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# A dysprosium single molecule magnet outperforming current pseudocontact shift agents†

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A common criterion for designing performant single molecule magnets and pseudocontact shift tags is a large magnetic anisotropy. In this article we present a dysprosium complex chemically designed to exhibit strong easy-axis type magnetic anisotropy that is preserved in dichloromethane solution at room temperature. Our detailed theoretical and experimental studies on the magnetic properties allowed explaining several features typical of highly performant SMMs. Moreover, the NMR characterization shows remarkably large chemical shifts, outperforming the current state-of-the-art PCS tags.

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## Introduction

Magnetic anisotropy (MA) is a key property of lanthanoid-based materials. Indeed, the localized character of the 4f orbitals leads in most paramagnetic lanthanoids to an unquenched orbital angular momentum that strongly couples with the spin to generate remarkable MA.<sup>1,2</sup> Achieving large MA by chemical design is nowadays at the centre of a blooming research field, which aims at enhancing the performances of single molecule magnets (SMMs).<sup>3–6</sup> In a nutshell, good SMMs are characterized by a strong easy-axis MA, which generates an energy barrier for the reversal of the magnetization, thus giving rise to magnetic bistability of pure molecular origin.<sup>7</sup>

The chemical design currently employed to engineer SMMs can be exploited in NMR to enhance the pseudocontact shift (PCS), *i.e.*, the resonance shifts due to the through space

coupling of the nuclei to the magnetic dipole moment of an anisotropic paramagnetic centre. As PCSs are increasingly used for the determination of the structure and dynamics of biological macromolecules,<sup>8</sup> great experimental effort is deployed towards achieving effective PCS agents that could become the scaffold for paramagnetic tags.<sup>9,10</sup> The larger the anisotropy of the magnetic susceptibility, the longer the distance at which PCSs become observable. On these grounds, it is possible to expect that good SMMs also make excellent PCS tags for structural analysis of, *e.g.*, biologically relevant molecules.<sup>11,12</sup> Despite the similar requirements and the increased number of solution NMR studies of SMMs,<sup>13–16</sup> a factor that slowed down the cross-communication across these fields is chemical compatibility. To date, the best mononuclear SMMs consist of dysprosium(III) ions ( $4f^9$ ,  $L = 5$ ,  $S = 5/2$ , and  $J = 15/2$ ) in a highly axial crystal field (CF) generated by low coordination numbers or cyclic polyhapto ligands in a sandwich arrangement,<sup>5,6</sup> most of them characterized by relatively low stability towards air and common solvents. Such features make these complexes non-competitive with current PCS agents that are typically highly stable complexes based on anionic forms of polydentate ligands, such as tetraazacyclododecane- $N,N',N'',N'''$ -tetraacetic acid ( $H_4$ DOTA) or dipicolinic acid ( $H_2$ DPA).<sup>17–19</sup>

Notably, few polydentate ligands provide both strong axial CFs and air-stable SMMs.<sup>20,21</sup> Examples include the dianion of  $H_2$ bbpen ( $N,N'$ -bis(2-hydroxybenzyl)- $N,N'$ -bis(2-methylpyridyl) ethylenediamine, Scheme 1,  $R^1 = R^2 = H$ ) and related ligands, in which the negatively charged phenolic oxygens are axially coordinated with oxygen–metal–oxygen angles larger than  $150^\circ$ . The four N donor atoms and a halide ligand occupy the five equatorial positions of a distorted pentagonal bipyramid generating complexes with highly axial MA. Effective barriers for the reversal of the magnetization exceeding 1000 K have been observed by Tong and co-workers for dysprosium(III) derivatives

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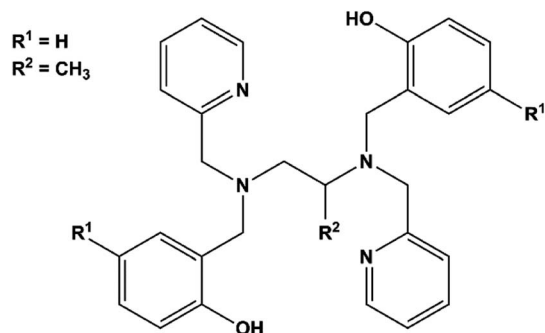
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Scheme 1 Structure of the H<sub>2</sub>bbpen ligand.

and associated with easy-axis MA up to the second excited Kramers doublet of the  $J = 15/2$  ground manifold.<sup>22</sup> Two key parameters affect the overall axiality of the crystal field in bbpen<sup>2-</sup> complexes: (i) the O–Dy–O angle and (ii) the equatorial crystal field imparted by the halide. While the former can be tuned by chemical functionalization on the benzyl group, the latter can be modified by using different halides. Indeed, the linkage of a methyl substituent on the phenol ring (H<sub>2</sub>bbpen-CH<sub>3</sub>, Scheme 1, R<sup>1</sup> = CH<sub>3</sub>, R<sup>2</sup> = H)<sup>23</sup> and the longer Dy–Br bond compared to Dy–Cl resulted in more pronounced axiality and improved SMM properties.<sup>22</sup>

In this work, we have investigated the H<sub>2</sub>bbppn ligand (*N,N'*-bis(2-hydroxybenzyl)-*N,N'*-bis(2-methylpyridyl)-1,2-propylenediamine, Scheme 1, R<sup>1</sup> = H, R<sup>2</sup> = CH<sub>3</sub>), which contains a methyl group bound to the diamine moiety rather than to the phenol ring, to form [Dy(bbppn)Cl] (1). According to previous studies by some of us on [Ln(bbpxn)Cl] and [Ln(bbpxn)NO<sub>3</sub>] complexes (X = e, p; Ln = Eu<sup>3+</sup>, Gd<sup>3+</sup>, Tb<sup>3+</sup>), this additional methyl group led to significant geometry changes both to the equatorial region (large deviations from planarity) and increased O–Ln–O angles.<sup>24,25</sup> In the [Ln(bbpen)Cl] series,<sup>22,24</sup> the smaller the Ln<sup>3+</sup> ionic radius, the larger the O–Ln–O angle, suggesting that the complex [Dy(bbppn)Cl], here described, could present improved axiality.

Indeed, when compared to previously reported [Dy(bbpen)Cl] (2) and [Dy(bbpen-CH<sub>3</sub>)Cl] (3),<sup>23</sup> complex 1 shows a significant increase of the O–Dy–O angle and a higher effective barrier for the reversal of the magnetization. Magnetization dynamics has been thoroughly investigated to explain some typical features of very anisotropic SMMs often overlooked in the literature. In addition, 1 presents a remarkably high easy axis MA at room temperature since the excited states are only weakly populated and mainly axial, an ideal condition to observe large PCSs provided that the structural features of the complex are preserved in solution. As a result, the solution <sup>1</sup>H NMR spectra of 1 at room temperature reveal PCSs exceeding ±1000 ppm, in agreement with *ab initio* calculations based on the X-ray structure. Hyperfine shifts of the order of 10 000 ppm have been recently reported for H and P atoms coordinated to an iron(II) center,<sup>26</sup> but the major contribution is a through-bond Fermi contact that quickly decays a few bonds away from the paramagnetic centre. On the contrary, the magnetic anisotropy of 1

induces through-space pseudochemical shifts that can be felt by <sup>1</sup>H nuclei at distances >10 nm from the Dy<sup>3+</sup> centre, paving the way towards a new generation of NMR tags for protein structure determination.<sup>17–19</sup>

