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Can molecular flexibility control crystallization? The case of *para* substituted benzoic acids†

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Despite the technological importance of crystallization from solutions almost nothing is known about the relationship between the kinetic process of nucleation and the molecular and crystal structures of a crystallizing solute. Nowhere is this more apparent than in our attempts to understand the behavior of increasingly large, flexible molecules developed as active components in the pharmaceutical arena. In our current contribution we develop a general protocol involving a combination of computation (conformation analysis, lattice energy), and experiment (measurement of nucleation rates), and show how significant advances can be made. We present the first systematic study aimed at quantifying the impact of molecular flexibility on nucleation kinetics. The nucleation rates of 4 *para* substituted benzoic acids are compared, two of which have substituents with flexible chains. In making this comparison, the importance of normalizing data to account for differing solubilities is highlighted. These data have allowed us to go beyond popular qualitative descriptors such 'crystallizability' or 'crystallization propensity' in favour of more precise nucleation rate data. Overall, this leads to definite conclusions as to the relative importance of solution chemistry, solid-state interactions and conformational flexibility in the crystallization of these molecules and confirms the key role of intermolecular stacking interactions in determining relative nucleation rates. In a more general sense, conclusions are drawn as to conditions under which conformational change may become rate determining during a crystallization process.

Introduction

Crystallization is an essential tool of the pharmaceutical, agrochemical and specialty chemical industries used to purify and to create products in reproducible solid forms.¹ In the pharma arena it is clear that since the 1940s both the molecular weight and the number of rotatable bonds in active molecules have been increasing² such that there is currently significant interest in the relationship between molecular conformation and the 'ease' with which a molecule will crystallize. One well-known example of the relevance of this issue is the case of Ritonavir, where conformational problems delayed the crystallization of the most stable polymorph, which started appearing randomly in formulated products two years after its commercialization. This reduced its bioavailability and resulted in product withdrawal.³ In general, the existence of crystal forms built from different conformers is well known⁴ but the 2000 paper by Yu *et al.*⁵ was one of the earliest to explore links between conformation and crystallization. They used the term 'tendency to crystallize' to frame their arguments and concluded that conformational flexibility could lead to

a reduced crystallization tendency. Others followed and confirmed these ideas using additional qualitative concepts such as 'crystallizability' or 'crystallization propensity'.^{6–8} Attempts have since been made to link these ideas more formally to crystallization kinetics. Baird *et al.*⁹ studied the melt crystallization of more than 50 molecules, Derdour *et al.*^{10–12} incorporated conformation into a formal kinetic model of crystal growth and Threlfall *et al.*¹³ suggested experimental metastable zone widths as a useful means to compare kinetics. Taken together, these studies indicate that molecules with large numbers of rotatable bonds can often be difficult to crystallize.

A further, related, aspect of this issue, often discussed within the crystallography community, concerns the origin of structures having multiple molecules in their asymmetric unit (Z'). Of the many possible causes of this phenomenon, one area of speculation has been that such structures may originate from different conformers available in solution and therefore reflect events taking place during the nucleation process. Thus in 2003, Steed¹⁵ referred to the idea of such a crystal packing as a 'fossil relic' from the fastest growing nucleus. This was followed, in 2007, by further discussion of this idea, first by Desiraju¹⁶ and subsequently by Anderson and Steed.¹⁷ Desiraju speculated that 'the idea that a higher Z' polymorph is a manifestation of incomplete or interrupted crystallisation is attractive, but more proof is needed for this conjecture. The most interesting aspect, to my mind, of all this is that high Z' structures may teach us

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something about the mechanism of crystallisation.' Steed and Anderson further underlined the potential role of kinetic factors but were clear that, to suggest that this one explanation covers all examples 'is a dangerous oversimplification and must be treated with extreme caution.', a point reemphasised in the later review by Steed and Steed.¹⁴

There is thus a body of evidence, largely qualitative or semi-quantitative, linking conformational flexibility with difficulties of crystallisation. There has been much discussion suggesting that this behaviour may arise at the point of nucleation.¹⁸ However, up until now there has been no attempt to confirm the validity of this speculation through the direct experimental measurement of nucleation rates. The aim of this current contribution is to rectify this situation and provide a framework within which relevant experiments and computations may be performed. Fortunately, during the last decade crystal nucleation from solution has received much academic attention¹⁹ including the development of new, easily accessible, methodologies for determining rates.²⁰ Thus, the roles of solution complexation and solute desolvation in particular have been well studied.²¹ In some cases, solvent dependent, solute self-aggregation appears to determine the polymorphic outcome of a crystallization experiment^{22,23} while in others there is apparently no link²⁴ between solution and solid-state chemistry. Recently we reported on the nucleation kinetics of 4 *para* substituted benzoic acids²⁵ concluding that it was the continuous aromatic, ring stacking interactions that determined the relative nucleation rates, a view supported by the more recent work of Liu *et al.* for the nucleation and growth rates of flufenamic acid (a *meta* substituted benzoic acid).²⁶

