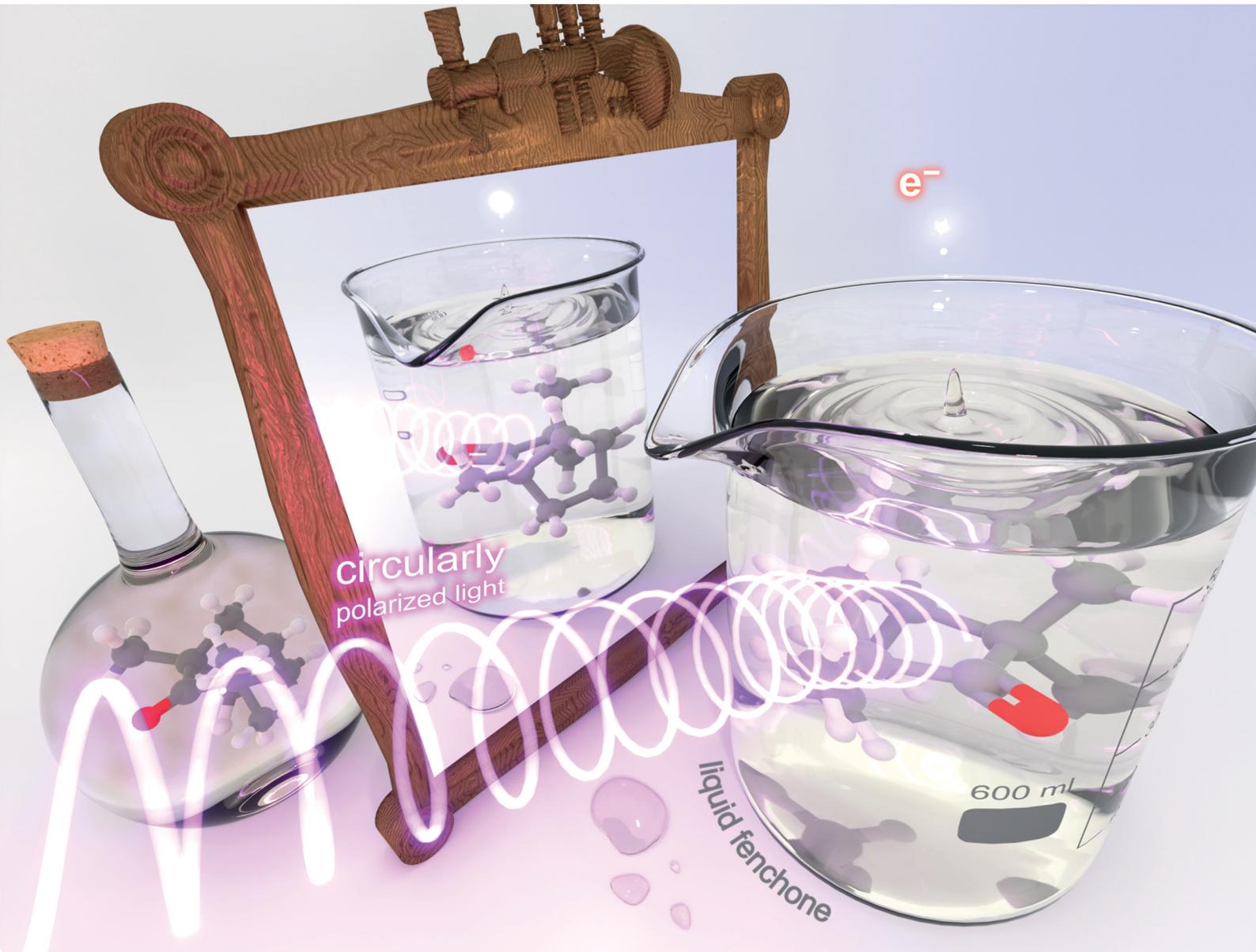


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Photoelectron circular dichroism in angle-resolved photoemission from liquid fenchone[†]

Marvin N. Pohl, ^{‡abc} Sebastian Malerz, ^{‡a} Florian Trinter, ^{ad} Chin Lee, ^{bc} Claudia Kolbeck, ^a Iain Wilkinson, ^e Stephan Thürmer, ^f Daniel M. Neumark, ^{bc} Laurent Nahon, ^g Ivan Powis, ^h Gerard Meijer, ^a Bernd Winter ^a and Uwe Hergenhahn ^{*a}

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We present an experimental X-ray photoelectron circular dichroism (PECD) study of liquid fenchone at the C 1s edge. A novel setup to enable PECD measurements on a liquid microjet [Malerz *et al.*, *Rev. Sci. Instrum.*, 2022, **93**, 015101] was used. For the C 1s line assigned to fenchone's carbonyl carbon, a non-vanishing asymmetry is found in the intensity of photoelectron spectra acquired under a fixed angle in the backward-scattering plane. This experiment paves the way towards an innovative probe of the chirality of organic/biological molecules in aqueous solution.

1 Introduction

Many of the molecules providing the basis of living matter are chiral, that is they may exist in two different 3-D structural forms, which are mirror images of each other. Due to steric effects, these two forms or enantiomers may behave very differently when they interact with other chiral partners. This is chiral recognition, a fundamental metabolic process. Furthermore, the chiral molecular building blocks of terrestrial life, such as amino-acids and sugars, are almost exclusively found as single enantiomers, a fascinating property known as the homochirality of life.¹ As a consequence, it is immensely important to have the means to distinguish between enantiomers at the molecular level, despite them possessing largely

identical physico-chemical properties such as mass, spectra, and energetics (apart from putative tiny electroweak effects²). Therefore, chiral discrimination, or recognition, requires interaction with another chiral entity. A common example is the interaction with circularly polarized light (CPL), which gives rise to the well-known circular dichroism (CD) effect in absorption.^{3,4} Relatedly, chiral (spin-polarized) electrons have also been shown to discriminate for the molecular-level handedness of a sample.^{5,6}

It is of great appeal that elements of these two techniques are combined in yet another effect that discriminates between different enantiomers of a species, namely photoelectron circular dichroism (PECD). This term designates an asymmetry in the angle-resolved photoelectron (PE) flux after ionization of a sample of chiral molecules with circularly polarized light. The effect requires a suitable geometry of the experiment, as it vanishes in the plane perpendicular to the photon propagation direction ('dipole plane'). It can be observed as a difference of photoelectron intensity between two measurements, in which either (1) the same sample is probed by left- *versus* right-handed circularly polarized light, or (2) the same sample is probed by any helicity of the light, and electrons are collected under two different angles, one in the forward and the other in the backward scattering direction, with the two angles being mirror imaged at the dipole plane, or (3) by probing the two different enantiomers of a substance with either helicity, at an angle outside of the dipole plane. Historically, the potential existence of PECD was noted in theoretical papers in the 1970s,^{7,8} but only abstract model systems were considered, and these works received only minor attention at that time. It was over twenty years later that a dedicated numerical simulation on actual molecules by Ivan Powis suggested that this effect could have

