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Electron transfer kinetics of a series of copper complexes with tripodal tetradentate guanidine quinolinyl ligands†

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Copper complexes of tripodal ligands have been used as model systems for electron transfer proteins for decades, displaying a broad range of electron self-exchange rates. We herein report a group of six tripodal tetradentate triarylamine ligands which display a varying number of guanidine and 2-methylquinolinyl moieties. Their corresponding Cu(i) complexes have been (re)synthesized and studied with regard to their electron transfer properties. While their molecular structures in the solid state are four-coordinate and display an uncommon umbrella distortion, DFT studies of the Cu(ii) systems reveal that they gain an additional ligand in the form of a solvent molecule and exhibit a range of possible conformers that likely co-exist in thermal equilibrium. The redox-couples' electron self-exchange rates were analyzed using Marcus theory and vary over four orders of magnitude which cyclic voltammetry studies suggest to be due to a gated addition-oxidation electron transfer mechanism. This mechanism deviates from previously studied systems, likely due to the structural anomalies of the Cu(i) systems. This demonstrates that the chosen path of tripodal model systems can be influenced by molecular design.

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Introduction

Type I copper proteins are metalloproteins that facilitate electron transfer reactions in several organisms via a coordinated Cu ion. 1-3 These proteins can achieve high electron selfexchange rates k_{11} of 10^3 to 10^8 M⁻¹ s⁻¹ despite the significant difference between the preferred coordination environments of the Cu(I/II) redox pair. 4-7 While the d10 metal ion Cu(I) preferably adopts a tetrahedral coordination geometry, Cu(II), a d⁹ center, prefers tetragonal coordination environments such as square-planar axially distorted or square-pyramidal geometries.8,9 A full reorganization of the Cu center upon oxidation or reduction is therefore linked to high reorganization energies λ , to the detriment of the self-exchange rates. In 1968, Vallee and Williams proposed the entatic state concept as an explanation for how Type I copper proteins were able to circumvent this limitation. 10 The copper in Type I proteins is bound by two histidine residues as well as one methionine

and one cysteinate residue in an environment that does not resemble the preferred geometries of either Cu(I) or Cu(II). According to the entatic state concept, this distorted geometry energizes both oxidation states, lowering the kinetic barrier between the two. The protein framework is also theorized to be rigid, experiencing only very little structural change upon electron transfer, further lowering the required reorganization energy. This idea of a rigid entatic state has been popular over the past decades with a large body of work being dedicated to its study, especially using model systems. 11-20 Rorabacher et al. were able to find a link between k_{11} and the distortion of the active site's coordination geometry in model complexes.²¹ Comba et al. proposed a metal-ligand mismatch, defined as an adverse interaction between the metal center and its ligands that further energizes the oxidation states.²² The group further demonstrated that even geometrically rigid model systems can exhibit slow electron transfer rates due to large outer reorganization energies; the energy required to rearrange the solvent sphere upon electron transfer.²³ Policar et al. demonstrated that finetuning the ligand scaffolding can have a significant effect on the entasis enacted on the metal center.24 A range of different model systems has been reported that further demonstrate a correlation between a rigid and coordination deformed geometry and increased k_{11} . 15,17,19,20,25,26

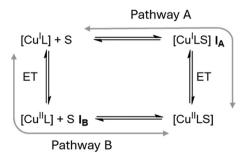
In 2019, however, Hagen hypothesized that the rigid entatic state might be of marginal existence in biological systems and proposed a wide distribution of possible coordination geome-

