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A topologically unique alternating $\{{\sf Co}^{\sf III}_3{\sf Gd}^{\sf III}_3\}$ magnetocaloric ring†

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The adiabatic temperature change of the star-shaped $\{ \textsf{Co}_3^\textsf{III} \textsf{Gd}_3^\textsf{III} \}$ magnetocaloric ring is enhanced via topological control over the assembly process, by using a pre-formed ${CO^{II}(H₆L)}$ building block that undergoes oxidation to Co^{III}, successfully separating the Gd^{III} ions.

The magnetocaloric effect (MCE) is described as the reversible adiabatic temperature change (ΔT_{ad}) and magnetic entropy change (ΔS_m) of a material, following the application or removal of a magnetic field. Promising magnetic refrigerants benefit from the large MCE displayed by certain molecular materials.¹ This is where coordination chemistry and molecular magnetism become powerful tools for optimising design towards the ideal magnetic refrigerant. A large MCE at low temperatures is favoured by a negligible magnetic anisotropy.^{1b,2} Hence, several molecule-based refrigerants are complexes of isotropic $Gd(m)$ ions.³ Another common trend is to maximise the magnetic : nonmagnetic ratio, so as to increase values of the refrigeration power and $-\Delta S_\text{m}$, when reported per unit mass or unit volume. 3a,4 The inherent drawback of this approach is that spin–spin correlations increase unavoidably, which ultimately limit the lower bound of ΔT_{ad} and the lowest temperature that can be attained in an adiabatic demagnetisation process. 3^d Therefore, a compromise becomes necessary. Some recent studies explore the combined use of 3d/4f ions in search of the enhancement of magnetocaloric properties, such as $Co/Gd⁵$ As expected, $Co(\theta)$ ions influence negatively the MCE, because of the characteristic large magnetic anisotropy, which makes reorientation of the magnetic moment more difficult.^{1b} Herein, we explore an attractive

solution to this problem, namely tuning the oxidation state, by changing anisotropic $Co(n)$ to diamagnetic $Co(m)$, concomitantly with an effective dilution of the $Gd(m)$ ions, in order to favour ΔT_{ad} .

We recently reported large heterometallic ${Mn_{18}Cu_6}$ complexes, obtained by following a directed synthesis approach, based on the use of the metallo–organic precursor $\text{[Cu(H}_6\text{L})\text{Cl}\text{]}$ Cl $\text{[H}_6\text{L}$ = bis-tris propane).⁶ This prompted us to investigate the reactivity of bis–tris propane with 4f ions in the presence of 3d ions.7 Similar aminopolyol-type ligands seem to promote the oxidation of different $Co(n)$ starting materials.⁸ Therefore, the exploration of $Co(\pi)$ precursors containing $H₆L$ in the design of new magnetic refrigerants becomes highly attractive. Our approach is to use ${CO^{II}(H₆L)}$ precursors that can undergo facile oxidation to diamagnetic $Co(m)$, whilst encapsulating the cobalt centres and directing/separating the $Ln(m)$ ions. Using this strategy, we present the magnetocaloric properties of a new $\{ {\rm Co}_{3}^{\rm III} {\rm G} {\rm d}_{3}^{\rm III}\}$ star-shaped ring, showing that the $Co(m)$ ions have a significant impact on the adiabatic temperature change in this system, by separating the Gd(m) ions and weakening the Gd(m) $\cdot \cdot$ Gd(m) interaction. In terms of ΔT_{ad} , this complex is among the best gadolinium-based molecular refrigerants reported so far (vide infra). **COMMUNICATION**
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> By combining the metalloligand $[Co(H₆L)(CH₃COO)₂]$ (1) and $Gd(acac)_{3}H_{2}O$ we are able to obtain a new hexametallic complex $\rm [Co_3^{III}Gd_3^{III}(H_2L)_3(avac)_2(CH_3COO)_4(H_2O)_2]$ (2) with a unique alternating wheel-like structure (Fig. 1 and Fig. S4, S12, Table S1, ESI†). The pre-formation of the metalloligand (see Fig. S1–S3 and S10, ESI†) seems to be essential for the assembly of 2, as previously seen for the ${Mn_{18}Cu_6}$ complexes. During the reaction, under aerobic conditions in the presence of bis–tris propane, $Co(\Pi)$ is oxidised to $Co(\Pi)$ and hence, the magnetic properties of 2 are defined exclusively by the paramagnetic $Gd(m)$ ions. The structure of 2 contains three octahedral $Co(m)$ ions, each one encapsulated by one tetra-deprotonated H_2L^{4-} ligand through four O and two N atoms. The two remaining ligand arms are uncoordinated. Each ${Co(H_2L)}$ unit is linked to two octacoordinated Gd(III) ions through four μ -O bridging atoms