^a Molecular Physics, Fritz-Haber-Institut der Max-Planck-Gesellschaft, Faradayweg 4-6, 14195 Berlin, Germany. E-mail: hergenhahn@fhi-berlin.mpg.de

^b Department of Chemistry, University of California, Berkeley, CA 94720, USA

^c Chemical Sciences Division, Lawrence Berkeley National Laboratory, Berkeley, CA 94720, USA

^d Institut für Kernphysik, Goethe-Universität Frankfurt am Main, Max-von-Laue-Straße 1, 60438 Frankfurt am Main, Germany

^e Department of Locally-Sensitive & Time-Resolved Spectroscopy, Helmholtz-Zentrum Berlin für Materialien und Energie, Hahn-Meitner-Platz 1, 14109 Berlin, Germany

^f Department of Chemistry, Graduate School of Science, Kyoto University, Kitashirakawa-Oiwakecho, Sakyo-Ku, Kyoto 606-8502, Japan

^g Synchrotron SOLEIL, L'Orme des Mersiers, St. Aubin, BP 48, 91192 Gif sur Yvette, France

^h School of Chemistry, The University of Nottingham, University Park, Nottingham, UK

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[‡] These authors contributed equally to this work.

[§] Current address: sonUtec GmbH, Mittlere-Motsch-Straße 26, 96515 Sonneberg, Germany.



an observable magnitude.⁹ In fact, it was simulated to be significantly greater than that of more conventional chiroptical methods, since PECD is already allowed in the pure electric dipole approximation, in contrast to regular CD.¹⁰ Thereafter, the first experimental observations of PECD were reported for valence photoionization,^{11–13} and about two years later, a systematic experimental and theoretical study of PECD in core-level photoionization of gaseous camphor confirmed its existence and several features of its behaviour, including its general manifestation within a few tens of eV of an ionization threshold, where the generated photoelectrons are sensitive to the subtleties of any local chiral potential.¹⁴ Since then, PECD has been studied in the case of one-photon valence and core-level photoionization of gaseous chiral molecules^{15–17} and has been extended to clusters and nanoparticles.^{18–20} Furthermore, its investigation has broadened to include multi-photon^{21–25} and time-dependent^{26,27} ionization processes. Using charged particle coincidence experiments, the underlying molecular-frame photoelectron angular distributions (PADs) were also measured.^{28,29} A profound analysis of the symmetry principles underlying the original PECD mechanism and its variants has appeared recently,³⁰ and the mechanism underlying the build-up of the asymmetric emission in one-photon PECD has been investigated from a fundamental viewpoint.^{31,32}

Here, we present experimental results in the framework of single-photon photoionization processes in a liquid. The primary question we aim to answer is whether PECD can be observed from the photoionization of a liquid composed of chiral constituents. Since the existence of PECD in the gas phase does not require any local molecular ordering, from symmetry principles, this may well be the case. On the other hand, we are not aware of any experiments trying to directly address this question, although a first PECD valence-shell study on pseudo-amorphous nanoparticles of the amino-acid serine revealed a reduced but yet non-vanishing PECD.²⁰ Some of the authors therefore have constructed a new setup dedicated to PECD studies on a liquid microjet, as described elsewhere.³³ Here, we present a complete feasibility study of actual PECD detection using a nearly-neat liquid microjet of fenchone. This work opens up the perspective to use this technique for studying the handedness of chiral molecules in aqueous solution, such as amino acids, their building blocks,³⁴ or sugars.³⁵

Fenchone ($C_{10}H_{16}O$, 1,3,3-trimethylbicyclo[2.2.1]heptan-2-one) is a chiral bicyclic mono-terpenoid built from a six-membered ring with a single-carbon bridge connecting C1 and C4 and featuring three methyl ligands and a carbonyl ($C=O$) group adjacent to one of the asymmetrically substituted chiral centres. Its structure is shown in Fig. 1. The (*1R,4S*)-(-)-fenchone enantiomer naturally occurs in fennel. Importantly, the $C=O$ carbonyl carbon has a 1s core binding energy shift that allows it to be spectroscopically distinguished from the remaining carbon atoms in a core-level photoelectron spectrum (PES).³³ Moreover, it has been shown to exhibit a sizeable PECD effect in the gas phase.^{33,36} Follow-on studies on this molecule also examined PECD effects in its valence PES,^{37,38} and subsequently targeted multi-photon PECD

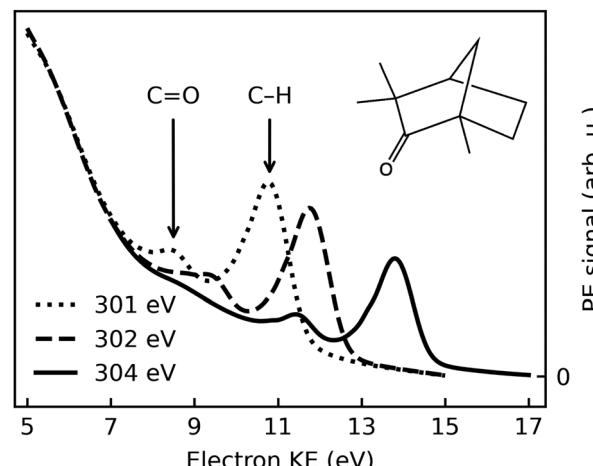


Fig. 1 Electron spectra recorded after photoionization of (*1S,4R*)-(-)-fenchone with *l*-CPL at photon energies of 301 eV, 302 eV, and 304 eV; dotted, dashed, and solid lines, respectively. Spectra averaged over a number of sweeps performed at the respective photon energy are shown; no further normalization has been performed. See text for details.

processes^{21,23,39,40} and complex electronic-structure dynamics using ultrafast laser pulses.^{26,41} The choice of fenchone for these prototypical studies has been partially motivated by the relative rigidity of its geometric structure, making conformational isomerism a lesser complication in the interpretation of any associated results, in comparison to those from other similarly-sized chiral systems. In this work, we will address single-photon C 1s core-level PES of fenchone in its native, liquid form, as this presents a clear-cut case for the demonstration of liquid-phase PECD. A small subset of the data from this project was already used for illustrative purposes in an apparatus paper that some of the authors have recently published.³³

2 Experimental

Photoionization experiments on a liquid microjet of fenchone were performed using circularly polarized synchrotron radiation from an undulator, and a hemispherical electron analyzer arranged in the backward-scattering plane. Data were acquired over two measurement campaigns with a setup, *EASI*, described recently.³³ Details of the experimental setup are as follows:

2.1 Synchrotron radiation

The experiments used synchrotron radiation in the soft X-ray range provided by the P04 beamline of the PETRA III storage ring at DESY, Hamburg (Germany). This beamline is equipped with an APPLE-II-type undulator⁴² allowing experiments with high-purity CPL.⁴³ A VLS (variable line spacing) monochromator's planar grating of 400 l mm^{-1} spacing and 15 nm groove depth (campaign 1) or 1200 l mm^{-1} spacing and 9 nm groove depth (campaign 2) was used with typical exit-slit settings of $100\text{--}120 \mu\text{m}$, yielding an energy resolution of approximately 90 meV (400 l mm^{-1}) or 30 meV (1200 l mm^{-1}) at photon energies slightly above the carbon K-edge. The minimum spot



size of the beamline (using smaller exit-slit openings than $30\ \mu\text{m}$) has been measured as $10 \times 10\ \mu\text{m}^2\ (h \times v)$ in the nominal focus position of the optics.^{44,45} For our experiment, due to spatial constraints, the interaction region had to be placed approximately 220 mm downstream of that position; the vertical focus however was shifted accordingly using a pair of Kirkpatrick–Baez mirrors.⁴³ We correspondingly estimate the beam spot size at the point of interaction to be $180 \times 35\ \mu\text{m}^2\ (h \times v)$.

The photon-energy scale of the monochromator was calibrated by a standard procedure that optimizes the pitch angle for specular reflection. We estimate the residual error after this procedure as $\pm 0.2\ \text{eV}$ in the photon-energy range used in this work.

Circularly polarized radiation of either helicity was produced by shifting the magnet blocks of the APPLE-II undulator accordingly. In a separate experiment, the polarization of the ensuing radiation has been analyzed by measuring the PADs of various gases in the plane perpendicular to the light propagation direction.^{46,47} Measurements were performed for both signs of the undulator geometric shift, corresponding to both output radiation helicities. The shift was varied in small steps in the spectral region of interest, preferentially yielding circularly polarized light. Then the Stokes parameter for circular polarization was calculated as the complement to the Stokes parameters for the residual amount of linear polarization. Experiments were carried out with the $400\ \text{l mm}^{-1}$, $15\ \text{nm}$ groove depth grating and yielded absolute values for the circular Stokes parameter, S_3 , larger than 0.98 for photon energies between 550 and 1250 eV, and in an interval of values of the undulator shift about 5 mm wide. The photon energies of interest in this work are somewhat lower, however, namely in the vicinity of the carbon K-edges of fenchone, slightly below 300 eV. In this energy region, some degradation of the purity of circular polarization has been observed in experiments on another APPLE-II undulator beamline, and was attributed to carbon contamination of the optical elements.⁴⁸ In any case, on that occasion $|S_3|$ was still found to be > 0.92 . Despite the lack of direct measurements for our setup, we consider it fair to assume similar or lesser circular polarization degradation here. Correspondingly, no further normalization of the measured PECD magnitude has been applied.

By carrying out a PECD measurement on the fenchone gaseous phase evaporating from the liquid jet, we established a correspondence of the geometric shift with negative sign to left-handed circularly polarized light (*l*-CPL), according to the ‘optical’ convention.^{33,36,49}

2.2 Liquid microjet

Both enantiomers of fenchone were obtained commercially (Sigma-Aldrich, purity $\geq 98\%$) and were used without further purification. A microjet was produced by pushing the liquid through a glass capillary nozzle with an inner diameter of $28\ \mu\text{m}$ by a commercial HPLC pump (Shimadzu LC-20AD). A flow rate of $0.6\text{--}0.8\ \text{ml min}^{-1}$ at pressures of $11\text{--}14\ \text{bar}$ was typically used. The sample was made conductive by addition of

$75\ \text{mM}$ tetrabutyl-ammonium nitrate salt (TBAN), to prevent charging by the photoionization process.³³ Our liquid-jet holder features a cooling jacket that was stabilized to $10\ ^\circ\text{C}$. Since it, however, does not extend up to the nozzle tip, a slightly higher temperature of the injected liquid cannot be ruled out. The liquid stream was directed horizontally, perpendicular to the light propagation axis. After passing the interaction region, the jet was collected on a cold trap cooled by liquid nitrogen, thus maintaining the interaction chamber pressure below $10^{-3}\ \text{mbar}$. A bias voltage could be applied to the liquid microjet *via* a gold wire brought in contact with the liquid approximately 550 mm upstream of the expansion nozzle;^{33,50} this wire was connected to the chamber ground potential, unless otherwise stated. Comparison measurements were performed using the same equipment to produce a jet of high-purity liquid water, made conductive by the addition of NaCl to 50 mM concentration.

2.3 Electron detection

Photoelectrons produced from the liquid fenchone jet by circularly polarized synchrotron radiation were collected in a backward-scattering geometry under an angle of 130° with respect to the light propagation direction, and of 90° relative to the liquid jet direction.³³ Electrons were detected by a near-ambient-pressure hemispherical electron analyzer (HEA, Scienta-Omicron HiPP-3) with a lens mode adapted to specifically enable the measurement of electrons at low kinetic energies (KEs, below 30 eV). For the same purpose, μ -metal shielding was added to the interaction chamber housing the liquid jet. Electrons passed a first skimmer into the HEA with an opening of $800\ \mu\text{m}$ diameter and set to the ground potential of the setup, and were accelerated immediately thereafter to diminish scattering losses at the elevated background pressure produced by evaporation from the liquid jet. The distance of the liquid jet to this opening was approximately equal to the skimmer aperture diameter. Under these conditions, photoelectrons from a liquid jet can be observed down to very low KEs, though they appear atop of an intense background of low-energy electrons produced by scattering of photoelectrons created inside the bulk liquid.⁵¹ This point will be further discussed in detail below.

The slit restricting the entrance into the hemispheres was set to $800\ \mu\text{m}$, adapted to the size of the skimmer opening. Electron spectra were measured with a pass energy of 20 eV, and electrons were detected by a stack of two microchannel plates and a fluorescence screen, read out by a CCD camera. The so-called ADC (analog-to-digital conversion) mode of the control software was used, in which the gray-scale camera image is interpreted to yield the underlying electron detection rates.

Spectra were acquired in swept mode. In order to minimize loss of acquisition time by shifting the undulator structure and switching the X-ray beam helicity, spectral sweeps were typically repeated ten to thirty times for each photon helicity, and several pairs of spectra were acquired for both helicities at each photon energy. A set of individual sweeps that were



averaged to produce a spectrum are shown in Fig. S1 of the ESI.† Some amount of sweep-to-sweep variation is seen, concerning both intensities and peak energies. The typical extent and time-scale of intensity fluctuations is further illustrated by Fig. S2 and S3 of the ESI.† While the exact origin of these effects is still under investigation, the occurrence of small variations of the jet position (much smaller than the focus size, that is on a length scale of one–two μm) likely contributes significantly to these observations. Before analysing the intensity difference between *l*-*r*-CPL, the raw data were checked for sweep-to-sweep variations of intensity or KE, and sweeps identified as clear outliers were removed. Intensities were always determined from sweep-averaged spectra, to make up for the fact that a different amount of sweeps may pass the quality criterion for *l* vs. *r*-CPL. Between 3–30% of sweeps were dropped. In some cases, small KE drifts over the course of data acquisition (50 meV or less) were numerically corrected. Methods for peak-area determination and peak-to-background separation were an essential part of the data analysis and will be detailed below.

