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# Hyperfine adjustment of flexible pore-surface pockets enables smart recognition of gas size and quadrupole moment†

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The pore size and framework flexibility of hosts are of vital importance for molecular recognition and related applications, but accurate control of these parameters is very challenging. We use the slight difference of metal ion size to achieve continuous hundredth-nanometer pore-size adjustments and drastic flexibility modulations in an ultramicroporous metal–organic framework, giving controllable N<sub>2</sub> adsorption isotherm steps, unprecedented/reversed loading-dependence of H<sub>2</sub> adsorption enthalpy, quadrupole-moment sieving of C<sub>2</sub>H<sub>2</sub>/CO<sub>2</sub>, and an exceptionally high working capacity for C<sub>2</sub>H<sub>2</sub> storage under practical conditions (98 times that of an empty cylinder). *In situ* single-crystal X-ray diffraction measurements and multilevel computational simulations revealed the importance of pore-surface pockets, which utilize their size and electrostatic potential to smartly recognize the molecular sizes and quadrupole moments of gas molecules to control their accessibility to the strongest adsorption sites.

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## Introduction

Smart materials exhibiting adaptive responses or recognition to guest molecules are of paramount importance for applications in high-tech areas.<sup>1–3</sup> Size matching between the host and guest is the most important aspect of molecular recognition.<sup>4–6</sup> Generally, the host size is modified by changing the number of repeating building units, which can achieve size intervals as small as *ca.* 0.1–0.3 nm (*e.g.*, cyclodextrins 0.14–0.21 nm,<sup>2</sup> cucurbit[*n*]urils 0.14–0.26 nm,<sup>7</sup> and zeolites 0.1 nm (*ref.* 8)), *i.e.*, the diameter of an atom. Biomacromolecules such as proteins can precisely fit complicated molecules with additional help from shape matching, either through the lock-and-key or induced-fit (structural deformation) mechanisms.<sup>9,10</sup> However, the available strategies for molecular recognition can hardly work for gas molecules with very small sizes and simple shapes.

Porous coordination polymers (PCPs), also known as metal–organic frameworks (MOFs), have been demonstrated as a promising type of host materials, mainly because of their readily tunable pore sizes/shapes<sup>11,12</sup> and notable framework flexibilities.<sup>13–15</sup> For instance, the channel size of the MOF-74 type structure has been systematically tuned from 1.0 nm to

8.5 nm with an interval of *ca.* 0.75 nm by stepwise addition of a phenyl ring into the organic linker.<sup>16</sup> More precise adjustments can be reached using smaller spacers and/or changing the ligand side groups.<sup>17,18</sup> Nevertheless, just like conventional hosts, the pore sizes of MOFs can be hardly tuned with a precision below 0.1 nm.

The structural transformations of flexible MOFs can be used to distinguish different guest molecules including gases.<sup>19,20</sup> The gate-opening processes of flexible MOFs usually lead to selective adsorption of guest molecules with smaller sizes and higher polarities. Being similar to biomacromolecules, the adaptive dynamism of MOFs can realize molecular recognition without strict requirements of the pore sizes.<sup>21,22</sup> However, on-demand control of framework flexibility is even more difficult than for pore size, because little knowledge has been developed to understand the relationship between framework structure (such as pore size) and framework flexibility.<sup>23,24</sup>

Besides changing the ligand spacer and/or side group, the modular structures of MOFs provide an additional parameter, *i.e.*, the metal ion, for precise adjustment of the pore size. The frequently used first-row divalent transition metal ions (with octahedral geometry) possess ionic radii gradually changing from 0.97 Å for Mn(II) to 0.88 Å for Zn(II), a range in which the intervals between adjacent elements are far below 0.01 nm.<sup>25</sup> To fully utilize the different radii of metal ions and to realize the recognition of small gas molecules, ultramicroporous structures with extremely short bridging ligands are necessary.<sup>26,27</sup> Accordingly, three isostructural ultramicroporous metal azolate frameworks, namely [Zn<sub>3</sub>(vtz)<sub>6</sub>], [Mn<sub>3</sub>(vtz)<sub>6</sub>], and [Cd<sub>3</sub>(vtz)<sub>6</sub>]