## Results and discussion

### Synthesis

Complex 1 (Fig. 1, S1 and Tables S1, S2 in ESI<sup>†</sup>) crystallizes in the monoclinic *C2/c* space group. The structure reveals a neutral, mononuclear Dy<sup>3+</sup> compound with a disordered methyl group (C15 in Fig. 1) on the diamine portion of the polydentate ligand. The disorder is due to a crystallographic 2-fold axis that coincides with the Dy–Cl direction and bisects the C14A–C14A<sup>i</sup> bond (Fig. S2<sup>†</sup>). The coordination environment of Dy<sup>3+</sup> is closer to pentagonal bipyramidal (PBP) than to other possible geometries, as indicated by continuous shape measurements (Fig. S2 and Table S3<sup>†</sup>). On the other hand, due to the presence of the additional methyl group, 1 presents a larger deviation from the ideal PBP geometry than 2 and 3.<sup>23</sup>

At the axial positions of the coordination polyhedron, each of the two phenolate oxygen atoms (O1 and O1<sup>i</sup>) is 2.161(3) Å away from the Dy centre (Table S2<sup>†</sup>). This distance compares well with the corresponding bond lengths in 2, 2.166(4) Å, and 3, 2.155(3) and 2.166(3) Å. Such similarity is also valid for the average Dy–N distances in the equatorial region (2.564, 2.583, and 2.591 Å for 1, 2, and 3, respectively). The chloride ligand, in turn, is closer to Dy in 1, 2.5910(16) Å, than in 2 or 3 (2.6818(16) and 2.6580(12) Å, respectively). The binding of the methyl substituent to the ligand's aliphatic chain results in a significant deviation (0.579 Å) of the amine nitrogen atoms from the mean equatorial plane (Table S4<sup>†</sup>). This movement away from the plane allows the “closing in” of the remaining equatorial donor atoms, increasing the CF repulsion upon the oblate Dy<sup>3+</sup>

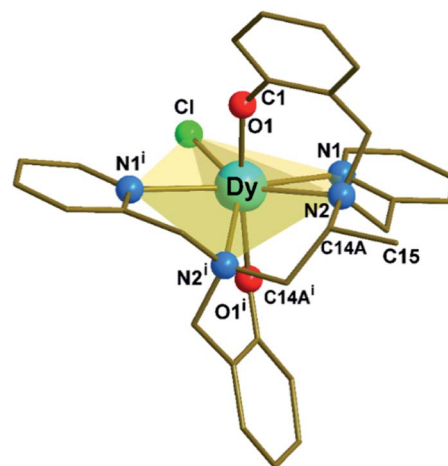


Fig. 1 Molecular structure of [Dy(bbppn)Cl] (1). The disordered carbon (C15) on the diamine moiety and all hydrogen atoms were omitted for clarity. The use of the C14A label is explained in the ESI<sup>†</sup>. Symmetry code: (i) 1 – *x* + 1, *y*, –*z* + 3/2.



electron density distribution.<sup>27,28</sup> Finally, the O1–Dy–O1<sup>i</sup> angle in **1**, 167.19(15)°, is by far the closest to linear among the three complexes (154.3(2)° and 158.07(11)° for **2** and **3**, respectively).

In **1**, the shortest distance between neighbouring molecules places the Dy<sup>3+</sup> centres 8.6879(3) Å apart from one another along the *c* axis (Table S5 and Fig. S3†). Additionally, weak intermolecular contacts are observed along the *b* axis *via* C–H⋯Cl interactions involving the disordered methyl group of the amine portion (H15⋯Cl<sup>iii</sup>: 2.58 Å; C15–H15⋯Cl<sup>iii</sup>: 149.8°, Fig. S4†). The purity of the sample was checked by powder X-ray diffraction analysis (Fig. S5†).

The diamagnetic complex **4**, [Y(bbppn)Cl] (Fig. S1†), was synthesized by a route analogous to that employed for **1** (see ESI† for further details). The crystals of **1** and **4** are isomorphous (Table S1†) and can therefore form solid solutions. Structural data for **4** follow the expected trend considering the slightly smaller size of the Y<sup>3+</sup> ion as compared to Dy<sup>3+</sup> (effective ionic radii of 90.0 and 91.2 pm respectively),<sup>29</sup> including a slight difference in cell volume (2661.72(18) Å<sup>3</sup> for **4** and 2667.4(2) Å<sup>3</sup> for **1**) and a marginally larger O1–Y–O1<sup>i</sup> angle of 168.00(9)° in **4** *versus* 167.19(15)° in **1** (Table S2†). The solid solution (Dy : Y proportion of 7 : 93 mol%, **1**[Y]) was obtained from a mixture of the two starting materials allowed to react in MeOH with bbppn<sup>2-</sup> and crystallized by vapor diffusion with diethyl ether. Despite the use of hydrated salts as Ln<sup>3+</sup> starting material, the crystals of **1**, **4** and **1**[Y] do not contain water, either as a ligand or solvating molecule, and can be kept in air for long periods without loss of crystallinity.

Products **1**, **4** and **1**[Y] were also characterized by elemental analysis (see ESI†) and Fourier transform infrared spectroscopy (FTIR, 400–4000 cm<sup>-1</sup> region). Upon deprotonation of the phenol groups and coordination of bbppn<sup>2-</sup> to the Ln<sup>3+</sup> ions, the broad and intense ν(O–H) band centred at *ca.* 2900 cm<sup>-1</sup> and the also strong δ(O–H) absorption at 1372 cm<sup>-1</sup> disappear, while the intense ν(C–O) band shifts significantly from 1250 (phenol) to 1302 cm<sup>-1</sup> (phenolate, Fig. S6†). On the other hand, owing to the very high structural and M–L bonding similarity in the two lanthanide complexes, together with the low content of Dy<sup>3+</sup> in the solid solution, the infrared spectra are superimposable and fail to distinguish **1** from **4**, or these from **1**[Y]. Tentative FTIR assignments (Table S6†) and additional discussion are presented in the ESI.†

The diamagnetic **4** was also analysed by <sup>1</sup>H NMR (Fig. S7 and Table S7†). 2D (<sup>1</sup>H, <sup>1</sup>H COSY and <sup>1</sup>H, <sup>13</sup>C HMBC) spectra in CD<sub>2</sub>Cl<sub>2</sub> solution were registered to help with peak assignments. Because the linkage of the methyl group in the diamine backbone breaks the ligand symmetry, the <sup>1</sup>H NMR spectrum of **4** presents a coupling pattern significantly more complicated than those given by bbpen<sup>2-</sup> complexes. Examples are [M(bbpen)]ClO<sub>4</sub>, M = Ga<sup>3+</sup>, In<sup>3+</sup>, for which the two 2-oxybenzyl and pyridylmethyl moieties were shown to be spectroscopically equivalent.<sup>30</sup> The results for **4** are compatible with the solid-state structural features, evidencing stability in solution, and compare well with previous solution NMR studies performed with [Lu(*R*-bbppn)(NO<sub>3</sub>)<sub>3</sub>].<sup>31</sup> In **4**, the presence of a minor component (*ca.* 20%) in the solution spectra suggests some

degree of conformational change involving the chelate rings, as also proposed for [Dy(bbppn)Cl] (see below).