3 Results

3.1 The C 1s photoelectron spectrum of liquid fenchone

Fig. 1 shows typical C 1s photoemission spectra from liquid (1S,4R)-(+)-fenchone, measured at 301 eV, 302 eV, and 304 eV photon energies with *l*-CPL. Two features due to C 1s photoionization can be readily identified and strongly resemble earlier results for gaseous fenchone.³⁶ The less intense peak at lower KE (higher binding energy) is correlated with ionization of the single carbon from the C=O double-bond carbonyl group, while the larger peak at higher energy arises from the cumulative ionization of the remaining nine carbon atoms at the primary, secondary, and tertiary sites. This leads to rather similar C 1s binding energies, which cannot be spectroscopically separated.

No discernible features can be attributed to gas-phase contributions to the spectrum. This is unusual compared to photoelectron spectra of other substances probed in liquid microjet experiments, most notably water,⁵² but also, *e.g.*, methanol,⁵³ acetic-acid solutions,⁵⁴ and liquid ammonia.⁵⁵ In principle, two explanations are conceivable: The gas-phase contributions are too low in intensity to become apparent, or they overlap—in this case—with the features stemming from the liquid phase. The vapour pressure of fenchone in the temperature range relevant for this experiment is 0.33 mbar at 10 °C, more than a factor of ten lower than that of liquid water.⁵⁶ Typical gas-phase contributions in O 1s spectra of liquid water with the *EASI* setup at beamline P04 amount to 5–20% of the signal in the O 1s liquid core level peak, depending on the conditions. Hence, a small gas-phase contribution to the fenchone spectra can be expected. In our previous work, we deduced an upper limit for the gas-phase contribution of 14%, based on spectra recorded with a small negative bias applied to the jet in order to separate the gas- and liquid-phase features.³³

From the same analysis, we concluded that gas- and liquid-phase C 1s features indeed energetically overlap in the current case. This is a rather non-trivial result, as even in the valence spectrum of liquid fenchone (unpublished data from our own work), or of other non-polar, liquid solvents,^{57,58} ionization energies are typically lower in the liquid in comparison to the gas phase. In a crude manner, the gas-liquid shift was rationalized by considering the Born free energy of solvation of a positive charge (the vacancy created by photoionization) in the bulk liquid, described by its polarizability, ϵ , at optical frequencies.⁵⁹ The quantity ϵ , taken as the square of the refractive index, does not differ qualitatively between fenchone and liquid water.⁶⁰ Therefore, we suggest that the small or vanishing gas-liquid shift for the inner-shell levels of fenchone is coincidental; it may result from a cancellation of various factors, *e.g.*, electronic charge redistribution following ionization *versus* electronic structure changes due to nuclear rearrangement. In this study, we additionally append the previously-determined gas-phase binding energies of 292.6 eV (C=O site) and 290.3 eV (CH site) to the analogous liquid phase peaks.³⁶

In addition to the C 1s main lines, an unstructured background of low-KE electrons can be seen (low KE tail, LET). This phenomenon is well known from photoemission studies on bulk solid samples⁶¹ and has recently been described in detail for a liquid water jet by some of the authors.⁵¹ Briefly, in our study on aqueous solutions, an intense LET was found, atop of which no discernible structures could be resolved in electron spectra below kinetic energies of approximately 10 eV. This is a general result, valid not only for emission out of water's orbitals, but also for features resulting, *e.g.*, from electronic levels of solutes.⁵¹ While its exact nature is not fully understood at this moment, it is attributed to a strong increase of the importance of quasi-elastic, *e.g.*, vibrational scattering channels, particularly at electron kinetic energies for which electron-impact ionization channels are closed. Adding to that is an influence of excitation into neutral resonant states lying above the nominal ionization potential.⁵¹

Strictly speaking, the nature of the LET and the phenomenon of diminishing peak intensities may very well be of a different nature in fenchone, *e.g.*, less or more intense and with a different energetic threshold, since in liquids little is known about the LET dependence on the ionized substance. Fig. 1 suggests that peak features are observable with acceptable spectral distortion down to KEs of 8 eV in liquid fenchone, which is similar or slightly lower compared to water. This result is of great importance for our work, as in gas-phase studies it has been learned that PECD only leads to significant asymmetries in the threshold region, *i.e.*, at photoelectron kinetic energies below 20 eV. Notably, a comparison of the results on low-KE electron emission from liquid water in ref. 51, giving a lower KE bound at which liquid-phase photoemission peaks from aqueous solutions are discernible, with the gas-phase data by Ulrich *et al.*,³⁶ giving an upper KE bound at which PECD is still sizeable, suggests that the energy window shown in Fig. 1 spans a range offering good prospects for the identification of PECD in a liquid.

3.2 Observed dichroism in the angle-resolved spectra

In order to demonstrate the functionality of our *EASI* apparatus, the PECD of gas-phase fenchone, as sampled by lowering the liquid jet out of the synchrotron-radiation focus, was recorded and the literature results of Ulrich *et al.*³⁶ were reproduced with an improved energy resolution and a shorter acquisition time. These tests are described in our recent apparatus description and characterization paper.³³

We now turn to an analysis of the differences in photoemission spectra recorded with different helicities of the ionizing photons. Conceptually, we will distill an intensity asymmetry due to PECD from pairs of spectra recorded in the energy range shown in Fig. 1 by taking the following three steps: (1) peak-to-background separation and background subtraction, (2) calculation of the asymmetry from a pair of spectra at equal KE, and (3) correction of this raw value for any apparatus asymmetry.

As the first step, quantifying the amount of background present underneath the two C 1s peaks turned out to be the most problematic as obviously the C 1s signal is outweighed by the background contribution. Modelling it by an analytic procedure recommended for UPS (ultraviolet photoelectron spectroscopy) data⁶² did not yield a satisfactory representation. We therefore tested several *ad hoc* approaches to background subtraction, and compare them in detail below.

An exemplary background-corrected pair of sweep-averaged spectra of (1S,4R)-fenchone measured at 301 eV with *l*- and *r*-CPL is shown in Fig. 2, for all three background models used. Before we detail the various background-subtraction methods further, we would like to discuss dichroic properties of these two spectra and our approach to apparatus asymmetry correction.