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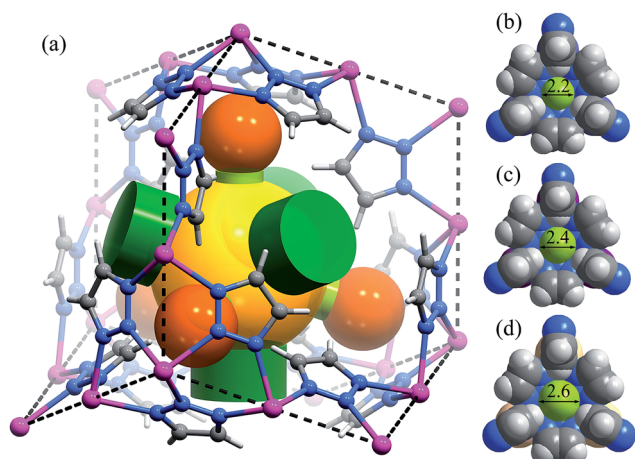


(MAF-123-Zn, MAF-123-Mn, and MAF-123-Cd; and for clarity hereafter denoted as **Zn**, **Mn**, and **Cd**, respectively; Hvtz = 1,2,3-triazole)<sup>28,29</sup> were selected for the study.

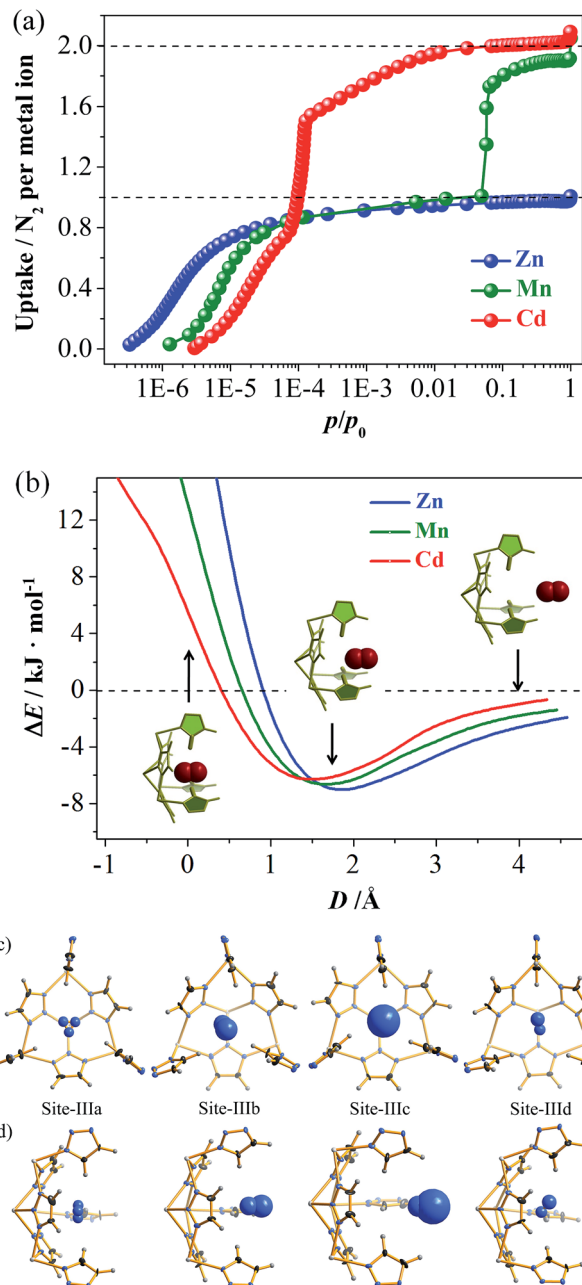
## Results and discussion

High-quality single crystals of **Zn**, **Mn**, and **Cd** were successfully obtained through high-temperature hydrothermal reactions (Fig. S1 and S2†), which enabled precise determination of the host-guest structures.  $[M_3(vtz)_6]$  is a three-dimensional 4-connected **dia** type coordination framework constructed from vertex sharing Kuratowski-type  $M_5(vtz)_6$ -tetrahedra (Table S1†),<sup>30</sup> which embeds a pore system with the same **dia** topology consisting of small cavities and even smaller connecting channels (Fig. 1a). Benefiting from very short organic linkers (just one N–N bond length), the 0.01 nm differences between the metal ions effectively transfer to the pore sizes. The most important feature of the pore structure of  $[M_3(vtz)_6]$  is the presence of pore-surface pockets, which are defined by six vtz<sup>−</sup> ligands arranged alternatively either parallel or perpendicular to the pore surface. The three parallel ones provide their electronegative N atoms for the pocket bottom, while the three perpendicular ones provide their electropositive H atoms for the pocket entrance. For **Zn**, **Mn**, and **Cd**, the entrance diameters are 2.2, 2.4, and 2.6 Å and the inner diameters/depths are 3.4/2.0, 3.6/2.1, and 3.8/2.2 Å, respectively (Fig. 1b–d).