### Ab initio calculations

*Ab initio* calculations were performed to probe how the subtle chemical change in the composition of **1** affects the electronic structure with respect to compound **2**.<sup>22</sup> To allow a straightforward comparison, we employed a CASSCF/CASSI-SO computational protocol as close as possible to the one described in the earlier work (see computational details). The X-ray geometry of **1** was employed without optimization, except for the positions of hydrogen atoms optimized at the DFT level in the presence of implicit solvent (CPCM, see computational details) to calculate the NMR shifts more reliably.<sup>32</sup>

From the analysis of Fig. 2 and Table 1, two features can be highlighted. In the first place, an overall increase in the energy of all excited Kramers doublets with respect to the ground one is observed for **1**. This increase is more pronounced the higher the energy of the excited state: 20 cm<sup>-1</sup> for the first excited state, above 100 cm<sup>-1</sup> for the second one, and up to 200 cm<sup>-1</sup> for E<sub>4</sub>–E<sub>7</sub>. The structural origin of this phenomenon is the larger O–Dy–O angle, that gets very close to 180°. On the other side, we compute for **1** larger transversal terms *g<sub>x</sub>*, *g<sub>y</sub>* for the ground Kramers doublet (see Tables S8 and S9†). This increased rhombicity can be explained with the larger deviation of the nitrogen atoms from the equatorial plane (see previous section).

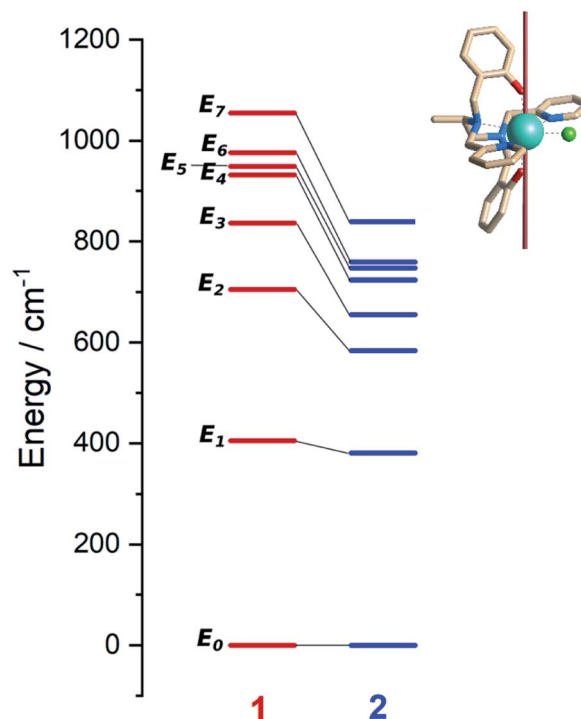


Fig. 2 Left: *Ab initio* computed energy levels for **1** (red, this work) and **2** (blue, Tong and co-workers ref. 22). Each bar represents a Kramers doublet. Right: structure of **1** showing the direction of the ground Kramers doublet magnetic easy axis. Color code: cyan/Dy, green/Cl, blue/N, red/O, khaki/C. Hydrogen atoms are omitted for clarity.



**Table 1** Comparison between the energies of the *ab initio* computed Kramers doublets of the ground  ${}^6\text{H}_{15/2}$  multiplet in **1** and **2**. The composition of the states is provided in Table S10

Energy/cm <sup>-1</sup>	<b>1</b>	<b>2</b> <sup>a</sup>
$E_0$	0	0
$E_1$	405	381
$E_2$	705	584
$E_3$	836	655
$E_4$	932	724
$E_5$	949	747
$E_6$	976	759
$E_7$	1055	839

<sup>a</sup> Values taken from literature.<sup>22</sup>

Thus, from the formula by Yin and Li,<sup>33</sup> an estimate of the QTM rate can be provided as follows:

$$\tau_{\text{QTM}}^{-1} = \frac{\mu_{\text{B}}}{h} \frac{g_x^2 B_x^2 + g_y^2 B_y^2}{\sqrt{g_x^2 B_x^2 + g_y^2 B_y^2 + g_z^2 B_z^2}} \quad (1)$$

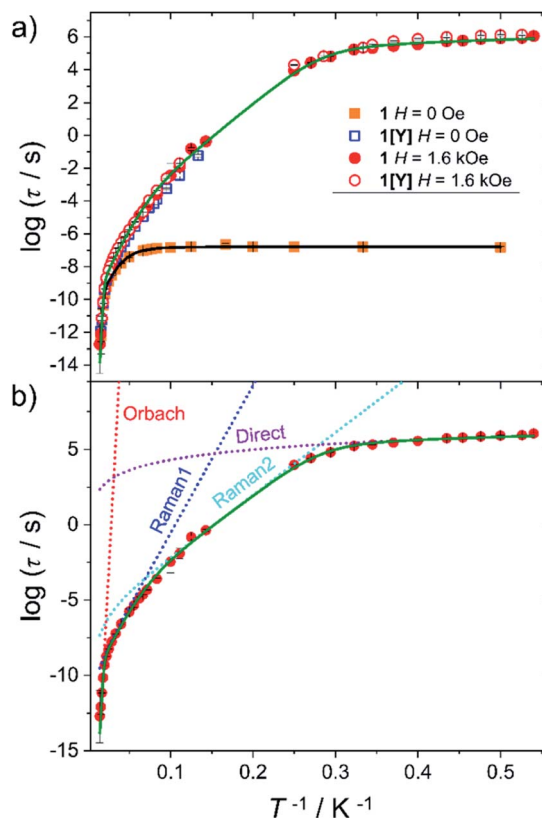
In (1),  $B_k$  ( $k = x, y, z$ ) are the average components of the fluctuating dipolar field. Due to the larger ground doublet's transversal  $g$  components (see Table S8†), the QTM probability in **1** is expected to be higher, assuming that the local magnetic field experienced by the two compounds is the same. It is finally important to notice that the purity of the ground and first excited state is still remarkably high (Table S10†). Fig. S8† shows the computed transition magnetic moments.

### Magnetic characterization

Static and dynamic magnetic properties of **1** and **1[Y]** were investigated on polycrystalline pressed powders. The temperature dependence of the product between the magnetic susceptibility and the temperature ( $\chi T$ ) is reported in Fig. S9.† The trend is reminiscent of the previously investigated family members, showing a smooth decrease over the entire temperature range, as expected for the depopulation of the excited Kramers doublets. The agreement with the computed value from the *ab initio*-determined crystal field parameters is satisfactory for both  $\chi T$  vs.  $T$  and  $M$  vs.  $H$  curves (Fig. S9 and S10†). The latter approaches a plateau at *ca.*  $5 \mu_{\text{B}}$ , as expected for a strongly axial  $\text{Dy}^{3+}$  centre at low temperature.

AC susceptibility in zero field shows a peak in the out of phase magnetic susceptibility ( $\chi''$ ) over a wide temperature range (2–65 K, see Fig. S11 and S12†) for **1** and **1[Y]**. In Fig. 3 we report the extracted relaxation times,  $\tau$ , using the Debye model. In zero field,  $\tau$  of **1** becomes temperature independent below 10 K, suggesting an efficient quantum tunnelling, significantly suppressed by magnetic dilution.

