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## Spin–orbit effects in optical spectra of gold–silver trimers<sup>†</sup>

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Cationic gold–silver trimers are ideal model systems for the evaluation of relativistic electronic structure theories. The closed-shell triangles allow one to test density functional and wavefunction-based methods in their prediction of optical properties, as dependent on composition and symmetry. Here we present the gas-phase optical spectra of  $\text{Ag}_N\text{Au}_{3-N}^+$  ( $N = 0–3$ ) clusters recorded by longitudinal photo-dissociation spectroscopy in the photon energy range 1.9–4.4 eV. The experimental data are compared to excited electronic state calculations in the framework of all-electron range-separated time-dependent density functional and equation-of-motion coupled cluster theory using two-component as well as the spin-free scalar relativistic theories. In particular, it is shown that for mixed trimers scalar-relativistic corrections are insufficient and a two-component approach becomes obligatory for a correct description of optical response properties including both spin–orbit coupling and charge-transfer effects.

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## 1 Introduction

Trimers are at the very edge between isolated atoms and metallic nanoclusters. Their investigation is an important step towards a deeper understanding of nanoscale effects. A comprehensive study of molecular systems at this scale enables a deep insight into fundamental concepts as small clusters are excellent model systems for benchmarking the performance of quantum theoretical approaches for both ground and excited state properties, while the applicability of diatomic data for this purpose has been questioned.<sup>1</sup>

Triatomic gold and silver clusters have gained great attention over the last 30 years. Early multi-reference singles and doubles configuration interaction (MR-CISD) calculations have identified isoscale triangles ( $C_{2v}$ ) as ground state structures for  $\text{Ag}_3$  and  $\text{Au}_3$ .<sup>2</sup> This has been supported by coupled cluster calculations including perturbative triples (CCSD(T))<sup>3–5</sup> and density functional

theory (DFT), where the deviation from  $D_{3h}$  symmetry has been attributed to the first-order Jahn–Teller distortion.<sup>6</sup> The  $C_{2v}$  symmetry is confirmed for  $\text{Ag}_3$ , but not for  $\text{Au}_3$  where the Jahn–Teller effect is quenched by spin–orbit (SO) coupling.<sup>7,8</sup> The anions  $\text{Ag}_3^-$  and  $\text{Au}_3^-$  have been examined by photoelectron spectroscopy (PES).<sup>9,10</sup> Both species are found to adopt  $D_{\infty h}$  symmetry, and a detailed analysis of the photoelectron spectrum of  $\text{Au}_3^-$  has recently been presented.<sup>11</sup> In contrast, the cations are not subject to Jahn–Teller distortions due to their closed-shell configurations. Their  $D_{3h}$  symmetry is confirmed by several theoretical studies and one experimental study.<sup>3–5,12</sup>

The optical spectra of neutral  $\text{Ag}_3$  and  $\text{Au}_3$  have been reported for the gas-phase,<sup>13,14</sup> as well as in noble gas matrices.<sup>15–18</sup> The absorption spectrum of  $\text{Ag}_3^+$  has been measured in argon,<sup>19</sup> and is in good agreement with scalar-relativistic equation-of-motion coupled cluster calculations (EOM-CCSD).<sup>20</sup> Although the influence of 4d electrons on the optical response is generally assumed to be less important, their inclusion seems to be crucial for a quantitative description of the spectrum.<sup>20,21</sup> The situation is, however, more complicated for gold, as the separation between the 5d and 6s levels is reduced by about 2 eV due to scalar relativistic (SR) effects,<sup>22</sup> leading to richly structured electronic spectra at low transition energies.<sup>17,23</sup> Further, SO effects in the 5d shell reduce this gap even more and complicate the electronic structure of the gold species,<sup>24</sup> making interpretations and predictions a delicate task.

Little is known about mixed Ag–Au species. Laser-induced fluorescence spectroscopy experiments on the smallest system, the AgAu dimer, have revealed a significant ionic contribution to the electronic ground state<sup>25</sup> due to the relativistically increased

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electronegativity of Au.<sup>26</sup> The AgAu dimer was also the subject of a study on SO effects.<sup>27</sup> Anionic trimers have been studied by PES, where gold is found to carry most of the negative charge and prefers terminal positions in the clusters.<sup>28</sup> Cationic trimers have been investigated by ion mobility measurements,<sup>12</sup> in good agreement with theoretical predictions where the influence of charge-transfer effects on structural properties has been discussed.<sup>29</sup> More recently, the vibrational spectra of argon tagged mixed trimers from far-infrared multi-photon dissociation (FIR-MPD) spectroscopy revealed that the small cations show increasing argon bond energies with increasing amount of gold owing to SR effects.<sup>30</sup>