$N_2$  adsorption isotherms of **Zn**, **Mn**, and **Cd** show remarkably different shapes and uptakes (Fig. 2a, S3 and S4†).<sup>28</sup> Specifically, **Zn** shows a typical type-I isotherm with a saturation uptake of 1.0  $N_2$ /Zn, while **Mn** shows a two-step isotherm with saturation uptakes of 1.0 and 1.9  $N_2$ /Mn. **Cd** also shows a two-step isotherm, but its saturation uptakes are 0.8 and 2.0  $N_2$ /Cd. The observation of stoichiometric saturation uptakes, including



**Fig. 1** (a) The framework and pore structure of  $[M_3(vtz)_6]$  (black dashed lines: linkers of the **dia** topology, yellow sphere: cavity of the pore system, green cylinders: channels connecting adjacent cavities, orange spheres: pore-surface pockets, and light green cylinders: pocket entrances). (b)–(d) Structures of the pore-surface pockets of **Zn**, **Mn** and **Cd**, respectively, in a static point of view (entrances are highlighted by light-green spheres with aperture diameters in the unit of Å).



**Fig. 2** (a) Stoichiometric/non-stoichiometric  $N_2$  adsorption isotherms of  $[M_3(vtz)_6]$  measured at 77 K. (b) PES of a  $N_2$  molecule inserting into the pocket calculated using DFT based on rigid structures.  $D$  is the distance between the pocket entrance and the molecular centroid of  $N_2$ . The insets are the three typical host- $N_2$  structures for **Mn**. (c) Top and (d) side views of host-guest configurations of four kinds of pocket in the single-crystal structure of **Cd**· $2N_2$ . Thermal ellipsoids are drawn at 50% probability. The  $N_2$  molecule at Site-IIIa exhibits symmetry-induced 3-fold disorder.

1.0  $N_2$ /Zn, 1.0  $N_2$ /Mn, and 2.0  $N_2$ /Cd, indicates the formation of commensurate and ordered host-guest structures under the corresponding conditions. The trends of initial onset adsorption pressure and total  $N_2$  uptake can be roughly explained by the different pore sizes, but the experimental pore volumes cannot fit the theoretical values (Table S2 and Fig. S5†).