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tries, a so-called ecstatic state, to facilitate fast electron transfer.²⁷ Instead of locking the coordination sphere in a rigid conformation, the ecstatic state lowers the reorganization energy by having a flexible ligand scaffold able to rapidly adopt the metal center's preferred coordination geometry. In accordance with this hypothesis, Aravena and Lemus et al. reported a group of copper complexes of tetradentate ligands whose electron transfer reactivity increases with the flexibility of the ligand scaffold.²⁸ As an alternative to the ecstatic state, Hureau et al. described an "in-between" state of copper ions bound to flexible amyloid-β peptides.²⁹ These can adopt discrete conformations that are similar for both product and reactant state, in turn enabling rapid electron transfer processes that lead to high oxidative stress in patients with neurodegenerative diseases. Recently, Olshansky et al. published several studies focusing on conformationally dynamic copper coordination compounds on the basis of tripodal ligand systems.30-33 Notably, the therein reported [CuCl(dpa^{SMe})]^{+/0} redox pair exhibits the highest self-exchange rate of any model system studied to date.31 Tripodal tetradentate ligand systems have been studied previously by Rorabacher et al. and Yandell et al. under the lens of the rigid entatic state, as they can neither adopt an ideal tetrahedral nor a square planar coordination geometry.34-36 They reported that the model systems experienced a change in coordination number (CN) upon oxidation by coordinating a previously dissociated halogenide or solvent molecule and observed rather slow electron self-exchange rates. Rorabacher et al. postulated that CN-variant tripodal systems could undergo electron transfer following one of two possible pathways, depicted in Scheme 1.37 Both discussed mechanisms involve an electron transfer and the change of CN as discrete chemical reactions. The electron transfer of pathway A is preceded by the change in CN, giving rise to a [Cu^IL(S)] intermediate (I_A) before oxidation takes place. Pathway B begins with oxidation of the [Cu^IL] system to a tetradentate [CuIL] system (IB), followed by a change in CN. Discussions of the electron transfer mechanism of CN-variant tripodal model systems therefore center around the question whether the co-ligand coordinates before or after the relevant redox reaction occurs. The change of CN in a Cu(1) system was regarded too sterically demanding and Intermediate IA too



Scheme 1 Possible reaction pathways for CN-variant copper complexes as proposed by Rorabacher et al. with S demarking the external

unstable by Rorabacher et al., therefore Pathway B was stated as preferred in the oxidation reaction for a majority of tripodal model systems.³⁷ The rapid electron transfer of model systems with similar tripodal ligands recently reported by Olshansky's group, however, suggests that the reaction mechanism of the older systems needs to be elucidated further to sufficiently explain their low rate constants. With the motivation to better understand the slow electron transfer of some CN-variant model systems of tripodal ligands, in our study, we discuss a set of tetradentate triarylamine ligands featuring guanidine and 2-methylquinolinyl groups in varying numbers. When these ligands form complexes with Cu(1) salts, their crystal structures are alike and show an uncommon umbrella-distortion. Despite the structural similarities observed among the Cu(1) complexes of these ligand systems, there is a substantial difference in the observed self-exchange reaction rates. These vary across four orders of magnitude and are inversely proportional to the number of guanidine units present within the ligand structure.

Results and discussion

Ligand synthesis

The ligands were synthesized according to the reactions depicted in Scheme 2. The initial S_NAr-reaction to tris(2-nitrophenyl)amine was performed according to a slightly modified procedure by Gorvin.³⁸ The obtained nitro precursor was then reduced following a modified procedure described by Stavropoulos and Cronin et al. to obtain N1,N1-bis(2-aminophenyl)benzene-1,2-diamine.³⁹ The amine precursor was then functionalized with two different Vilsmeier salts (DMEG: dimethylethyleneguanidino and TMG: tetramethylguanidino) to yield ligand pair L1. To obtain pairs L2 and L3, the amine precursor was first subjected to a Doebner-Miller reaction in a procedure inspired by Dalko et al., followed by a separation of the products via gradient column-chromatography. 40 A subsequent functionalization with each precursor and the TMGand DMEG-Vilsmeier salts was performed to yield the corresponding ligand pairs.

Cu(1)-complex synthesis and structural characterization

All six ligands were consequently combined with [Cu^I(MeCN)₄] PF₆ to yield three pairs of complexes, [Cu^ITMG₃trphen]PF₆ $(C1_{TMG})^{39}$ and $[Cu^{I}DMEG_{3}trphen]PF_{6}$ $(C1_{DMEG})$, $[Cu^{I}\{N(QuMe)\}]$ $(PhTMG)_2$ } $[PF_6 (C3_{TMG}) and [Cu^I{N(QuMe)(PhDMEG)_2}]PF_6$ $(C3_{DMEG})$ as well as $[Cu^{I}\{N(QuMe)_{2}(PhTMG)\}]PF_{6}$ $(C5_{TMG})$ and $[Cu^{I}\{N(QuMe)_{2}(PhDMEG)\}]PF_{6}(C5_{DMEG}).$

The complex cations' solid state structures, including the C1_{TMG} structure published by Stavropoulos and Cronin et al., are depicted in Fig. 1.39 C3_{TMG} was crystallized by dissolving the Cu(I) salt and the ligand L2_{TMG} in acetonitrile or layering the dissolution with diethyl ether. The solid state structure of C5_{TMG} was obtained in a similar fashion out of a dichloromethane solution layered with pentane. C1_{DMEG} and C3_{DMEG} were both synthesized and precipitated before being crystal-