In this article we present for the first time measurements of optical photodissociation spectra of  $\text{Ag}_N\text{Au}_{3-N}^+$  ( $N = 0-3$ ) clusters in the photon energy range  $\hbar\omega = 1.9-4.4$  eV. We support our experiments with optical response calculations employing time-dependent DFT (TDDFT) with and without long-range corrections (LC) introduced by range-separated exchange–correlation (xc) functionals, as well as the wavefunction based EOM-CCSD method. We show that all methods perform particularly well for the pure  $\text{Ag}_3^+$  and  $\text{Au}_3^+$  clusters, whereas the mixed systems  $\text{Ag}_2\text{Au}^+$  and  $\text{AgAu}_2^+$  are not satisfactorily described by a spin-free (SF) one-component (1c) theory. Here, we had to apply a variety of two-component (2c) approaches from TDDFT to Fock-space coupled cluster (FS-CCSD)<sup>31</sup> theory to account for important SO effects in order to contribute to a better understanding of the optoelectronic behavior of such small but challenging nano-clusters.

## 2 Experimental and computational details

The experimental setup is described in detail elsewhere,<sup>32,33</sup> and only a brief overview is given here. Pure and mixed gold–silver cluster cations are generated by ns-pulsed laser vaporization (using He as buffer gas) of an Au–Ag alloy target and separated by time-of-flight mass spectrometry. The optical spectra are measured by longitudinal photodissociation spectroscopy using an optic parametric oscillator. Photodissociation cross sections are calculated using the Lambert–Beer law assuming a perfect spatiotemporal overlap between the molecular beam and the dissociation laser. Therefore, the cross sections presented can be considered as a lower limit to absolute absorption cross sections. It should be noted that the spectral range 3.0–3.5 eV in the experimental data shows a larger scattering due to low photon fluence near the optical parametric oscillator degeneracy.

All calculations have been performed with all-electron methods using the DIRAC16<sup>34</sup> and Gaussian09<sup>35</sup> program packages. For the 2c calculations, we used the exact two-component (X2C) Hamiltonian.<sup>36</sup> In order to evaluate the magnitude of SO effects we used the SR limit (1c) of the X2C Hamiltonian. The geometries were optimized within 2c-CCSD(T). Here, both the valence ( $ns$  and  $(n-1)d$ ) and semi-core orbitals ( $(n-1)p$  and  $4f$  in Au) were correlated with the virtual orbital energy cutoff set to 10 a.u. Dyall's cv2z basis sets were used.<sup>37,38</sup> The resulting geometries were used in all subsequent calculations.

In the TDDFT calculations we employed the PBE0 and the LC- $\omega$ PBEh functionals,<sup>39</sup> as well as the HSE06 functional which includes a fraction of exact Hartree–Fock (HF) exchange at short-range.<sup>40,41</sup> The LC- $\omega$ PBEh functional has already been proven to perform well for optical response calculations of small gold–silver clusters.<sup>32,33,42,43</sup> HSE06, on the other hand, has been shown to perform particularly well for pure silver clusters.<sup>44</sup> The introduction of range-separation in all functionals is based on partitioning the Coulomb operator into short-range and long-range components through the Ewald decomposition.<sup>39–42</sup> Several basis sets (Dyall's v2z, v3z, v4z)<sup>37,38</sup> were used, showing that the results are practically insensitive to the basis set size for all functionals applied. The results reported here are obtained with the v2z basis set, which has also been used in all CC calculations, as these were quite computer time consuming.

FS-CCSD is the most rigorous of all methods employed in the present work. To define the multi-reference (MR) in the intermediate Hamiltonian scheme,<sup>45</sup> three orbitals belonging to the valence s shell (one occupied, two virtual) are included in the primary space and the occupied d shell and unoccupied p shells in the auxiliary space. The dynamic electron correlation spanned the active space which comprised  $ns$ ,  $(n-1)d$  shells and all virtuals up to a cutoff of 10 a.u. Approximate oscillator strengths for FS-CCSD were obtained *via* CI-like expressions using solutions for the right-hand vectors only.

We have additionally employed 1c- and 2c-MR-CISD methods. However, in the current implementation the use of large enough active spaces required to accurately describe the Ag/Au trimer cations was computationally prohibitive. Excluding any of the d-shell orbitals or reducing the virtual space led to an incorrect description of the electronic excitations.