The  $N_2$  adsorption mechanisms were studied using single crystal X-ray diffraction (SCXRD) at different gas loadings, with successful measurements obtained for  $[Zn_3(vtz)_6] \cdot 3N_2$  (**Zn**· $N_2$ ),  $[Cd_3(vtz)_6] \cdot 1.5N_2$  (**Cd**· $0.5N_2$ ), and  $[Cd_3(vtz)_6] \cdot 6N_2$  (**Cd**· $2N_2$ ). The host framework in **Zn**· $N_2$  is identical to **Zn** (Table S1†). The channel center (Site-I) and the cavity center (Site-II) are fully occupied to give a total of 3  $N_2$  molecules per formula unit (hereafter, per formula unit is denoted as /unit) of **Zn**, being consistent with the experimental saturation uptake of 1.0  $N_2$ /Zn. The  $N_2$  molecule at Site-I exhibits a significantly smaller thermal parameter and less disorder (Fig. S6†). Grand Canonical Monte Carlo (GCMC) simulations further confirmed Site-I as the primary adsorption site (Fig. S7†). Although the  $N_2$  molecules show more disorder due to the large pore size and partial occupancy, the host–guest structure and relative binding affinities of Site-I and Site-II in **Cd**· $0.5N_2$  are very similar to those of **Zn**· $N_2$  (Fig. S8†).

Interestingly, **Cd**· $2N_2$  possesses a distorted host framework with a slightly expanded (0.6%) unit cell (Table S1†), giving two kinds of **dia** cage (Cage-I and Cage-II) and two kinds of channel (Site-Ia and Site-Ib), as well as four kinds of pore-surface pockets (denoted as Site-IIIa to Site-IIId, Fig. 2c, d and S9†). Summing the  $N_2$  molecules at Site-I and Site-III gives a total occupancy of 6  $N_2$ /unit, which is consistent with the experimental saturation uptake of 2  $N_2$ /Cd. It should be noted that the void ratio of **Cd**· $2N_2$  is even slightly smaller than that of **Cd** when adopting the van der Waals radius of a nitrogen atom (1.55 Å) as a probe (Fig. S5†). This fact demonstrates that the sudden increase of  $N_2$  uptake originates from the framework deformation rather than the host expansion (Fig. S10†). Density functional theory (DFT) simulations produced potential energy surfaces (PESs) for inserting  $N_2$  molecules into the rigid pockets (Fig. 2b). Outside the pocket, the host–guest binding is energetically favored and follows a **Zn** > **Mn** > **Cd** trend. Inside the pocket, the energy trends are reversed but still indicate better accessibility for larger pockets.

To further investigate the molecular recognition behaviors of the molecular pockets,  $H_2$ , possessing a smaller molecule size (Table S3†), was selected as a guest. All of the isotherms measured at 77 K show type-I characteristics without obvious saturation, which is typical for  $H_2$  because this gas can interact weakly with most materials. At 1.2 atm, the  $H_2$  uptakes of **Zn**, **Mn** and **Cd** reach 1.13, 2.12, and 1.71 wt%, 16.6, 27.6, and 26.7 mg cm<sup>−3</sup>, or 1.06, 1.99, and 2.09  $H_2$ /M, respectively (Fig. S11†). The large  $H_2$  uptake of **Mn** cannot be simply explained by its small molecular weight. Instead, a more important feature of the  $H_2$  adsorption isotherm of **Mn** is that it has the largest slope, which is useful for practical  $H_2$  storage applications. For example, taking 0.1–1.2 atm as the working charge–discharge pressure range, **Mn** and **Cd** can deliver 75% and 51% of the  $H_2$  adsorbed at 1.2 atm, giving usable storage capacities (USCs)<sup>31</sup> of 1.60 and 0.88 wt% or 20.7 and 13.6 mg cm<sup>−3</sup>, respectively.

To explain the abnormal  $H_2$  isotherm slope of **Mn**, loading-dependent adsorption enthalpies were calculated using the Clausius–Clapeyron equation or virial equation using isotherms measured at 77 and 87 K (Fig. 3a, S11–S13†). At near-zero