Our current study builds on this previous work by considering two additional *para* substituted benzoic acids, *p*-butoxy benzoic acid (*p*BOBA) and *p*-pentyl benzoic acid (*p*PENTYLBA), both of which have flexible, five membered chains as *para* substituents. These chains each have four torsions and their crystal structures have multiple molecules in their asymmetric units and so are considered suitable for comparison with our previous data on *p*-toluic (*p*TA) and benzoic (BA) acids, which do not possess such conformational flexibility. Our objective is to draw some sound conclusions as to the relationship between 'crystallizability', kinetics, crystal structure and conformation.

*p*BOBA and *p*PENTYLBA conformational analysis

Both *p*BOBA and *p*PENTYLBA have five rotatable bonds of interest: four related to the alkyl chain conformation and one related to the carboxyl group orientation. Since the carboxylic group adopts a conformation close to planar with respect to the benzene ring with a torsion angle around either 0° or 180° or both if proton-disorder is present (which is common in benzoic acids, also in *p*BOBA), we will focus our conformational analysis around the alkyl chain only.

Fig. 1 shows an overlay of the conformations of the two acids as they appear in their crystal structures: two for *p*BOBA ($Z' = 2$, top right, Refcode BUXBZA01) and three for *p*PENTYLBA²⁷ ($Z' =$

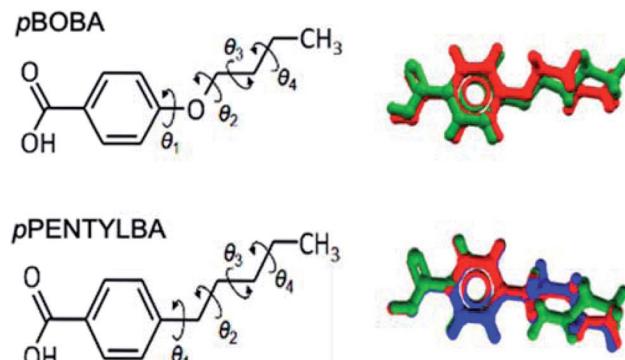


Fig. 1 Molecular structure and definition of rotatable bonds in *p*BOBA and *p*PENTYLBA (left) and overlay of the conformations found in their crystal structures (right).

3, CCDC Deposition number 2003448, lower right). The alkoxy and alkyl chain conformations have four associated torsions (θ_1 – θ_4) as defined in Fig. 1 (left). The number of plausible conformers for a flexible molecule lies between 2^N and 3^N , depending on its composition and number of torsions (N). For *p*BOBA and *p*PENTYLBA this amounts to, respectively, 54 and 81 conformers. Given this potential number of stable conformers, we will focus on the conformations observed in the crystal structures and the energy barriers for their interconversion.

From Fig. 1 we can appreciate that θ_1 defines the conformation of the chain relative to the aromatic ring whilst θ_2 – θ_4 define the configuration of the chain (linear *versus* twisted) itself. The observed values of θ_1 – θ_4 for the various conformations found in the crystal structures of *p*BOBA and *p*PENTYLBA (together with their gas-phase conformers) are given in Table 1. Since both crystal structures are centrosymmetric, all symmetrically independent conformations also exist in their inverted geometries (both are presented in Table 1).

The $-\text{O}/-\text{CH}_2-$ difference between the *p*BOBA and the *p*PENTYLBA chains mostly affects θ_1 . θ_1 lies close to planarity in the alkoxy chain (0°/180°) whereas is ~90°/–90° for the alkyl chain. This difference arises entirely from electronic effects due to the O/CH₂ change. These θ_1 preferences match the respective minima of the gas/solvent potential energy surfaces²⁸ (PES) for both compounds as well as the conformational preferences found in the CSD²⁹ (see ESI S1†).