The investigation of the field dependence of  $\chi''$  at 20 K (Fig. S13 and S14†) reveals that for **1** and **1[Y]** the peaks shift to lower frequency with the application of a static field. As no significant increase in  $\tau$  was observed above 1.6 kOe, this field was employed to repeat the temperature scan (see Fig. S15 and S16†), and the extracted  $\tau$  are plotted in Fig. 3. At lower



**Fig. 3** (a) Temperature dependence of the relaxation time for **1** (full symbols) and **1[Y]** (empty symbols) measured in zero and 1.6 kOe static field. The black and green lines are best fits using two vibrational modes (eqn (2)). (b) Detail of the different contributions to the best fit curve for **1** with  $H = 1.6$  kOe. Best fit parameters are provided in Table 2.

temperatures, the relaxation time was extracted from a single exponential fitting of the time dependence of the magnetization when the field is rapidly swept from zero to 1.6 kOe (Fig. S17 and Table S11†). The extracted relaxation times, see Fig. 3, reveal that the tunnelling can be efficiently suppressed by applying static magnetic fields, thus making **1** and **1[Y]** indistinguishable.

In Fig. 4 we report the field dependence of the relaxation rate ( $\tau^{-1}$ ) of **1** (see Fig. S18† for **1[Y]**). The initial decrease of  $\tau^{-1}$  is often encountered and attributed to the suppression of tunnelling. Less common is the broad field range, up to 10 kOe, in which the relaxation rate is field-independent (*vide infra*). We also plot the parameter  $\alpha$  describing the width of the distribution of relaxation times. Interestingly, the two curves have a pronounced similarity, with  $\alpha$  significantly larger when the relaxation is field-dependent. This suggests that the distribution of relaxation times is mainly due to the measurement of randomly oriented microcrystals. In this case, different values of the field component along the easy axis impart different relaxation times, increasing the value of  $\alpha$ .

To rationalize the temperature dependence of the relaxation rate of highly anisotropic SMMs it is necessary to add to the usual Orbach and tunnelling mechanisms also contribution of low energy optical phonons. Starting from the data taken at 1.6



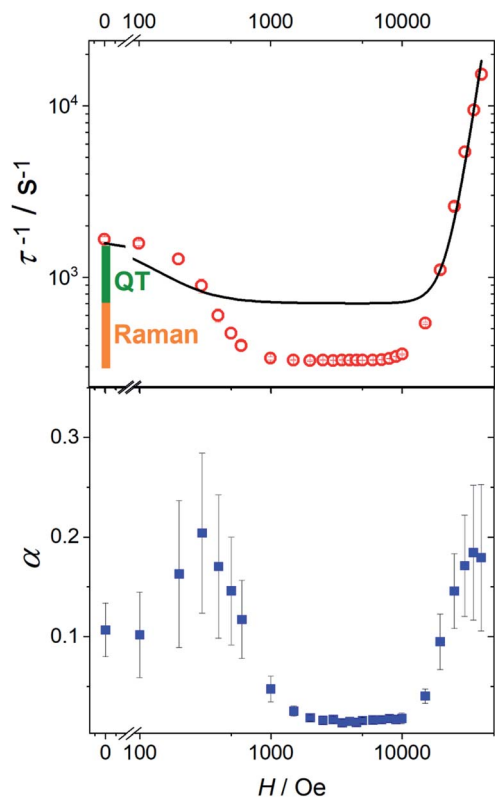


Fig. 4 Top: field dependence of the relaxation rate for **1** measured at 20 K. The solid line represents the best fit with eqn (3). The bars represent the contribution from the temperature-independent quantum tunnelling (green) and thermally activated mechanisms dominated by Raman (orange) to the relaxation rate in zero field, as extracted from the fitting in Fig. 3. Bottom: field dependence of the width of the relaxation rate distribution.

kOe to reduce the efficiency of quantum tunnelling, an excellent agreement was obtained by using the equation:

$$\tau^{-1} = \tau_0^{-1} \exp\left(\frac{U_{\text{eff}}}{k_B T}\right) + B \frac{\exp\left(\frac{\hbar\omega_1}{k_B T}\right)}{\left[\exp\left(\frac{\hbar\omega_1}{k_B T}\right) - 1\right]^2} + C \frac{\exp\left(\frac{\hbar\omega_2}{k_B T}\right)}{\left[\exp\left(\frac{\hbar\omega_2}{k_B T}\right) - 1\right]^2} + D \coth\left(\frac{\delta}{k_B T}\right) \quad (2)$$

where the first term corresponds to the two-phonon Orbach mechanism involving an excited Kramers doublet, the second and third terms account for the Raman mechanism through

two vibrational modes,  $\omega_1$  and  $\omega_2$ , and the last term corresponds to the direct mechanism between the  $m_j = \left|\pm \frac{15}{2}\right\rangle$  states that are split in 1.6 kOe by  $\delta/k_B = 2.14$  K. When  $\delta/k_B T \ll 1$  has the usual linear dependence on  $T$  the direct mechanism.

To avoid overparametrization, in the fitting procedure  $U_{\text{eff}}$  was fixed to the computed separation with the second excited Kramers doublet,  $\sim 1010$  K, given that the first excited doublet is still strongly axial, *i.e.*  $g_x \approx g_y \approx 0$ . The computed transition moments among the states (see Fig. S8†) further confirm this picture. However, additional data at higher temperatures would be necessary to better characterize the Orbach mechanism. The best fit was provided for the two vibrational modes  $\omega_1 = 41(1) \text{ cm}^{-1}$  and  $\omega_2 = 98(1) \text{ cm}^{-1}$  (see Table 2 for all best-fit parameters). These values are in line with low energy vibrations in molecular materials.<sup>34</sup> The different contributions to the relaxation rates are visible in the Fig. 3b. In Fig. S19† we show that a fit assuming a  $T^n$  law for the Raman mechanism significantly decreases the goodness of fit. It is worth noticing that, even with the same number of adjustable parameters, the expression of the Raman mechanism *via* vibrational modes reproduces the experiment much better than a power law.

Eqn (2) was also used to fit the temperature dependence of  $\tau$  in zero field, fixing the energy of the vibrational modes to the values extracted from the previous fit and replacing the direct term with a tunnelling rate  $\Gamma_{\text{QT}} = 880 \pm 40 \text{ s}^{-1}$ . To compare this value with the theoretical one predicted by eqn (1), we computed the distribution of the dipolar field when the sample is demagnetized as in zero static field (see Fig. S20†). For the calculation we used the experimental crystallographic structure and the computed orientation of the magnetic anisotropy axes. With the resulting average values of  $|B_x| = 435$  Oe,  $|B_y| = 560$  Oe, and  $|B_z| = 427$  Oe, the estimated  $\Gamma_{\text{QT}} = 590 \text{ s}^{-1}$  is in nice agreement with the experimental findings. In general, the agreement between computed and calculated relaxation time of Fig. 3 is again excellent but does not provide significant insight into the Raman process that is almost entirely masked by the tunnelling. In particular, the tunnelling rate is significantly higher than in **2** despite the larger axial CF of **1**, but in agreement with the slightly larger computed rhombic anisotropy and transition moment for **1**.

