select the atoms affected by the external potential in a way that retains the full flexibility of the chain upon unbinding to recover the full entropic contribution to the free energy. As an alternative, our computations may serve as a correction, e.g. for the unbinding of a stretched chain.

Conflicts of interest

There are no conflicts to declare.

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