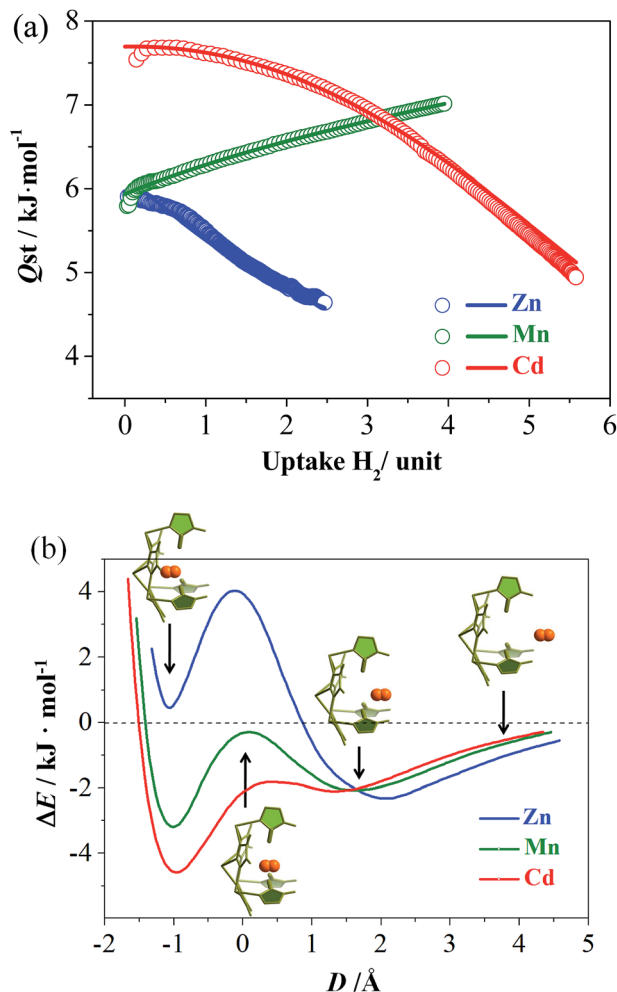


Fig. 3 (a) The coverage-dependent  $H_2$  adsorption enthalpies ( $Q_{st}$ ) calculated using the Clausius–Clapeyron equation using original data without fitting (points) and using the virial equation (lines). (b) PES of a  $H_2$  molecule inserting into the pore-surface pockets calculated using DFT based on rigid structures.  $D$  is the distance between the pocket entrance and the molecular centroid of  $H_2$ . The insets are four typical host– $H_2$  structures for **Mn** placed at their corresponding PES positions.

loading, the  $H_2$  adsorption enthalpies were calculated as 5.9, 5.8, and 7.5  $\text{kJ} \cdot \text{mol}^{-1}$  (based on the Clausius–Clapeyron equation) for **Zn**, **Mn**, and **Cd**. Note that the large-pore **Cd** possesses the largest value, in contrast with conventional observations. When the loading increases, the enthalpies of **Zn** and **Cd** gradually decrease, similar to other adsorbents. Interestingly, the enthalpy of **Mn** gradually rises to 7.0  $\text{kJ} \cdot \text{mol}^{-1}$  at 3.95  $H_2$ /unit, meaning that the host can adsorb  $H_2$  more easily at higher loadings as reflected by its relatively large isotherm slope. Generally, the adsorption enthalpy decreases as loading increases, because the adsorbate molecules are firstly adsorbed at the strongest site and finally the weakest site. The adsorption enthalpy may sometimes increase as the loading increases because of increased adsorbate–adsorbate interaction and/or structural transformation of the adsorbent. However, both the adsorbate–adsorbate and adsorbent–adsorbate interactions are