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Fig. 1 Synthetic approach and structure of 2. C, grey; Co, fuchsia; Gd, green; N, blue; O, red; hydrogen atoms and solvent molecules are omitted for clarity.

forming a ring-like structure, in which $Co(m)$ and $Gd(m)$ centres alternately occupy the corners of a six-pointed star.

The oxidation state of each cobalt centre has been confirmed by bond valence sum calculations (BVS) .⁹ Two different triangular dodecahedral Gd ions can be distinguished based on the co-ligands that complete their coordination sphere: two bidentate acetates for Gd1, or one acac⁻, one monodentate acetate and one water ligand for Gd2 and Gd2' (see Table S2, ESI[†]). The average intramolecular Gd \cdots M distances (M = Co, Gd) are $d_{\rm{(Gd\cdots Co)}}$ = 3.389(1) A, and $d_{\rm{(Gd\cdots Gd')}}$ = 5.802(9) A. Note that the ${C\rm O}_3^{\rm III} {\rm Gd}_3^{\rm III}\}$ wheel is not perfectly planar (see Fig. S5, ESI†), with a dihedral angle between the ${Co_3}$ and ${Gd_3}$ planes of 9° . To the best of our knowledge, the structure shown by ${CO}_{3}^{\rm III}Gd_{3}^{\rm III}\}$ is unprecedented for Co/4f complexes (CSD 5.37, November 2016, where 3d = Sc \rightarrow Zn, 4f = La \rightarrow Lu) and remarkably only larger alternating $3d/4f$ rings (where $3d = Mn$ or Fe only), such as ${Mn_4Ln_4}$, ${Mn_8Ln_8}$ or ${Fe_{10}Yb_{10}}$ have been reported to date, where the structures are all more puckered than in $2.^{10}$

The experimental value of the static magnetic susceptibility temperature product $\chi_{\mathbf{M}} T$ at 290 K (23.37 cm 3 mol $^{-1}$ K) for 2 is consistent with that expected for three uncoupled Gd(III) centres (23.63 cm³ mol⁻¹ K, ${}^{8}S_{7/2}$, s = 7/2, g = 2). $\chi_{\text{M}}T$ displays an almost imperceptible decrease between 290 and 26 K and then drops to 21.33 $\mathrm{cm}^3 \, \mathrm{mol}^{-1}$ K at 2 K (Fig. 2), consistent with very weak spin ordering promoted either by antiferromagnetic correlations or zero-field splitting (ZFS) of the ground multiplet. Exchange coupling through the diamagnetic $Co(m)$ ions is a potential pathway for very weak $Gd\cdots Gd'$ intramolecular interactions, similar to previous Cu \cdots Cu' coupling through Zn(II) in

Fig. 2 Temperature dependence of $\chi_M T$ for 2 in an applied field of 0.1 T (inset shows magnetisation vs. field at 2 to 10 K, step 1 K). The solid lines correspond to the simultaneous fit (see text for details).

heterometallic Cu/Zn bis–tris propane complexes.¹¹ Within the exchange coupling model, the simultaneous fit of the susceptibility and magnetisation data at $T = 2$ to 10 K, step 1 K (see spin Hamiltonian below, and magnetic model in Fig. S11, ESI†) gives $\mathcal{J} = -(5.3 \pm 0.5) \times 10^{-3}$ cm⁻¹, and g = 1.988 \pm 0.002.¹²

$$
\hat{\mathcal{H}} = -2\mathcal{J}(\hat{S}_1 \cdot \hat{S}_2 + \hat{S}_1 \cdot \hat{S}_3 + \hat{S}_2 \cdot \hat{S}_3) + g\mu_B \vec{B} \sum_{i=1}^3 \vec{S}_i \qquad (1)
$$