A detailed analysis of the excitations based on population analyses using Knizia's intrinsic atomic orbitals (IAO)<sup>46</sup> as implemented in DIRAC16 is provided. In this analysis, we chose only excitations corresponding to visible peaks in the spectra (*i.e.* with oscillator strengths  $> 0.002$  a.u.) based on our results obtained with the PBE0 functional. For each system, 18 molecular orbitals (MO) were analyzed, containing the atomic d and s shells with 15 and 3 atomic orbitals (AOs), respectively. 16 of these MOs are occupied (ideally, 15 with d-character and 1 with s-character), and the remaining 2 s AO combinations are unoccupied (virtual). All observed excitations are contained in this s–d set. The common point-group between all (pure and mixed) trimers is  $C_{2v}$  ( $x$ -axis is chosen perpendicular to the molecular plane), and we use the axis labelling accordingly for all trimers. We note that in the 2c regime, the symmetry of the MOs is reduced to double-group representations with mixed symmetry composition with respect to the 1c approach.

## 3 Results and discussion

We compare our experimental and calculated optical spectra in Fig. 1–8. The results of the IAO analyses are depicted in the figures following immediately the experimental and theoretical optical spectra. Partial charges on the Ag/Au centers and an



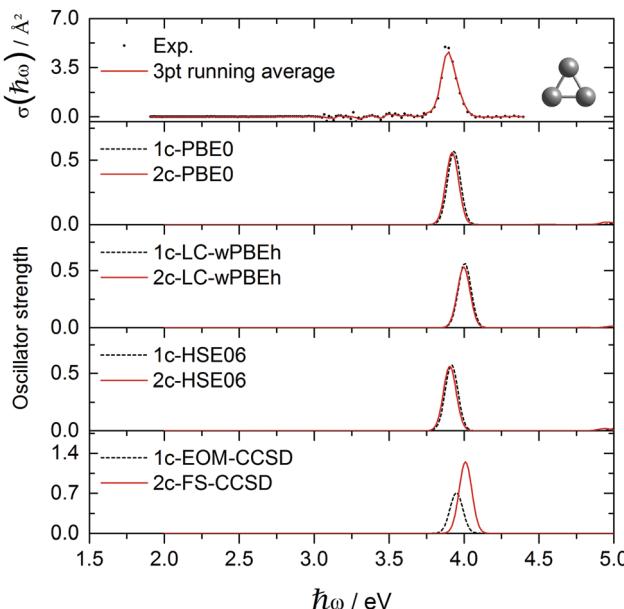


Fig. 1 Experimental  $\text{Ag}_3^+$  absorption cross section data points  $\sigma(\hbar\omega)$  compared to various optical response calculations including spin-free and two-component theories.

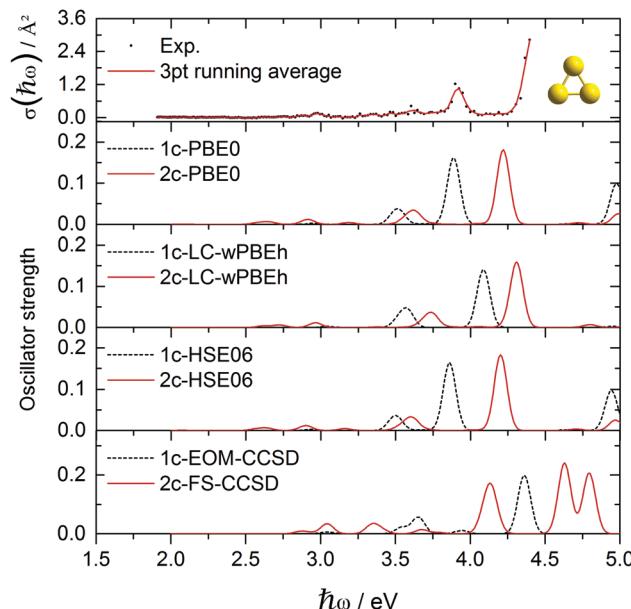


Fig. 3 Experimental  $\text{Au}_3^+$  absorption cross section data points  $\sigma(\hbar\omega)$  compared to various optical response calculations including spin-free and two-component theories.