DMSO, N₂, 130 °C, 3 d MeOH, N₂ RT, 6 h TMG-VS/ DMEG-VS NEt₃ MeCN, N₂, L1_{TMG}^a/L1_{DMEG} HCI (4.5 M), 80 °C, 3 h TMG-VS/ DMEG-VS NEt₃ MeCN, N₂, 110 °C, 4 d L2_{TMG}/L2_{DMEG} TMG-VS/ DMEG-VS NE_t MeCN, N₂, L3_{TMG}/L3_{DMFG}

Scheme 2 Employed synthesis routes for the reported ligand systems. a: ${\bf L1_{TMG}}$ has been synthesized previously by Stavropoulos and Cronin et al. ³⁹

lized analogously to C3_{TMG}. C5_{DMEG} was crystallized from a dissolution of the pre-synthesized complex in dichloromethane layered with pentane. Selected bond lengths, angles, and structure parameters of the six structures are listed in Table 1. The Cu(1) complex cations display a four-coordinate coordination geometry best described as a distorted trigonal pyramid, a so-called umbrella-distortion, in which the copper ion is not positioned at the center, but slightly outside the face of the coordination-polyhedron. 41 This distortion becomes less pronounced with an increasing number of quinolinyl donors, as can be seen by the shortening Cu-NAm bond length and increasing N(1)-Cu-N(X) angles. Umbrella-distortions are relatively uncommon among Cu complexes as stated by Alvarez et al.41 In the present systems, they likely are caused by the interplay of the ligand scaffold's rigid aromatic backbone, the fact that arylamines are known to be poor donors and the strong π -donor properties of the guanidine donors. ^{17,42} The general coordination geometry is similar for each complex cation, however. While the apparent coordination geometry seems to allow for a fifth donor in form of a coordinating solvent molecule like acetonitrile, no signs of a pentacoordinate $[Cu^I(L)(MeCN)]^+$ species were observed in either the crystal data, NMR spectra, or mass spectra. This is not unusual for Cu(I) complexes of tripodal ligands, as reported by Rorabacher $et\ al.^{36,37}$

Using the SHAPE-program by Alvarez *et al.*, the coordination geometries' distortion away from either an ideal square planar (D_{4h}) , tetrahedral (T_{d}) or square pyramidal (C_{3v}) symmetries were assessed listed in Table 1.⁴¹ The coordination environments of all Cu(i)-structures again display similar values, with strong distortions away from the T_{d} and D_{4h} symmetries and the least distortion away from C_{3v} symmetry. The computationally obtained structures for the solvated ions are in good agreement with the observed solid state structures (see ESI†).

Computational assessment of the Cu(II) complex cations

Stavropoulos and Cronin et al. published a Cu(II) solid state structure for C2_{TMG}.³⁹ Any attempts made to obtain a Cu(II) structure of the novel ligands proved to be unsuccessful for reasons including but not limited to possible decay of the Cu(II) systems (see ESI†). Thus, their structures were simulated in solution *via* density functional theory (DFT) computations. The possibility of a stable four-coordinate Cu(II) species was ruled out via isodesmic calculations which show that a pentacoordinate state is universally preferred (see ESI†). The substitution pattern of the ligands in combination with an added acetonitrile molecule as co-ligand allow for up to four different conformers of pentacoordinate Cu(II) complex cations in solution, depicted in Fig. 2(a). These four conformers can be divided into two separate pairs. One pair has the aryl amine donor (N_{Am}) coordinating the metal center at a basal position of the resulting square pyramid, the other pair has it coordinating the metal center at the apical position of the pyramid. These basal and apical pairs can be subdivided further by the arrangement of the ligands' different arms relative to the co-ligand.

In Fig. 2(b), the found conformers of each Cu(II) species, as well as their relative difference in electronic energy are depicted. It is noticeable that the C2 complex cations show either exclusively one basal conformer ($C2_{TMG}$) or energetically prefer the basal conformer over the apical one ($C2_{DMEG}$). Contrary to this, the pairs of C4 and C6 with the less bulky ligands prefer the apical B conformer over any other possible conformation. The observed relative differences in energy are generally small with an overall range of 7.7 to 2.1 kJ mol⁻¹. Outliers are the apical A conformers of the $C2_{TMG}$ and $C2_{DMEG}$ pair, both sitting at a much higher energies relative to the lowest conformer. Given the small differences in energy between each conformer, it is reasonable to assume that the Cu(II) species exist in a dynamic equilibrium.