In panel (A) of Fig. 2, we show a pair of spectra, averaged over two equally long sets of sweeps for each helicity after deletion of outlier traces and correction of (small) energy drifts. A visible apparatus asymmetry due to a small mismatch in photon intensities produced by the undulator in its two opposite settings has been corrected for in the figure as detailed below. The deviation of the intensity ratio from unity by this effect is practically invariant over the narrow photon-energy interval targeted in this paper, and is constant over a measurement campaign. Uncorrected spectra are shown in Fig. S4 of the ESI;† the intensity mismatch can also be seen in the general trend of the per-sweep total intensities in Fig. S2 of the ESI.† In order to correct for this apparatus-induced effect, we have used the helicity-dependent intensity of the C–H peaks in the spectra as an internal light-intensity monitor. This follows a practice from gas-phase studies of PECD in several terpenoids featuring a single C=O double bond, where it was noted that an asymmetry associated with the sum of overlapping hydrocarbon site signals in the more intense C–H peak can reasonably be assumed to cancel out.¹⁴ It was therefore postulated that the asymmetry of the latter peak vanishes exactly, and the C=O asymmetry was correspondingly measured relative to it.¹⁴ While this started out as an *ad hoc* assumption, this tenet was experimentally verified after work on the data-acquisition methodology allowed the measurement of gas-phase PECD free from a baseline error.^{36,48} We have, therefore, determined the

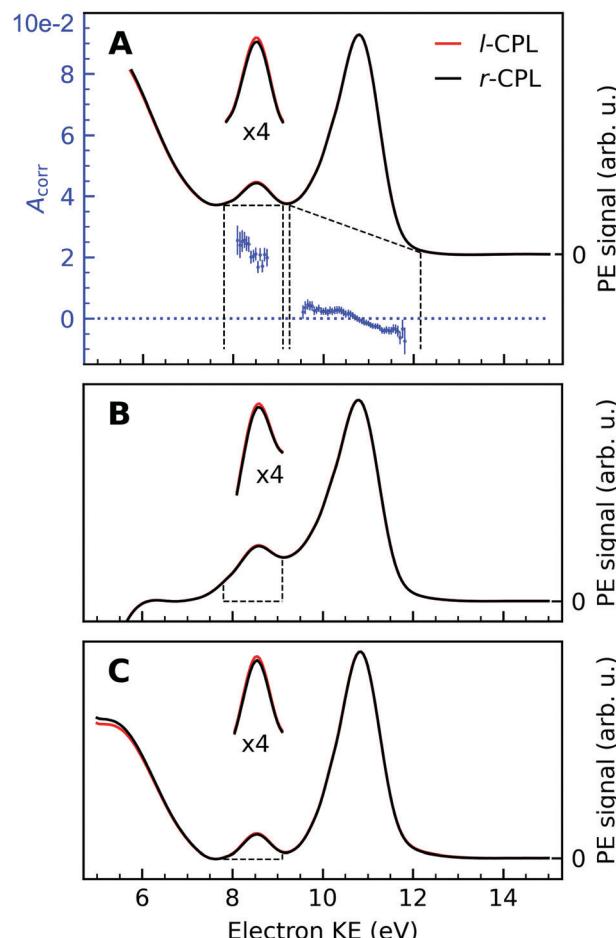


Fig. 2 Background-corrected photoemission spectra of (1S,4R)-(+)-fenchone measured at 301 eV with *l*- and *r*-CPL. Panels (A) to (C) show the results of various models by which to subtract the background contribution from a pair of spectra; spectra in Fig. 1 were instead displayed as measured for *l*-CPL. Background contributions were calculated by (A) fitting an exponential function to the high kinetic end of the spectrum, and subtracting an additional linear background ('roi'-approach); or (B) by fitting a linear combination of an exponential and a linear function to the high- and low-KE ends of the spectra ('exp'-approach). For (C), an exponential function has been fitted and subtracted from the raw data. Then, the 'total background' function⁶² is applied to the remaining spectrum ('sum'-approach). Blue points in panel (A) indicate the experimental asymmetries, $A_{\text{corr}}(130^\circ)$ (plotted *versus* the left *y*-axis) for the peaks originating from C=O and C–H K-edge photoionization, obtained as the difference divided by two times the mean of *r*- and *l*-CPL (eqn (2)), together with associated error bars. The areas marked with dashed lines in panels (B) and (C) indicate the width of the C=O peak, which is used for the asymmetry calculations. Expanded ($\times 4$) views of these peaks are drawn above the full spectra to get a clearer view on the magnitudes of the *l*–*r* asymmetry.

asymmetry of the C–H peak as explained below. For the purpose of illustration, we have used this information to normalize the pair of traces shown in Fig. 2 such that they correspond to the outcome of a measurement that is free from apparatus-induced asymmetry. Here and in the following we use the ratio

$$A = \frac{L - R}{L + R} = \frac{r - 1}{r + 1} \quad \text{with } r \equiv \frac{L}{R} \quad (1)$$

to calculate the asymmetry, A , from the intensities L and R recorded with l -CPL and r -CPL, respectively. If we include a correction for the apparatus asymmetry, the corrected asymmetry A_{corr} , determined from a measured intensity ratio r' and a correction factor γ is then:

$$A_{\text{corr}} = \frac{r'\gamma - 1}{r'\gamma + 1} \quad (2)$$

where γ can be determined from the measured asymmetry A'_0 of an isotropically emitted line (intensities L'_0 , R'_0) by:

$$\gamma = \frac{1 - A'_0}{1 + A'_0} = \frac{R'_0}{L'_0} \quad (3)$$

In that terminology, panel (A) of Fig. 2 shows the traces L and R . An exponential function fitted only to the part of the spectrum at higher KE than the C-H main line has also been subtracted from the data.

An intensity difference in the traces corrected for apparatus asymmetry, shown in Fig. 2A, can be seen in the region of the C=O C 1s line at a KE of ~ 8.5 eV. In order to exclusively analyse the intensity that can be attributed to C 1s photoemission, we have subtracted a further, linear background, as indicated by the dashed lines. Within the main C 1s peaks, we have then calculated the corrected asymmetry $A_{\text{corr},i}$ for every KE channel i . The resulting values are shown in Fig. 2A, plotted against the left-hand axis in a blue color. The error bars were derived as follows: We arranged all sweeps made with l - and with r -CPL into pairs. Labelling the pairs with the index k , we then calculated the distribution $A_{\text{corr},i}^k$, and give the standard deviation of its mean as an error to the data point $A_{\text{corr},i}$. More details of the data processing steps are provided in ESI† Section 1.3 and Supplementary Fig. S4 and S5 (ESI†).