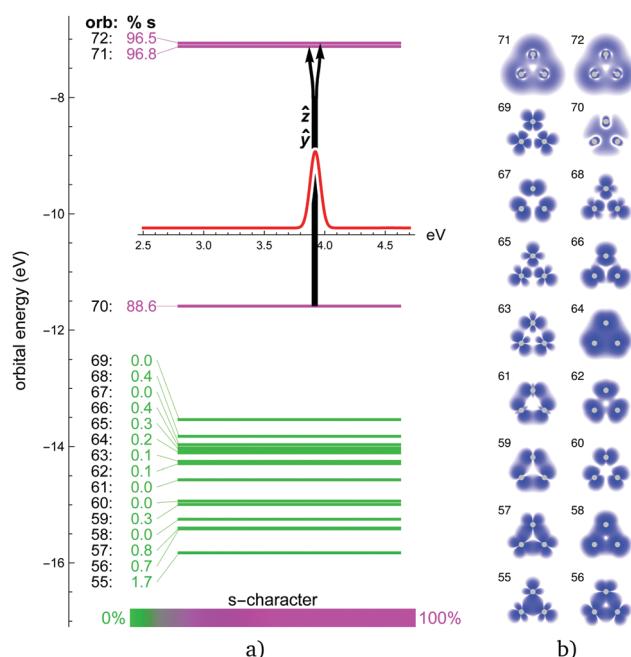


Fig. 2 (a) Orbital energy levels (horizontal bars, in eV) and dominant excitations (black branched vertical arrows) obtained with the PBE0 functional (2c) for  $\text{Ag}_3^+$ . Only the strongest contributing excitation for each visible peak is shown together with the corresponding transition dipole moment operator. The thickness of each arrow branch is in proportion to orbital contributions to the excitations (orbitals contributing less than 10% are neglected). The s-character of the MOs is illustrated by a colour-bar. (b) Corresponding orbital density plots.

analysis of the orbitals participating in excitations, their symmetry and their s/d-character and Ag/Au composition are discussed further below.

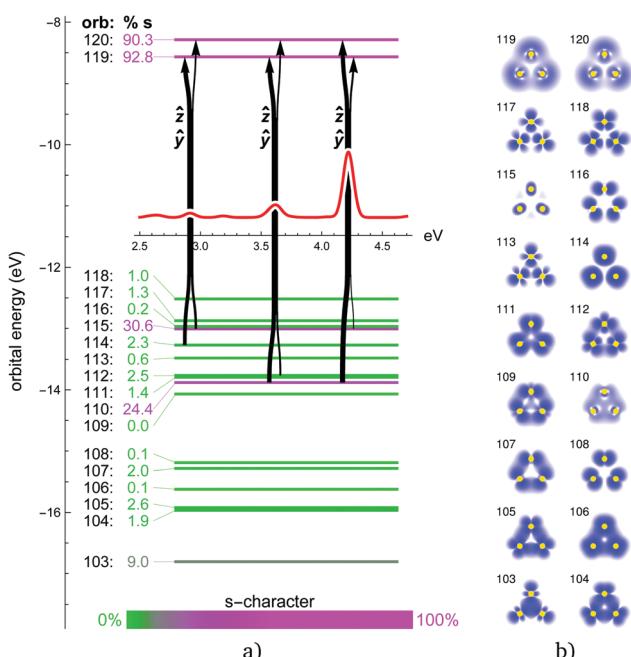


Fig. 4 (a) Orbital energy levels (horizontal bars, in eV) and dominant excitations (black branched vertical arrows) obtained with the PBE0 functional (2c) for  $\text{Au}_3^+$ . Only the strongest contributing excitation for each visible peak is shown together with the corresponding transition dipole moment operator. The thickness of each arrow branch is in proportion to orbital contributions to the excitations (orbitals contributing less than 10% are neglected). The s-character of the MOs is illustrated by a colour-bar. (b) Corresponding orbital density plots.

In the pure trimers with perfect  $D_{3h}$  symmetry, all in-plane excitations come in degenerate pairs ( $\hat{z}$  and  $\hat{y}$ ), thus reducing the number of peaks in the spectra. In the mixed trimers,

this degeneracy is lifted. The out-of-plane  $\hat{x}$  excitations are mostly very weak, only a few are visible.

The obtained energy gaps (see Fig. 2, 4, 6 and 8) separate the upper  $3N+1$  occupied MOs from the rest of the orbitals, where  $N$  coincides with the stoichiometry of  $\text{Ag}_{3-N}\text{Au}_N^+$  ( $N = 0-3$ ), *i.e.* each Au atom contributes three  $5\text{d}_{5/2}$  orbitals to the upper occupied part of the MO diagram, plus one coming from the s-level. This is due to the strong SO splitting of the Au 5d-shell making the  $5\text{d}_{3/2}$  more core-like. The three SO destabilized  $5\text{d}_{5/2}$  AOs of gold are high enough in energy that they mix substantially with the s-shell in all trimers. Due to this mixing, the single-particle picture completely breaks down, *i.e.*, all excitations can only be described as multi-reference in nature with combinations of initial and final orbitals. As a consequence, the spectra for the trimers containing gold ( $N > 0$ ) become significantly more complex compared to the  $\text{Ag}_3^+$  cluster, as discussed in more detail in the following subsections.