Assessment of electron transfer properties

The electron self-exchange rates k_{11} were obtained via application of the Marcus cross-relation, which is derived from the

Table 1 Key bond lengths, bond angles and structure parameters of the Cu(i) complex cations C1, C3 and C5

	$\mathbf{C1_{TMG}}^a$	$C1_{DMEG}$	$C3_{TMG}$	$C3_{DMEG}$	$C5_{TMG}$	$C5_{DMEG}$
Bond lengths [Å]						
Cu-N _{Am} (1)	2.355(2)	2.3475(19)	2.275(3)	2.282(2)	2.254(2)	2.2608(16)
Cu-N _{Gua} (2)	2.0129(15)	2.0299(11)		. ,	. ,	` ′
Cu-N _{Gua} (3)	2.0129(15)	2.0299(11)	2.051(3)	1.982(2)		
Cu-N _{Gua} (4)	2.0129(15)	2.0299(11)	1.974(3)	2.068(2)	1.991(2)	2.0373(13)
$Cu-N_{Ou}(2)$			1.971(3)	1.9735(19)	1.982(2)	2.0135(13)
Cu-N _{Ou} (3)					2.041(2)	1.9512(13)
Bond angles [°]						
N(1)-Cu-N(2)	78.54(4)	78.46(3)	82.24(12)	81.78(8)	83.29(9)	81.61(6)
N(1)-Cu- $N(3)$	78.54(4)	78.46(3)	79.22(13)	78.17(9)	80.28(9)	82.27(5)
N(1)-Cu-N(4)	78.54(4)	78.46(3)	87.87(12)	81.87(8)	81.49(9)	79.54(5)
N(2)-Cu- $N(3)$	116.15(3)	116.10(2)	131.67(13)	100.89(8)	111.92(9)	124.01(5)
N(2)-Cu- $N(4)$	116.15(3)	116.10(2)	113.22(13)	130.00(8)	129.68(10)	102.01(5)
N(3)-Cu- $N(4)$	116.15(3)	116.10(2)	107.48(14)	121.22(8)	112.23(9)	126.87(5)
Structural parame	ters					
$ ho^b$	0.96, 0.96, 0.96	0.95, 0.95, 0.95	0.96, 0.97	0.96, 0.96	0.97	0.96
$ au_4^{c}$	0.91	0.91	0.81	0.77	0.84	0.77
$S(T_{\rm d})$	6.462	6.622	6.130	6.451	5.754	6.210
$S(D_{4h})$	36.775	36.820	32.625	33.935	33.054	32.793
$S(C_{3v})$	0.819	0.818	1.006	1.299	0.733	1.128

^a Crystal structure was reported by Stavropoulos and Cronin et al.³⁹ $^b\rho = 2a/(b+c)$ with $a=d(C_{Gua}-N_{Gua}),\ b=d(C_{Gua}-N_{amine,1})$ and $c=d(C_{Gua}-N_{amine,2})$, $a=d(C_{Gua}-N_{Gua})$, $b=d(C_{Gua}-N_{amine,2})$, $a=d(C_{Gua}-N_{Gua})$, $b=d(C_{Gua}-N_{Gua})$, $b=d(C_{Gua}$

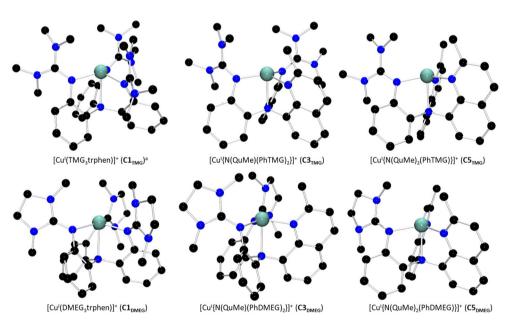


Fig. 1 Molecular structures of the Cu(i) complex cations of both guanidine variants of C1 to C5 in the solid state. H atoms, non-coordinating anions and solvent molecules have been omitted for clarity. a: Crystal structure was reported by Stavropoulos and Cronin *et al.*³⁹