With regards to torsions θ_2 – θ_4 , these define the linear *versus* twisted overall shape of the chains. In both systems, θ_2 and θ_4 always lie around 180° and the conformational differences are observed around θ_3 (Table 1). For *p*BOBA, a linear (CL) and a twisted (CT) conformations are observed whereas for *p*PENTYLBA two inequivalent twisted conformations are found (CTa and CTb) but a linear conformation is not (see Fig. S1.3 †). The relative energies of the gas-phase optimised conformers originating from those crystal conformations were calculated to be very similar, lying around 2 kJ mol^{–1} from each other (M06/6-31+G**) and the energy barriers for their interconversion to lie around ~13 kJ mol^{–1} (typical of alkyl chains). These energies remained virtually the same when the calculations were



Table 1 Torsion angles of conformations in *p*BOBA (Refcode: BUXBZA01) and *p*PENTYLBA (CCDC deposition number 2003448)

Molecule	Crystal conformation	Type	Torsion angles in the crystal conformations, θ°				Optimised conformer ^a	Relative conformer energy ^b	Energy barrier ^a
			θ_1	θ_2	θ_3	θ_4			
<i>p</i> BOBA	BUXBZA01 m1	Linear	179.7	179.8	-176.5	178.4	CL	1.5 kJ mol ⁻¹	CL \rightarrow CT
	BUXBZA01 m1-inverted		-179.7	-179.8	176.5	-178.4	(CT-i)		12.0 kJ mol ⁻¹
	BUXBZA01 m2	Twisted	3.59	174.6	-63.3	-175.2	CT	0.0 kJ mol ⁻¹	CL \rightarrow CT
	BUXBZA01 m2-inverted		-3.59	-174.6	63.3	175.2	(CT-i)		13.5 kJ mol ⁻¹
<i>p</i> PENTYLBA	Form I m1	Twisted-a	85.7	178.3	-73.9	179.3	CTa	2.0 kJ mol ⁻¹	CTa \rightarrow CL \rightarrow CTb
	Form I m1-inverted		-85.7	-178.3	73.9	-179.3	(CTa-i)		10.3 kJ mol ⁻¹ , 12.3 kJ mol ⁻¹
	Form I m2		74.3	176.2	-65.3	-176.8			
	Form I m2-inverted		-74.3	-176.2	65.3	176.8			
	Form I m3	Twisted-b	116.8	174.0	70.3	166.3	CTb	2.0 kJ mol ⁻¹	CTb \rightarrow CL \rightarrow CTa
	Form I m3-inverted		-116.8	-174.0	-70.3	-166.3	(CTb-i)		10.3 kJ mol ⁻¹ , 12.3 kJ mol ⁻¹

^a Linear (CL) versus twisted (CTa or CTb). ^b Calculated at the M06/6-31+G** level of theory in the gas-phase using GAUSSIAN09. Similar calculations were done in implicit solvation models for toluene and IPA which resulted in similar results.

repeated using an implicit (SMD) solvation model for toluene and isopropanol (IPA) at the same level of theory. Potential energy surfaces²⁸ together with Mogul searches²⁹ are presented in the S1† for all torsions.

As discussed above, *p*BOBA and *p*PENTYLBA may exist in solution in 54 and 81 stable conformers respectively, four of which are found in their crystal structures. If we consider the attachment of molecules to a growing nucleus, then the central conformational issue concerns a molecule arriving at the nucleus in the wrong conformation and whether or not its conversion to the right conformer might be rate determining. To make progress with this question it is essential to obtain some rate data for the nucleation process and this is described in the next sections. Subsequently, consideration is then given to the implication of conformational issues in the nucleation of these two flexible molecules in comparison to the more rigid *p*TA and BA.

Solubilities

Because we are dealing here with molecules of significantly different sizes ($122 < \text{MW} < 202$) it is important that their differing solubilities be taken into account in the interpretation of subsequent kinetic data (see later). Fig. 2 thus provides the comparative solubilities of the four benzoic acids measured at 20 °C (see S2 and Table S2.1† for full details). The extremely high solubility of *p*PENTYLBA in IPA (not measured precisely but estimated to be at least five times that in toluene) meant that solute crowning (the deposition of crystals around the solution meniscus) prevented determination of nucleation rates from induction time experiments in this solvent.³⁰

Nucleation kinetics

Nucleation kinetics were determined using the induction time method of terHorst and Jiang²⁰ together with the experimental and analysis methodology of Xiao *et al.*³⁰ Briefly, measurements were made using a Crystal16 multiple reactor (Technobis Crystallization Systems) in volumes of 1.5 ml and with ~80 repeats for each supersaturation used. Nucleation rates were derived from the measured cumulative induction time probability distributions (see Fig. S3.1† for typical induction time probability data), assuming that each reactor behaves independently so that the probability of nucleus formation is governed by the Poisson Distribution.³⁰ In this way we obtained nucleation rate data (nucleation rate, J vs. supersaturation, S) for *p*BOBA and *p*PENTYLBA in toluene and IPA at 20 °C which may be compared with our previously^{25,30} reported data for BA and *p*TA. We have used Classical Nucleation Theory (CNT), eqn (1), to fit the data and provide values of A and B , the kinetic and thermodynamic factors related to the rate of molecular attachment to the nucleus and the concentration of nuclei respectively¹⁹ (see S3.2† for analytical expressions). Following our previous conclusions, and unless otherwise stated, data fitting