### 3.1 $\text{Ag}_3^+$ and $\text{Au}_3^+$

The absorption spectrum of the  $\text{Ag}_3^+$  cluster is presented in Fig. 1. A single intensive absorption at 3.9 eV appears in the experiment which is generally well reproduced by all methods employed. Only LC- $\omega$ PBEh and 2c-FS-CCSD give a slight blue-shift of  $\sim 0.1$  eV compared to experiment. HSE06 and PBE0 clearly give the best agreement, which, compared to previous studies on  $\text{Ag}_6^+$  and  $\text{Ag}_8^+$  clusters,<sup>44</sup> is perhaps not surprising. It is interesting that in contrast to  $\text{Au}_3^+$ , where SO effects shift the spectra correctly towards the experimental values, SO effects are almost negligible in the case of  $\text{Ag}_3^+$  with the 1c and 2c results being in very good agreement (ESI†). For example in  $\text{Ag}_3^+$ , orbital 70 (HOMO) is of almost pure 4s character, and the two degenerate  $\hat{z}$  and  $\hat{y}$  excitations aim into the two virtual 4s-shell MOs (Fig. 2). The large s-d energy separation fully prohibits the d-shell from participating in the excitations in this energy range. This picture is unaffected by SO effects aside from the symmetry mixing between the virtual orbitals 71 and 72. This is in stark contrast to the mixed clusters, where SO effects lead to a rather large change in the optical signatures as we shall see.

The experimental absorption spectrum of the  $\text{Au}_3^+$  cluster compared to optical response calculations is presented in Fig. 3. The remarkable optical transition at 3.9 eV and a more intensive feature above 4.4 eV dominate the experimental spectrum while a smaller feature and a small broad structure appear around 3.0 eV and 3.6 eV, respectively. Almost all presented computational methods show a good qualitative agreement in terms of the optical signature, although the main features are red-shifted by 0.3–0.4 eV compared to the experimental data. By error compensation, the 1c-EOM-CCSD calculations reproduce the spectral signature and show the smallest (0.3 eV) red-shift for the most intense transition at around 3.9 eV. This points towards the fact that CCSD(T) is not sufficient. However, for all DFT functionals, the inclusion of SO effects apparently shifts the peaks towards the experimental values. LC- $\omega$ PBEh shows the best performance here but still showing a red-shift of 0.15 eV. The FS-CCSD calculations give a slightly

different signature. The peak around 3.9 eV found in experiment is blue-shifted by about 0.3 eV while the transition above 4 eV splits into two blue-shifted transitions compared to all other calculations which, however, cannot be verified by the experiment.

In  $\text{Au}_3^+$ , the 6s–5d energy separation disappears, s and d shells mix and the s character is distributed among several MOs (Fig. 4). MOs with significant s content (112, 114, and especially 110 and 115) participate in the dominant excitations contributing to all three distinct features at around 2.9, 3.6 and 3.9 eV. Apart from the degenerate in-plane  $\hat{z}$  and  $\hat{y}$  excitations for each peak, there is also an out-of-plane  $\hat{x}$  excitation contributing to the smaller 3.6 eV peak. Qualitatively, the same description of MOs and excitation holds for the 1c picture (ESI†). There is a clear correspondence between the 1c and 2c spectra of  $\text{Au}_3^+$ . SO effects only change the orbital energies and the s character of the participating MOs, and thus blue-shift the peak positions closer to experimental values. Interestingly, the higher the s character in the participating MOs, the stronger is the SO blue-shift in the 3 dominant peaks.