It is interesting to focus also on the field dependence of the relaxation rate. According to literature, the data can be simulated by considering that in eqn (2) the tunnelling and direct processes depend on the magnetic field as:<sup>35</sup>

$$\tau^{-1}(H) = \text{const} + \frac{\Gamma_{\text{QT}}}{1 + aH^2} + bH^m \quad (3)$$

Table 2 List of the parameters employed to fit the thermal evolution of the relaxation time of **1**. Values in parenthesis indicate errors. Values without an error were fixed

	$\tau_0/\text{s}$	$U_{\text{eff}}/\text{K}$	$B/\text{s}^{-1}$	$\omega_1/\text{cm}^{-1}$	$C/\text{s}^{-1}$	$\omega_2/\text{cm}^{-1}$	$D/\text{s}^{-1}$	$\Gamma_{\text{QT}}/\text{s}^{-1}$
$H = 1.6$ kOe	$5.7(4) \times 10^{-13}$	1010	$5.6(2) \times 10^2$	41(1)	$31.5(2) \times 10^3$	98(1)	$1.4(1) \times 10^{-3}$	—
$H = 0$	$5.7 \times 10^{-13}$	1010	$2.4(9) \times 10^3$	41	$4.2(8) \times 10^4$	98	—	$8.8(4) \times 10^2$
Scan $H$	$5.7 \times 10^{-13}$	1010	$2.4 \times 10^3$	41	$4.2 \times 10^4$	98	—	$8.8 \times 10^2$



The first term accounts for the Orbach and Raman contributions. The second term considers the suppression of QT by the magnetic field. The field dependence of the direct process is modelled by a phenomenological power law as both  $D$  and  $\delta$  parameters of eqn (2) depend on  $H$ . Fixing the Raman, Orbach and QT contributions to the values extracted from the fitting of zero field data in Fig. 3, the three adjustable parameters in the model were:  $a = 4(4) \times 10^{-5} \text{ Oe}^{-2}$ ,  $b = 1(2) \times 10^{-15} \text{ s}^{-1} \text{ Oe}^{-m}$  for QT and  $m = 4.1(1)$  for the direct process.

While the general trend is reproduced, the agreement is rather poor. The reason is that QT accounts for a fraction of the rate (the green bar in Fig. 4) that is much smaller than the decrease we observe on applying the external magnetic field (green plus orange bar in Fig. 4). Therefore, the assumption that the Raman mechanism (the only other relevant contribution at 20 K) is field-independent breaks down. This observation is in line with recent theoretical findings<sup>34,36</sup> that the admixing of spin and vibrational states (*i.e.*, the second-order term of the spin-phonon coupling) promotes transitions inside the ground doublet, still requiring the thermal population of the modes. The overall efficiency is temperature dependent due to the occupation of vibrational states but is also field-dependent, as the admixing of the ground doublets depends on the field. However, as soon as the field localizes the two wavefunctions of the ground doublet on opposite sides of the anisotropy barrier, the Raman mechanism becomes field-independent. The unusually large flat region (1–10 kOe) suggests that the Raman mechanism dominates and gives way to the direct process only at high field.

As far as magnetic hysteresis is concerned (Fig. 5 for **1**), the behaviour is again very similar to that of the original [Dy(bppen)Cl] derivative, **2**. The hysteresis opens below 6 K (100 Oe  $\text{s}^{-1}$  sweep rate), and the opening increases on decreasing temperature. The loop is pinched in zero field because of the tunnelling. The dilution in the diamagnetic host only marginally suppresses the zero-field jump in the hysteresis (see Fig. S21† for **1**[Y] data).

Given that **1** presents all the features of strongly axial SMMs, we also measured the thermomagnetic hysteresis. Zero field

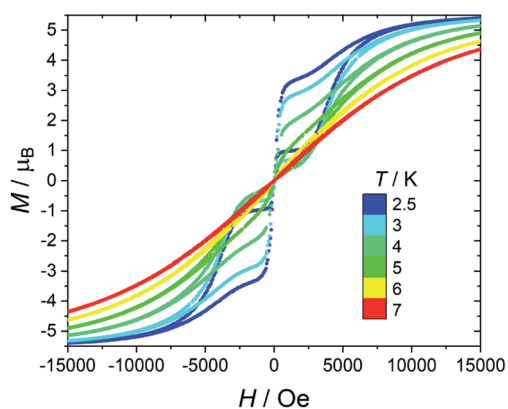


Fig. 5 Temperature dependence of the hysteresis loops of **1**. Field sweeping rate: 100 Oe  $\text{s}^{-1}$ .

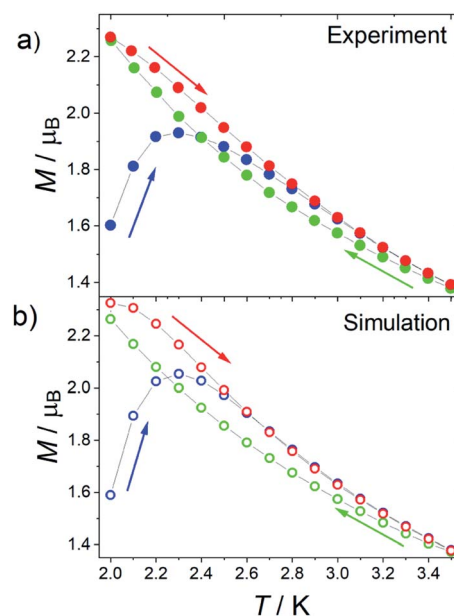


Fig. 6 (a) Experimental and (b) simulated ZFC (blue) and FC (green and red) curves of **1** at a sweeping rate of 0.03 K  $\text{s}^{-1}$  and at  $H = 1.6$  kOe. The arrows indicate the direction of the measurement for each curve.

cooled (ZFC) and field cooled (FC) magnetization at various fields between 500 and 2500 Oe were measured scanning the temperature at 0.03 K  $\text{s}^{-1}$  (see Fig. 6 for **1** at  $H = 1.6$  kOe and Fig. S22 and S23† for more data also on **1**[Y]). The curves become irreversible below 3.5 K. Interestingly, the FC curves measured for decreasing and increasing temperatures are not superimposable. The decreasing FC curves cross the ZFC one, but the FC measured on increasing temperatures does not. This behaviour is often reported for well-performing SMMs, including the [Dy(Cp<sup>ttt</sup>)<sub>2</sub>][B(C<sub>6</sub>F<sub>5</sub>)<sub>4</sub>] system.<sup>6</sup>

The reason for this crossing, not detected in other SMMs such as the archetypal Mn<sub>12</sub> cluster,<sup>37</sup> can be ascribed to the fact that the Orbach mechanism is overcome by the Raman process for these lanthanoid-based SMMs. As the relaxation time grows less rapidly on decreasing the temperature, the increase in equilibrium magnetization, which goes approximately as  $T^{-1}$ , cannot be neglected. As a result, the ZFC branch measured on increasing temperature reflects that the configurations with higher equilibrium magnetization have been populated at lower temperatures. A larger magnetization, compared to the FC curve measured on decreasing temperatures, is thus recorded. This is not the case if both the FC and ZFC branches are measured on increasing the temperature.