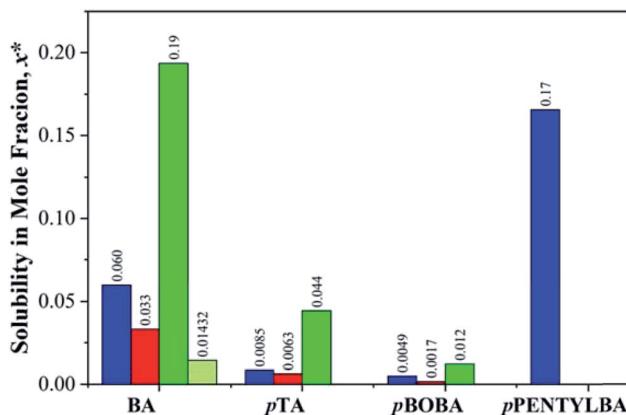


Fig. 2 Comparative solubilities of the four substituted benzoic acids (mole fraction) measured at 20 °C in toluene (blue), acetonitrile (red), IPA (green) and IPA/water (light green). See Table S2.1† for full data.



has been performed using the linearised form of eqn (1) (*i.e.* A and B were retrieved from plots of $\ln J/S$ vs. $1/\ln^2 S$, Fig. S3.3 and 3.4†) rather than direct non-linear fitting. It is worth commenting that the varying metastability of the solutions leads to quite different accessible supersaturation ranges for each material. This is particularly restrictive in the case of *p*PENTYLBA leading to a limited dataset (full results and CNT fits given in S3†).

$$J = AS \exp\left(-\frac{B}{\ln^2 S}\right) \quad (1)$$

$$A = MA' \quad (2)$$

In order to normalise the impact of solvent dependant solubilities on the molecular attachment frequency for this varied set of acids, we recall that the rate constant A in eqn (1) may be rewritten as eqn (2) where M is the solubility in mol m^{-3} . Fig. 3 then shows the dependence of the rate parameter J/M on supersaturation ($S = x/x_{\text{sat}}$). We note that 'normalising' the data to account for solubility differences between systems and solvents also follows from the work of Sun *et al.* on crystal growth³¹ and our earlier work on *p*-aminobenzoic acid.²³

Overall (see also Fig. S3.2†), these data confirm our previous observation²⁵ that rates are considerably slower in IPA than in toluene. Here we reiterate our previous conclusions²⁵ that formation of H-bonded dimers cannot be the rate-determining step since in a particular solvent the H-bond energies change very little from solute to solute (Table S4.1†) while the nucleation rates (J/M), at a particular supersaturation, change significantly. From Fig. 3a it is clear that in toluene BA nucleates the slowest and *p*PENTYLBA the fastest. The relative kinetic order of *p*TA and *p*BOBA appears to switch at low supersaturations between toluene and IPA. In toluene *p*BOBA is clearly slower than *p*TA while the situation in IPA is less certain with the extrapolated J/M vs. S curves crossing over around $S = 1.4$. A large contributing factor in this uncertainty is the restricted supersaturation range available for studying *p*TA in IPA. Thus in

toluene the relative order is *p*PENTYLBA > *p*TA > *p*BOBA > BA while in IPA it is *p*BOBA ~ *p*TA > BA. Further, we estimated the overall activation energy for the nucleation of *p*BOBA using additional data measured at 40 °C (see Fig. S3. 2d†) and assuming the rate constant A' to have an Arrhenius temperature dependence. This gave a value of 74 kJ mol⁻¹, which compares well with Dunning and Shipman's value of 67 kJ mol⁻¹ for sucrose in water.²¹

Fitted CNT parameters (see Table S3.3†) and the interfacial tension, γ , were tested for potential correlations with solution phase properties such as solubility, standard molar dissolution enthalpy (estimated from van't Hoff solubility plots) and solvent dielectric constant. From these (see Fig. S3.5†) it is evident that no correlation exists between any of these parameters supporting our earlier findings²⁵ that relative rates are not linked to any macroscopic feature of the solution chemistry.