Marucs theory describing the outer-sphere mechanism of electron transfer reactions (eqn (1)–(4)). 43,44

$$k_{11} = \frac{k_{12}^2}{k_{22} \cdot K_{12} \cdot f_{12} \cdot W_{12}^2} \tag{1}$$

$$K_{12} = \exp\left(\frac{\Delta E_{1/2} \cdot n \cdot F}{R \cdot T}\right)$$

$$f_{12} = \exp\left(\frac{\left(\ln\left(K_{12} + \frac{w_{12} - w_{21}}{R \cdot T}\right)\right)^2}{4 \cdot \left(\ln\left(\frac{k_{11} \cdot k_{22}}{Z_{11} \cdot Z_{22}}\right) + \frac{w_{11} + w_{22}}{R \cdot T}\right)}\right)$$
(3)

$$W_{12} = \exp\left(\frac{w_{11} + w_{22} - w_{12} - w_{21}}{2 \cdot R \cdot T}\right) \tag{4}$$

 k_{11} was calculated via eqn (1), requiring the experimentally determined reaction rate k_{12} and equilibrium constant K_{12}

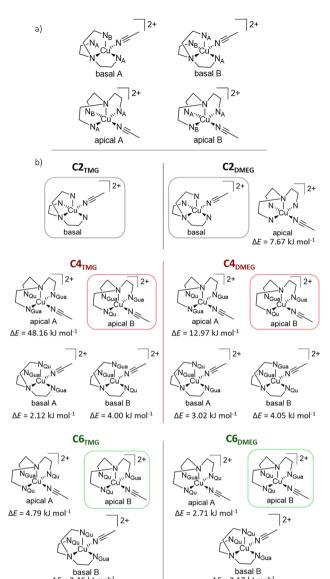


Fig. 2 (a) Schematic representation of the possible conformers for C2, C4 and C6. For $C2_{TMG}$ and $C2_{DMEG}$, the corresponding A and B conformers are identical. (b) Schematic depiction of the conformers of each derivative of the complex cations C2, C4 and C6 via DFT structure optimization. The framed structures represent the lowest lying conformer of each species, the difference in energy (ΔE) of each other conformer relative to the framed one is noted below its schematic structure. If certain structures are not depicted, they could not be found via the employed methods (TPSSh/def2-TZVP and PCM solvent model for acetonitrile and empirical dispersion with BECKE-JOHNSON dampening).

(eqn (2)), the correction term f_{12} (eqn (3)), the work term W_{12} (eqn (4)) and the electron self-exchange rate k_{22} of the employed counter complex redox couple $[\text{Co(bpy)}_3]^{2^{+/3^+}}$. The latter was used as reported in acetonitrile at 298 K. ⁴⁵ The equilibrium constant K_{12} depends on difference of the redox potentials, $\Delta E_{1/2}$, of the counter complex redox couple and the investigated copper complex redox couple (eqn (2)). The required $E_{1/2}$ of the copper complexes were measured beginning from

the Cu(1) species via cyclic voltammetry in acetonitrile at 25 °C. The cyclic voltammetry yielded quasi-reversible redox waves for each redox pair (see Fig. 3 for R1_{TMG} as an example or Fig. S1 to S5 in ESI†), the potentials of which are more negative with an increasing number of guanidine donors present in the ligand scaffolding (see Table 2). k_{12} was determined by monitoring the cross-reaction depicted in Scheme 3 at 298 K using stopped-flow UV/Vis spectroscopy for five distinct counter complex concentrations. Each concentration was in excess to the Cu(1) complexes present, rendering the cross-reaction a reaction pseudo-first order. The influence of the ionic strength on the activity coefficients of the reactants was not considered (further information see ESI†). For each concentration, the increase or decrease of distinct absorption bands was plotted against time, fitted and the resulting apparent reaction rates were plotted against the counter complex concentration. Lastly, k_{12} was obtained as the slope of the linear regression from the resulting plot, as depicted exemplary for $R1_{TMG}$ in Fig. 4. The relevant experimental data as well as the calculated self-exchange rates k_{11} for each redox pair are listed in Table 2.