Trivially, channel-wise asymmetries $A_{\text{corr},i}$ are equal or very near to zero in the range of the major C-H peak (showing the consistency of the baseline correction). Whether the rising trend of the asymmetry data pointing from slightly negative to slightly positive values in going towards smaller KEs is significant cannot be definitively ascertained at this moment. A word of caution is needed about its interpretation, as minute differences in the peak profile as a function of KE may occur *e.g.* due to small pointing differences for the left-handed *versus* right-handed undulator radiation, and can readily produce the apparent trend. On the contrary, asymmetry values for the C=O peak clearly show an asymmetry which is significantly different from zero. Still, with the current data and uncertainty limits, we refrain from (over-)interpreting the trend of the C=O asymmetry data across the low-KE C 1s peak.

3.3 Analysis of the C 1s peak areas

No clear-cut approach to peak-to-background separation is applicable to our spectra (see Fig. 1), to the best of our knowledge. As this point is nevertheless essential, we used different methods in parallel and will compare their results in subsection 3.5. Panels (A)–(C) in Fig. 2 serve to illustrate these methods.

As explained above, an exponential background was subtracted in Fig. 2A. Subsequently, peak areas were determined as integrated counts between the range marked with the vertical dashed lines, minus a linear background as indicated by the approximately horizontal dashed lines. Using the term ‘region of interest’ for these ranges, we term this the ‘roi’ method.

The spectra in Panel (B) were constructed by selectively fitting a linear combination of an exponential and a linear function to the data points containing the LET contribution only, specifically at the low- and high-KE ends of the spectra. After subtraction of the estimated background, the spectra were normalized to the C-H peak maximum. Asymmetries have then been calculated from the integrated PE intensities in a 1.4 eV energy range around the C=O peak, as indicated by the areas enclosed by the dashed lines in Panel (B) of Fig. 2. We use the label ‘exp’ for this method.

The approach adopted to produce Panel (C) follows a similar procedure to that used to produce Panel (B), with the difference that the background was constructed by first fitting an exponential function to the high-KE side of the spectra and then applying the ‘total background’ function⁶² (also known as non-iterative Shirley method⁶³) in order to estimate the LET background. This procedure iterates from the high- to the low-KE end of the spectra while aggregating (‘summing’) spectral intensity and is thus referred to as ‘sum’-approach.

More detail on the various background-signal separation methods is provided in the ESI†

3.4 Parametrization of the measured results

In order to connect our results to other experiments and to calculations, it is important to resort to parametrized forms of the differential photoionization cross section, which is the quantity measured here. Building on the earlier work of Ritchie,^{7,8} Ivan Powis showed that within the electric-dipole approximation, for chiral molecules the differential photoionization cross-section can be cast in the following form:^{9,10}

$$I^p(\theta) = \frac{\sigma}{4\pi} [1 + b_1^p \cos(\theta) + b_2^p P_2(\theta)]. \quad (4)$$

Here, the intensity has been written as a function of the angle θ measured from the photon propagation vector to the electron emission vector, for the left-handed circular ($p = 1$) or right-handed circular ($p = -1$) pure polarization states. P_2 denotes the second Legendre polynomial. The second-order coefficient b_2 turns out to be independent of the handedness of circular polarization, and can be expressed *via* the more familiar β -parameter as $b_2^{+1} = b_2^{-1} = -\beta/2$. A similar equation can be written for linearly polarized ($p = 0$) light, with the understanding that the angular coordinate in this case refers to the major axis of the polarization ellipse. In the latter case, the first-order coefficients vanish ($b_1^0 = 0$) and the second-order coefficient becomes $b_2^0 = \beta$. Higher-order and magnetic terms in the interaction of the radiation field with the molecule or liquid have been presented,⁸ but based on experimental results, they seem to have been unimportant in earlier gas-phase work.¹⁴ The first-order coefficient b_1 vanishes for non-chiral molecules,



and undergoes a sign change upon changing the chiral handedness of the molecule or swapping the light helicity; it is therefore the chiroptical parameter defining the PECD-induced asymmetry. Correspondingly, we can identify the corrected asymmetry (2) as follows:

$$A_{\text{corr}} = \frac{I^{+1}(\theta) - I^{-1}(\theta)}{I^{+1}(\theta) + I^{-1}(\theta)} = \frac{b_1^{+1} \cos \theta}{1 - (\beta/2)P_2(\cos \theta)}. \quad (5)$$

Here, the symmetry relation $b_1^{+1} = -b_1^{-1}$ has been used.^{7,9} It is interesting that, in the general case, A_{corr} depends on both the chiral parameter b_1 and the conventional angular distribution. In earlier gas-phase PECD experiments based on measurements performed at a single electron collection angle,¹⁴ or a pair of angles mirrored in the dipole plane,⁶⁴ the so-called magic angle-geometry of $\theta = 54.7^\circ$ was used. This geometry was adopted to ensure that the denominator in eqn (5) becomes identical to unity and the dependence on β ceases. Another option is to use imaging techniques collecting electrons over the full 4π sr emission solid angle, directly allowing the cosine dependence of the asymmetry to be extracted.^{12,65}

In our case, a rigorous determination of b_1 from our experiment would require a separate measurement of β , which however was outside the scope of this work. In the following, we will therefore estimate the potential influence of the deviation of our setup from the magic-angle geometry. Similarly, an estimate of the potential influence of non-complete circular polarization is in order. Inserting the limiting values of β (-1 and +2) into $[1 - (\beta/2)P_2(\cos \theta)]^{-1}$, we find that this factor may range from 0.94 to 1.14 for our $\theta = 130^\circ$ detection geometry. In the few works on the angular distribution parameter in photoemission from liquids, however, a trend towards small absolute β values has been found at low kinetic energies.⁶⁶ Given the results of that study on the O 1s orbital of water, a $\beta \sim 0.5$ might be a plausible but conservative estimate for our case of C 1s emission, which would lead to a factor of 1.03, resulting from the denominator in eqn (5).

Further, consideration of polarization impurities requires a look at the full angular-distribution function, which can be written as:

$$I(S, \theta, \phi) = \frac{\sigma}{4\pi} \left[1 - S_3 b_1^{+1} \cos \theta - \frac{\beta}{2} \left(P_2(\cos \theta) - \frac{3}{2} (S_1 \cos 2\phi + S_2 \sin 2\phi) \sin^2 \theta \right) \right], \quad (6)$$

with the understanding that the first θ -dependent term is only present for chiral molecules.^{9,67} The polarization state of the radiation is now represented by the three-component Stokes vector S , with S_1 and S_2 representing linear polarization measured with horizontal and vertical, or 45° and 135° polarizers, and S_3 defining the degree and type of circular polarization. The angle ϕ is measured from the horizontal axis in the dipole plane to the electron spectrometer, and amounts to 90° in our experiment. As explained in the Experimental section, polarimetry results in the photon-energy range of interest are not

available for the P04 beamline yet. However, the degree of linear polarization and the direction of the polarization ellipse were measured between 550 and 1250 eV, as a function of the undulator shift.⁴⁷ The complement of the linear polarization degree was attributed to circular polarization, neglecting the presence of an unpolarized fraction of radiation. This is supported by full polarimetry results associated with another APPLE-II undulator beamline.⁶⁸ In all data sets recorded, when the circular component was maximized, a remaining Stokes parameter of linear polarization with magnitude 0.04 or smaller was found, which almost exclusively had S_2 character. As, from eqn (6), S_2 -dependent terms cannot play a role in our geometry, we will neglect the residual linear components entirely, although this is not fully rigorous. Including a finite angular acceptance of our electron analyzer (see ref. 33) in a discussion of eqn (6) leads to corrections that vanish, to first order, and are essentially independent of the enantiomer and helicity of the light. We therefore deem it safe to assume that the impact of such effects is much smaller than the others we have explicitly considered above.