Given this situation, and following our previous approach,²⁵ we used values of S_1 as an alternative means of comparing rates across systems and solvents. Here S_1 is defined (Fig. S3.6†) as the value of supersaturation at which J/M attains a value of 1 M⁻¹ s⁻¹. In previous work we used S_{200} , however this is no longer appropriate with rates compared as J/M since such S values fall well outside the measured range. Fig. 4 then shows the relationship between this rate parameter, the values of γ derived from B (eqn 1, S3.2 and Table S3.3†) and the calculated lattice energies (E_{latt}).²⁵ Here we find clear correlations in both cases: larger γ values are associated with higher values of S_1 needed to initiate nucleation (Fig. 4a) and more negative E_{latt} (increasing structural stability) leading to smaller values of S_1 (Fig. 4b), being easier to nucleate. (*nb* we note that in both correlations, BA in IPA/water appears to be anomalous, a feature which we attribute to the uncertainty in estimating S_1 for this system: as Fig. 3b shows the BA-IP/water data are unique in extending only as far as $JM^{-1} \sim 0.5$ so that significant extrapolation is required to reach S_1 as seen in Fig. S3.6b†). Taken together, these correlations indicate that the nucleation rates of these 4 molecules are dominated by solid-state features (related to both the bulk and the surface stabilities) and not solution

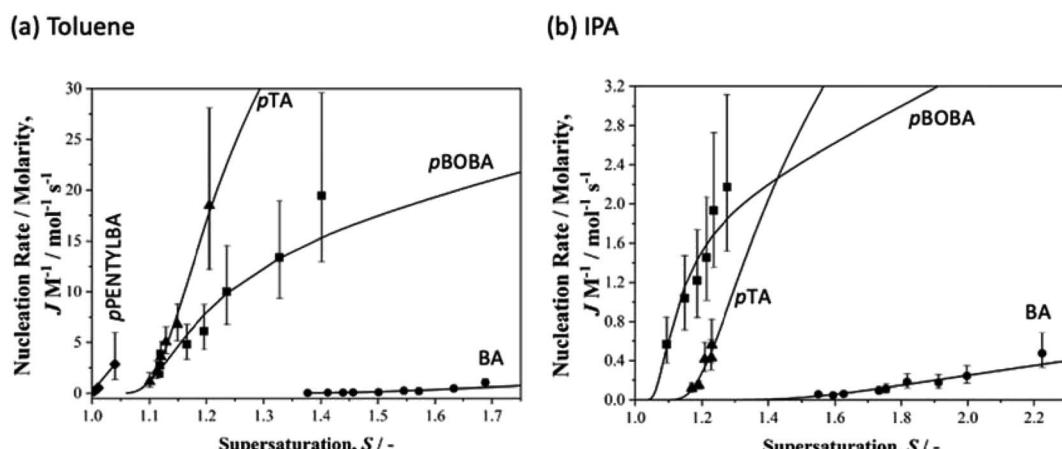


Fig. 3 Normalised nucleation rates (J/M) as a function of supersaturation for BA (circles), *p*TA (triangles), *p*BOBA (squares) and *p*PENTYLBA (diamonds) in (a) toluene and (b) isopropanol solutions. Solid lines correspond to the CNT eqn (1) using the fitted values of A and B .



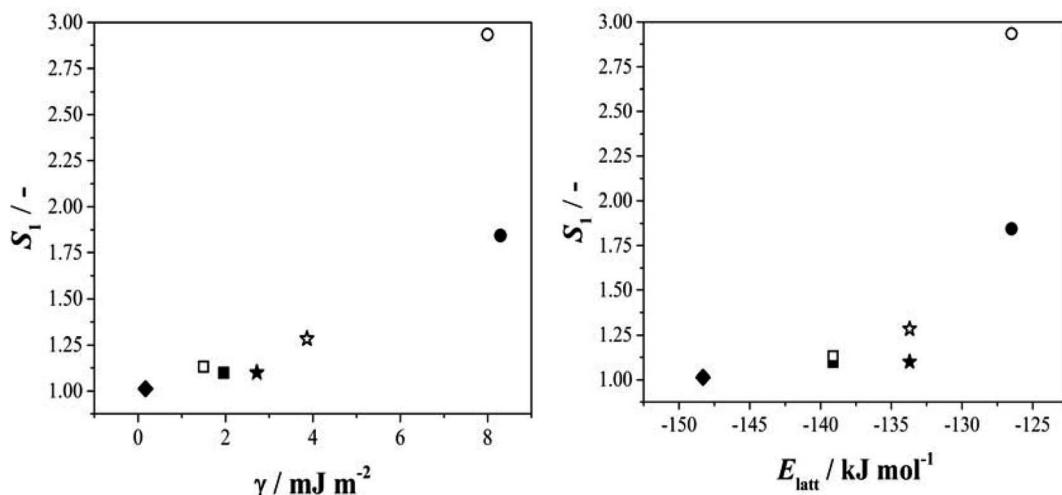


Fig. 4 The relationship between S_1 and the interfacial energy (γ) (left hand side) and the lattice energy (right hand side) for BA (circles), *p*TA (triangles), *p*BOBA (squares) and *p*PENTYL (diamonds). The filled and empty symbols refer to the solvents toluene and isopropanol/IPA/water in the case of BA, respectively. (nb The BA – IPA/water data point was derived using nonlinear fitting – see Fig. S3.6b†).

chemistry. Whilst the lattice energy (bulk stability) is independent of the solvent, the crystal/solution interfacial tension, γ , is not (systems with lower lattice energies also have lower surface energies).