The span of electron self-exchange rates over four orders of magnitude contrasts with the overall similar Cu(I) and Cu(II) coordination geometries, raising questions regarding the prevalent reaction mechanism (vide supra, Scheme 1). Since Pathway B is considered the favored pathway, it was investigated first.³⁷ The examination of this pathway for the herein discussed systems was performed by DFT computation of the outer- and inner-sphere reorganization energies of the involved four-coordinate [Cu^{I/II}L] redox couples via Nelsen's four-point method (see Table 3 and ESI for further info†). 20,26,46 All reorganization energies were computed on the assumption that a unitary reaction pathway is followed for oxidation and reduction. The obtained λ_{11} values are approximately in the same range as the ones for TMGqu-derived systems reported by our group, the latter displaying self-exchange rates two orders of magnitudes higher than the fastest system in this work.20 Further, the trend for the obtained reorganization energies does not match the trend for obtained k_{11} values. Both findings suggest that, for Pathway B to be preferred, the association of the acetonitrile co-ligand must have a major influence on the reaction kinetics. To test for this possibility, the kinetic barriers for this coordination were calculated using DFT-computations. The conducted computations for varying the N_{MeCN} Cu distance proved to be challenging and succeeded only for some discussed Cu(II)-systems. They all, however, show a barrierless transition from a four-coordinate [Cu^{II}L] system to the five-coordinate [CuILS] derivatives. Both theoretical findings cast doubt on the idea of Pathway B being the prevalent reaction mechanism. Experimental data of the systems' behavior upon oxidation was collected from CV measurements by plotting the current ratio I_{pr}/I_{pf} and the current function $I_{\rm pf}/\nu^{1/2}$ against ν , with $I_{\rm pf}$ being the forward (oxidation) current, $I_{\rm pr}$ the reverse (reduction) current and ν being the applied scan rate (see Fig. 4).47 A reaction occurring after a redox process like in Pathway B would be expected to show a value <1 for I_{pr}/I_{pf} . The ratio should decrease with scan

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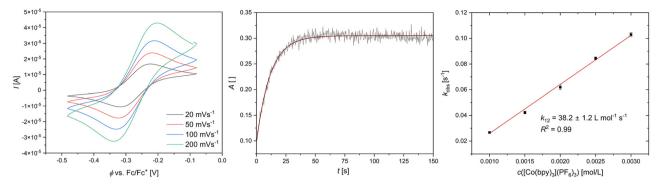


Fig. 3 Left: cyclic voltammogram of $\mathbf{R1}_{\mathsf{TMG}}$ starting from $\mathbf{C1}_{\mathsf{TMG}}$ ($c = 10^{-3}$ M) in MeCN with $[\mathsf{NBu}_4][\mathsf{PF}_6]$ (c = 0.1 M). Middle: exponential decay fit of the increase of a $\mathsf{Cu}(\mathsf{II})$ absorption band from $\mathsf{R1}_{\mathsf{TMG}}$ during a cross reaction. Right: Plot of the reaction rate $\mathsf{k}_{\mathsf{obs}}$ against the concentration of $[\mathsf{Co}(\mathsf{bpy})_3]^{3+}$ for $\mathsf{R1}_{\mathsf{TMG}}$.

Table 2 Redox potentials $E_{1/2}$ differences between the redox potentials of the copper redox couple and the counter complex $\Delta E_{1/2}$, equilibrium constants K_{12} , reaction rates k_{12} and electron self-exchange rates k_{11}

	$E_{1/2}$ [V] vs. Fc/Fc $^+$	$\Delta E_{1/2} \left[\mathrm{V} \right]$	$K_{12}\left[\; ight]$	$k_{12} [\text{L mol}^{-1} \text{ s}^{-1}]$	$k_{11} [\text{L mol}^{-1} \text{ s}^{-1}]$
R1 _{TMG}	-0.27	0.22	4.29×10^{3}	$(3.82 \pm 0.12) \times 10^{1}$	$(3.13 \pm 0.20) \times 10^{-1}$
R1 _{DMEG}	-0.26	0.20	2.83×10^{3}	$(1.30 \pm 0.05) \times 10^{1}$	$(5.49 \pm 0.43) \times 10^{-2}$
$R2_{TMG}$	-0.20	0.14	2.29×10^{2}	$(1.11 \pm 0.31) \times 10^{1}$	$(4.03 \pm 0.23) \times 10^{-1}$
$R2_{DMEG}^{a}$	-0.18	0.13	1.83×10^{2}	$(1.54 \pm 0.13) \times 10^{1}$	$(9.72 \pm 1.7) \times 10^{-1}$
$R3_{TMG}$	-0.07	0.02	1.97	3.50 ± 0.01	4.26 ± 0.03
R3 _{DMEG}	-0.06	0.01	1.16	$(1.03 \pm 0.64) \times 10^{1}$	$(6.29 \pm 0.81) \times 10^{1}$