### 3.2 $\text{AgAu}_2^+$ and $\text{Ag}_2\text{Au}^+$

Fig. 5 shows the experimental photodissociation spectrum of  $\text{AgAu}_2^+$ . In the range 3.0–3.5 eV, a broad structure of not well separated peaks appears, followed by broad transitions at 3.65 and 3.85 eV, respectively. A less intense transition at 4.15 eV precedes the most intense transition at about 4.4 eV. Here, in contrast to the pure  $\text{Au}_3^+$  and  $\text{Ag}_3^+$  clusters, all 1c methods show poor agreement with respect to the spectral signature. Only the inclusion of SO effects successfully produces agreement, although deviations from some of the experimental transitions remain. Experimental features at 3.65 and 3.85 eV are well reproduced. However, the peaks at 4.15 and 4.4 eV are blue-shifted in the calculations by about 0.2–0.3 eV. Here, the 2c-PBE0 and 2c-HSE06 calculations clearly outperform all other methods, even the 2c-FS-CCSD calculations, which only qualitatively describe the experimental observations. In mixed trimers, the in-plane  $\hat{z}$  and  $\hat{y}$  excitations are no longer degenerate, due to the lower symmetry. The most intense  $\hat{y}/\hat{z}$  pair of excitations is split by 0.7 eV and forms the two major peaks in the 1c spectrum at 3.5 eV and 4.2 eV, respectively. Both are predominantly originating in the HOMO orbital, 102, which has strong s character (ESI†). SO effects spread the s-character across several occupied MOs, mostly 97, 100, 101, and 102 (Fig. 6). This also splits the  $\hat{y}$ -transition peak (1c: 3.5 eV) into three peaks at 2.8 eV, 3.7 eV and 3.9 eV in the 2c spectrum. The  $\hat{z}$  peak (1c: 4.2 eV) splits after the inclusion of SO effects into 4.1, 4.4 and 4.6 eV peaks. The small out-of-plane  $\hat{x}$ -transition peak (1c: 3.3 eV) simply shifts to 3.4 eV in the 2c spectrum. While the  $\hat{y}$  and  $\hat{x}$ -transition peaks (2.8–3.9 eV) almost exclusively originate in the orbitals with increased s character, several d-type MOs contribute to the higher-energy  $\hat{z}$ -transition peaks (4.1–4.6 eV).

The experimental photodissociation spectrum of  $\text{Ag}_2\text{Au}^+$  is shown in Fig. 7. It shows a broad transition at 3.45 eV with a shoulder towards lower transition energies. The main transition at 4.05 eV shows a tailing towards higher photon energies due to



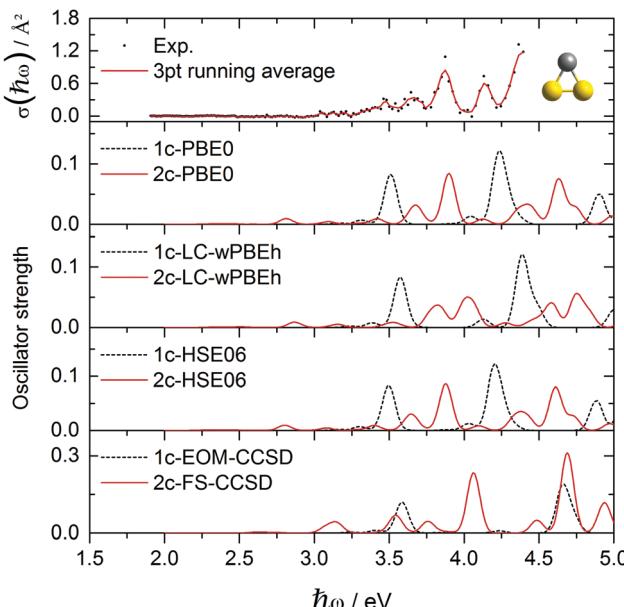


Fig. 5 Experimental  $\text{AgAu}_2^+$  absorption cross section data points  $\sigma(\hbar\omega)$  compared to various optical response calculations including spin-free and two-component theories.

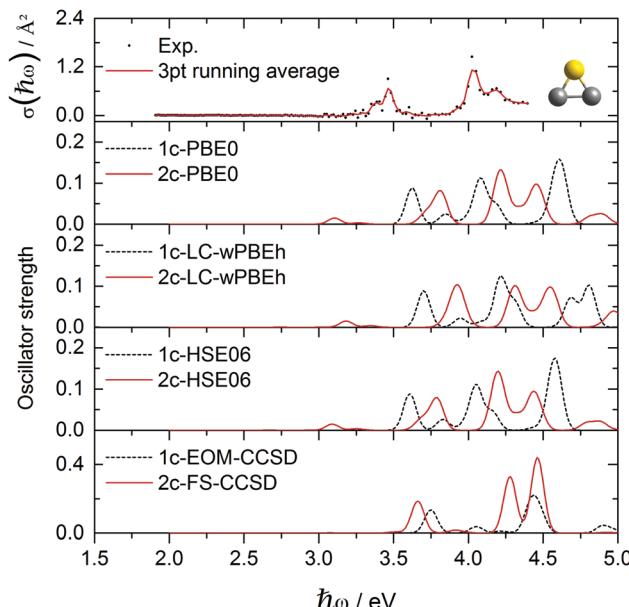


Fig. 7 Experimental  $\text{Ag}_2\text{Au}^+$  absorption cross section data points  $\sigma(\hbar\omega)$  compared to various optical response calculations including spin-free and two-component theories.