In the mean-field approximation, we can interpret $\mathcal J$ as an effective interaction constant resulting from dipole–dipole magnetic interactions, which are well documented for molecular materials. 13 The g value obtained from the fit is reasonable for $Gd(m)$ ions considering similar complexes.¹⁴ The small deviation from the expected spin-only g value could be a consequence of a small ZFS, induced by crystal-field effects combined with spin–orbit coupling. $2b,15$ Considering the relatively large average Gd \cdots Gd' distance (5.802(9) Å), one could argue that exchange coupling is likely to be less effective for spin ordering. All sources, though, are extremely weak and we cannot discriminate between them, on the basis of the experimental data. The DC experiments suggest, therefore, that 2 should display a relatively large MCE, arising from the weakly-interacting $Gd(m)$ ions.^{1b,16} The MCE is best evaluated from heat capacity c_p experiments (Fig. 3, top). As is typical for molecular magnetic materials, $1a$ lattice vibrations contribute predominantly to c_p as a rapid increase above ca. 5–10 K. The non-magnetic lattice contribution can be described by the Debye model (dotted line in Fig. 3), which simplifies to a $c_{\text{latt}}/R = aT^3$ dependence at the lowest temperatures, where $a = 6.7 \times 10^{-3} \text{ K}^{-3}$ for 2. At such low temperatures, c_p is mainly determined by a Schottky-like anomaly, which is strongly dependent on B and can be well modelled by Hamiltonian (1) , using the same parameters obtained from fitting the susceptibility and magnetisation data. For $B = 0$, the system becomes sensitive to any perturbation, hence the need to add an effective internal field $B_{\text{eff}} \approx 0.3$ T to our model, in order to simulate the zeroapplied-field c_p . For $B \ge 1$ T, such a correction is not necessary. We ascribe B_{eff} to the dipole-dipole magnetic interactions,

Fig. 3 Top: Temperature dependence of the heat capacity, normalised to the gas constant, c_p/R for 2 for selected applied fields, as labelled. Bottom: Temperature dependence of the entropy, normalised to the gas constant, S/R for 2 for selected applied fields, as labelled. The dotted line is the lattice while the solid lines correspond to the magnetic modelling (see text for details).

although to a minor extent, it could also be associated with a small ZFS at the $Gd(m)$ sites. From the experimental heat capacity data, we derive the entropy S of the system, according to $S = \int c_p / T dT$. Similarly, we derive the lattice entropy S_{latt} from c_{latt} and the magnetic entropy S_{m} from c_{m} , that is, the magnetic contribution to c_p , viz., the aforementioned Schottkylike anomaly, calculated on basis of Hamiltonian (1). The bottom panel of Fig. 3 shows the resulting temperature dependence of the experimental entropy S, which thus corresponds to the sum of S_{latt} (dotted line) and S_m (solid lines), for any applied magnetic field employed. Because of the very weak ZFS and interactions present, temperatures as low as ca. 3–4 K are already sufficient for fully decoupling the $Gd(m)$ spins. Therefore, within the investigated temperature range, the zero-applied-field S reaches the maximum entropy value per mole involved, which corresponds to three non-interacting Gd(m) spins $s = 7/2$ and is calculated as 3 \times $R \ln(2s + 1) \approx 6.2R$ (see Fig. 3).