extremely weak for  $H_2$  molecules (reflected by its boiling point and low adsorption enthalpies), so such an increasing adsorption enthalpy profile is unprecedented for  $H_2$ .<sup>32,33</sup> As  $H_2$  can hardly induce a structural transformation of the adsorbent,<sup>34,35</sup> and it is very difficult to determine the  $H_2$  position in crystal structures, we calculated the PES for inserting a  $H_2$  molecule into the pockets of **Zn**, **Mn**, and **Cd**, using a DFT method with rigid hosts. As shown in Fig. 3b, all three compounds showed two local minima, located outside and inside the pocket, respectively. For **Zn**, the more stable one appears outside the pocket (close to Site-II), and the less stable one has a positive binding energy. On the contrary, the more stable ones of **Mn** and **Cd** are both inside the pockets, indicating that  $H_2$  molecules are in favor of staying outside the pockets in **Zn**, but tend to enter the pockets in **Mn** and **Cd**. In addition, the energy barriers between the two local minima are in line with **Zn**  $\gg$  **Mn** > **Cd**  $\approx$  0. All of these sequences can be explained by the sizes of the pockets (including their entrances). Only the pockets of **Mn** and **Cd** are large enough for the accommodation of a hydrogen molecule. Therefore, the  $H_2$  adsorption of **Zn** just occurs outside the pockets, giving a normal adsorption behavior. For **Mn**,  $H_2$  is firstly adsorbed in the cavities and channels, giving a low zero-loading enthalpy. However,  $H_2$  has a great tendency to overcome the energy barrier between the cavity and the pocket, especially at higher pressures. Therefore, more and more  $H_2$  molecules are absorbed in the pockets (the stronger binding sites) at higher pressures, giving the abnormal enthalpy profile and large isotherm slope. The energy barrier of **Cd** is negligible due to being largest in size, so  $H_2$  is adsorbed in the strongest adsorption site or inside the pockets, almost from the beginning. Thus, **Cd** displays the largest zero-loading adsorption enthalpy and a normal enthalpy trend.

The  $N_2$  and  $H_2$  sorption experiments demonstrated that a slight change of the metal ion size can readily control the accessibility of the pore-surface pockets. However,  $N_2$  and  $H_2$  are so small/short and can either stand or lie inside the pockets. To utilize the well-defined electrostatic fields of the pockets, we further measured adsorption isotherms for  $CO_2$  and  $C_2H_2$  possessing large and opposite quadrupole moments, as well as larger/longer molecular sizes/shapes compared with  $N_2$  and  $H_2$  (Table S3†).<sup>36</sup> At 195 K, none of the  $CO_2$  saturation uptakes of **Zn**, **Mn**, and **Cd** reach 4.0  $CO_2$ /unit or any other stoichiometric values (Fig. S14†), indicating that the guest molecules are disordered outside of the pockets. The  $C_2H_2$  adsorption isotherms of **Cd** and **Mn** both exhibit one-step behavior, and their saturated uptakes are both 1.98  $C_2H_2$ /M or 5.94  $C_2H_2$ /unit, being close to the second-step saturated uptake of  $N_2$ . The adsorption isotherm of **Zn** exhibits a multi-step behavior. The saturation uptakes of the two most obvious steps are 1.09 and 2.08  $C_2H_2$ /Zn, the latter of which indicates that  $C_2H_2$  must have entered the pockets. The PES of a  $CO_2/C_2H_2$  molecule moving linearly between the bottoms of two pockets in  $[M_3(vtz)_6]$  straightforwardly demonstrates that  $C_2H_2$  can insert into the pockets of all three compounds, and that the pocket accessibilities are proportional to the metal radius. On the contrary,  $CO_2$  cannot enter any of the pockets in any of the compounds as no local minima occur for inside the pockets (Fig. 4). Obviously,