To further prove this hypothesis, we computed the out-of-equilibrium magnetization by considering the experimental temperature sweeping rate and relaxation times. The relaxation times are those extracted from Fig. 3, while the equilibrium magnetization was estimated by a fourth-order polynomial fit of the experimental data. The only adjustable parameter is the value of the magnetization of the first measured point, which is related to the complex evolution during the field change from zero to the target field. The agreement with the experimental

data (see Fig. 6b) is excellent despite the simple model, confirming that the crossing of the curves must be ascribed to the measuring procedure. It is thus recommended that, in the thermomagnetic characterization protocol, an additional in-field branch is measured on increasing the temperature. This will allow an accurate determination and a meaningful comparison of the irreversibility temperature in very anisotropic and well-performing SMMs.

### NMR characterization

The magnetic characterization of **1** identifies it as a SMM exhibiting a high anisotropy barrier. *Ab initio* calculations agree well with the experimental behaviour over a wide temperature and field range. We can thus rely on theory to predict other features that can be of relevance for NMR applications.

In this regard, the *ab initio* computed electronic structure shows strongly axial and collinear *g*-tensors up to the third Kramers doublet (>1000 K, see Table S8†), suggesting that a large and strongly axial magnetic susceptibility anisotropy will be retained at room temperature in solution. Since the paramagnetic pseudocontact shift is proportional to the magnetic susceptibility anisotropy (*vide infra*), sizeable pseudocontact shifts are expected up to room temperature.

Starting from the *ab initio* computed CF parameters, we calculated the principal values of the room temperature magnetic susceptibility tensor (0.0111, 0.0128, and 0.1138 cm<sup>3</sup> mol<sup>-1</sup>). The resulting single-molecule anisotropy is defined as:

$$\Delta\chi_{\text{ax}} = \tilde{\chi}_{zz} - \frac{\tilde{\chi}_{xx} + \tilde{\chi}_{yy}}{2} = 2.16 \times 10^{-30} \text{ m}^3 \quad (4)$$

where  $\tilde{\chi}_{ii}$  are the eigenvalues of the magnetic susceptibility tensor, ordered to have  $\tilde{\chi}_{zz}$  as the most different from the two other values and  $\tilde{\chi}_{xx}$  as the opposite extreme. The estimated  $\Delta\chi_{\text{ax}}$  is about 224% of the isotropic magnetic susceptibility (defined as 1/3 of the trace of the tensor:  $\chi_{\text{iso}} = 9.59 \times 10^{-31} \text{ m}^3$ ). On the contrary, the rhombic anisotropy, defined as  $\Delta\chi_{\text{rh}} = \tilde{\chi}_{xx} - \tilde{\chi}_{yy} = -2.17 \times 10^{-32} \text{ m}^3$ , is less than 3% of the isotropic value. If such a computed large and axial anisotropy is preserved in a fluid solution, it could represent an ideal situation for a solution NMR investigation.

The resolution of the <sup>1</sup>H-NMR spectrum of a paramagnetic complex and the observability of shifted signals depend not only on the shifts that the metal ion is able to impart on the probed magnetically active nuclei, but also on how much the presence of the metal centre broadens their lines. In general, nuclear resonances in lanthanoid complexes are only weakly affected by electron-nucleus dipole-dipole relaxation (Solomon relaxation, see eqn (6), (7) and (8) in the Experimental) because the availability of strongly spin-orbit coupled excited states within reach of the phonon distribution at room temperature ensures a fast electron relaxation time. The latter, being short, becomes the correlation time for this nuclear relaxation mechanism, reducing its efficiency.<sup>38</sup> However, the nuclear relaxation caused by interaction with the large magnetic moment (the Curie-spin interaction) of the lanthanoid can be impactful. The efficiency of this mechanism depends principally on the molecular weight of the

investigated molecule *via* the molecular reorientation time (eqn (9) and (10) in Methods). The observability of the NMR signal can thus be related to the ratio between the PCS and the transverse relaxation rate caused by the Curie-spin interaction,  $\frac{\delta_{\text{PCS}}}{R_{2,\text{Curie}}}$ , which is proportional to  $\frac{\Delta\chi_{\text{ax}}}{\chi_{\text{iso}}^2}$ .<sup>39</sup> Since the isotropic susceptibility mostly depends on the metal ion but not on its coordination environment,  $\Delta\chi_{\text{ax}}$  values are already a good indication of the observability of nuclear resonances in different complexes of the same lanthanoid (*vide infra*). Therefore, it is not surprising that NMR is increasingly included in the characterization of lanthanoid-based SMMs.<sup>15,40–46</sup>

In Fig. 7 we report the experimental <sup>1</sup>H NMR spectrum of **1** recorded at 9.4 T and 293 K in deuterated dichloromethane (further experimental details are given in the Experimental section). The spectrum shows signals with shifts as large as -1200 ppm, with relatively narrow lines. The blue line shows the spectrum calculated using the X-ray determined crystal structure for the scaffold with the hydrogen positions optimized at the DFT level in implicit solvent (see computational details) and the *ab initio* magnetic susceptibility computed for the molecular structure in the crystalline phase. The parameters used for the simulation are given in the Experimental section.

The calculated spectrum reproduces quite well the experiment, even though the experimental lines appear broader than expected. This is likely due to a conformational exchange phenomenon and additional relaxation due to Fermi contact contribution. The position of the most positively shifted peak, corresponding to the protons of the oxo-benzyl groups, is well reproduced while a slightly larger deviation is observed for the most negatively shifted peak. This is not surprising, as H13 is bound to a carbon atom in  $\alpha$  position to the coordinated nitrogen of the pyridine ring. A weak Fermi contact contribution,<sup>38</sup> not included in our simulation, might be expected for atoms a few bonds away from the metal centre. The remarkably extensive span of the observed signals (*ca.* 2200 ppm) is very close to the computed one, demonstrating that the structure is preserved in solution, and so is the axiality of the magnetic susceptibility anisotropy.

This finding is not only relevant for the characterization of this complex and its derivatives but can also have implications exceeding the boundaries of molecular magnetism. For instance, we can compare the PCSs that this complex is able to produce with other prototypical molecules that form the basis of currently used paramagnetic tags. The archetypical dysprosium-based single ion magnet DyDOTA has a computed  $\Delta\chi_{\text{ax}} = -7.10 \times 10^{-31} \text{ m}^3$ . Fig. 8 shows the comparison of the PCS isosurface ( $\pm 200$  ppm) for **1** and DyDOTA superimposed to their molecular structures on the same scale. The value for DyDOTA has been computed from our previous *ab initio* calculations of its magnetic anisotropy<sup>47,48</sup> symmetrizing the computed tensor over four orientations (90° away from each other) around the Dy-O<sub>water</sub> bond as expected to occur in a fluid solution (see ESI† for more details). This averaging produces an effective easy-plane anisotropy.