^a Procedure for measuring k_{12} deviated from other systems due to optical interference of the counter complex.

electron self-exchange
$$[Cu^{l}L]^{+} + [Cu^{ll}L(MeCN)]^{2+} \xrightarrow{k_{11}} [Cu^{ll}L(MeCN)]^{2+} + [Cu^{l}L]^{+}$$
 cross reaction
$$[Cu^{l}L]^{+} + [Co^{ll}(bpy)_{3}]^{3+} \xrightarrow{k_{12}} [Cu^{ll}L(MeCN)]^{2+} + [Co^{ll}(bpy)_{3}]^{2+}$$

Scheme 3 Illustration of the electron self-exchange of the Cu redox couples and of the cross reaction of the Cu(i) complexes with the counter complex $[Co(bpy)_3]_3^+$.

rate, as the species responsible for the reverse current can form to a lesser extent. Further, the observed current function $I_{\rm pf}/v^{1/2}$ should be nearly invariant to the scan rate. All systems' cyclic voltammograms show a current ratio that increases with the scan rate. Further, it can be observed that the current function decreases with the scan rate for all systems except $R2_{DMEG}$. The reason as to why the current function of $R2_{DMEG}$ deviates from the pattern established by the remaining five redox couples is unknown. The combination of the current ratio increasing from <1 with a slightly increasing current function possibly suggests a combination of a CN change prior to the electron transfer step with a successive, irreversible reaction of the Cu(II) species to an unknown decay product.⁴⁷ The observed behavior therefore implies a fast decay of C4DMEG compared to that of other herein discussed Cu(II) species. Alternative explanations for this deviation from the established trend cannot be ruled out, however. The observed patterns of the cyclic voltammetry data indicate a significant structural rearrangement or a reaction to take place before the oxidation reaction occurs, as it would be expected for Pathway A.47 The four-coordinate [Cu^IL] systems therefore acquire an acetonitrile co-ligand from solution before they undergo the actual electron transfer step. It follows that the observed self-exchange kinetics can only be sufficiently explained by also considering the rate and equilibrium constants of intermediate IA's formation starting from the [Cu^IL] species (see Scheme 4). To test this possibility of a gated electron transfer, the equilibrium constant K_a of all Cu(I) systems at standard conditions were calculated using the differences in free energy between the tetra- and pentacoordinate Cu(1) systems computed via DFT calculations (see Table 4 and ESI†). The obtained equilibrium constants correlate with the observed k_{11} , decreasing significantly with respect to the guanidine moieties present which could reasonably be attributed to the steric bulk of the functional group. The increased steric bulk therefore influences the stability of intermediate IA and therefore diminishes the observed reaction rate. This is further underscored by the differences in K_a between TMG and DMEG units. This correlation indicates a gated electron transfer pathway which would obscure the actual electron transfer kinetics of the successive reaction and therefore prohibits an assessment of the structural influence of the ligands on the electron transfer reaction.

An explanation for the preference of an initial CN-change to intermediate \mathbf{I}_A over a direct oxidation to intermediate \mathbf{I}_B is

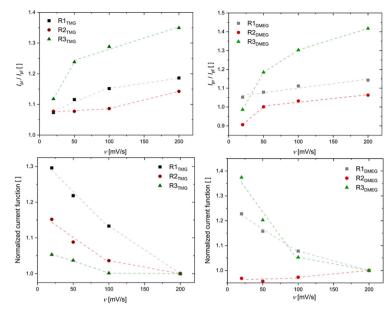


Fig. 4 Above: current ratios of designated redox pairs plotted against the scan rate v. Below: normalized current functions of designated redox pairs plotted against the scan rate v. The lines solely serve as guides to the eyes.

Table 3 Inner $(\lambda_{11,l})$, outer $(\lambda_{11,S})$ and the total sum of both reorganization energies ($\lambda_{11,T}$) for each redox couple

	$\lambda_{11,I} \left[\text{kJ mol}^{-1} \right]$	$\lambda_{11,S}$ [kJ mol ⁻¹]	$\lambda_{11,T}$ [kJ mol ⁻¹]	
R1 _{TMG}	54.4	129.8	184.2	
R1 _{DMEG}	64.3	129.6	193.9	
R2 _{TMG}	48.1	133.4	181.5	
R2 _{DMEG}	58.8	133.7	192.5	
R3 _{TMG}	53.8	136.6	190.5	
R3 _{DMEG}	65.7	136.9	202.5	

$$[Cu^{l}L] + S \xrightarrow{K_{a}, k_{a}} [Cu^{l}LS] \stackrel{I_{A}}{\longleftarrow} [Cu^{l}LS]$$
experimentally determined k_{11}

Scheme 4 Schematic illustration of important reaction parameters (above the arrows) that influence the determined self-exchange rate k_{11} . S demarks an external co-ligand, K_a represents the equilibrium constant of the formation of species I_A , k_a represents its reaction rate and k_{ET} represents the reaction rate of the electron self-exchange reaction.