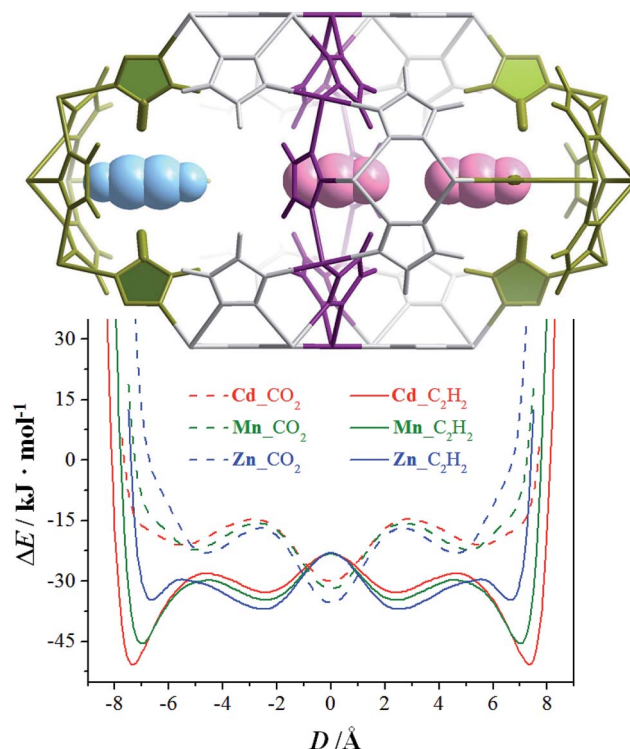


Fig. 4 PES of a  $CO_2/C_2H_2$  molecule moving linearly between the bottoms of two pockets (connected by a channel) in  $[M_3(vtz)_6]$  supposing a rigid host.  $D$  is the distance between the centers of the channel and the gas molecule. Inset: a portion of **Cd** (scaled to fit the abscissa) with three typical guest positions.

$[M_3(vtz)_6]$  can efficiently recognize the different quadrupole moments of  $CO_2$  and  $C_2H_2$  to realize unprecedented adsorption selectivities. It is worth noting that they can usually choose the best orientations to adapt to the electrostatic field of the pore surface, even in ultra-microporous MOFs like CPL-2 and MAF-2 showing relatively high  $CO_2/C_2H_2$  selectivities.<sup>31,37</sup>

As predicted from the low-temperature isotherms, the  $CO_2$  adsorption of all three compounds at ambient temperatures is poor with the uptakes no more than 2.23  $\text{mmol g}^{-1}$  at 1 atm (Fig. S15†). The  $C_2H_2$  uptakes of **Zn** and **Mn** are also quite low, indicating that their gate-opening pressures at ambient temperatures are higher than 1 atm. Interestingly, the  $C_2H_2$  uptake of **Cd** at 1.0 atm is relatively low (2.23  $\text{mmol g}^{-1}$ ) at 298 K but very high (6.34  $\text{mmol g}^{-1}$ ) at 273 K (Fig. 5a). Also, the 273 K isotherm shows an obvious S-shape, indicating that the gate-opening pressure is lower and higher than 1 atm at 273 and 298 K, respectively. Such a large adsorption difference at two similar temperatures demonstrates a large slope in the isotherm of 298 K above 1 atm, which is very useful for obtaining a large USC between 1.0 and 1.5 atm (the practical compressed and discharged limits of pure  $C_2H_2$ ). Since pure  $C_2H_2$  explodes above 2 atm, it is stored in gas cylinders below 1.5 atm (for safety) and because gas storage systems cannot discharge below 1.0 atm (cannot outflow automatically), it can provide very limited USCs. Although some porous materials can adsorb large amounts of  $C_2H_2$  at ambient temperature and