To better quantify the efficiency of the two complexes as PCS agents, we calculate that a proton along the pseudo C<sub>4</sub> axis of



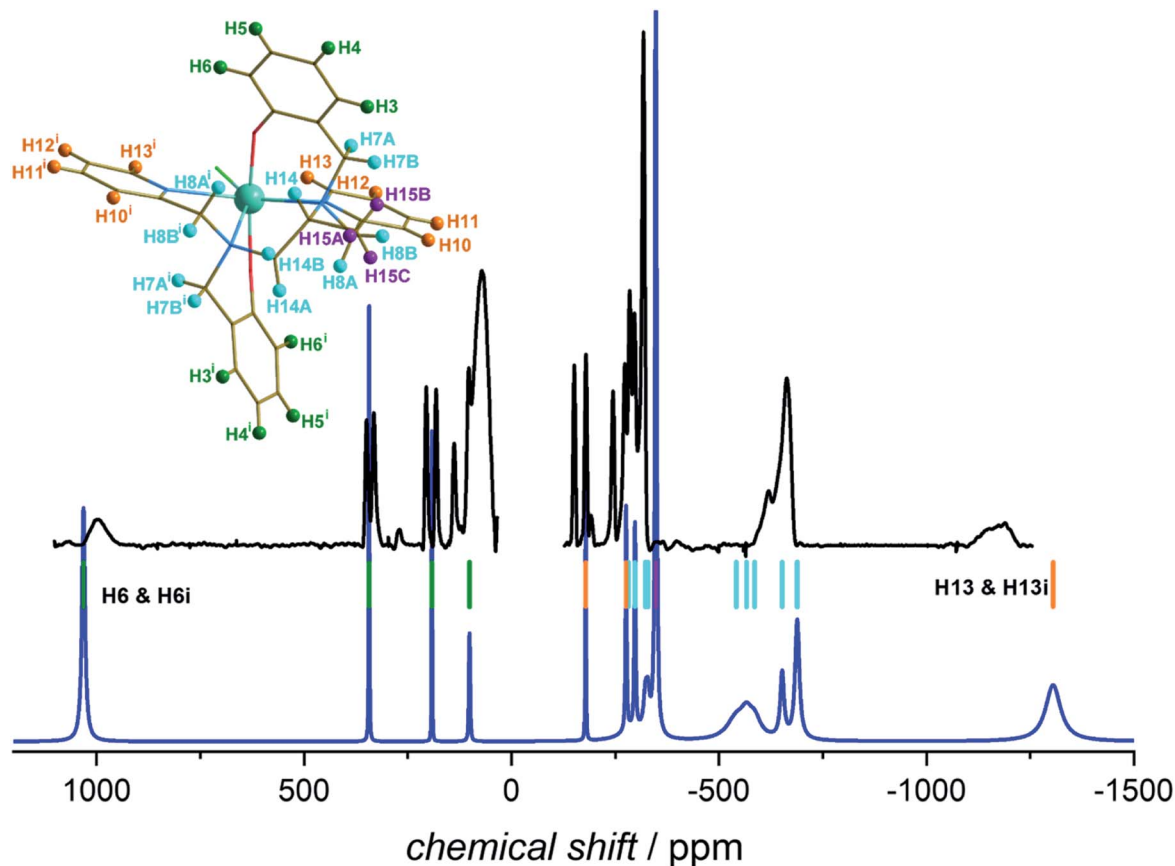


Fig. 7 Experimental  $^1\text{H}$ -NMR spectrum of **1** recorded at 293 K and 9.4 T in  $\text{CD}_2\text{Cl}_2$  (black) and calculated spectrum (blue). The coloured bars represent calculated positions of the H atoms belonging to the different parts of the molecule (see structure): green = phenol, orange = pyridine, violet = methyl, cyan = aliphatic backbone. For the details of the experiment and simulation see Experimental section. The figure on top of Table S7† reports the ligand alone. The hydrogen atom labelling is based on the Crystallographic Information File (CIF). Symmetry code: (i)  $1 - x + 1, y, -z + 3/2$ .

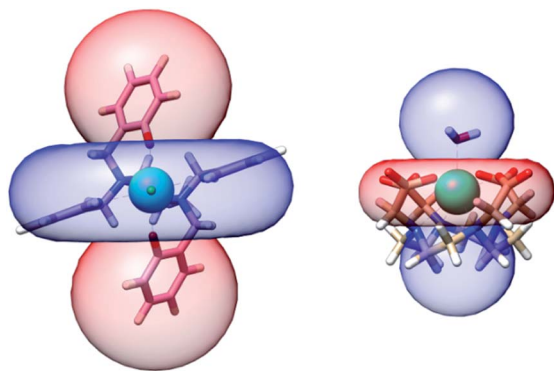


Fig. 8 Computed isosurface of pseudocontact shift at  $\pm 200$  ppm (red – positive, blue – negative) for **1** (left) and DyDOTA (right). The blue and red colours are exchanged in the two complexes due to the different nature of the room temperature magnetic anisotropy.

DyDOTA experiences an absolute shift of 1 ppm at *ca.* 23 Å from the metal (*ca.* 18 Å on the plane). For **1**, a 1 ppm shift is obtained at 39 Å for protons along the easy axis (*ca.* 31 Å in the plane). In other words, grafting an *ad hoc* functionalized version of **1** to a protein could allow resolving structures at much larger

distances from the paramagnetic probe compared to the DOTA- or the even less anisotropic DPA-based tags.<sup>17–19</sup>

## Conclusion

In this article we have reported the synthesis of a new member of a family of pentagonal-bipyramidal Dy-complexes. The relatively simple chemical modification corresponding to the addition of a methyl group in the aliphatic backbone of the ligand has essential effects on magnetic anisotropy as evidenced by *ab initio* and magnetic studies. The analysis of the relaxation times has evidenced a large window of temperatures and magnetic fields where the Raman relaxation dominates over other thermally activated processes. This feature has allowed us to unequivocally demonstrate that the Raman relaxation mechanism is field-dependent, contrary to what is usually assumed. Moreover, our simulations also show that the crossings between the ZFC and FC curves, often observed in highly performant SMMs but – to the best of our knowledge – never commented, naturally arise from the measuring protocol and the temperature dependence of the relaxation time of these molecules.

The remarkable stability of complex **1** also allowed us to record NMR spectra where through-space  $^1\text{H}$  shifts spanning





a range larger than 2000 ppm were observed. This finding, directly related to the huge magnetic anisotropy retained by the complex at room temperature and in solution, opens the possibility to engineer new highly performant PCS tags.

## Experimental section

### Synthesis

Details on the synthesis, general characterization, and single crystal X-ray diffraction of **1**, **4** and **1[Y]** are presented as ESI.†

### Computational details

The hydrogen positions were optimized by density functional theory with ORCA 4.2.1 software.<sup>49</sup> The PBE0 functional was employed,<sup>50</sup> together with the D3 dispersion correction to account for dispersion forces.<sup>51,52</sup> The DKH-def2-TZVP basis sets were used for all atoms<sup>53</sup> except for Dy, for which the SARC2-DKH-QZVP basis sets were utilized.<sup>54</sup> Conductor-like continuum polarization model was employed to mimic the effect of the CD<sub>2</sub>Cl<sub>2</sub> solvent.<sup>55</sup>

The post-HF calculations of the electronic properties of **1** were carried out with MOLCAS 8.0 quantum chemistry package.<sup>56</sup> The calculations were based on the X-ray structure coordinates where only H atoms were optimized. ANO-RCC basis sets<sup>57,58</sup> were employed for all atoms: ANO-RCC-VTZP for Dy, O, N and Cl, and ANO-RCC-VDZP for C and H. Scalar relativistic terms were treated by the Douglas–Kroll–Hess Hamiltonian. The calculations were performed at the complete active space self consistent field (CASSCF) level of theory,<sup>59</sup> followed by complete active space state interaction by spin–orbit (CASSI-SO).<sup>60</sup> The active space consisted of 9 electrons in the 4f orbitals of the Dy atom, CAS(9,7). All the 21 sextuplets of the ground <sup>6</sup>H term were computed by state average calculations and included in the following spin–orbit perturbation. Due to limited computational resources, quadruplets and doublets were not computed. The magnitudes and orientations of the magnetic anisotropy axes of the ground and first excited Kramers doublets were mapped with the MOLCAS subroutine SINGLE\_ANISO within the pseudospin  $S = 1/2$  approach.<sup>61</sup>

### Magnetic characterization

All the magnetic measurements were performed on pressed pellets of the samples wrapped in Teflon tape. DC measurements and time decays were performed in a SQUID magnetometer. AC magnetic measurements were performed in a Quantum Design Physical Property Measurement System (PPMS). The treatment of the ac data was done with a home-written program in MATLAB language.