Armed with these specific kinetic data we can now equate the qualitative notions of ‘tendency to crystallise’ or ‘crystallizability’ precisely with relative nucleation rates: increasing nucleation rates are equivalent to molecules having higher tendencies to crystallize. Taking as an example the toluene data of Fig. 3 we can say that the crystallisation tendency follows the order *p*PENTYLBA > *p*TA > *p*BOBA > BA strongly suggesting that conformational flexibility alone does not limit ‘crystallizability’ since, for example, *p*PENTYLBA has more rotatable bonds than either *p*TA or BA and yet is the fastest nucleator. This conclusion is confirmed by the conformational analysis above: in both *p*PENTYLBA and *p*BOBA the conversion between conformers involves crossing energy barriers of about 13 kJ mol^{-1} (ie $\sim 5\text{RT}$). Typical conformational exchange rates for these chains calculated by molecular dynamics^{32,33} suggest that such a barrier is easily crossed and that it is unlikely to limit the interconversion. Indeed our estimated value of the overall activation energy for nucleation of *p*BOBA (74 kJ mol^{-1}) being 5 times higher than the conformational energy barriers confirms that conformational change cannot be rate determining. Similarly it appears that in this case the differing numbers of molecules in the asymmetric units are also unlikely to be related to some early feature of the nucleation process since in this case *p*PENTYLBA and *p*BOBA with $Z' = 3$ and 2 respectively both nucleate faster than BA with $Z' = 1$.

Crystal structures, conformational issues and kinetics

Having ruled out conformational issues and Z' as being rate determining we now wish to explore further the underlying

determinant of the observed relative nucleation rates. The potential importance of solid state features has been shown in Fig. 4 and so following our previous methodology²⁵ we interrogated the crystal packing of the molecules in further detail. Fig. 5 shows the various packing of the four acids studied here. All of them form stable H-bonded carboxylic acid dimers which then stack infinitely in the solid state in varying geometries. In BA, the aromatic rings stack “face to face” by translation (Fig. 5a) whilst in *p*TA they stack “face to face” through inversion symmetry (Fig. 5b). In *p*BOBA and *p*PENTYLBA, the length of the chains in the *para* position are considerable and thus also involved in stabilising the infinite stacks which are more complex. In *p*BOBA and *p*PENTYLBA, the rings are variously interpenetrated by the substituent chains creating less obvious continuous dispersive interactions which involve “ring to ring” as well as “chain to chain” and “ring to chain” stacks occurring either through “face to face” or “edge to face” geometries (see S4† for details). Briefly, *p*BOBA uses “ring to chain” stacks in both “face to face” and “edge to face” orientations to build the infinite dispersive chains (Fig. 5c).³⁴ In *p*PENTYLBA, stacks are all “face to face” but there is a mixture of “ring to ring”, “chain to chain” and “chain to ring” (Fig. 5d). The structures and interactions building the continuous dispersive bonds are further described in the S4.†

Both solvent dependent H-bond dimerization energies ($E_{\text{dim,HB}}$) and the non-polar dispersive dimer energies ($E_{\text{dim,stack}}$) were therefore calculated so that their impact in determining rates could be assessed. For BA and *p*TA these data have been reported previously²⁵ and are reprise here (Table S4.1†) together with the new calculations for *p*BOBA and *p*PENTYLBA. The computational procedure is explained in detail in S4.3.† Briefly, crystal structures of the acids were optimised using periodic PBE-d (VASP). Dimers were then built from the optimised crystal structures and a single point calculation of the dimer energies performed. The dimerization energy was