Next, we evaluate ΔS_{m} and ΔT_{ad} , following a change of the applied magnetic field ΔB . The temperature dependencies of both ΔS_{m} and ΔT_{ad} can be calculated straightforwardly from

Fig. 4 Temperature dependence of the magnetic entropy change ΔS_m (top) and adiabatic temperature change ΔT_{ad} (bottom) for 2 for selected changes of the applied magnetic field ΔB , as labelled. Values of $\Delta S_{\rm m}$ are reported per unit mole (left) and mass (right), and are obtained from heat capacity (empty dots) and magnetisation (filled dots) data.

the experimental entropy (Fig. 3, bottom panel).^{1b} Likewise, ΔS_{m} can also be calculated from the magnetisation data (Fig. 2) by making use of the Maxwell relation $\Delta S_{\text{m}} = \int [\partial M/\partial T]_B \text{d}B$. Fig. 4 shows the so-obtained dependence of $\Delta S_{\rm m}$ and $\Delta T_{\rm ad}$ for 2 versus temperature for selected ΔB values. Note the nice agreement between the ΔS_{m} results obtained through both methods, thus validating the approaches employed. For the largest applied field change $\Delta B = (7-0)$ T, *i.e.*, after a full demagnetisation from 7 T, the maximum value of $-\Delta S_{\rm m}$ is 5.6R at $T = 1.9$ K, which corresponds to 90% of the available entropy content and is equivalent to 23.6 J $kg^{-1} K^{-1}$ per unit mass. Concomitantly, we obtain ΔT_{ad} = 10.7 K at T = 1.5 K for the same field change, that is, the temperature decreases down to a final temperature T_f = 1.5 K, on demagnetising adiabatically from $B = 7$ T and an initial temperature $T_i = T_f + \Delta T_{ad} = 12.2$ K. Note that ΔT_{ad} is limited in T_f by sources of magnetic ordering (spin–spin interactions and magnetic anisotropies) and in T_i by the lattice entropy, which soon becomes the dominating contribution on increasing the temperature (see Fig. 3).

The precursor $\text{[Co(H₆L)(CH₃COO)₂] (1)$ has successfully directed the molecular assembly in $\rm [Co_3^{\rm III}Gd_3^{\rm III}(H_2L)_3(avac)_{2}(CH_3COO)_{4}(H_2O)_{2}]$ (2) , so that the Gd (m) ions are isolated, thus promoting the discussed magnetocaloric properties. Several $Co(n)/Gd(m)$ molecular coolers have been studied so far.^{5*a*,17} The biggest hindrance to a large

MCE in those compounds is the large magnetic anisotropy of the Co(π) ions.^{1b,2} In 2 we circumvent this impediment by oxidising $Co(n)$ into $Co(m)$ during the synthesis, thus leaving only the $Gd(m)$ ions to contribute magnetically. In terms of the magnetocaloric properties of 2, the diamagnetic $Co(m)$ ions still play a role, though passively. On the one hand, they influence negatively on the entropy change per unit mass. The lower the magnetic : non-magnetic ions ratio, the lower are the magnetic heat capacity and entropy per unit mass. The maximum value observed of $-\Delta S_{\text{m}} = 23.6 \text{ J kg}^{-1} \text{ K}^{-1}$ at $T = 1.9 \text{ K}$ for 2 is large, though not outstanding. However, the key point is that the $Co(m)$ centres impact positively on the adiabatic temperature change. In 2, the $Co(m)$ and $Gd(m)$ ions alternate with respect to one another. Therefore, the intermediate presence of the $Co(m)$ ions weakens extremely the magnetic interaction between the Gd(III) ions, so the temperature-dependence of ΔT_{ad} has a maximum at a relatively lower temperature than usually found for pure-Gd molecular complexes. Among the few known systems that have a ΔT_{ad} maximum below e.g., 2 K for 7 T, complex 2 with ΔT_{ad} = 10.7 K at T = 1.5 K lags behind only the extraordinary ${Gd_2$ -ac} with ΔT_{ad} = 12.6 K at T = 1.4 K,^{3a} while it outdoes ${Zn_2Gd_2}$ with ΔT_{ad} = 9.6 K at T = 1.4 K,¹⁸ and ${Gd_7}$ with ΔT_{ad} = 9.4 K at $T = 1.8$ K.¹⁹ Communication Web the large magnetic anisotropy $\frac{1}{2}$ Creative Commons are computed under $\frac{1}{2}$ Creative Commons are computed under the simple article is liken and the published on 12 April 2018. This article is l

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