To summarize this discussion, we find that optical polarimetry at the carbon edge, to determine the on-target radiation state, and a photoelectron angular-distribution measurement on liquid fenchone would be desirable for a quantitatively accurate determination of the b_1 -parameter in our experiment. However, for the moment we will retain the simple relation, $b_1^{+1} = A_{\text{corr}}/\cos \theta$, and will make an appropriate adjustment to the error bar with respect to the influence of β and any residual non-circular soft X-ray beam polarization.

3.5 Averaged and corrected results

A compilation of the b_1^{+1} values as obtained from the described analysis procedure is provided in Fig. 3. The results in the figure have a rather large spread between different data sets and different analysis methods. Nevertheless, for most photon energy values, the chiral asymmetry parameter b_1^{+1} is clearly different from zero, with the b_1^{+1} values having an opposite sign for the two different enantiomers. This expected mirroring of the chiroptical data attests that we are indeed measuring, with a reasonable error bar, an enantio-specific observable.

If we scrutinize the data points in Fig. 3, we find that they neither group by analysis method nor by data set. We therefore believe that the scatter between points does not result from a systematic effect leading to preferentially higher or lower asymmetry values as a function of time or associated with peak-background separation method. In order to arrive at consolidated values, we performed a simple average over all data points for the same photon energy and enantiomer. The results are compiled in Table 1. The scatter in our data points, perceived as coming from fluctuations in the signal and background of the spectra rather than from the data treatment, is represented by the standard deviation of the individual data points leading to each table entry. In the table, we also include two potentially important b_1^{+1} corrections, namely one for the presence of gaseous components in the C 1s spectra and another for the potential influence of a non-zero β -parameter,



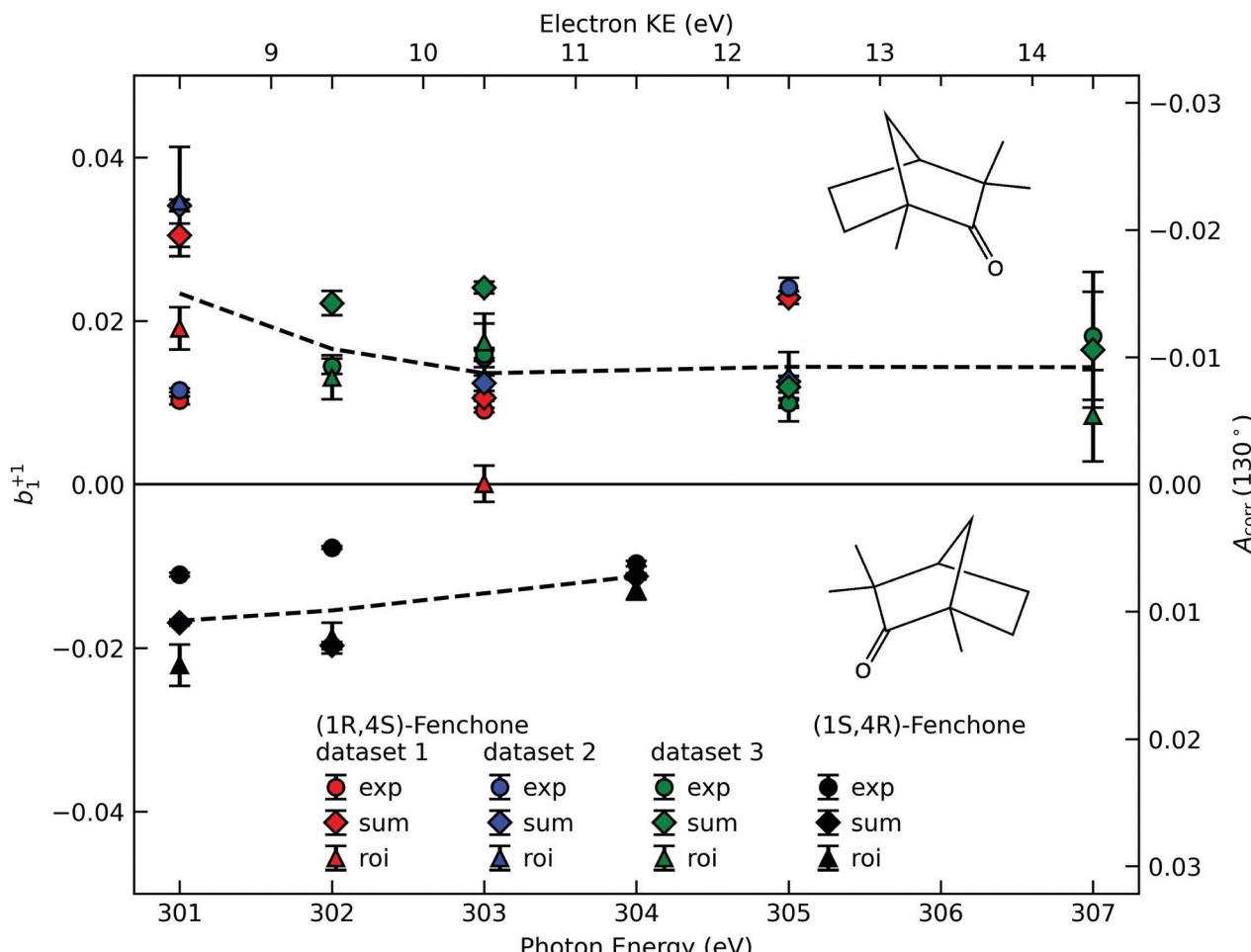


Fig. 3 The corrected asymmetry, A_{corr} , and the resulting chiral angular-distribution parameter b_1^{+1} as a function of photon energy. We use black symbols for the (1S,4R)- and colored symbols for the (1R,4S)-enantiomer. For the latter, the results from three data sets, acquired in two different measurement campaigns, are shown to indicate the stability of our experiment. Different approaches to subtract the LET and, possibly, a residual background are differentiated by the symbol shape, with diamonds referring to the 'total background' approach (Fig. 2C, 'sum'), circles to the linear-exponential approach (Fig. 2B, 'exp') and triangles to the region-of-interest ('roi') approach (Fig. 2A). To guide the eye we indicate the averaged values detailed in Table 1 by dashed lines. Values in the figure are not corrected for any possible gas-phase contributions and angular-anisotropy effects (see Table 1).