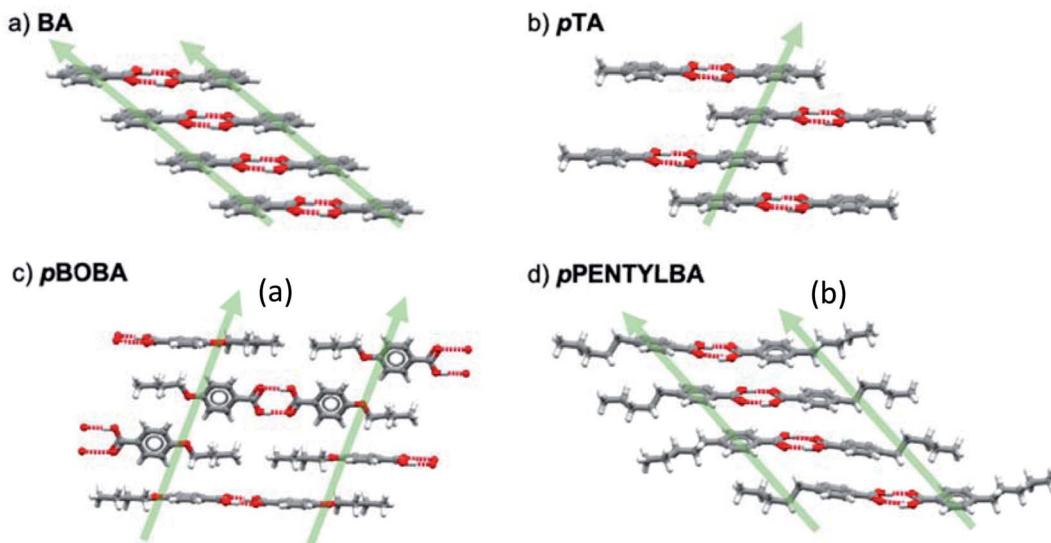


Fig. 5 Dispersion continuous chain interactions (green arrows) in (a) BA, (b) pTA, (c) pBOBA, and (d) pPENTYLBA. Atoms are coloured as follows: grey-carbon, white-hydrogen and red-oxygen. Hydrogen bonds are depicted as dashed red lines.

calculated as the difference between the dimer energy and twice the energy of the optimised monomer using the same model. The dimer and monomer energies were calculated in the gas-phase and in solution using an implicit solvation model.

It is evident (Table S4.1†) that within this series of structures, and for a given solvent, the H-bonded dimer energies remain essentially constant (*e.g.* -78.6 and 78.5 kJ mol^{-1} respectively for BA and *p*PENTYL in toluene and -57.8 and $-58.2 \text{ kJ mol}^{-1}$ in IPA), reinforcing our previous conclusion that H-bond dimer formation is not rate determining in the nucleation of these

benzoic acids. The stacking/dispersive energies tend to be larger for *p*BOBA and *p*PENTYLBA than BA and *p*TA as expected since they are larger molecules with more atoms involved. To test the overall importance of the dimer stacking energies in determining the relative nucleation rates, Fig. 6 combines all our data on six *para* substituted carboxylic acids,²⁵ (BA and *para* amino-, nitro-, toluic-, butoxy-, pentyl benzoic acids) nucleating in various solvents, in a plot of $E_{\text{dim,stack}}$ versus S_1 . In the cases of *p*BOBA and *p*PENTYLBA where there is no unique value of this stacking energy, we have used the smallest of the computed values (*i.e.* the weakest interaction). There is a strong correlation, with more stabilising interactions requiring lower values of S_1 . This confirms the central importance of stacking interactions²⁵ in the nucleation process and reminds us that the creation of an acid H-bonded dimer is not a good way to build a crystal since it does not offer infinite, periodic, interactions, which in these cases are afforded by ring–ring and other dispersive contacts.

Nucleation–growth rates correlation

Finally, we return to the question of the correlation between growth and nucleation rates revealed in our previous work on *p*-aminobenzoic acid.³⁵ We were keen to find out if such a correlation, never before reported, is a general phenomenon. In these nucleation experiments although we do not measure growth rates, *per se*, we do determine growth times, t_g ,²⁷ – the time taken for a nucleus to grow to a size at which it may be detected. The inverse of such growth times normalised to solubilities, $(1/t_g M)$, may then be used as a measure of relative growth rates and Fig. 7 shows this parameter plotted as a function of supersaturation for the current data set. From this we see that for growth rates, p PENTYLBA $>$ *p*TA $>$ *p*BOBA $>$ BA in toluene while *p*BOBA \geq *p*TA $>$ BA in IPA. In both solvents, these orders follow precisely those of the relative nucleation