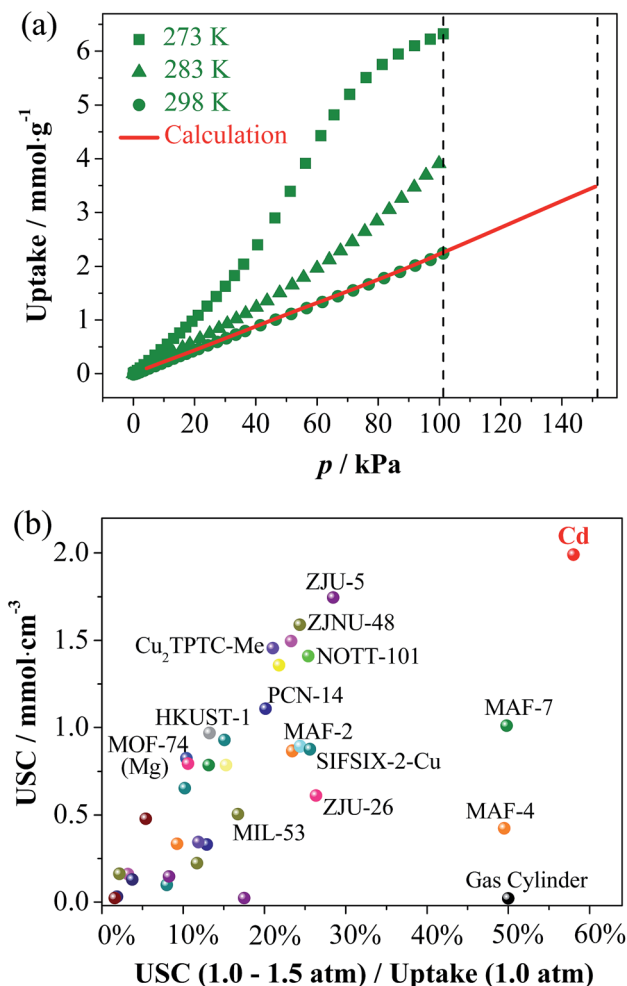


Fig. 5 (a)  $\text{C}_2\text{H}_2$  adsorption isotherms of Cd at 273, 283 and 298 K. The predicted isotherm was obtained based on the Clausius–Clapeyron equation and isotherms measured at 273, 283, and 298 K. The two dashed lines represent the practical working limits of the charging and discharging pressures. (b) Comparison of the USCs and utilization ratios for  $\text{C}_2\text{H}_2$  storage parameters of representative MOFs.

pressure (Table S4†),<sup>38</sup> their USCs are usually very low because saturation is almost or already reached at 1.0 atm. Theoretically, a porous material with an S-shape isotherm whose inflection point is located in the working pressure region must be beneficial in improving the USC. Obviously, a good storage material/method should have not only a high USC but also a low wasting uptake at 1.0 atm.

Based on adsorption isotherms measured at 273, 283, and 298 K, the 298 K isotherm was extrapolated to give an uptake of  $3.53 \text{ mmol g}^{-1}$  at 1.5 atm (Fig. 5a and S16†), meaning a USC (at 1.0–1.5 atm) of  $1.30 \text{ mmol g}^{-1}$  or  $1.99 \text{ mmol cm}^{-3}$  was determined, being 98 times that of a gas cylinder ( $0.0204 \text{ mmol cm}^{-3}$ ), and also much higher than all other known adsorbents (Fig. 5b and Table S4†). Besides USC, the relative ratio between USC and the wasting uptake at 1.0 atm can also be used as a specific parameter (denoted as the  $\text{C}_2\text{H}_2$  utilization ratio) to evaluate the efficiency of a storage system, which is determined by the shape of the adsorption isotherm. The  $\text{C}_2\text{H}_2$  utilization ratios of

porous materials are generally much lower than 50% because their type-I isotherms or quasi type-I isotherms exhibit smaller slopes at higher pressures. A few porous materials with weak  $\text{C}_2\text{H}_2$  adsorption affinities can show linear isotherm shapes (such as MAF-4 (ref. 39) and MAF-7 (ref. 40)), just like the gas cylinder, to give approximately 50% utilization ratio, but their USCs are relatively low. Remarkably, the  $\text{C}_2\text{H}_2$  utilization ratio of Cd reaches 58%, because the isotherm increases along with the pressure in the working pressure range.

## Conclusions

By using the tiny differences between metal ions, the pore structures of a series of isostructural ultramicroporous MOFs have been continuously regulated with the precision of a hundredth of a nanometer leading to interesting size and quadrupole-moment recognition behaviors, being useful for gas adsorption, separation and storage. *In situ* SCXRD analyses and computational simulations played critical roles in revealing the structural and energetic mechanisms. For instance, without SCXRD, the great structural difference between Cd and  $\text{Cd} \cdot 2\text{N}_2$  would be ignored as in conventional cases (Fig. S1†). This work also demonstrates the possibility and strategy for achieving a reversed adsorption sequence at energetically different adsorption sites.

## Conflicts of interest

There are no conflicts to declare.

## Acknowledgements

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