Table 1 Recommended b_1^{+1} values calculated as the averages of the values shown in Fig. 3. In round brackets, the standard deviation of all values pertaining to the same enantiomer and photon energy is shown. The rows labelled 'measured' are not corrected for the possible presence of gaseous fenchone nor the β -dependence of the relationship between measured asymmetry and chiral parameter, b_1 (see eqn (5)). In rows labelled 'corrected', the expected maximum correction of the b_1 values has been applied for both factors. See the main body of the text for details

	301 eV	302 eV	303 eV	304 eV	305 eV	307 eV
Measured						
(1R,4S)-Fenchone	0.023(11)	0.017(5)	0.014(7)	—	0.014(6)	0.014(5)
(1S,4R)-Fenchone	-0.017(6)	-0.015(7)	—	-0.011(2)	—	—
Corrected						
(1R,4S)-Fenchone	0.014(12)	0.010(5)	0.010(7)	—	0.011(6)	0.012(6)
(1S,4R)-Fenchone	-0.008(6)	-0.009(7)	—	-0.008(2)	—	—

which would affect the connection between the measured anisotropy and b_1 values (eqn (5)). As explained above, although no visible presence of a gaseous component has been observed in the PECD measurements, a separate experiment with an electrically biased jet, albeit at slightly different conditions,

suggested that this might result from an inconvenient overlap of liquid-phase and gas-phase C 1s peak features.³³ Referring to that work, we estimate a gas-phase fraction g between negligible, which is expected from the low vapour pressure of fenchone, and $g = 0.14$, which is the finding of the aforementioned



biased jet experiment. As the gas-phase contribution has a b_1 -parameter of larger magnitude, correction for the gas-phase contribution would reduce the liquid phase parameter $b_{1,l}^p$, according to:

$$b_{1,l}^p = \frac{b_{1,m}^p - g b_{1,g}^p}{1 - g}, \quad (7)$$

where subscripts m and g designate the measured and gas-phase values of b_1^p , the latter being taken from ref. 36 with interpolation where necessary. For the correction due to the β -dependent denominator in eqn (5), we expect a value between unity (no correction), for a $\beta = 0$, and multiplication by 0.94, for a $\beta = 1$. Accordingly, the table contains two lines for each parameter stating the averaged, but uncorrected value, and the values corrected downwards by the factors quantified above, which we believe gives the maximum plausible extent of the gas-phase contribution and β parameter effects.

We note two further effects that we cannot quantify at this moment, but could be present to some extent. The exact enantiomeric excess (ee) of the samples supplied was not specified and we were unable to have this independently checked, but previous reports have found commercial samples of $(1R,4S)$ -(-)-fenchone to have a lower ee than $(1S,4R)$ -(+)-fenchone samples. In principle, the measured PECD asymmetry should scale linearly with ee values but these are unknown. However, such adjustments are here expected to be within the current error bars, and so have not been applied. The same applies to a correction for an unpolarized fraction of radiation at our sample, which could be slightly increased at the photon energies used in this experiment because of an influence of carbon contamination on the beamline optics. If present, both factors would lead to a correction of the values of b_1 extracted from the measured asymmetry towards larger absolute values.

4 Discussion

It is interesting to discuss the reduction in b_1^{+1} relative to gas-phase experiments. In the case of fenchone, the reduction in b_1^{+1} amounts to roughly a factor of five. This reduction can be compared to results on the conventional angular distribution, represented by the β parameter. A few experiments for the β parameter of photoemission peaks from liquids are available.^{66,69–71} In comparison with gas-phase water, a general reduction of β has been observed,^{66,71} but only the study on the O 1s β parameter of water by Thürmer *et al.* extended down to the KEs of interest here. For their lowest data point at about 12 eV KE, the measured β -values are approximately $\beta_g = 0.92$ and $\beta_l = 0.28$, which implies a reduction by a factor of 3.3 (with subscripts g and l designating the gas and liquid phase, respectively).⁶⁶ Fully consistent with that, the onset of the reduction in β upon aggregation of individual molecules was also observed in an experiment on water clusters.⁷² A plausible explanation for the reduction in β is the elastic or quasi-elastic scattering of photoelectrons in the liquid bulk, before

traversing the liquid-vacuum interface. Due to the random nature of the associated collisions, this would tend to produce an isotropic angular distribution, and the explanation would equally hold for the reduction in b_1 . It could not be shown in ref. 66, however, that this is the sole explanation for the β reduction, due to a lack of accurate knowledge of the elastic and inelastic mean free paths of electrons in water. Note that electron scattering was also pointed out as the main source of PECD reduction (by about a factor of five) between nanoparticles and gas phase serine.²⁰ This effect may be partly compensated by an increased local order in the nanoparticles or fewer associated conformers in the aggregated state. The former explanation may also be applicable to the case of liquid fenchone. Elastic electron scattering on the water or fenchone vapour surrounding the liquid jets may additionally contribute to the more isotropic angular distributions from liquids, as the cross-sections for elastic scattering for low-KE electrons on gas-phase water are considerable.^{51,73} As these cross-sections are also strongly peaked at low scattering angles, this will likely be a smaller effect, though. A redistribution of intensity from the forward- into the backward-scattering plane, which would be necessary for a reduction of b_1 , is not fully excluded for a cylindrical jet, but seems relatively implausible.

5 Conclusions

A full report on an experiment to measure PECD from the chiral liquid fenchone has been presented. We have shown a non-vanishing effect of opposite sign for the two enantiomers, with a convincing mirroring attesting to the overall quality of the data. Akin to studies on the angular-distribution parameter β from liquids, and to PECD from homochiral nanoparticles, a substantial reduction of the chiral parameter, b_1 , has been found relative to the gas-phase sample. This can be explained to a large or full degree by elastic scattering of the outgoing photoelectrons inside the liquid. Our study opens up prospects to investigate the solution-phase chemistry of chiral substances in their native environment. The *in vivo* study of biomolecules in water with simultaneous site- and chemical-specificity, *via* an analysis of core-level shifts,³⁵ and the chiral handedness, *via* PECD measurements, is an especially exciting and important example.

Data Availability

Data relevant for this study are available at DOI: 10.5281/zenodo.5996526.

Author contributions

Conceptualization: B. W., U. H., L. N., I. P.; methodology: S. M., I. W., S. T., B. W.; investigation (including data acquisition): M. N. P., S. M., F. T., C. L., C. K., L. N., I. P., I. W., B. W.; data analysis (formal analysis): M. N. P., S. T., U. H.; visualization,



writing – original draft: U. H., M. N. P.; writing – review & editing: all authors; supervision: B. W.; funding acquisition: B. W., U. H., S. M., D. M. N.

Conflicts of interest

There are no conflicts to declare.

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