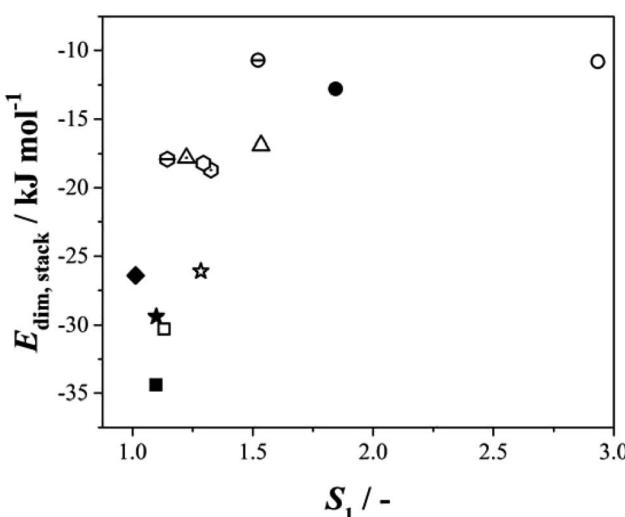


Fig. 6 The relationship between $E_{\text{dim,stack}}$ (solvent dependent stacking dimerization energies) and S_1 . Circles, stars, squares, diamonds, hexagon and triangles symbols represent BA, *p*TA, *p*BOBA, *p*PENTYLBA, *p*ABA and *p*NBA respectively. The filled, open, dashed open and dotted open symbols refer to the solvents: toluene, isopropanol (IPA–water for BA), acetonitrile and ethyl acetate respectively. (*nb* BA in IPA/water data point is based nonlinear data fitting.)

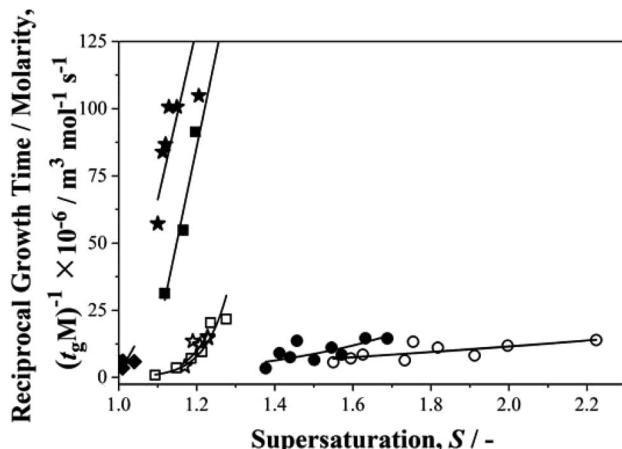


Fig. 7 Reciprocal growth time and molarity, $(t_g M)^{-1} \times 10^{-6}$ against supersaturation, S . Circles, stars, squares and diamonds symbols represent BA, pTA, pBOBA and pPENTYLBA respectively. The filled and opened symbols refer to the solvent representation; toluene and isopropanol respectively.

rates, J/M , again suggesting a correlation between nucleation and growth.

Conclusions

This work has clarified and explored a number of important issues and provided a general framework with which to consider conformational flexibility in the context of crystallization processes. Beyond the computational aspects of the study, we have also highlighted the importance of normalizing rate data when comparing the behavior of materials with very different solubilities. In a general sense it has shown that current experimental techniques do make it possible to move beyond ill-defined terms and qualitative measures such as 'crystallizability' or 'tendency to crystallize' in favour of more precise measures of relative nucleation kinetics. For the series of molecularly and structurally related molecules studied here our methodology shows that increased conformational flexibility (as in increased number of rotatable bonds) does not, on its own, control their relative rates of nucleation. On the contrary, amongst this series of *para* substituted benzoic acids we find that rates (and crystallizability) are dominated by other solid-state features, notably continuous dispersive and stacking interactions. We may conclude that just because a molecule possesses many rotatable bonds, and as a consequence has multiple molecules in its crystallographic asymmetric unit, does not mean that conformation will dominate its ability to nucleate and crystallize. Indeed, conformational change is only one of the many activated processes that contribute to and control the kinetics of crystallization and its relative weight in the whole process will change depending on the system.

We know from notorious cases of conformational polymorphism that the nature of rotatable bonds is much more important⁴ than their number. Ritonavir, for example, presents a very different situation to our systems. In contrast to low

conformational energy barriers of ~ 13 kJ mol⁻¹ as in our benzoic acids, in Ritonavir the rotation of the carbamate bond to yield the metastable conformer is central to the formation of the stable form and has a conformational energy barrier³⁶ of over 100 kJ mol⁻¹. When these conformational energy barriers are compared to typical activation energies for nucleation (~ 70 kJ mol⁻¹), it becomes clear that the former would have no impact on the rate whilst the latter would indeed control the kinetics of nucleation of such a form. Thus, it is the nature and not the number of rotatable bonds that matters. Finally, we comment on our further evidence of the correlation between nucleation and growth rates: in the wider context of the experimental realisation of crystal structure prediction outputs this is an important general finding since while nucleation rates of different crystal structures cannot be predicted, growth rates can.^{25,37}

Conflicts of interest

There are no conflicts of interest to declare.

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