Table 4 Difference in free enthalpy and the resulting equilibrium constants K_a as well as the corresponding decadic logarithm for each investigated redox pair. The pentacoordinate [Cu(ı)LS] species was set as the product of the reaction

	$\Delta G \left[\text{kJ mol}^{-1} \right]$	<i>K</i> _a []	$\lg(K_a)[]$
R1 _{TMG}	20.31	2.8×10^{-4}	-3.6
R1 _{DMEG}	-1.82	2.1	3.2×10^{-1}
R2 _{TMG}	-9.00	3.8×10^{1}	1.6
R2 _{DMEG}	-9.30	4.3×10^{1}	1.6
R3 _{TMG}	-11.62	1.1×10^{2}	2.0
R3 _{DMEG}	-12.71	1.7×10^{2}	2.2

found in the previously discussed umbrella distortion of the [Cu^IL] systems. This feature is not as pronounced or absent in aliphatic tripodal ligand systems that conform to Pathway $B.^{35,37}$ The weakened N_{Am} -Cu coordinative bonds in these distorted structures destabilize the tetra-coordinate [CuIL] intermediates IB of the competing pathway, leading to Pathway A to be preferred by the studied systems.

Conclusion

In this study, we discussed a set of tripodal tetradentate triarylamine ligands featuring guanidine and 2-methylquinolinyl groups. The obtained molecular structure in the soilid state of the Cu(1) complex cations show trigonal pyramidal coordination geometries in an uncommon umbrella-distortion. The Cu(II) structures were simulated using DFT calculations and suggest a change in coordination number compared to their Cu(1) pendants by association of a co-ligand as well as a variety of conformers that likely co-exist in thermal equilibrium. Despite the structural similarities observed among the Cu(1) complexes, their electron self-exchange rates vary across four orders of magnitude and are inversely proportional to the number of guanidine units present within the ligand structure. An investigation of the prevalent reaction mechanism for the electron transfer with DFT calculations and cyclic voltammetry showed that the oxidation-addition mechanism preferred by Rorabacher et al. is likely not prevalent, with an inverse addition-oxidation pathway being present. This subversion of the expected behavior likely stems from the observed umbrella distortion of the Cu(1) structures, destabilizing the necessary Cu(II) intermediate of the oxidation-addition pathway. This shows that it is possible to influence the electron transfer

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mechanism of CN-variant model systems by molecular design. Based on our findings, the kinetic and thermodynamic constants of the initial addition step influence the observed electron self-exchange rates and therefore prohibit any discussion of structural influence on the oxidation step. Further studies of CN-variant tripodal triaryl ligands as model complexes for electron transfer proteins should therefore consider including a fifth donor in the ligand scaffolding as this would eliminate the kinetic barriers that arise from co-ligand dissociation and association. Systems incorporating weak arylamine bridgehead donors would be similar to the glycoligands reported by Policar et al. with the added benefit of a flexible inner coordination sphere.²⁴ However, copper complexes of tripodal pentadentate arylamine ligands have yet to be implemented in electron transfer studies.

Data availability

The experimental data of the methods and details of the synthesis with characterization have been included as part of the ESI. Crystallographic data have been deposited CCDC 2382527 for C1DMEG, CCDC 2382528 for C3TMG, CCDC 2382529 for C3DMEG, CCDC 2382530 for C5TMG and CCDC 2382531 for C5DMEG.† Additional information on the synthesis of the target compounds and original analysis data files are available in the Chemotion repository (https://dx.doi.org/10.14272/collection/ToS_2024-10-09) and the RADAR4Chem repository (DOI: 10.22000/snmphx276tt041sa and direct link https://www. radar-service.eu/radar/en/dataset/snmphx276tt041sa?token= QwPxHaoRvtRHZDfFgQFZ).

Conflicts of interest

There are no conflicts to declare.

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