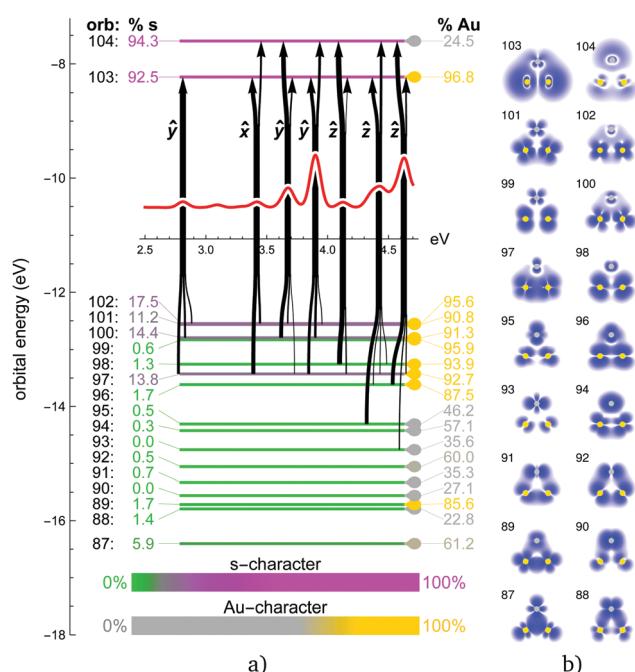


Fig. 6 (a) Orbital energy levels (horizontal bars, in eV) and dominant excitations (black branched vertical arrows) obtained with the PBE0 functional (2c) for  $\text{AgAu}_2^+$ . Only the strongest contributing excitation for each visible peak is shown together with the corresponding transition dipole moment operator. The thickness of each arrow branch is in proportion to orbital contributions to the excitations (orbitals contributing less than 10% are neglected). The s-character as well as the Au-character of the MOs is illustrated by colour-bars. (b) Corresponding orbital density plots.

a less intense transition at 4.2 eV. Similar to  $\text{AgAu}_2^+$ , only the inclusion of SO effects successfully reproduces agreement in terms of the optical signature. Although the agreement regarding

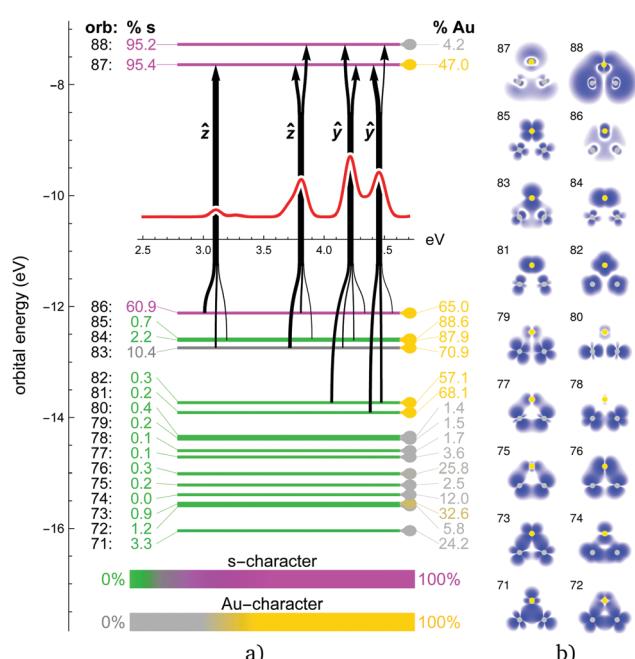


Fig. 8 (a) Orbital energy levels (horizontal bars, in eV) and dominant excitations (black branched vertical arrows) obtained with the PBE0 functional (2c) for  $\text{Ag}_2\text{Au}^+$ . Only the strongest contributing excitation for each visible peak is shown together with the corresponding transition dipole moment operator. The thickness of each arrow branch is in proportion to orbital contributions to the excitations (orbitals contributing less than 10% are neglected). The s-character as well as the Au-character of the MOs is illustrated by colour-bars. (b) Corresponding orbital density plots.

shifts is even less good for  $\text{Ag}_2\text{Au}^+$  than for  $\text{AgAu}_2^+$ , it remains clear that the 2c approaches are needed to explain the experimental observations. Although blue-shifted by about 0.3 eV,



again 2c-PBE0 and 2c-HSE06 calculations outperform all other methods including 2c-FS-CCSD, which is the only method that does not predict the low intensity transition at about 3.1 eV shown by 2c-TDDFT but not resolved in the experiment. Qualitatively, the inclusion of SO effects appears to be slightly less important in  $\text{Ag}_2\text{Au}^+$  when compared to  $\text{AgAu}_2^+$ .