### NMR characterization

The NMR spectrum of **4** was acquired on a Bruker Neo spectrometer operating at 500 MHz <sup>1</sup>H Larmor frequency (11.7 T) equipped with a cryogenically cooled probehead.

The NMR spectra of **1** were acquired on a Bruker Avance III spectrometer operating at 400 MHz <sup>1</sup>H Larmor frequency (9.4 T) to mitigate the field-dependent effects of nuclear spin

transverse relaxation. Furthermore, to improve the spectral quality at 5 mm, a <sup>1</sup>H selective probe dedicated to paramagnetic systems (the nutation frequency of the hard pulse is ca. 50 kHz) was used. <sup>1</sup>H-NMR spectra were acquired on a 400 μmol L<sup>-1</sup> solution in CD<sub>2</sub>Cl<sub>2</sub>. A pulse of 200 ns was used to excite the entire spectral window. The signal was averaged over a total of ~4.2 × 10<sup>6</sup> scans. The baseline was manually corrected over the entire range. To avoid artefacts related to the manual procedure, the presence of signals was evaluated by the circular dispersion of the phase across 512 repetitions of the Fourier-transformed spectrum.<sup>62–64</sup>

The PCS contribution was calculated from the *ab initio* magnetic susceptibility tensor and using the point-dipole approximation:<sup>65</sup>

$$\sigma = -\frac{1}{4\pi r^5} [3rr^T\chi - r^2\chi] \quad (5)$$

where  $\sigma$  is the shielding tensor,  $\chi$  is the magnetic susceptibility anisotropy tensor, and  $r$  is the metal-nucleus distance vector. Given that the anisotropy is so large, a rather relevant self-alignment is expected even at 9.4 T. Therefore, the pseudo-contact shift is calculated as  $\delta = -\frac{1 \times 10^6}{3} \text{Tr}(P\sigma)$ , where the alignment tensor is approximated to the first order as

$$P_{ii} = \frac{1}{3} \left[ 1 + \frac{B_0^2}{5\mu_0 k_B T} (\chi_{ii}^{\text{mol}} - \chi_{\text{iso}}^{\text{mol}}) \right].^{66,67}$$

The above treatment relies on the assumption<sup>68,69</sup> of a direct relation between PCS and the magnetic susceptibility tensor, which was recently confirmed by a rigorous quantum chemistry treatment.<sup>70</sup>

To compute the overall spectrum, the following assumptions were also made: (1) the Fermi contact term is neglected in both the shift and the relaxation;<sup>14</sup> (2) the chemical shielding is negligible compared to the paramagnetic contribution and (3) the relaxation due to nucleus–nucleus dipolar coupling and to chemical shielding anisotropy are negligible compared to the paramagnetic contributions.

The linewidth and the intensity of the different <sup>1</sup>H resonances were evaluated by computing the relaxation rate as the sum of the dipolar contribution (Solomon term)<sup>71</sup> and the part arising from the dipolar shielding anisotropy (Curie-spin term):<sup>72,73</sup>

$$R_{iM} = R_{iM}^{\text{Solomon}} + R_{iM}^{\text{Curie}}; i = 1, 2 \quad (6)$$

The Solomon terms in  $R_1$  and  $R_2$  are assumed to be isotropic:

$$R_{1M}^{\text{Solomon}} = \frac{2}{15} \left( \frac{\mu_0}{4\pi} \right)^2 \frac{\gamma_1^2 g^2 \mu_B^2 J(J+1)}{r^6} \left( \frac{7\tau_c}{1 + \omega_e^2 \tau_c^2} + \frac{3\tau_c}{1 + \omega_N^2 \tau_c^2} \right) \quad (7)$$

$$R_{2M}^{\text{Solomon}} = \frac{1}{15} \left( \frac{\mu_0}{4\pi} \right)^2 \frac{\gamma_1^2 g^2 \mu_B^2 J(J+1)}{r^6} \left( 4\tau_c + \frac{13\tau_c}{1 + \omega_e^2 \tau_c^2} + \frac{3\tau_c}{1 + \omega_N^2 \tau_c^2} \right) \quad (8)$$



where  $\tau_c = 20$  ps is the electron correlation time at room temperature extrapolated from magnetic measurements, assuming that the Orbach mechanism is the only relevant contribution (Table 2).

On the contrary, the anisotropy of the magnetic susceptibility may result in a sizeable anisotropy in the Curie spin relaxation:<sup>42,74–76</sup>

$$R_{1M}^{\text{Curie}} = \frac{1}{2}A_\sigma^2\omega_N^2 \frac{\tau_{\text{Curie}}}{1 + 9\omega_N^2\tau_{\text{Curie}}^2} + \frac{2}{15}A_\sigma^2\omega_N^2 \frac{\tau_{\text{Curie}}}{1 + \omega_N^2\tau_{\text{Curie}}^2} \quad (9)$$

$$R_{2M}^{\text{Curie}} = \frac{1}{4}A_\sigma^2\omega_N^2 \frac{\tau_{\text{Curie}}}{1 + 9\omega_N^2\tau_{\text{Curie}}^2} + \frac{1}{45}A_\sigma^2\omega_N^2 \left( 4\tau_{\text{Curie}} + \frac{3\tau_{\text{Curie}}}{1 + \omega_N^2\tau_{\text{Curie}}^2} \right) \quad (10)$$

with

$$A_\sigma^2 = (\sigma_{xy} - \sigma_{yx})^2 + (\sigma_{xz} - \sigma_{zx})^2 + (\sigma_{yz} - \sigma_{zy})^2$$

and

$$\Delta_\sigma^2 = \sigma_{xx}^2 + \sigma_{yy}^2 + \sigma_{zz}^2 - \sigma_{xx}\sigma_{yy} - \sigma_{xx}\sigma_{zz} - \sigma_{yy}\sigma_{zz} + 3/4[(\sigma_{xy} + \sigma_{yx})^2 + (\sigma_{xz} + \sigma_{zx})^2 + (\sigma_{yz} + \sigma_{zy})^2]$$

where  $\sigma_{ij}$  are the components of the nuclear shielding tensor that is predominantly due to the magnetic susceptibility. As no exchangeable protons are present in **1**, the Curie spin relaxation is only determined by the reorientation correlation time, estimated to be 423 ps through the Stokes–Einstein equation.

The effect of the finite length of the excitation pulse and the large offsets is accounted for as described in the literature.<sup>18</sup> Further details on the calculation of the hyperfine shifts and relaxation parameters are presented in ESI.†

## Data availability

All experimental and computed data are available from the authors upon request.

## Author contributions

The manuscript was written through the contributions of all authors.

## Conflicts of interest

No conflict of interest to declare.

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