In the 1c picture of  $\text{Ag}_2\text{Au}^+$  (ESI†), orbital 86 (HOMO) has a strong s character and contributes to the dominant 3.6 eV and 4.1 eV peaks, forming the in-plane  $\hat{y}/\hat{z}$ -transition pair similar to the ones in pure trimers, but in this case split by 0.5 eV. SO effects transfer part of the s character from orbital 86 to other MOs, mostly 83 and 84 (Fig. 8). This increases the intensities of multitudes of transitions from these orbitals and produces a more complicated spectrum. The  $\hat{z}$ -transition peak (1c: 3.6 eV) shifts and splits into the 3.8 eV and 4.2 eV peaks observed in the 2c spectrum. The  $\hat{y}$ -transition peak (1c: 4.1 eV) shifts and splits into 3 overlapping peaks in the range 4.2–4.4 eV. The strongest peak in the 2c spectrum at 4.2 eV combines contributions from both  $\hat{y}$  and  $\hat{z}$  excitations. Similar to the previous case of  $\text{AgAu}_2^+$ , MOs with significant s character contribute to all excitations. For higher-energy peaks (4.2–4.4 eV), however, d-type orbitals 81 and 82 add significant contributions.

Based on the IAO projection analysis we can also evaluate the density content of each MO coming from gold and silver atoms in the mixed trimers as well as the partial charges on these atoms. As expected, gold due to its relativistically increased electronegativity bears negative partial charge in both  $\text{AgAu}_2^+$  and  $\text{Ag}_2\text{Au}^+$  ( $-0.133e$  and  $-0.169e$ , respectively). This correlates with the corresponding calculated dipole moment values with respect to the geometrical center, 1.67 D and –2.01 D, respectively (the positive vector points upwards in the cluster orientation depicted in Fig. 6 and 8). Regarding the Ag/Au composition of the MOs in these systems, we observe clear separation with increasing Au and Ag character (as compared to the equally split density across all three atoms) in both the occupied and the virtual space. Au-dominant orbitals are generally the ones closer to the Fermi level, *i.e.* the upper occupied MOs and the LUMO (orbitals 96–103 in  $\text{AgAu}_2^+$  and 81–87 in  $\text{Ag}_2\text{Au}^+$ ). While both virtuals participate in the excitations equally, participating occupied MOs are almost exclusively Au-dominant in both systems. The resulting excitations thus mediate a charge transfer from Au to Ag atoms, counteracting the partial charge distribution of the ground state. This adds to the complexity of the mixed trimer spectra as compared to their pure counterparts.

## 4 Conclusions

As we have shown in the case of pure  $\text{Ag}_3^+$  and  $\text{Au}_3^+$  with  $D_{3h}$  symmetry, all employed methods agree well with the experimental spectra in terms of the signatures. The optical spectra of mixed  $\text{Ag}_2\text{Au}^+$  and  $\text{AgAu}_2^+$  with  $C_{2v}$  symmetry, however, are more complex and only when SO effects are taken into account we can adequately describe the optical response. Interestingly, SO effects do not seem to significantly influence the geometries of the trimer cations. Further, we see the general trend that

HSE06 performs well for silver-rich clusters, supporting previous observations.

Due to the higher symmetry of the pure trimers, there is degeneracy between the in-plane  $\hat{z}$  and  $\hat{y}$ -transitions producing simpler spectra with SO effects, but blue-shifting the peaks of  $\text{Au}_3^+$ . In mixed trimers, these excitation pairs are first split by symmetry lowering to  $C_{2v}$ , and each peak is further split by the inclusion of the SO effects into multiple peaks. The mixed trimers exhibit partial charges; the charge separation is stronger in  $\text{Ag}_2\text{Au}^+$  than in  $\text{AgAu}_2^+$ . There is a clear distinction between the Ag and Au-dominant orbitals in both systems. The LUMO is Au-dominant, and the LUMO+1 is Ag dominant. Occupied orbitals are separated into a lower-energy Ag-dominant part and a higher-energy Au-dominant part. Only the latter contributes to the excitations. Since all initial orbitals in the mixed trimer excitations are Au-dominant and roughly half of the transitions aim at Ag-dominant LUMO+1, there is a significant charge transfer  $\text{Au} \rightarrow \text{Ag}$  compensating the ground state charge separation, increasing the complexity of the spectra.

## Conflicts of interest

There are no conflicts to declare.

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